

# Soil Mechanics

Muktadin Sir

Mon, Tues

29/04/19

Lee-01

Reference → Foundation Engineering by Peck, Henson [ ] Mandatory

Supplementary → Soil Mechanics by B.M. Das → ৭টো কিতাব

Advanced soil Mechanics by B.M. Das

Soil Mechanics → Craig

## Syllabus:

C.T. 1

- # Weight - Volume relationship of soil (Phase diagram)
- # Density index
- # Compaction characteristics of soil 5 lecture

2nd  
c.T.

- # Fluid flow through porous media 8 lecture

3rd  
c.T.

- # Consolidation characteristics of soil 10-11 lecture
- # Stress distribution in soil

## Principal of soil Mechanics

Foundation design এর জন্য ২টা criteria satisfy করতে হবে :

1. মাটি tension নিতে পারে না, Compression নিতে পারে।

মাটির Bearing capacity before it fails in shear হবে

করতে হবে। You have to make sure soil & foundation doesn't fail in shear.

Soil এর bearing capacity  $6 \frac{\text{tsf}}{\text{sq ft}}$  ( $6 \text{ ton / sq ft}$ )

U.S. ~~ton~~  $\downarrow$  ton per sq.ft [S.I unit না এটা]

২ kip = 1 ton

Soil  $6 \frac{\text{tsf}}{\text{sq ft}}$  এ fail করলে this is ultimate failure.

Soil rod এর ২টা uniform না ওই বড় factor of safety লাগবে (Bd  $\geq$  min. 3)

Summary: Bearing capacity এর against এ F.O.S. নিতে হবে।

2

Your foundation must not experience excessive settlement. limit  $\rightarrow$  1" for normal <sup>common</sup> structure. [like normal building & nuclear plant & design করতে as এই plant collapse করতে massive destruction হবে। limiting settlement]

Mechanics  $\rightarrow$  action of force on bodies (body may be at rest or in motion)

Principal  $\rightarrow$  hook's law

Static হলে,

$$\sum F_x = 0 \quad \sum F_y = 0 \quad \sum F_z = 0$$

থাকতে হবে। uniform speed - dynamic problem না।

in general

$$ma + \sum F = 0$$

অথবা সমস্ত ধরনের force এর sum

soil is not a solid body.

Soil Mechanics:

1 of the branches of CE which deals with the application of soil science, laws of statics and dynamics and the principal of mechanics and hydraulics to understand the behaviour and use of soil as an

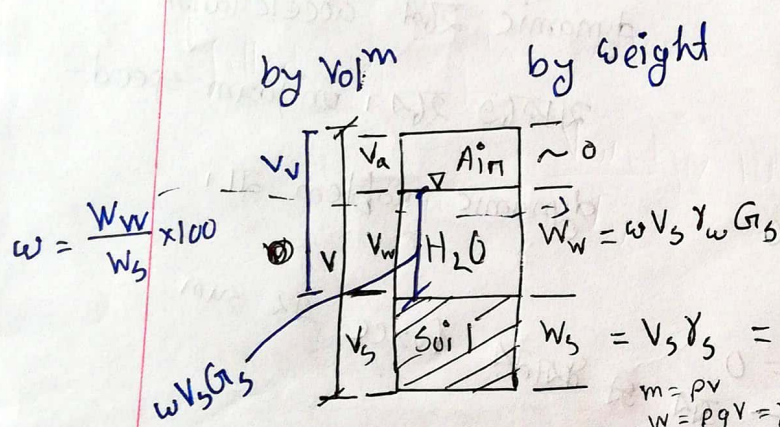
engineering material.

late 17th century থেকে soil mechanics development শুরু হয়।

30/4/19

Lee-02

Weight - Volume Relationship of soil:



$$\omega = \frac{W_w}{W_s} \times 100$$

$$W_w = \omega \cdot V_s \cdot \gamma_w \cdot G_s = \omega \cdot V_s \cdot \gamma_w \cdot G_s$$

$$[W_s = V_s \cdot \gamma_s]$$

specific gravity of soil skeleton

$\omega = \frac{W_w}{W_s} \times 100$

Microscopic point মাত্র চক্রান্তে পাওয়া যায় soil + void  
 ↓  
 air/water/  
 comb. of air-water  
 থাকবে always থাকবে

Existence of soil in different state (Soil skeleton, block water and air can be represented by a tog of phase diagram. It is called 3 phase diagram. And

fully saturated soil sample

if the soil contains only soil skeleton and water only, it is called 2-phase diagram. If soil + air  $\rightarrow$  complete dry soil

Partially saturated soil  $\rightarrow$  soil + air + water

\* Soil skeletons are incompressible  $\rightarrow$  load  $\rightarrow$  vol<sup>m</sup> change  $\rightarrow$  water particle  $\rightarrow$  vol<sup>m</sup> change  $\rightarrow$  assumption

Void  $\rightarrow V_w + V_a / V_a / V_w$

# Water content / moisture content : expressed in % weight of water / weight of solid

$w = \frac{W_w}{W_s} \times 100$  [It can have value more than 100% like volcanic ash]

soil sample  $\rightarrow$  dry  $\rightarrow$  initial weight - dry weight =  $W_w$

2. Void ratio: [Expressed in decimal]  
 $e = \frac{\text{Volume of void}}{\text{Volume of solid}}$

$\rightarrow$  load  $\rightarrow$  vol<sup>m</sup> change  $\rightarrow$   $V_s$  same

always the

load मिल  
↓  
अथवा n  
change शर

$V_v$  जाय  
 $V_v$  घुंटे  
vary

### 3. Porosity: [ % ] express

$V_v$  = Volume of void

$$n = \frac{V_v}{V} \times 100 \quad [\text{Total volume}]$$

शुन कक्षानारे 100% शर ना

### 4. Degrees of saturation: [ normally expressed in % ]

It represents to what extent void spaces are filled up with water.

$$S_r = \left( \frac{V_w}{V_v} \right) \times 100 \quad ] \text{ fully saturated}$$

शुन 100 शुन 1 शर

$$e = \frac{V_v}{V_s} = \frac{V_v}{V - V_v} = \frac{\frac{V_v}{V}}{1 - \frac{V_v}{V}} = \frac{n}{1 - n}$$

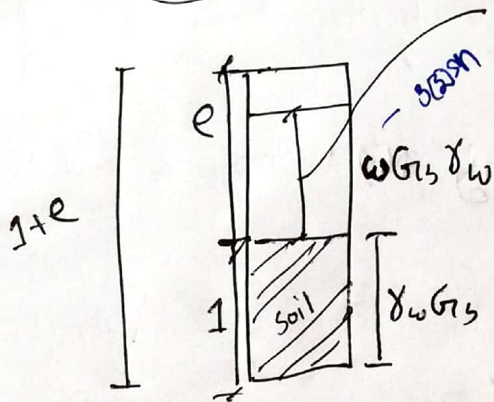
↓  
relationship bet<sup>m</sup> void ratio and porosity

$$n = \frac{V_v}{V} = \frac{V_v}{V_s + V_v} = \frac{V_v/V_s}{V_s/V_s + V_v/V_s} = \frac{1}{1 + \frac{1}{e}} = \frac{e}{1 + e}$$

$$e = \frac{V_v}{V_s = 1} \text{ একক মাত্রী unit volume}$$

$\omega G_s \rightarrow \text{volume}$

Volume of air =  $e - \omega G_s$



→ এই diagram ইম based on  $V_s = 1$   
 volume of void  $\rightarrow e$

$$s_n = \frac{\omega G_s}{e}$$

$$\omega = \frac{W_w}{W_s} = \frac{\delta_w V_w}{\delta_s V_s} = \frac{\delta_w V_w}{\delta_s V_s} \rightarrow 1$$

$$\Rightarrow V_w = \omega G_s$$

3 phase diagram

porosity  $n = \frac{V_v = a}{V = 1}$

এই diagram redraw করবে।

$s_n$  এর value  $n$  নিয়ে express করবে।

Unique relationship exists between

Basic definition  $\rightarrow$

$$\omega = \frac{W_w}{W_s} = \frac{V_w \delta_w}{V_s \delta_s} = \frac{\frac{V_w}{V_s}}{\frac{\delta_s}{\delta_w}} \cdot \frac{1}{G_s}$$

$$\omega = \frac{s_n \cdot e}{G_s} = \frac{s_n}{\frac{1}{e}} \cdot G_s$$

$$s_n = \frac{\omega \cdot G_s}{e}$$

\* Basic def. আর block diagram দ্বারা স্টো শ্বাক স্ট্রাকচার relation develop.

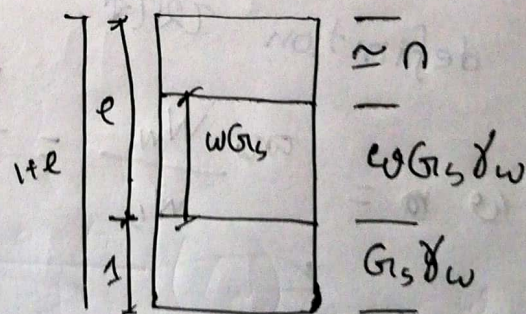
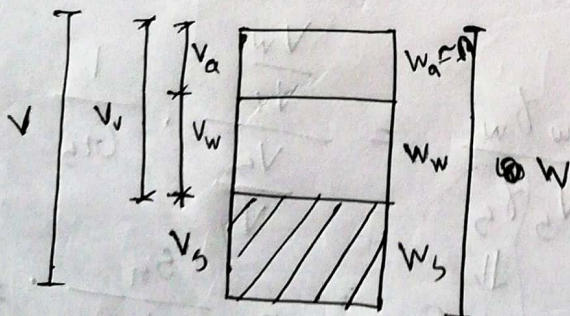
$G_s$  অনেক কম range এ vary করে।

Typical values of  $G_s$ :

1. Sand = 2.65 ~ 2.67
2. Silty sand (fine sand) = 2.67 ~ 2.7
3. Inorganic clay = 2.7 ~ 2.8
4. Organic soil (জৈবিক থাকে, = variable; it  
স্বাকি পুরানা না) could be under  
2 even.

6/5/19

Lec-03



$$\gamma_{bulk} = \frac{G_s \gamma_w + w G_s \gamma_w}{1+e}$$

w এর value put কর decimal এ

$$= \frac{1+w}{1+e} (G_s \gamma_w)$$

$$V = V_v + V_s$$

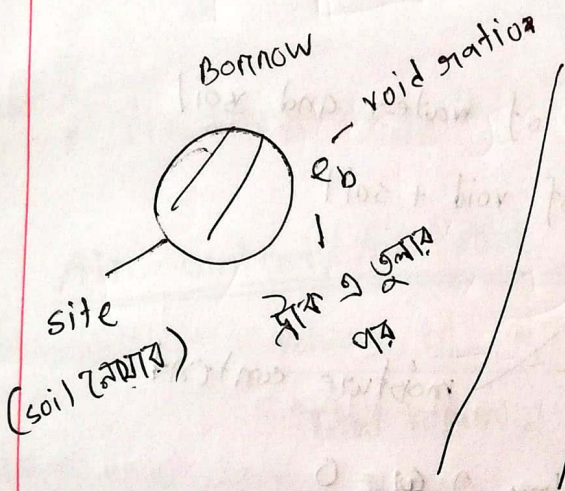
$$W = W_s + W_w$$

$$= V_s \left( \frac{V_v}{V_s} + 1 \right) = V_s (1 + e)$$

constant মোহে

change হবে না

$$V \propto (1 + e)$$



বাক্স  
এটার কত void ratio হবে  
tender এ বলে দেয়া (ef)

যেখান থেকে soil নিয়ে → Borrow area

$$V_b \propto (1 + e_b)$$

borrow area এর

soil

$$V_f \propto (1 + e_f)$$

finished volume of soil  
(compact করার পর)

$$\frac{V_b}{V_f} = \frac{1 + e_b}{1 + e_f}$$

tender এ দেয়া

জানা  
tender এ দেয়া

এ থেকে কত Volume লাগবে বের করা

Unit weight

Bulk unit weight ( $\gamma_{bulk}$ )

$\gamma_{bulk} = \frac{W}{V}$  — weight of water and soil  
 — vol<sup>m</sup> of void + soil

$\gamma_{bulk} = \frac{1+w}{1+e} G_s \gamma_w$  — moisture content

Dry unit weight ( $\gamma_d$ ):

dry  $\Rightarrow w = 0$

$\gamma_d = \frac{W_s}{V} = \frac{G_s \gamma_w}{1+e}$

$\gamma_d = \frac{G_s \gamma_w}{1+e}$

আপাত  
diagram  
প্রমাণ

$\gamma_{bulk} = \frac{W_s + W_w}{V} = \frac{W_s}{V} \left( 1 + \frac{W_w}{W_s} \right) = \gamma_d (1+w)$

Saturated unit weight ( $\gamma_{sat}$ )

$\gamma_{sat} = \frac{e \gamma_w + G_s \gamma_w}{1+e} = \frac{e + G_s}{1+e} (\gamma_w)$

$S_r = \frac{w G_s}{e}$   
 $w = \frac{S_r e}{G_s}$

$S_r \rightarrow$  fully saturated  $\Rightarrow 1$   
 $S_r \rightarrow$  dry  $\Rightarrow 0$

$\gamma_{sat} = \frac{1 + \frac{S_r e}{G_s}}{1+e} G_s \gamma_w$

buoyancy

Submerged / effective / unit weight ( $\gamma_{sub} = \gamma_b = \gamma'$ ):

$$\begin{aligned} \textcircled{\$} \quad \gamma_{sub} = \gamma_b = \gamma' &= \gamma_{sat} - \gamma_w \\ &= \frac{e + G_s}{1 + e} \gamma_w - \gamma_w \\ &= \left( \frac{G_s - 1}{1 + e} \right) \gamma_w \end{aligned}$$

• 117, 118 - 125 lb/ft<sup>3</sup> →  $\gamma_{sat}$   $\gamma_w$  unit weight

Air content / Air void ratio:

$\frac{\text{Volume of air}}{\text{Total volume}}$

$$A_v = \frac{V_A}{V} = \frac{V_v - V_w}{V_v + V_s}$$

$$\textcircled{\$} \quad \frac{\frac{V_v}{V_v} - \frac{V_w}{V_v}}{1 + \frac{V_s}{V_v}} = \frac{1 - S_r}{1 + \frac{1}{e}}$$

$$= \left( \frac{e}{1 + e} \right) (1 - S_r)$$

$$= n(1 - S_r)$$

Determination of void ratio:

$$\gamma_d = \frac{G_s \gamma_w}{1 + e}$$

$\gamma_d$  এর ক্রমে হবে sand replacement method A



density  
 mass density  $\times g =$  unit weight

$$\gamma_d = \frac{G_s \gamma_w}{1+e} \Rightarrow (1+e) \gamma_d = \frac{G_s \gamma_w}{\gamma_d}$$

$$I_d = \frac{(e_{max} + 1) - (e_f + 1)}{(e_{max} + 1) - (e_{min} + 1)}$$

$$1 + e_{max} = \frac{G_s \gamma_w}{\gamma_{d(min)}}$$

$$1 + e_{min} = \frac{G_s \gamma_w}{\gamma_{d(max)}}$$

$$= \frac{\frac{1}{\gamma_{d(min)}} - \frac{1}{\gamma_{d(f)}}}{\frac{1}{\gamma_{d(min)}} - \frac{1}{\gamma_{d(max)}}}$$

এ দুটির উপর direct foundation করা থাকে না; dense করার নিতি হবে।

7/5/19  
 Lec-04

$I_d / D_{50} =$  density index

5টি category তে ভাগ করা যায় - (cohesion)

|  |   |
|--|---|
| <p>① Very loose — 0-15</p> <p>② loose — 15-35</p> <p>③ Medium dense — 35-65</p> <p>bd তে most designable</p> | <p>④ Dense — 65-85</p> <p>⑤ Very dense — 85</p> <p>safest from earthquake prone</p> |
|--|---|

মান  $\gamma_d$  (বা)  $\gamma_w$

①  $\gamma_d, \gamma_{min}, \gamma_{max} \rightarrow$  in terms of porosity derive করুন

② in " " " volume

$e_{max} = \frac{n_{max}}{1 - n_{max}}$  এটা নিয়ে ব্যবস্থা

$1 + e =$  total volume

$\gamma_d = \frac{G_s \gamma_w}{1 + e} \Rightarrow (1 + e) = \frac{G_s \gamma_w}{\gamma_d}$   
max, min চিহ্ন করা হবে।

$$\frac{V_{max} - V_f}{V_{max} - V_{min}}$$

# বই এর example করুন।

### Compaction

Any earth related work  $\rightarrow$  compaction লাগবে।

Soil compact করতে হলে void কমানো (basically air, water generally কমানো যাবে না)

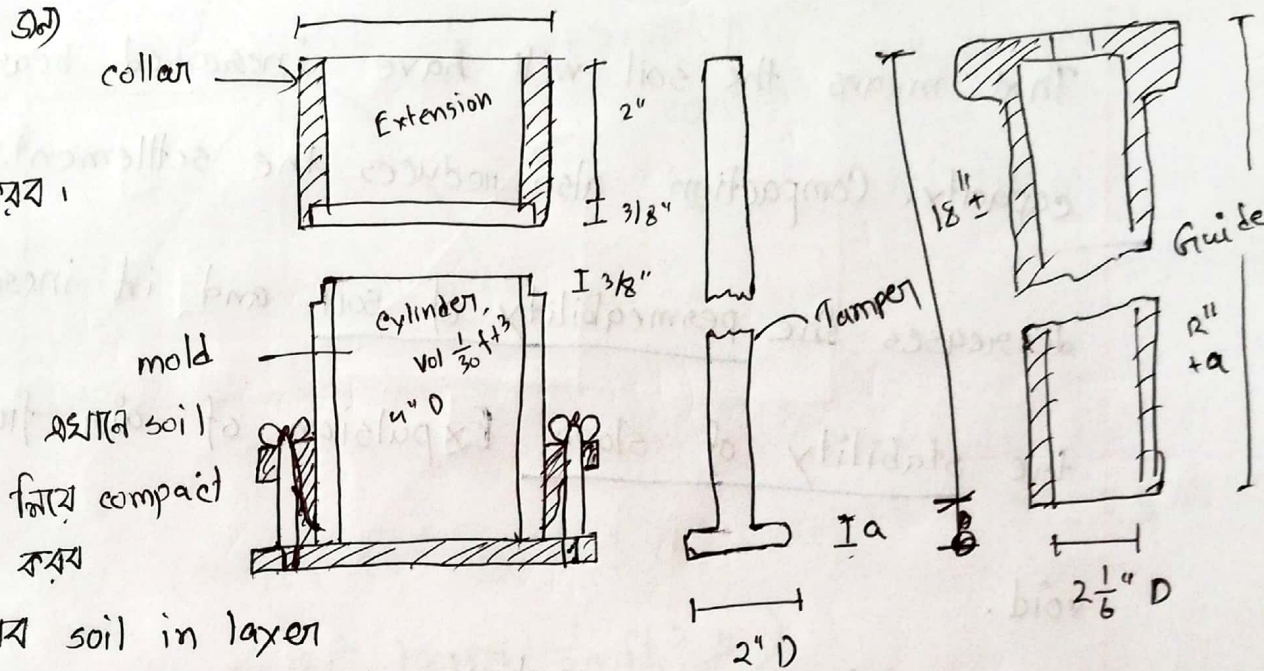
$\frac{1}{3}$  soil sample 3 সার নিয়ে 25 বার করে blow করা হয়।

10% moisture content নিয়ে start (last এ over এ ক্ষেত্রে পর্য dry unit weight পাওবে) then বিভিন্ন moisture content নিয়ে exp. করে, max dry

density এর জন্য

moisture

content বের করা।



# Compact করা soil in layer

# soil sieve 4 নিরি pass করা 1st এ process দেখা যাবে \*

Compaction is the process of densification of soil by giving mechanical energy into it.

The process of densification of soil for increasing the unit weight of soil (frequently called filled material) by (1) rolling (2) Tamping (3) Vibrating

or other mechanical means is called compaction

It increases the shear strength properties of soil.

That means the soil will have increased bearing capacity. Compaction also reduces the settlement. It

decreases the permeability of soil and it increases

the stability of slope. Expulsion of air from the void.

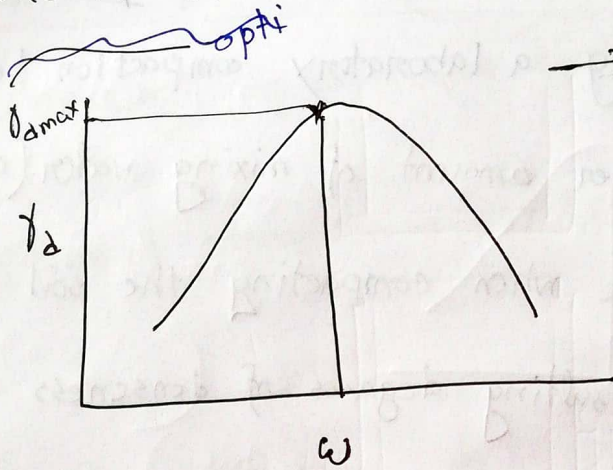
### Factors affecting compaction:

1. Types of soil (sandy, <sup>clay,</sup> gap graded, well graded...?)  
↓ which type of soil
2. Moisture content of soil.
3. Compactive effort

Moisture content plays a dominant role in ~~use~~ to achieve ~~desid~~ desired degree of compaction.

এটার  
টেক্সচার  
নাই কারণ  
site এর  
soil দিায়  
কাজ করব

Lab A test



→ optimum moisture content highest density

10 ft  
 mgh मिश्र (tamper এর উচ্চতা 5.5 (ft), height & 1', 25 ft  
 blow, 3টি layer,  $\frac{1}{30} \text{ ft}^3$  এ)

total mechanical energy =  $5.5 \times \frac{12}{12} \times 25 \times 3 \div \frac{1}{30}$

soil to compact করতে = ~~13.75~~ 12400 per cft

13/5/19

Lec-05

The purpose of doing a laboratory compaction test to determine the proper amount of mixing water (optimum moisture content) to use when compacting the soil in the field and the resulting degrees of denseness which can be expected from this compaction at this moisture content (optimum moisture content). (~~pg 16-17~~)

আগর compaction instrument → standard proctor

এছাড়া পড়ব modified proctor

ASTM 1557

পার্থক্য → 5 টি layer এ নিব

→ tamper এর ওজন 10 lb

→ height of fall 18"

3 টি layer

5 1/2 lb

12"

এছাড়া energy লাগবে 250

(4.5 গ্রুপ বেশি)

তাই coating ও বেশ

(compared to standard procton)

but  $\gamma_d$  এর value বাড়বে (5-10%)  $\rightarrow$  it's a big achievement  
(bearing capacity অনেক বাড়বে, settlement significant)

Degrees of compaction  $\rightarrow$  95% of standard procton

field এ যোগ্য হবে।

$$\frac{\gamma_d \text{ max (field)}}{\gamma_d \text{ max (standard)}} = 95\% \rightarrow \text{requirement } 98\%$$

End product specification (Ide ভূমি বিজ্ঞান কোন process এ কাজ করছে) আশি গ্রানি check করার আশ্রয় 95% compaction

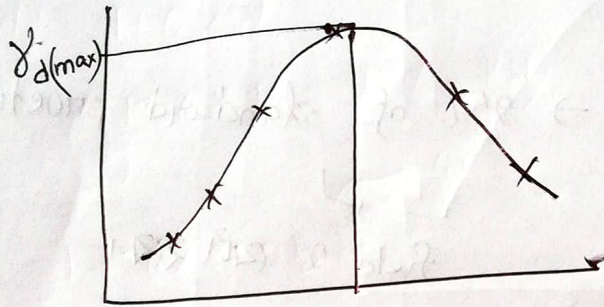
method specification (কল্প use করি)

layer thickness, কত, number of pass  $\rightarrow$  এর process

(আর কোন method এ কাজ করবে)  
যদি নির, ultimate value কত হবে আশি use করবে (90%, 95%)

... ..) accept করতে হবে

## Characteristics of compaction curve:



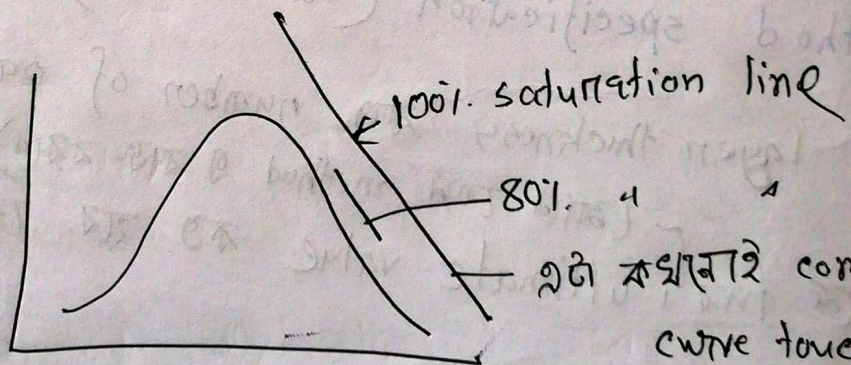
compactive effort  
(standard or modified)  
এর জন্য  $\gamma_d$  change  
হয় (not unique)  
value)

$\gamma_d$  (std) 95%

field এ এর জন্য সর্বোত্তম পাশাপাশি (like যদি একটি  
number of pass সর্বোত্তম করে compact সর্বোত্তম হবে)  
layer thickness সর্বোত্তম করে

cont.

Math



এটা কখনোই compaction curve touch করে  
এটা কখনোই compaction curve touch করে

$$\gamma_d = \frac{G_s \gamma_w}{1+e} = \frac{\gamma_{bulk}}{1+w}$$

$$= \frac{G_s \gamma_w}{1 + \frac{w G_s}{S_g}}$$

$$S_g = \frac{w G_s}{e}$$

$$e = \frac{w g}{S_v}$$

# A nature soil deposit has bulk unit weight of  $18.44 \text{ KN/m}^3$  at moisture content of  $5\%$ . Calcn. the vol<sup>m</sup> of water needed to raise the moisture content to  $15\%$ . Also calculate the vol<sup>m</sup> of water required to make the soil sample fully saturated. Assume vol<sup>m</sup> of the soil is given as  $1 \text{ m}^3$ .  $G_s = 2.67$

$$\Rightarrow \gamma_{bulk} = 18.44 \text{ KN/m}^3$$

$w = 5\%$  + addition water

$w = 15\%$

$$\text{Vol}^m = 1 \text{ m}^3$$

$$\gamma_d = \frac{\gamma_{bulk}}{1+w} = \frac{18.44}{1+0.05} = 17.6$$

$$\gamma_d = \frac{W_s}{V}$$

weight of solid

$$W_s = 17.6 \times V$$

$$= 17.6 \times 1 = 17.6 \text{ KN}$$

$$W_{w(5\%)} = 17.6 \times 0.05$$

$$W_{w(15\%)} = 17.6 \times 0.15$$

1.76 KN  $\Rightarrow$  weight of water needed

$$\frac{1.76 \times 1000}{9.8} = 180 \text{ L} = V$$

Ans.

$$S_H = \frac{w G_s}{e}$$

$$= \frac{w(G_s)}{e}$$

2.67  
0.49

$$\gamma_d = \frac{G_s \gamma_w}{1+e} \Rightarrow 17.6 = \frac{2.67}{1+e}$$

$$\Rightarrow e = 0.49$$

$$\Rightarrow w = 18$$

18% পানি দিলে soil fully saturated হবে,

$$W_{w(18\%)} = 17.6 \times 18 = 316.8 \text{ KN}$$

$$\frac{316.8 \times 1000}{\text{sp. gr.}} = \text{vol}^m \text{ of water}$$

Ans

xm এ শর্তের  
প্রতি math

# Soil is to be excavated from a borrowed pit area having mass density 1.75 gm/cc at a moisture content of 12%. The soil is compacted at a moisture content of 18% at the finished site. And the dry density was 1.65 gm/cc. For 1000 m<sup>3</sup> of soil in the finished site, estimate the vol<sup>m</sup> of soil to be excavated from the borrow area and also calculate amount of water to be needed at the finished site.

G<sub>s</sub> না দিয়া শর্তসমূহ  
কিভাবে সম্বল? xm এ  
প্রতি শর্তসমূহ

| Borrow                           | Finished                                       |
|----------------------------------|--|
| 1.75 gm/cc at 12% w = 12%        | w = 18%  |
| $\gamma_d = \frac{1.75}{1+0.12}$ | $\gamma_d = 1.65 \text{ gm/cc}$                |
| $= \frac{G_s \gamma_w}{1+e_b}$   | $\gamma_d = 1.65 = \frac{G_s \gamma_w}{1+e_f}$ |

অর্থাৎ

?  $\frac{V_b}{V_f} = \frac{1+e_b}{1+e_f}$

1000

Ans. of moisture content ~~99 m<sup>3</sup>~~

Vol<sup>m</sup> of water needed 99 m<sup>3</sup>

Relative/percent compaction:

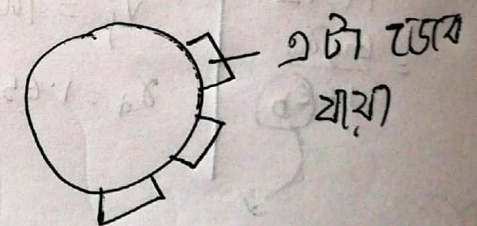
$\gamma_{df}$  field dry density

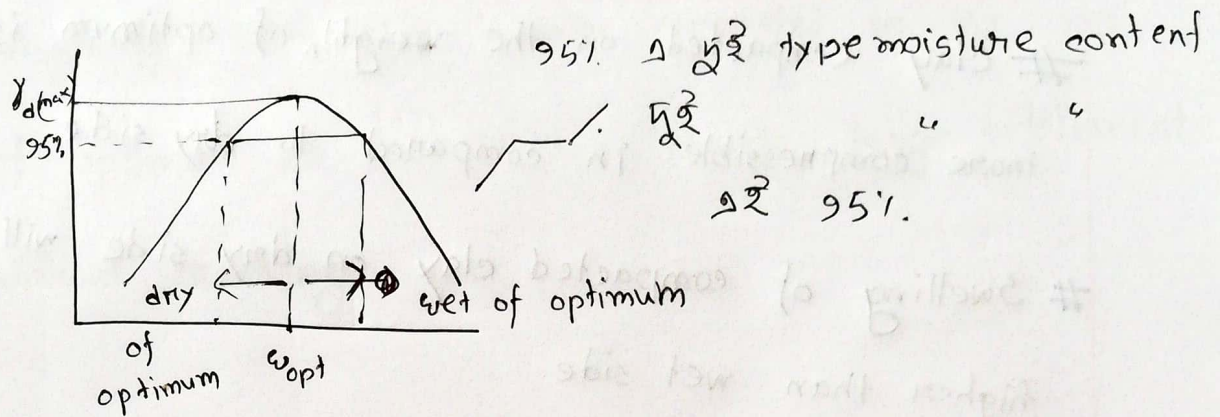
$\frac{\gamma_{df}}{\gamma_{dmax}}$  (STD/MMD) standard/modified proctor

Equipment ସୂଚୀ (field compaction)

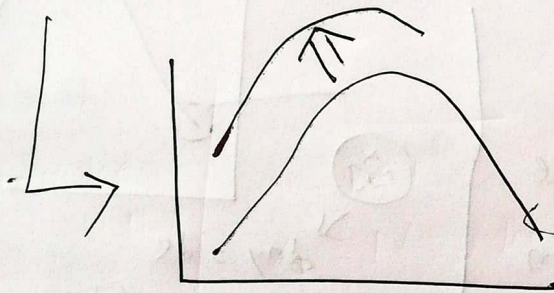
ଶୁକ୍ଳ  
short  
note  
(ମସ)

- smooth drum roller [300-380 KN/m<sup>2</sup> pressure]
- Pneumatic roller (4-6 ଟି ତିଆରି 600-800 KN/m<sup>2</sup> pressure]
- seive sheep foot roller
- Vibratory roller (sandy type of soil ଓ ଶିଳା)
- Impact hammer





If you increase the compactive effort, this curve shifts to the left



### Characteristics

# At constant compactive effort, permeability decreases with the increase in moisture content on the dry side of optimum, attains its minimum value near about its optimum moisture content or little bit more than optimum. (wet side  $\downarrow$ )

# Clay compacted on the <sup>wet</sup> weight of optimum is more compressible in compared to dry side

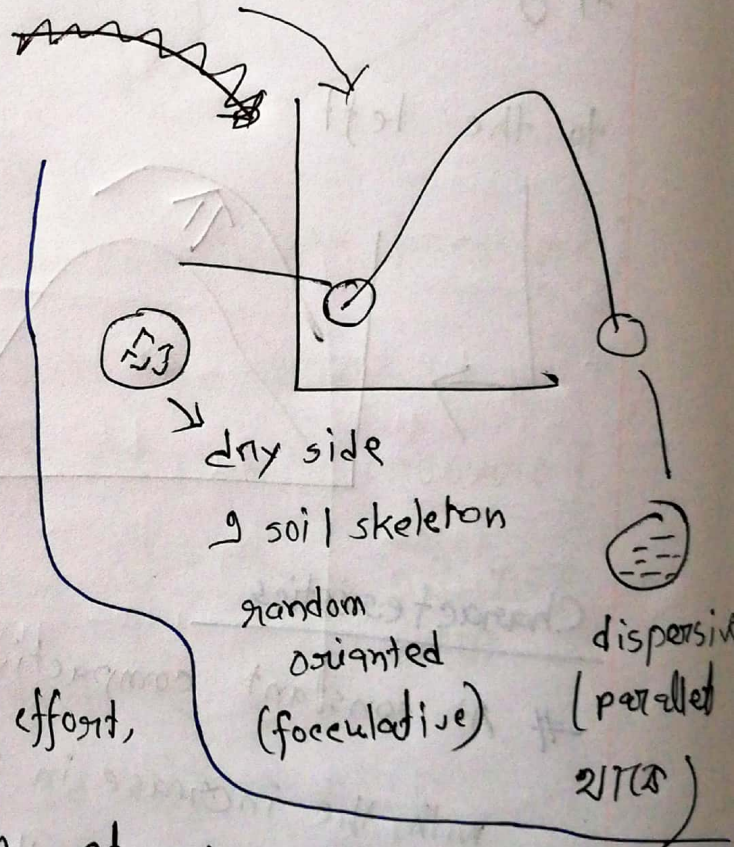
# Swelling of compacted clay on dry side will be higher than wet side.

# Soil compacted on the wet of optimum show much more shrinkage.

# The strength of compacted on the dry side of optimum will be more in compared to the wet side.

# For the same compactive effort, the magnitude of strength at dry side will be lower in compared to the wet side

# The soil compacted on the wet of optimum can undergo large deformation without failure



cracking. Earth dam usually compacted on the wet  
of optimum so that it can tolerate large settlement  
without cracking.

#

In short,

Left side (dry side)  $\Rightarrow$

opposite  $\Rightarrow$  wet side  $\Rightarrow$

High swelling

less shrinkage

Higher strength

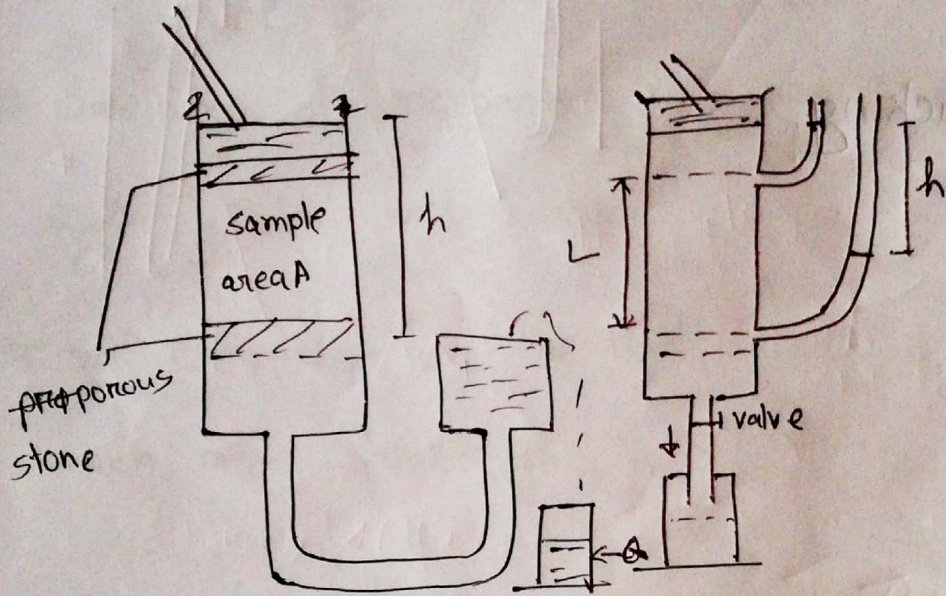
low strain

less compressible

Fluid flow through porous media: (seepage)

24/6/19

Lec-07



constant head method

## Basic consumption:

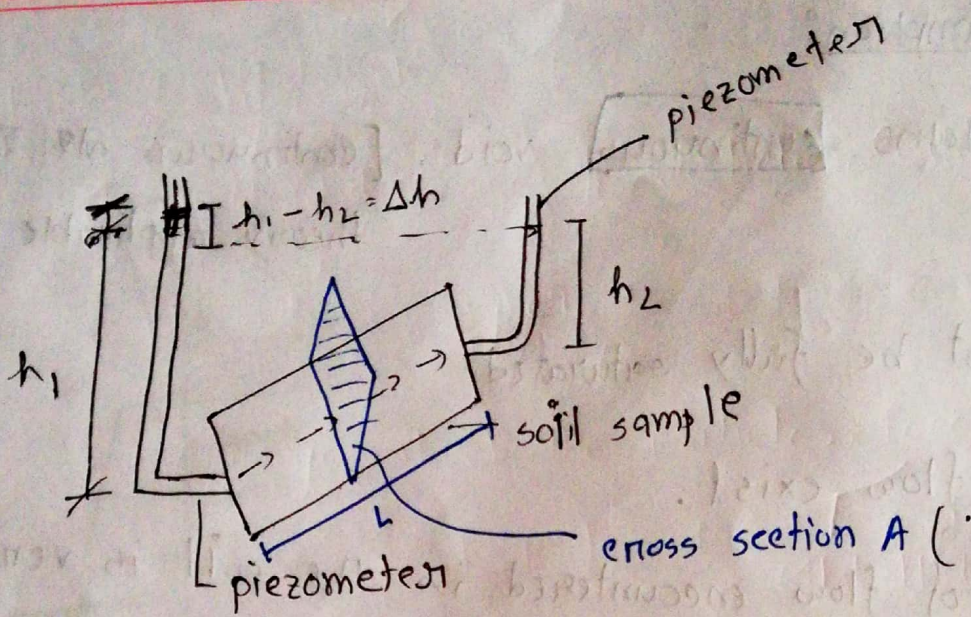
1. Soil contains continuous void. [Continuous theory applicable]
2. Soil must be fully saturated
3. Laminar flow exist.
4. <sup>magnitude of</sup> Velocity of flow encountered in the soil is very small and that's why we neglect velocity head  $\left(\frac{v^2}{2g}\right)$ .  
the contribution of

## Seepage:

The slow movement of water through the continuous voids of the soil sample is called seepage.

Permeability is the property which indicates how easily water can flow through the media

Gravel, sand ... permeable, fine sand ... impermeable  
clay ... impermeable



velocity Darcy বলেছে,

$$v \propto i \text{ --- Hydraulic gradient (no unit)}$$

$$\text{Discharge / Apparent / fictitious velocity } (V) = (k) i \text{ --- co-efficient of permeability (velocity এর unit)}$$

k যত বেশি তত easily পানি pass করবে।

Head loss

$$i = \frac{h_1 - h_2}{L} = \frac{\Delta h}{L}$$

[Head loss per unit length of the soil sample is  $i$ ]





$$K = cD_{10}^2$$

loose, coarse and <sup>clean</sup> fine sand

$D_{10}$  cm এর express

$$c = 100 \text{ fens per ems. cm/s}$$

Lab determination:

1. Constant Head Method: for coarse sand;  $K > 10^{-2}$  mm/s

generally. Permeometer → apparatus use করা।

Head remains constant throughout the period.

$$Q/A = k i A = k \cdot \frac{h}{L} \cdot A \quad [\text{শারি container এর যত পারি জমা} \rightarrow a]$$

2. Falling Head Method:

$$10^{-2} - 10^{-5} / 10^{-4} \text{ mm/sec } \} k$$

finer sand এর জন্য use করা হয়

ছবি বই এ permeometer এর।

soil sample fully saturated হতে time লাগে অনেক। saturated

হলে valve খুলে দিলে পারির level নামতে থাকে তার

falling/variable head.

reduction in head এর জন্য (-)

$$-a dh = \frac{q}{A} \times dt = k \frac{hA}{L} dt$$

$$\therefore \int_{h_1}^{h_2} \frac{dh}{h} = \frac{kA}{La} \int_0^t dt$$

$x_m$  এ আসবে  
হই দেখব

দুটি system এর drawback:

field এর density lab এর করতে পারছি না

field এর arrangement disturb করছি lab এ আসতে  
time এ

" " void ratio disturb করছি।

Air entrapped হয় থাকলে পানির flow তে disruption

করে,  $k$  কম পাবে, lab এ admixture দিবে হয় ঐন

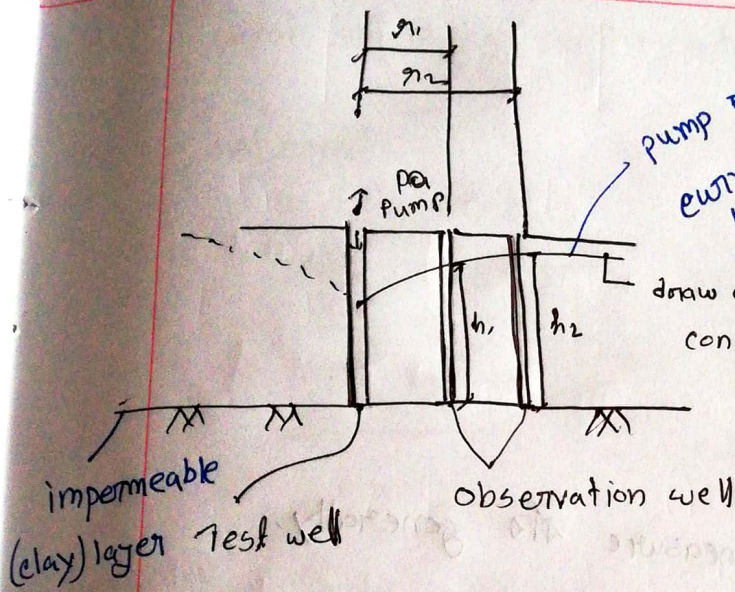
এই করার জন্য গাও density নষ্ট হয়।

Ans.

Determination of 'k' is misnomer - explain - Ques.

Determination of 'k' is misnomer - explain - Ques

field cond<sup>n</sup> এ test করে এটা



pump মন্ত্রণ করা water table এটা  
 curve হবে; লাল Horizontal ছিল  
 L (কোন কোনো pipe এ বেশি  
 পানি উঠবে)

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 Lec-08

$$q = k_i A =$$

$$k \cdot \frac{dh}{dr} \cdot 2\pi r h$$

$$\therefore q \int_{r_1}^{r_2} \frac{dr}{r} = \int_{h_1}^{h_2} 2h dh$$

$$k = \frac{q}{2\pi} \frac{\ln \frac{r_2}{r_1}}{h_1^2 - h_2^2}$$

expensive এই method.

যেখানে অনেক depth এ measure করা

হবে। Suppose deep tubewell বসানো হবে।

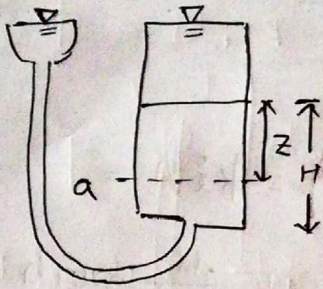
clay থেকে পানি extract করা যাবে না।

কোনো sand layer এ জায়গা কত power দিয়ে পানি তোলা যাবে। (কোনো

sand layer থেকে সব করতে হবে) ঢাকায় আগ 300-350' নিচে ছিল

আগে, যে layer water supply দিয়ে → Aquifer(?) → porous formation  
 এই.

## Stress in soils



शुद्ध जल से 2-

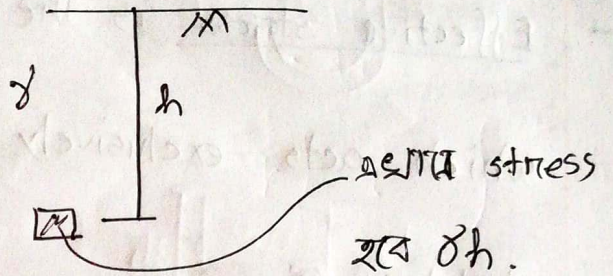
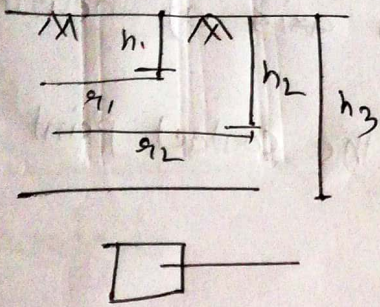
Stress at a point always measure शुद्ध generally.

The <sup>total</sup> stress at a point on a mass of a saturated soil is composed of 2 part →

1. Neutral stress / pore water pressure
2. Effective stress

→ it acts in equal magnitude in all direction (F.M. → Hydrostatic pressure)

Total stress  $\sigma$  is the stress contributing by overlying material.



|     |   |   |
|-----|---|---|
|     | $\gamma_w \times h_1$<br>$+$<br>$\gamma_s \times h_2$ | $H_2O \text{ } \gamma_w \times \text{height}$<br>$+$ soil $\gamma_s \times \text{height}$ |
| □ □ | $= \text{Total stress} = \text{total stress}$         |   |

One part is called neutral stress which acts in the water and on soil skeleton with equal magnitude in all direction.

principle of effective stress and its importance — Ques.

$$p = u_w + \bar{p}$$

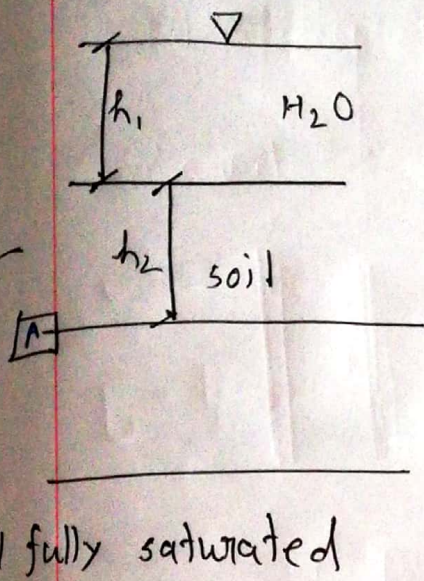
$$\bar{p} = p - u_w$$

Effective stress is the stress in ~~axis~~ <sup>excess</sup> of neutral stress which acts exclusively between the contact point of soil skeleton.

Effective stress is solely responsible for inducing Volume change behaviour and it also provides the ~~fr~~ frictional resistance.

effective stress এর কারণেই soil settle করে (যাতে volume change)। Frictional resis

Neutral stress has no role in inducing volume change behaviour ~~not~~ ~~nor~~ does it ~~provide~~ ~~the~~ ~~responsib~~ provide any frictional resistance.



Total stress

$$p_A = h_1 \gamma_w + h_2 \gamma_{sat}$$

Neutral stress at A,  $u_A =$

$$(h_1 + h_2) \gamma_w \text{ [principle of hydrostatics]}$$

effective stress  $p_A - u_A =$

$$h_2 \gamma_{sat} - h_2 \gamma_w$$

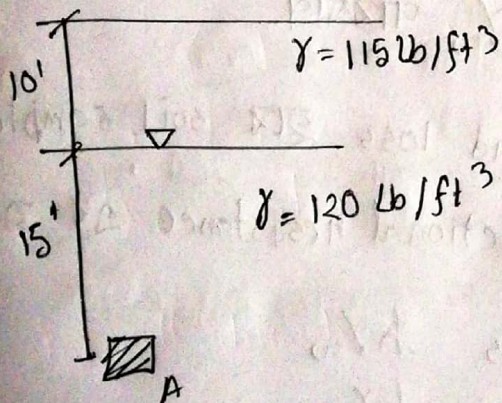
$$\bar{p} = (\gamma_{sat} - \gamma_w) h_2$$

$\gamma'$  ( $\gamma$  effective /  $\gamma$  submerged / buoyant)

Effective stress

is independent of water

height above the soil sample ( $h_1$  নাই) =  $\gamma' h_2$



$$p_A = 115 \times 10 + 120 \times 15 = 2950$$

$$u_A = 15 \times \gamma_w (62.4) = 936$$

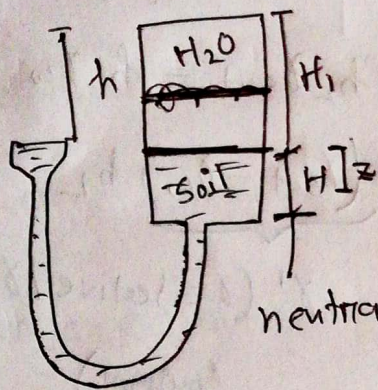
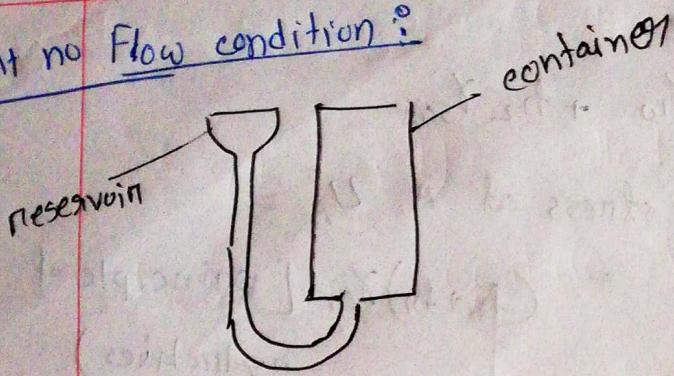
১০ ফুট জল আছে

$$\bar{p} = p_A - u_A = 2014$$

$$115 \times 10 + (120 - 62.4) \times 15 = \bar{p}$$

পানি নাই উলবে  
soil এর weight

At no flow condition:



neutral stress  $\sigma_w = (H_1 + H_2 - h) \gamma_w$

neutral stress কমে যাবে  $\frac{H_1 \gamma_w + \gamma_s}{h \gamma_w}$

h নাহিলে neutral stress কমে। p same থাকে।

$\therefore \bar{p}$  বাড়বে। বাড়বে  $h \gamma_w$  পরিমাণ

↓  
head loss হবে soil sample

এবং frictional resistance এর জন্য

|   |    |      |           |                                 |
|---|----|------|-----------|---------------------------------|
| H | এর | জন্য | Head loss | $h \gamma_w$                    |
| l | "  | "    | "         | $\frac{h \gamma_w}{H}$          |
| z | "  | "    | "         | $\frac{h \gamma_w}{H} \times z$ |

$$\frac{h \gamma_w}{H} \times z$$

Total stress same ২ফাট।

$$\frac{h}{H} = i$$

$$\frac{h}{H} \gamma_w \times z$$

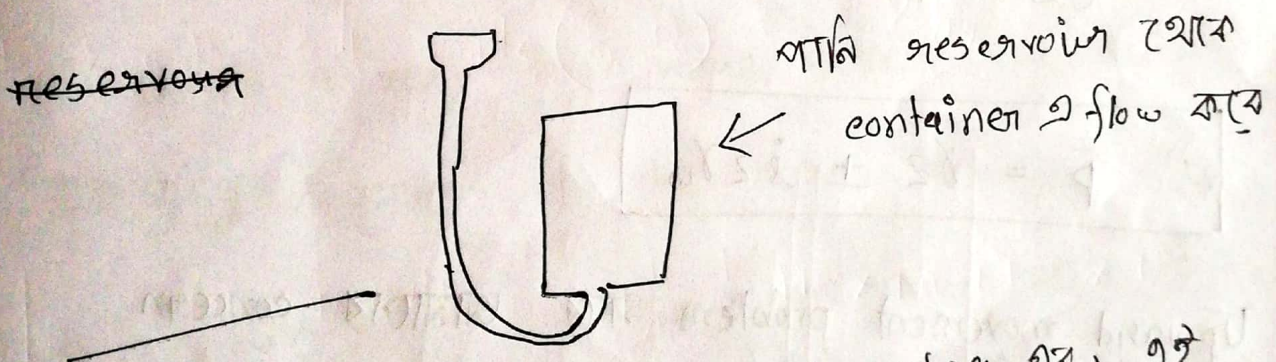
$$= i z \gamma_w$$

∴ effective stress  $\bar{p} = \gamma' z$  [at no flow condition]  
(z depth)

no flow এর time এ head loss এর জন্য  $\bar{p}$  বাড়ি হবে

$$\bar{p} = \gamma' z + \underbrace{i z \gamma_w}_{\text{seepage pressure}}$$

direction of flow ছিল downward এই case এ



এই case এ upward movement হবে water এর। এই

case এ effective stress ২ফাট

$$\bar{p} = \gamma' z - i z \gamma_w$$

The increase in effective stress due to the flow of water (downward) is called seepage pressure or seepage stress. The magnitude of  $i z \gamma_w$ .

It is the result of frictional drag of the flowing water onto the soil skeleton.

Reservoir যদি container এর চেয়ে উপরে থাকে flow will be from reservoir to container (upward)

উপর  $\bar{p} = \gamma z - i z \gamma_w$

$\therefore \bar{p} = \gamma z \pm i z \gamma_w$

Upward movement problem করে আমাদের concern

যদি reservoir তুলে,  $\bar{p}$  কমাতে কমাতে 0 হবে.

$i_c \rightarrow$  critical hydraulic gradient  $\rightarrow$  যেখানে effective stress 0 হবে (upward flow তে).

$$\bar{p} = \gamma' z - z i_c \gamma_w = 0$$

$$i_c = \frac{\gamma'}{\gamma_w} = \frac{G_s - 1}{1 + e}$$

Quick

Quick sand (under this condition) completely loses its strength.

finer material (fine silt 23 53)

Quick sand is not a particular type of soil.

It refers to a particular condition (when it completely loses its strength, co-efficient of permeability reaches a very high value, severe edgitation (ଅମଙ୍ଗଳ ସ୍ଥିତି) occurs of the cohesionless soil.

$$e \rightarrow 0.5 \sim 0.9$$

0.7 - mean value ଧାରଣ  $i_c$  approaches unity.

$$i_c \text{ ସଂସ୍ଥା value } (0.9 \sim 1)$$

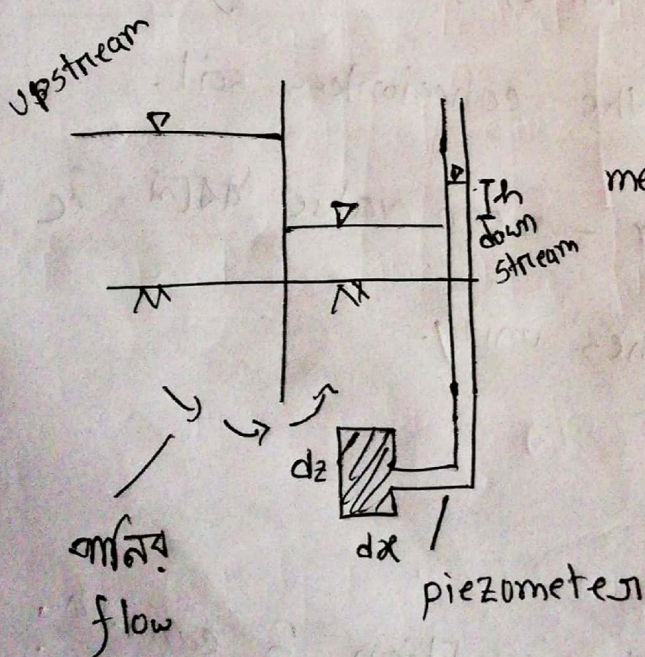
In water to exist quick condition, 2 cond<sup>n</sup>:

(1) effective stress must be 0

(2) frictional resistance ~~is~~ proportional to the effective stress.

It occurs mostly in fine sand and silt.

It can't occur in coarse sand because larger the particle size, greater the porosity and to maintain critical hydraulic gradient, larger velocity of flow is required which normally doesn't occur in nature.

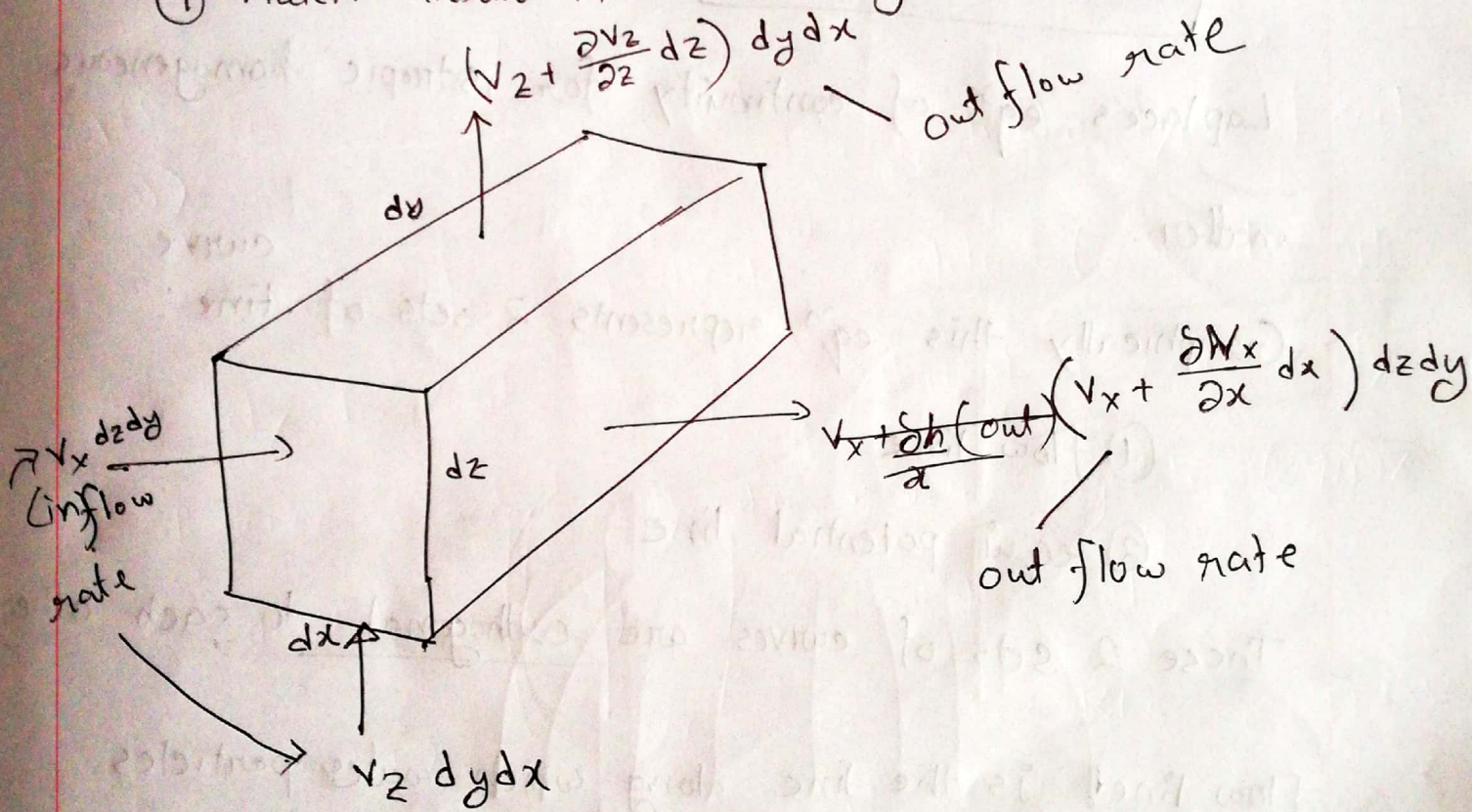


sheet pile  $\rightarrow$  completely stops the flow of water.

$h \rightarrow$  driving head responsible for flow of water from upstream to downstream.

Assumption:

- ① Soil is fully saturated
- ② Darcy's principle applicable
- ③ Steady state cond<sup>n</sup> (no volume change)
- ④ Material must be homogeneous and isotropic.



Net rate of flow = 0

$$dx dy dz \neq 0$$

$$\therefore \frac{\partial v_x}{\partial x} dx dy dz + \frac{\partial v_z}{\partial z} dx dy dz = 0$$

$$\therefore \frac{\partial v_x}{\partial x} + \frac{\partial v_z}{\partial z} = 0$$

$$v_x = ki \cdot z$$

$$v_x = k \frac{\partial h}{\partial x}$$

$$v_z = k \frac{\partial h}{\partial z}$$

coefficient of permeability  $\neq 0$ .

$$\frac{\partial^2 h}{\partial x^2} + \frac{\partial^2 h}{\partial z^2} = 0$$

Laplace's eq<sup>n</sup> of continuity for isotropic homogeneous matter.

Graphically this eq<sup>n</sup> represents 2 sets of curve lines:

① flow line

② equi potential line

These 2 sets of curves are orthogonal to each other.

Flow line is the line along which water particles

moves from upstream to downstream

Equipotential lines are lines where all piezometric

reading will be same.

1/7/19

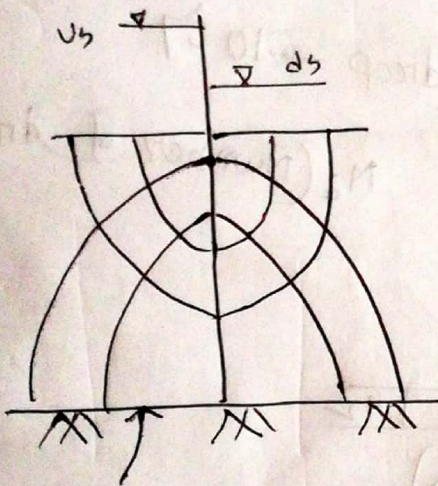
Lee-10

The region bounded by 2 between 2

successive / adjacent line is called flow channel. And the

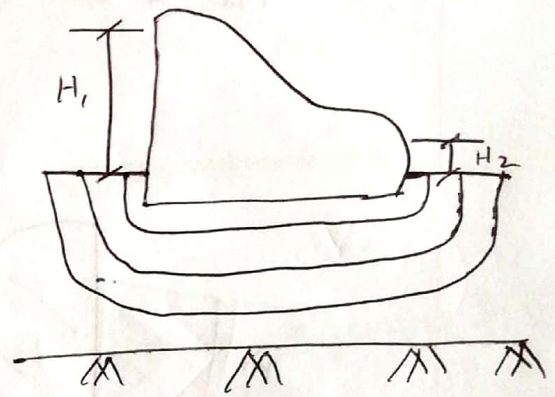
element bounded by 2 adjacent flow line and 2

adjacent equipotential line is called flow element.



impermeable layer/  
clay layer

sheet dam



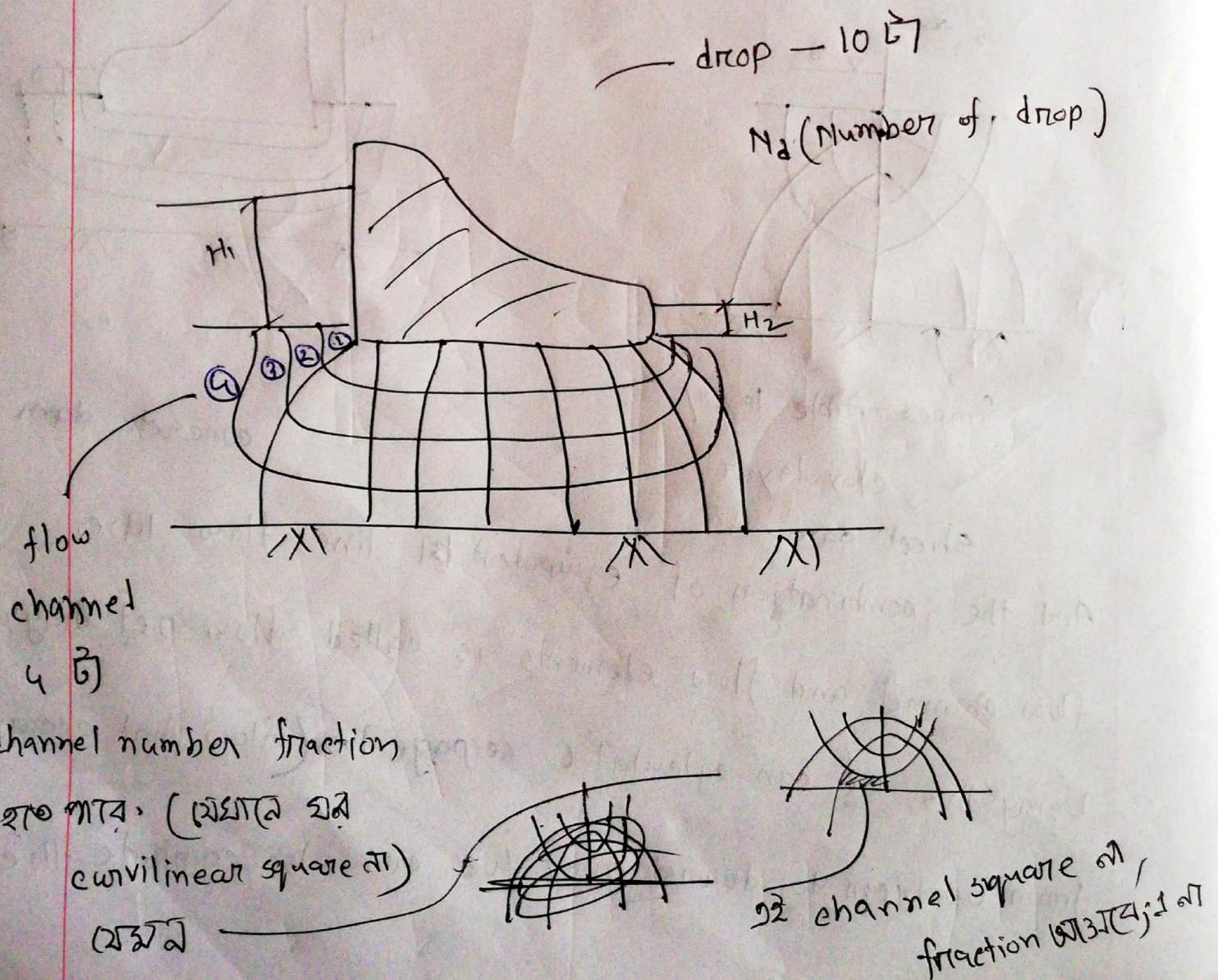
concrete dam

And the combination of equipotential line, flow line, flow channel and flow elements is called flow net diagram. Using this, we can calculate seepage loss (flow that occurs from upstream to downstream). We can also compute the

effective stress and pore water pressure in the entire domain (flow net diagram) which helps us to determine the stability of hydraulic structure.

Flow Net diagram কিসে draw করা:

1st এ boundary কে কি কি condition আছে বের করা।



No. of drop will be less than no. of equipotential line

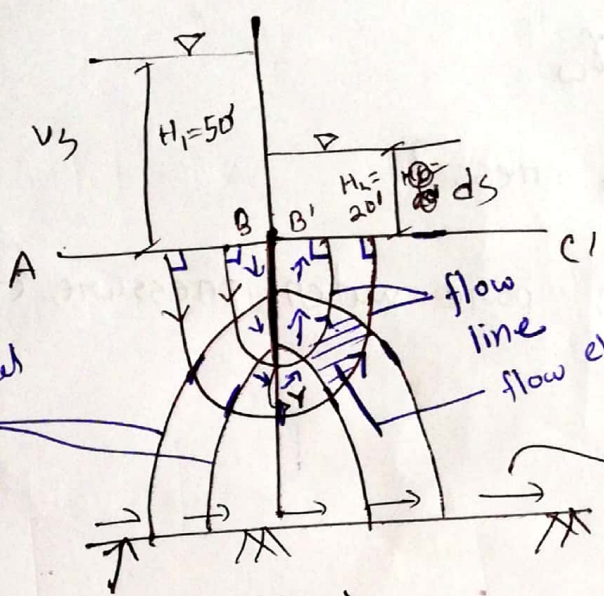
মাত্রা flow এর ক্ষেত্রে 30' loss

$\delta = 130 \cdot \frac{1}{194}$

$N_d = 6$   
 $H = H_1 - H_2 = 30 = H$

$\left(\frac{H}{N_d}\right)$

equipotential line?



6টা drop (Head loss) 1টা drop = 5'

B'C' equipotential line

AB 4 line

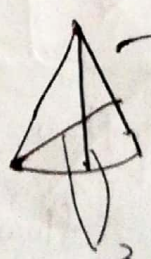
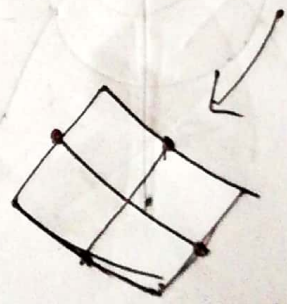
flow line

Impermeable layer.

~~flow line~~

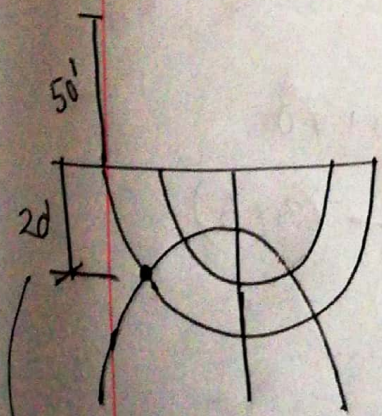
$x_m \approx (2-4)B$   
 flow line  
 দ্রাঘ

flow element curvilinear square হবে



একক আয়তন

এই দুই length সমান



এখানে piezometer রাখলে

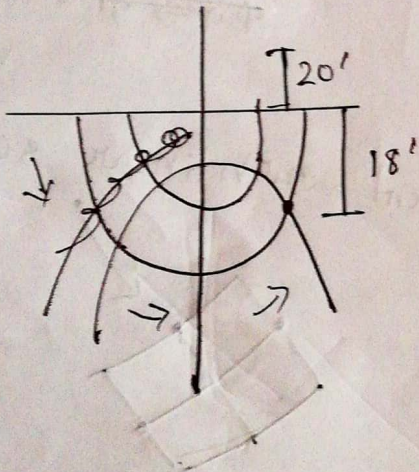
70' আয়তন রাখলে 5' drop এর জন্য 65' মাত্র।

$$p_A = 50 \gamma_w + 20 \gamma_{sat}$$

$$u_A = (70 - 5) \gamma_w$$

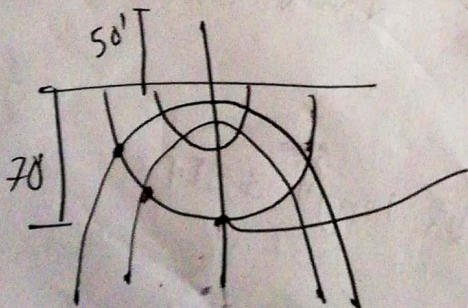
effective pressure stress?

\* যে কোন point এ pore water pressure, effective stress  $\rightarrow$  Guess.



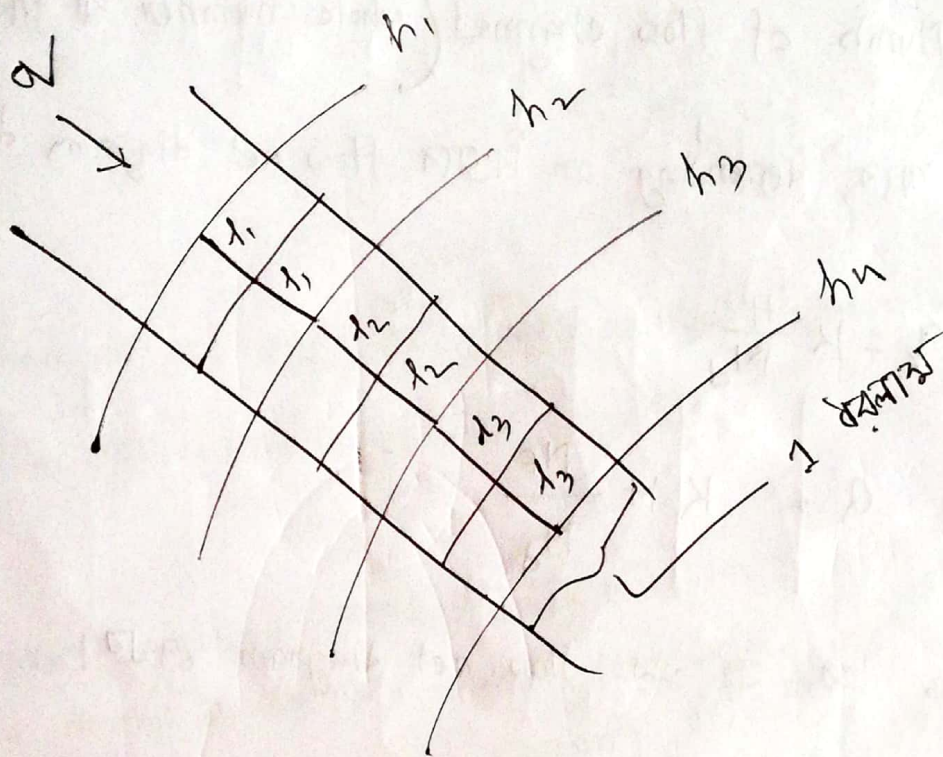
$$\gamma_B = 43 \gamma_w$$

$(20 + 18 + 5) \rightarrow$  এখানে (+)ve হবে  
downstream এ  
নির্দিষ্ট  
upstream এ করলে (-)ve হবে।



No flow condn এ  $50 + 70$

$$\text{flow } 75 \rightarrow 120 - (3 \times 5)$$



$$q = k \cdot i \cdot A$$

যে পানি এই channel

দিয়ে চলে, তাই তাই শক্তি

no flow across the channel.

$$h_1 - h_2 = \text{drop}$$

$$q = k \cdot \frac{(h_1 - h_2)}{l_1} \cdot l_1 \cdot 1 = k \frac{h_1 - h_2}{l_1} \cdot l_1 \cdot 1 = \dots$$

$$k(h_1 - h_2) = k(h_2 - h_3) = k \dots$$

$$\therefore h_1 - h_2 = h_2 - h_3 = h_3 - h_4 = \dots$$

এই drop এর  
মান সমান

$$\therefore q = k \cdot \frac{H}{N_d}$$

$N_F$  = Numb. of flow channel (whole number বা fraction)

এটা মানে depending on বিশেষ flow net diagram দ্রাব করলে)

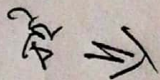
$$q_v = k \frac{H}{N_d}$$

$$Q = k H \frac{N_F}{N_d}$$

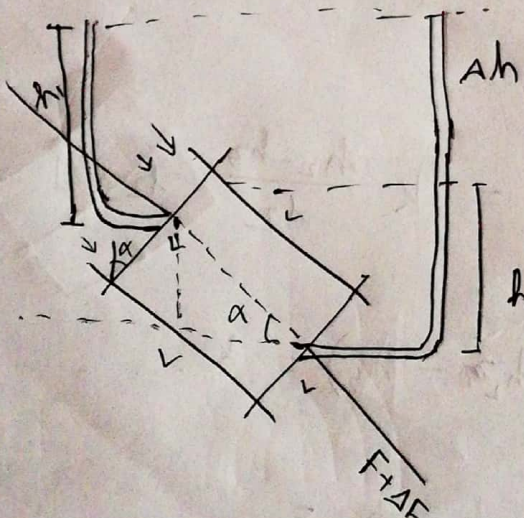
B.M. Das এর এই flow net diagram দেখাও।

Peck এর এই flow net modify করে sin  $\alpha$  এ দেবে।

2/7/19  
Lec-11



$\delta_{sat}$   
 ~~$L \times L \times 1 \times \delta_{sat}$~~   
self weight  
downward  $\rightarrow$



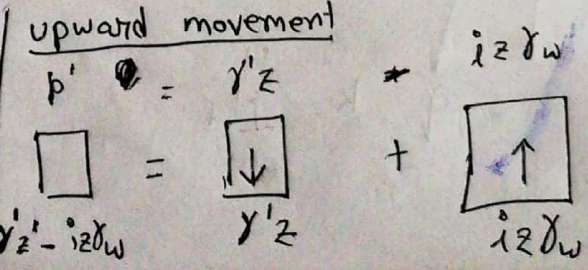
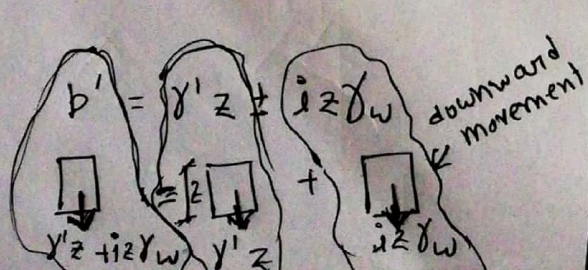
$$\Delta F = h_1 \delta_w \times L \times 1 - h_2 \delta_w L \times 1 + L \cdot L \cdot 1 \cdot \delta_{sat} \cdot \sin \alpha$$

$$h_1 + L \sin \alpha = \Delta h + h_2$$

$$h_2 = h_1 + L \sin \alpha - \Delta h$$

$$\Delta F =$$

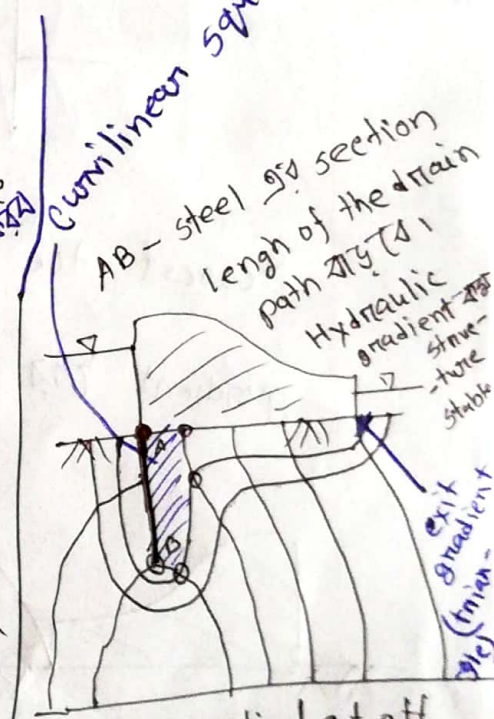
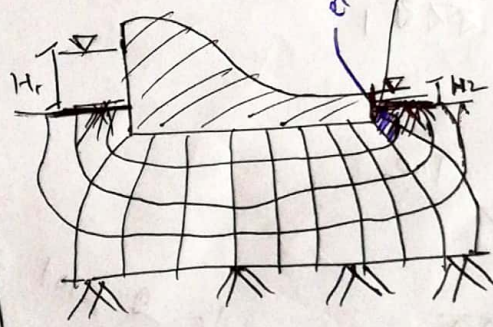
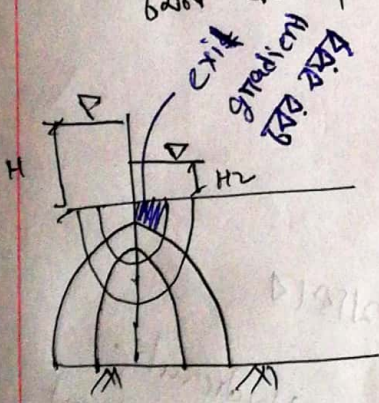
Flow through a inclined flow element)



Hydraulic gradient বক্রি শিল prob  $\Rightarrow$   
 upward এর flow বক্রি শিল quick cond<sup>n</sup> এর soil এ; soil  
 অক্ষয় মিলবে। তাই river bed এ upward movement quick sand  
 cond<sup>n</sup> এর পারে।

Exit gradient এর কারণ যদি বেশি critical hydraulic gradient  
 থেকে কম, তাহলে structure stable.

check the stability কমান  $\rightarrow$  Quick condition  
 যেন develop না হয় কারণ  $\rightarrow$  Heaving (subsurface  
 erosion)



No. of flow channel

$$N_F = 2.5 / 2.6 / 2.7$$

$$q = KH \frac{N_F}{N_d} = 2.5$$

$$N_F = 4$$

$$N_d = 11$$

$$H = H_1 - H_2$$

A B vertical cut off

দুই vertical cut off?

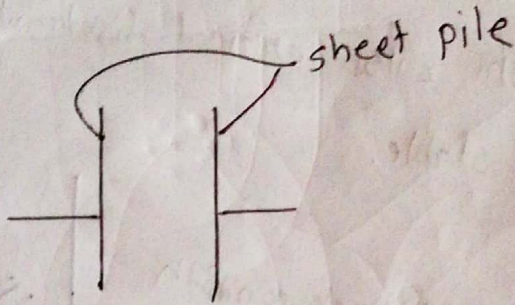
কমবে হবে তাহলে

6 ছাড়ের জন্য seepage loss?

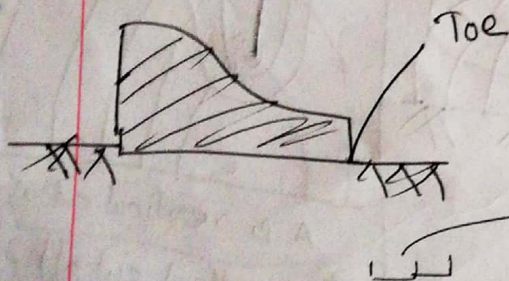
width দেয়া না থাকলে unit.

$$i_{crit} = \frac{\gamma'}{\gamma_w} = \frac{G_s - 1}{1 + e} \approx \boxed{0.9 \text{ to } 1.1} \text{ যদি না দেখা থাকে}$$

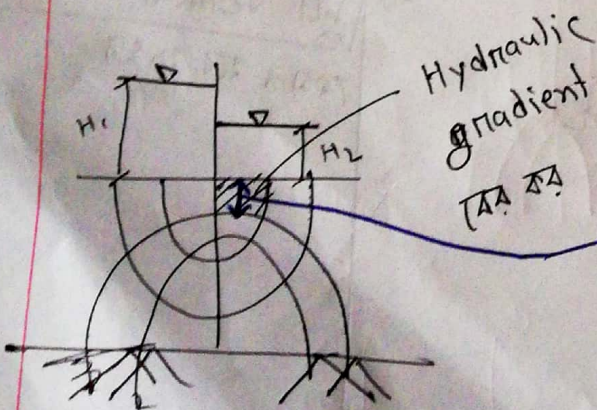
→



Nearest toe to যে flow element থেকে তার exit gradient বের করব।



scale এ plot করা থাকবে



$$\frac{H_1 - H_2}{Na}$$

Hydraulic gradient

বের করা critical

hydraulic gradient এর সাথে

compare করা দেখবে Quick cond<sup>n</sup> থাকবে নাকি না।

F.S. → Hazza ~~কক~~ সালার 3 দিও হাব।

$$F.S. = \frac{i_{exit}}{i_{en}} > 3$$

Flow through inclined ~~এক~~ continue →

$$\frac{\Delta h \gamma_w L}{L^2 \times 1}$$

vol<sup>m</sup>

seepage force  
 $= \frac{\Delta h}{L} \gamma_w =$  seepage F  
 per unit volume  
 of the soil sample

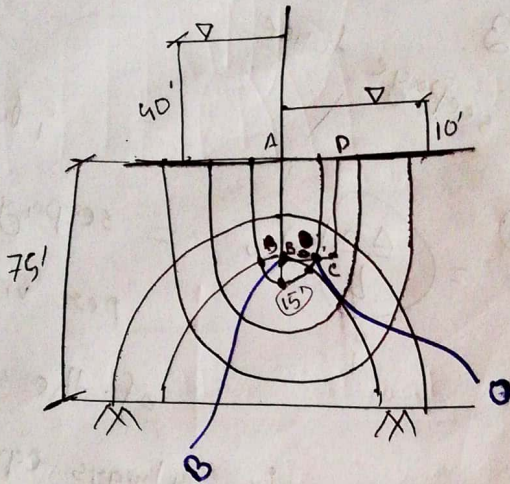
$i \gamma_w$  ⇒ seepage pressure

$i$  is always equal to  $i \gamma_w$   
 it acts along the direction of flow

$A \cdot i \gamma_w =$  seepage force

$$\frac{A \cdot i \gamma_w}{A \cdot z} = \text{ " " per unit volume} = i \gamma_w$$

#



$$F_1 N_F = 3.6$$

$$H = 30'$$

$$N_d = 6$$

$$K = ? \text{ — (দিয়া থাকবে)}$$

৭ বের করব

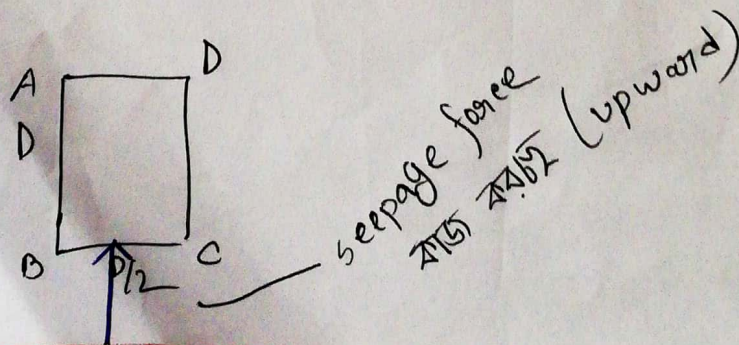
stability check কর।

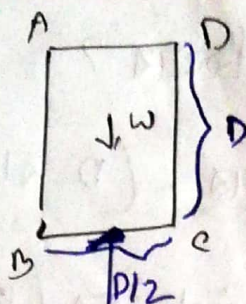
যদি fine silty sand এ highly susceptible to quick condition clay to quick cond<sup>n</sup> arise করে না কেন? → Gues.

$$AB = D \quad \left( BC = D/2 \right)$$

ABCD area এ এর soil কে protect করতে পারান

(downstream side of the sheet pile) উচ্চ কমা যাবে structure good condition এ আছে।





$$w = D \times \frac{D}{2} \times 1 \times \gamma' \downarrow (\delta_{sat} - \gamma_w)$$

downward direction

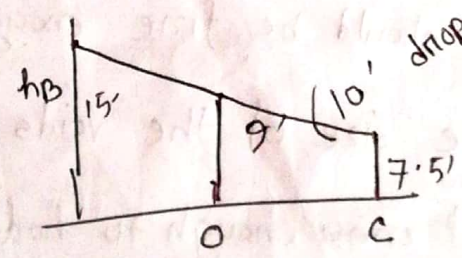
$$U = \underbrace{D \times \frac{D}{2} \times 1}_{\text{Volume}} \times \underbrace{\delta \gamma_w}_{\text{seepage } F \text{ per unit volume}}$$

soil এর ক্ষেত্রে ক্ষিপ্রতা নিয়ে যাওয়ার time এ frictional loss. উল্লেখ

1টী drop 5'

$$h_B = 15'$$

(drop এ loss হওয়ায় বা)



drop এর পর একটি ড্রপের c point 60 পর্যায় 1' drop হয় 9' হল

$$h_{Avg} \text{ বের করা} = \frac{15' + 7.5'}{2} \quad | \quad \frac{15' + 9' + 7.5'}{3}$$

time থাকলে weighted avg লে করা (moment নিয়ে)

driving head এর magnitude  $\rightarrow h_{avg}$

$$i_{av} = \frac{h_{avg}}{D}$$

$$F.S. = \frac{\gamma'}{i_{av} \gamma_w} = \frac{i_{cr}}{i_{av}}$$

L এর formula 75 4-5 দিও হবে

যদি F.S. করা হয়, তাহলে বাড়াবা কিভাবে ?

Length of drainage path বাড়াবে (D বাড়াবা) /

Downstream side এ filter material দিবে (গোত্রে)

Lee-12

8/7/19

### Use of filter material:

Downstream side এ use করবে। কিছু condition satisfy করতে

হবে filter material কে ২ criteria -

- ① A filter " should be fine enough to retain the base material  
that means the size of the voids in the filter material  
should be small ~~enough~~ enough to hold the larger particles —

downstream side  
এ material

of the # protected material in place (नाशक subsurface erosion शक)

- ② A filter material should be coarse enough ~~to show~~ + so that water can readily pass through it without creating obstructions. That means the filter mat. should have high permeability to prevent build up of large seepage force and hydraulatics pressure in the filter material

इसे criteria का एक permeability criteria. filter mat.

Condition 1 will be satisfied if  $\frac{D_{15}(F)}{D_{85}(B)} \leq 4 \text{ to } 5$

Base mat.

Condition 2 " " " " " "  $\frac{D_{15}(F)}{D_{15}(B)} \geq 4 \text{ to } 5$

$D_{15}(F)$  means diameter through which 15% of the filter material will pass. The following conditions for design of filter :

- ① To avoid movement of the particles of protected soil (Base soil).

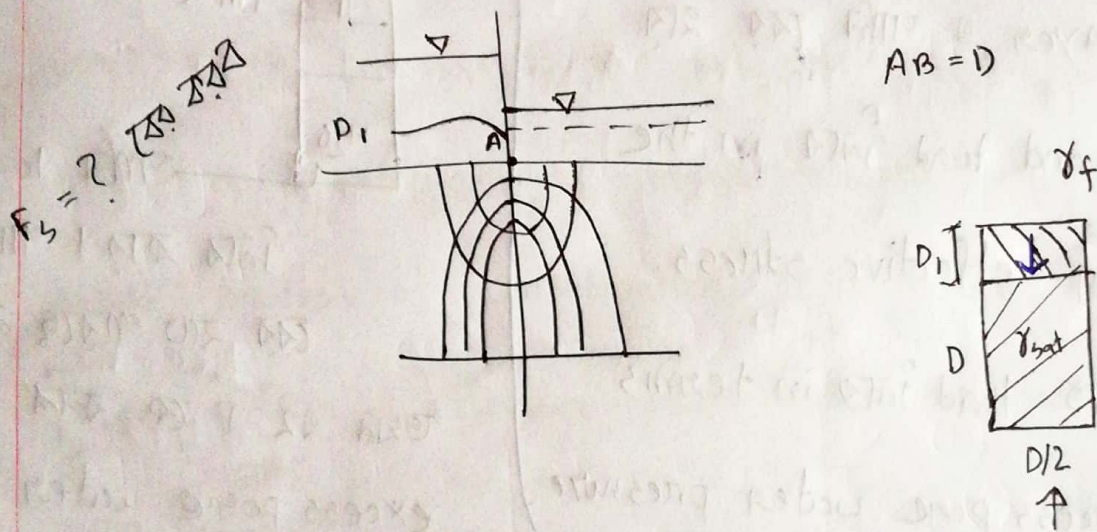
$$\frac{D_{15}(F)}{D_{85}(B)} < 5 \text{ and } \frac{D_{15}(F)}{D_{15}(B)} < 25 \text{ and also } \frac{D_{15}(F)}{D_{15}(B)} < 20$$

If uniformity coefficient of the protected soil is  $< 1.5$ , then  $D_{15}(F)/D_{85}(B)$  max be increased to 6. cont.  
(पत्र 1 पत्र)

If  $e_u$  of the protected soil  $> 4$ , then  $\frac{D_{15}(F)}{D_{15}(B)}$  may

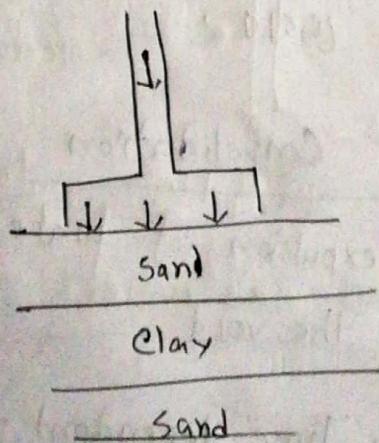
increase to 90. Further, avoiding build up of seepage  $F$ ,

US Navy recommends  $\frac{D_{15}(F)}{D_{15}(B)} > 4$ .



next class এ et (স্বাক্ষর)

Capillary rising soil:



load  $\rightarrow$  10 psi ; load নিম্ন  
effective stress আর neutral stress

Sand এর coeff. permeability  
Clay  $\times$   $\sim$   $\times$  এর চেয়ে  
 $10^8$  গুণ বেশি।

Sand layer এ load আসবে

পানি এর বের হয় মাছ। Normal stress বেশি একটু হয়  
 নাই, এর effective stress. Clay layer দিয়ে পানি বের হতে  
 অনেক বেশি time লাগে।

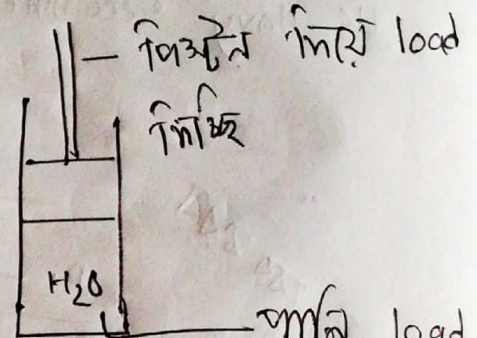
Sand layer এ পানি বের হয়  
 জাল sand load নিয়ে in the  
 form of effective stress.

Clay এ load নিয়ে in terms  
 of excess pore water pressure.

Dissipation ?

Prevention of excess pore

water pressure → পানি বের হয় অনেক আড়ত, ~~void~~ volume  
 decrease করে → settlement দেবে।



পানি load  
 নিয়ে কারণ পানি  
 বের হতে পারছে না।  
 তখন এই P কে ফলস্বরূপ  
 excess pore water pre-

-ssure. ✖

Compaction

expulsion of air from  
 void

কোম্প্যাকট করা হয়।

Consolidation

expulsion of water from  
 the void

Time dependant process (অনেক  
 time লাগে)

A decrease in water content of a saturated soil without the replacement of water by air — Consolidation.

Vol<sup>m</sup> change ~~to~~ হয় void space থেকে পানি সরিয়ে দেওয়া।

The process of gradual load transfer from the excess pore water pressure to the soil skeleton (effective stress) and the corresponding gradual compaction (settlement) is called process of consolidation. It is a time dependant process. [x<sup>m</sup> এ <sup>excess</sup> effective pore water pressure define

আগে করাও হবে।]

Excess pore water  $P \rightarrow$  piezometer দিয়ে measure 10 psi ছিল।

৪ মিনিট পরে piezometer reading 9 psi, যদি 1 psi

effective stress. ২ মিনিট পরে piezometer " 8 psi, " 2 psi

এই " theory " — তা theory

Terzaghi 1 dimensional consolidation theory

1D কারণ পানি শুধু vertical direction এ বের হয়।

## Oedometer / Consolidometer

Cylindrical sape shape curve; 60mm - 75mm Dia;

3/4" - 1" → thickness

Oedometer.

ଏହା ଯେଉଁଠି sample ନିଆଁ consolidation test କରାଯାଏ।

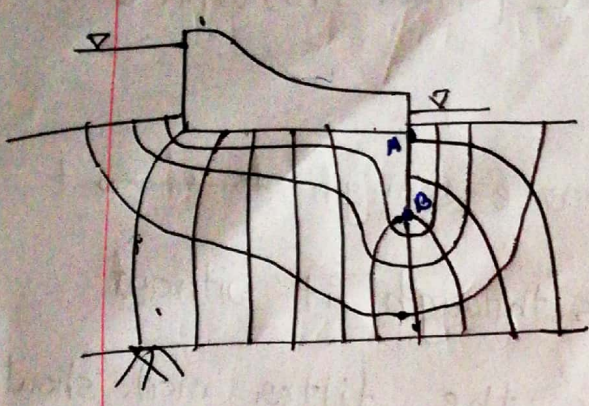
Settlement criteria controlling factor → structure ଏହା (90% time)

Consolidation ଶକ୍ତି ମାପା।

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downstream  
cut of filter  
length of drainage  
১০১৩ ১০১৩



$NF = 3.4$

$d_{Nd} = 11$

Hydraulic structure এর width বাড়ানো length বাড়াবে (but expensive)

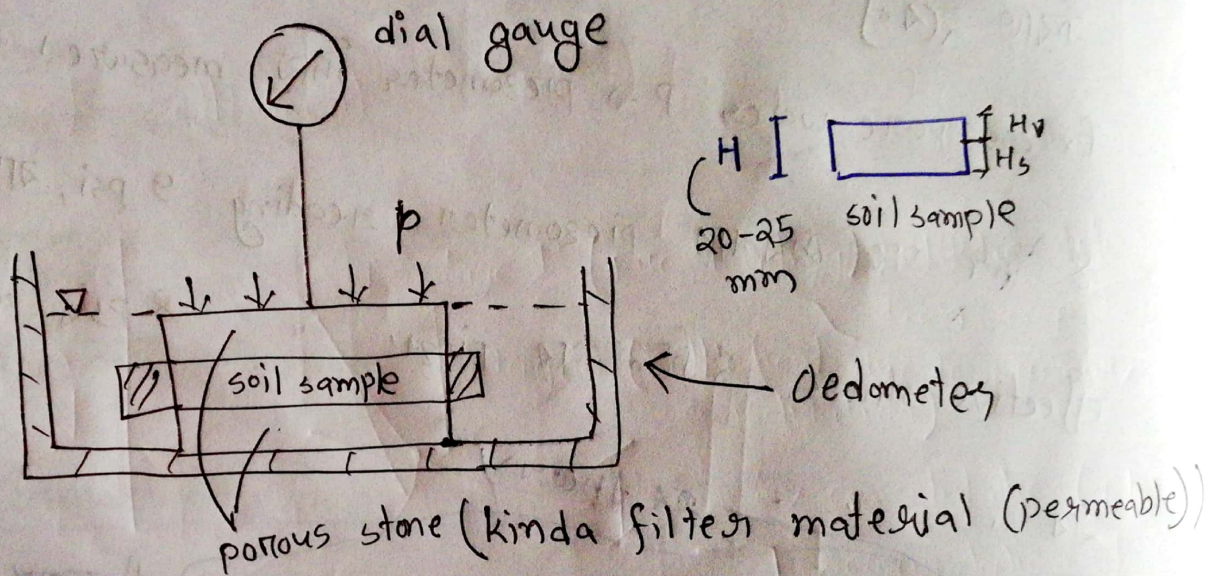
filter material  $\rightarrow$  Quick cond<sup>n</sup> যাতে arise না করে তা

ensure করতে।

Consolidation [2] [3] [4]

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6] depth of consolidation characteristic [2] [3] [4]

depth এর soil নির (shelvi tube)?? → দিয়ে drive করে

soil sample collect করে, the wax দিয়ে seal করে lab এ

যাৰি যেন moisture loss না হয়।

খুব soft clay - 2.5 kPa  
normal - 5-10 kPa

Oedometer এ soil এ pre-loading দেই ; তখন soil swell

করে। 24 hour রাখা হয় এক একটা (stable করার জন্য)

porous stone এর dia sample এর dia থেকে ছোট করা হয়

যাতে penetrate করতে পারে।

15 sec, 30 sec, 1 min, 2 min, 4 min, 8 min, 15 min, 30 min,

1 hr → reading নির then 2 hr, 4 hr, 8 hr পর্যন্ত রাখা

Overnight রাখা হয়। { পরের দিনে একে 16-18 ঘে ফর্টাই হয়

reading নির আবার load increment করা হয়।

10, 20, 40, 80, 160, 320, 640 kPa → এক একটা

load নির পারি depending on the requirement.

10 kPa load নির → soil এর excess pore water pressure

→ then soil squeeze করার → Pressure release → dial gage এর reading করা যাবে → ~~২৫ কএ পর যদি~~ suppose

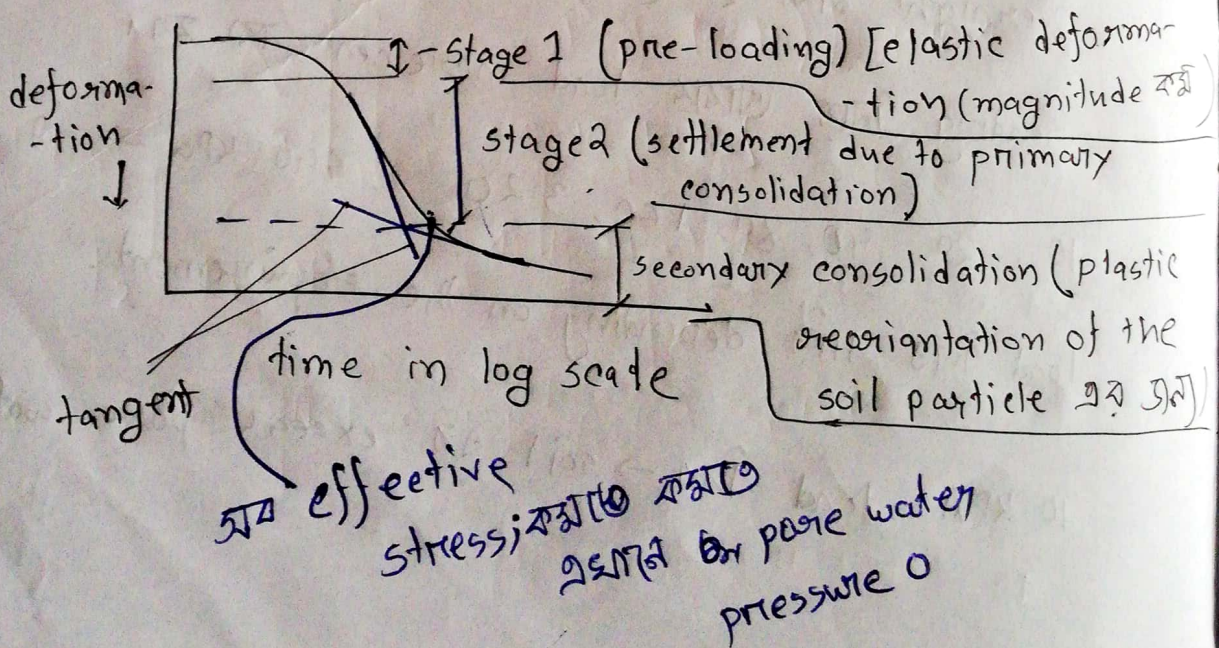
৪ kPa হল →  $\sigma$  (মান  $\sigma$  kPa effective stress) convert

হবে) → ২৫ কএ পরও যদি ~~কিছু~~ reading change না পাই আর dial gage এর

সিঙ্ক না থাকলে বলাও পারব যে load নিয়মিত  $\sigma$  fully converted to effective stress.

এই consolidation settlement ~~associated~~ <sup>settlement</sup> / consolidation related with primary consolidation.

3 types of settlement



Secondary consolidation  $\rightarrow$  soil & organic matter

যাকাল excess pore water pressure ~~হ্রাস~~ যাওয়ার পরেও  
settlement হতে পারে।

sand  $\rightarrow$  stage ২ নাই (কিন্তু stage 1)

Normally stage 1 আর ৩ এর settlement এর magnitude  
কম; তাই settlement কমাতে stage 2 বুরব।

void ratio vs. effective stress

Steps in calculating void ratio vs. effective stress:

~~10~~  $\rightarrow$  ~~20~~  $\rightarrow$  ~~40~~  $\rightarrow$  loading কিভাবে বুরনাঙ্ক? 10  $\rightarrow$  20  $\rightarrow$  40  $\rightarrow$   
কিন্তু 640

1. Calculate  $H_s$  weight of soil

$$H_s = \frac{W_s}{A G \gamma_w}$$

$\hookrightarrow$  Cross-section area

$$H = H_s + H_v$$

২.  $H_v = H - H_s$

৩. Calculate initial void ratio (load apply এর আগে)

$$e_0 = \frac{V_v}{V_s} = \frac{A H_v}{A H_s} = \frac{H_v}{H_s}$$

Soil sample এর 1st test always moisture content.

$H_2, W_w$  (মি) না থাকলে;  
 $e$  (মি) না থাকলে moisture content (মি);

soil sample fully saturated  $S_m = 1$

$$S_m = \frac{W_w \rho_w}{e} \quad \text{এখান থেকে } e_0 \text{ বের করতে পারব।}$$

৫। At the end of 1st increment of load, the change in void ratio will be equal to.

$$\Delta e_1 = \frac{\Delta H_1}{H_2} \quad (\text{একদম last to reading থেকে পাবো})$$

৬। New void ratio of the end of 1st load increment.

$$e_1 = e_0 - \frac{\Delta H_1}{H_2} \quad (\text{corresponding to 1st increment of load}) \quad [\text{আমাদের example}]$$

next load 20 kPa,  $\Delta 10 \text{ kPa}$

$$p_2 = (p_1 + \Delta p) \quad \text{আবো } 10 \text{ kPa দিবে}$$

পরে  $e_2$  ~~ক~~ পাবো change in void  $e$ , থেকে - হবে।



$$e_c = \frac{\Delta e}{\log \frac{P_1 + \Delta P}{P_1}} \Rightarrow \boxed{\Delta e = e_c \log \frac{P_1 + \Delta P}{P_1}}$$

যদিই straight line এর উপর থাকবে, ওহন যে stress  
উদ্বাহাৰে ও max stress in its stress history.

If the existing overburden/effective  $P$  on a soil sample  
has its max value, in its stress history, then the soil  
is considered to be a normally consolidated clay (NC).

~~If the soil has been subjected to a  
pressure which has been more than  
what it is experiencing now (past এ  
load আরে বেশি ছিল)~~

stress history  
জানা must (যেটা lab  
field এ জানা নাই)

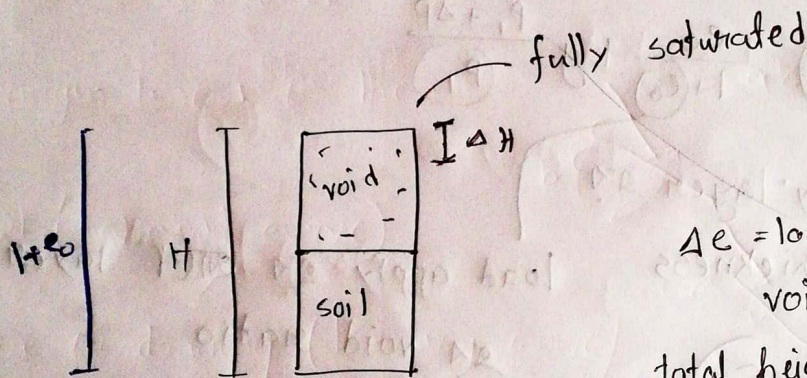
The soil whose present overburden  $P$  is less than that  
which the soil experienced in the past and the past max  
pressure is called Pre-consolidation pressure; denoted  
by  $(p_c)$  [like পাহাড় কোটে ফলস্বাস্থ্য, ওহর নিচের soil; এত  
soil আনক stiff.

Over consolidated clay  $\Rightarrow$   $e_{max}$   $\Rightarrow$   $e_{current}$  (OC). And the ratio b/w past max  $p$  and the current  $p$  is called Over consolidation Ratio (OCR).

$OCR < 1$  [NE]  $\quad OCR = 1$   $\Rightarrow$   $e_{max} = e_{current}$

$OCR > 1 \Rightarrow$  [OC]

OCR  $\Rightarrow$   $\Rightarrow$  degrees of over consolidation  $\Rightarrow$   $\Rightarrow$   $\Rightarrow$



$\Delta e$  = load  $\Rightarrow$   $\Rightarrow$  change in void ratio

total height =  $1 + e_0$

strain  $\epsilon = \frac{\Delta e}{1 + e_0}$

$\Rightarrow$  yield  $\Rightarrow$  strain,  $\epsilon = \frac{\Delta H}{H}$

$\therefore \frac{\Delta H}{H} = \frac{\Delta e}{1 + e_0}$

$\Delta H = H \cdot \frac{\Delta e}{1 + e_0}$

$\Delta H = \text{settlement}$

Assumption  $\rightarrow$  (2) soil sample pressure  $\Rightarrow$   $\Rightarrow$   $\Rightarrow$  uniform strain  $\Rightarrow$   $\Rightarrow$

lab test থেকে করা হয়

$$\text{Settlement, } S = H \frac{\Delta e}{1+e_0}$$

$$\Delta e = e_c \log \frac{P_1 + \Delta P}{P_1}$$

এ clay এর test করা হয় এর height

$P_1 = \text{overburden stress (নিজের ওজন থেকে)} = \gamma' H$

$\Delta P$  আর  $e_c$  এর কথাও জানে  $e - \log P$  curve থেকে।

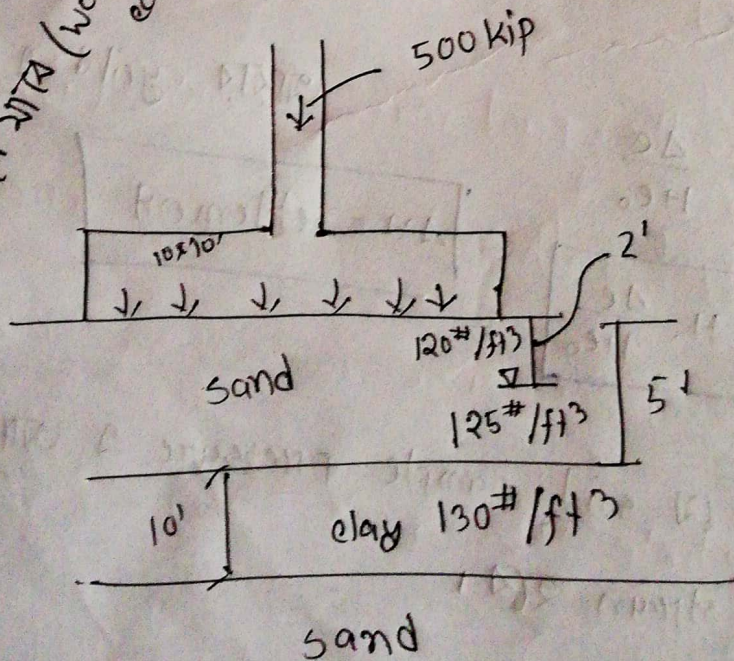
$$s = H \frac{e_c}{1+e_0} \log \frac{P_1 + \Delta P}{P_1}$$

clay layer এর  
thickness

load apply এর আগে layer  
এর void ratio

Example:

Rainy season  
water table top এর উপর (worst condition)



$e_0, p, \Delta p, c_c$  নাগর  $H = 10'$  জানা

৬ম layer under consideration, তার middle এ বোর

$$P_1 = \underbrace{120 \times 2}_{\text{unsat.}} + \underbrace{(125 - 62.4) \times 3}_{\text{saturated}} + \underbrace{5 \times (130 - 62.4)}_{\text{saturated}} = 75 \text{ ksf}$$

যদি layer এ moisture content  $w = 30\%$  হয়, like clay layer এ

$$e_0 = G_s w$$

$$= 2.7 \times 0.3$$

$$= 0.81$$

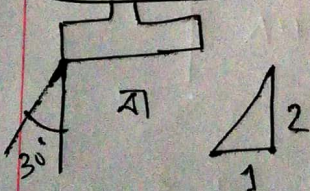
$w = 30\%$   
ওহলে

Ne এর জন্য  $c_c = 0.009 (LL - 10)$

accelerate হবে না, curve থাকে নিল

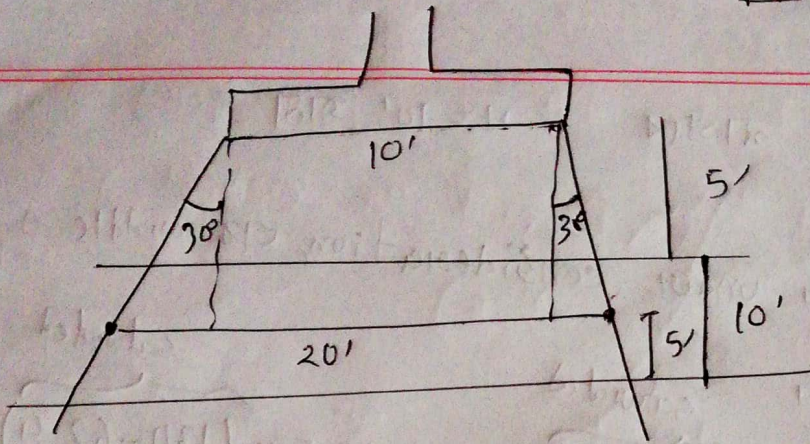
accelerate পারে।

empirical  
(যদি  $c_c$  দেয়া না থাকে)



→ এই সঠিক ৩০ load distribution হয় footing এর নিচের সার্ফে।

~~120x~~



30° angle এ load spread হয়ে clay তে ফাট 20'

span হবে।

$$AP = \cancel{5 \text{ ksf}} 1.25 \text{ ksf}$$

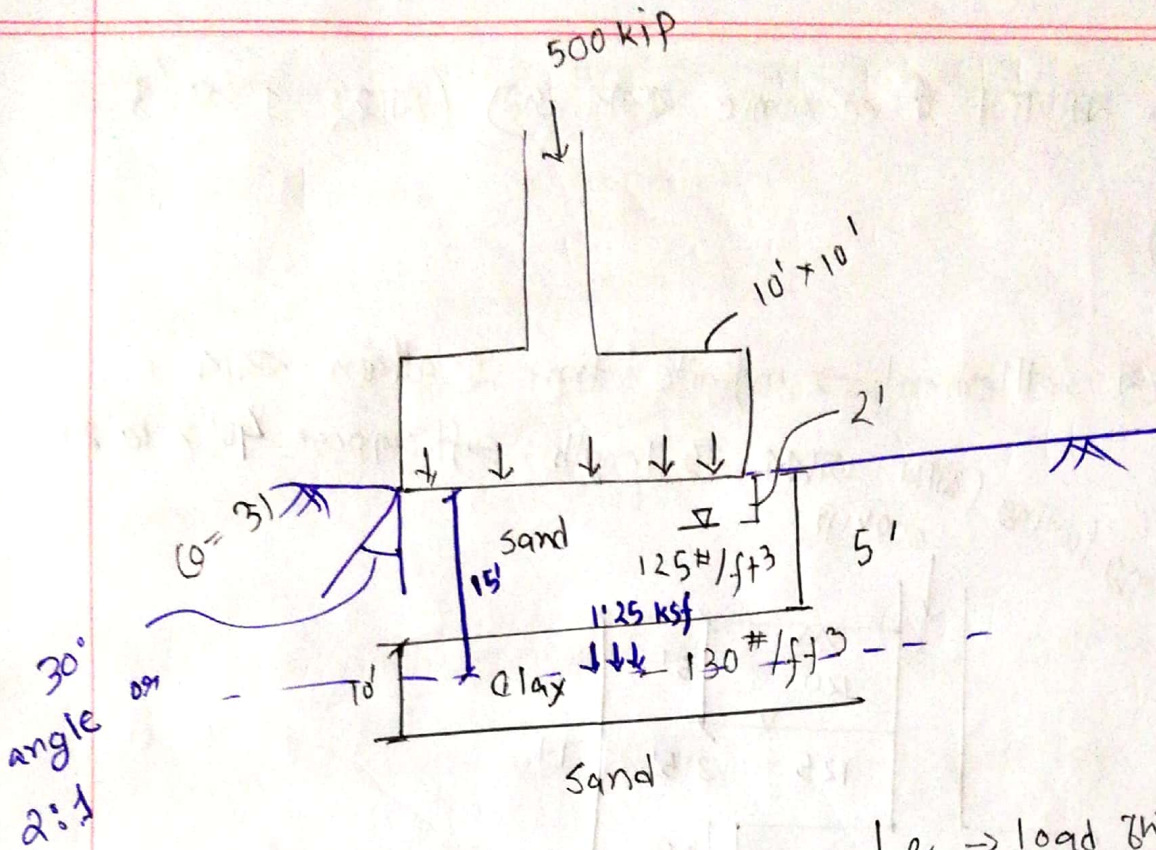
$c_e \approx .21 - .35$  (soft clay to normally)

Footing এর size change করে (rectangle/circular) এর

জন্য বিচারে হবে dispersion দেখাবে।

15/7/19

Lec-14



$$S = H \frac{C_c}{1+e_0} \log \frac{p_0 + \Delta p}{p_0}$$

$$\frac{500}{20 \times 20} = 125 \text{ ksf} = \Delta p \quad p_0 = 756 \text{ psf} = 0.756 \text{ ksf}$$

Originally  $\frac{500}{100} = 5 \text{ ksf}$

$H = 10'$  (total clay layer)

$$S = 10 \times 12 \times \frac{0.2}{1+0.9} \log \frac{0.756 + 1.25}{0.756}$$

$= 5.35$

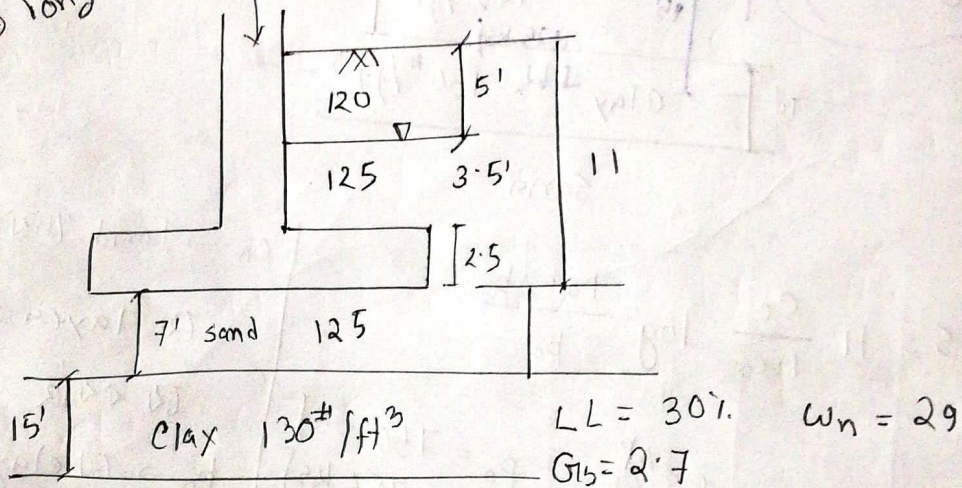
(1 এর নিচে আসতে হবে) → footing এর size বাড়িয়ে যদি 0.04" settle হয়, ওহন footing

$e_0$  → load অনুযায়ী আসবে  
 যে layer এর settlement যে বৃদ্ধি তার void ratio  
 $p_0$  → যে clay layer under consideration তার middle এ  
 $\Delta p$  ⇒ 500 kip এর জন্য  
 $p_0$  থেকে increase in effective stress (clay এর middle এ)

এই size বাজারো ঐ economic করার জন্য (যেহেতু 1" পর্যন্ত allowed)

5.35" এর settlement  $\rightarrow$  infinite time এ attain করা যাবে।

#  $\rightarrow$  long footing (খালি আকর্ষ বড় length; suff suppose 40' x 10' 2 10'



# 8' x 8" এর footing

# 8' x 10"

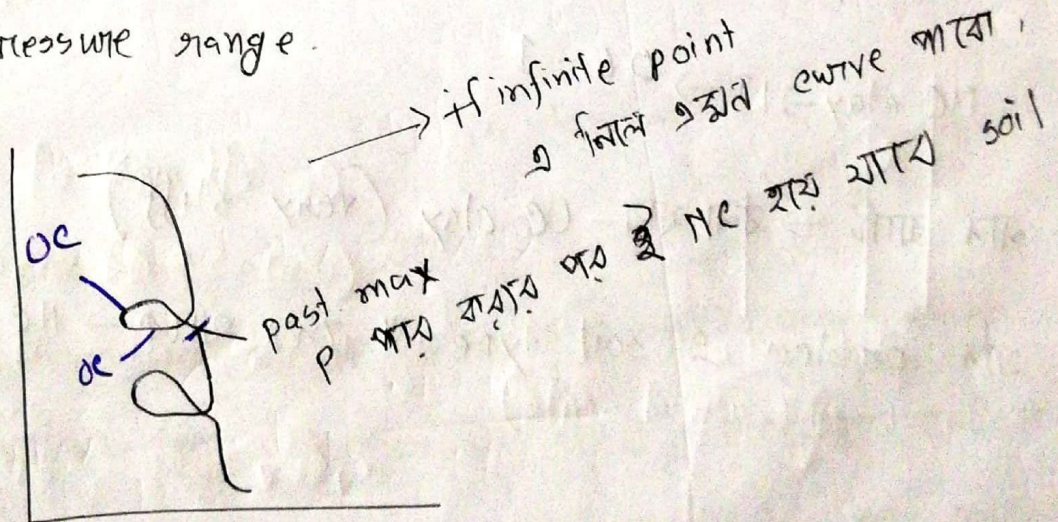
# wall footing

— sand/silt এজুলি না

NC and OC clay don't refer to a particular type of soil. It refers to a condition,

Suppose  $\rightarrow$  CE building ভেঙে ফেলা হয় 50 টন বাতাস, ফলে ফেলানোর  
ওজন soil টি OC, 10 টন বাতাস new বাতাস, ওজন OC, 10 টন  
exceed হলে ফেলান ওজন soil NC.

It may emphasize that NC soil and OC soil are not different types of soil. But these are state of stress in which a soil may exist. The same type of soil can behave as NC in a certain pressure range and OC press in other pressure range.



পড়তে হবে

## Causes of OC?

⇒ পাহাড় ছিল সরাসরি হ্রাসমান। downward movement of water  
থাকলে OC

Upward movement থাকলে NC.

বর্ধীণ প্রকার → NC

Upstream প্রকার soil erosion → ওয়াটার OC

Natural moisture content of a soil যদি significant lower  
than LL হয়, তাহলে ওটা OC clay ধরে নিতে পারবে

OC clay → LI → 0-0.6

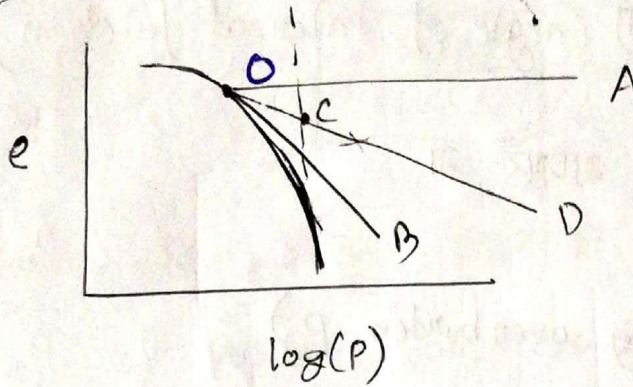
NC clay → LI → 0.6-1

নাহলে জাতি → কলা যায় OC clay (very stiff)

যদি problem এ soil type না দেয়া থাকে → NC ধরে নিবে

## Determination of pre consolidation Pressure ( $P_c$ ):

Casa grande



1 → Select a point visually on this curve which gives you min. radius of curvature / max curvature.

2 → curve of transition zone

3 → Draw a horizontal line parallel to the x axis

4 → " " " " line which is tangent at O

5 → Bisect the angle AOB

6 → Extend the virgin portion backward which intersects the bisector OD at C. The  $e_c$  is called

The pressure corresponding to point C is pre consolidation pressure.

$$\frac{C}{P} = 0.10 + 0.004 \log P$$

c সূচক clay এর জন্য (clay এ  $\phi$  0 থাকতে পারে)

$\phi$  সূচক sand এর জন্য (angle of internal friction)

↓  
sand এ কঠোরতা c থাকবে না

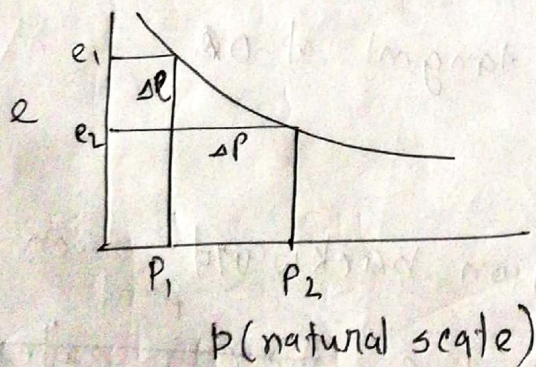
$p_0 = 5 \text{ ksf}$  (existing overburden  $p$ )

$p$  যদি কঠোরতা 3 ksf  $\rightarrow$  NE clay

$p$  যদি হয় 10 ksf  $\rightarrow$  OC clay

B.M. Das এর soil mechanics এর বই পড়ি

Lee-15  
16/7/19



$C_c$  - coefficient of compressibility

(unit  $\rightarrow p$  এর inverse)

It's a function of state of stress

$$a_v = \frac{\Delta e}{\Delta p} = \frac{de}{dp} = \frac{e_2 - e_1}{p_2 - p_1}$$

With the increasing value of effective stress, the value of  $C_c$  - coefficient of comp. decreases.

Settlement,  $s = H \frac{\Delta e}{1+e_0}$

$\Delta e = G_v \Delta P$

$= H \frac{G_v \Delta P}{1+e_0}$  in terms of co-efficient of compressibility

In terms of  $C_c$  আছে আরও

Co-eff. of volume compressibility. It can be defined

as the volumetric strain per unit increase in effective stress.

$m_v = \frac{\frac{\Delta V}{V_0}}{\Delta P}$  effective stress change এর জন্য

আমরা normally linear strain নিয়ে কাজ করি

$= \frac{\Delta e}{(1+e_0) \Delta P}$

$P_2 - P_1 = \Delta P$  এর জন্য volumetric strain change  $\Delta V / \Delta V_0$

$= \left( \frac{\Delta e}{\Delta P} \right) \cdot \frac{1}{1+e_0}$

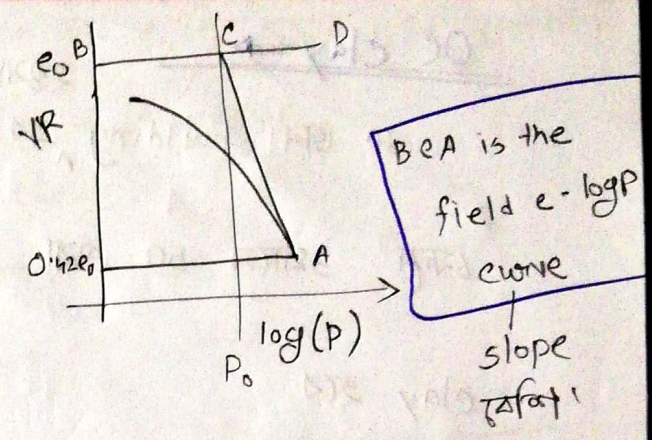
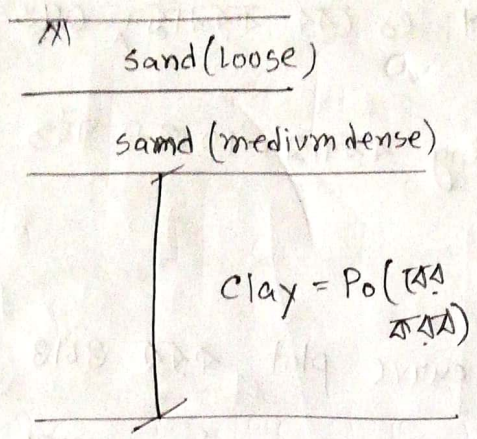
1 unit এর জন্য কত ?

$= \frac{\Delta e}{1+e_0}$

$\frac{\Delta V}{V_0} = \frac{\Delta e}{1+e_0} = \frac{\Delta H}{H}$

$s = H m_v \Delta P$

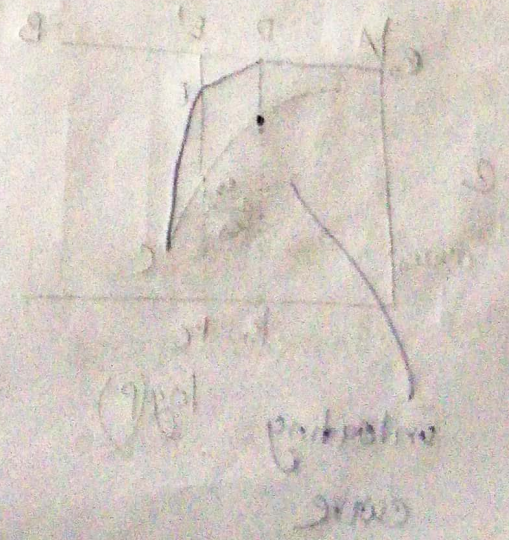




lab e-log p curve and field e-log p curve passes through a common point of 42% of initial void ratio ( $e_0$ ). Degrees of disturbance (lab  $\Delta$ ) of disturbance  $\Delta$  shift e-log p curve to the left.

Remolded soil (যদিও পুরা soil জাহান আছে) left  $\Delta$  shift করবে।

BCA  $\rightarrow$  MC soil clay



OC clay  $\Rightarrow$

$$p_0 \quad AP$$

$$(10 + 15) = 25 \text{ psi}$$

১০ টানা building এর আগে  $e_0$  বের করা হয়।

ফেরা ওখানে ৫০ টানা building করা হয়। ১০ টানা পর্যন্ত OC

clay হবে

OC এর জন্য যে  $e - \log p$  curve plot করা ওটো field

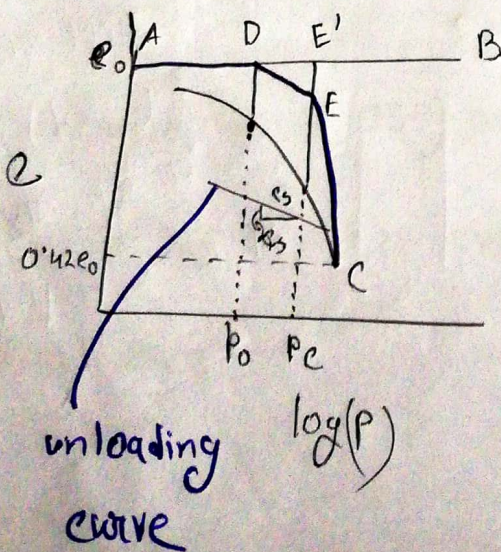
$e - \log p$  curve এর সাথে  $e_0$  point দিয়া যাবে

existing overburden pressure = 10 psi

pre-consolidation pressure,  $p_c = 25 \text{ psi}$  (past max pressure)

$p_0 = ?$   $p_c = ?$  এখানে  $p_0$  আর  $p_c$  জানা নাগবে। NC তে

কিছু  $p_0$  জানানই হয়।



এটা plot করার জন্য unloading

curve লাগবে  $\rightarrow$  at least একটা (unloading/rebound/expansion curve)  $\rightarrow$  এই curve এর

slope  $\rightarrow$  swelling index denoted by

$$C_s$$

$P_0$  থেকে  $P_c$  পর্যন্ত মোত slope হার  $e_s$  এর সম্মান। DE portion which is parallel to the rebound curve.

ADE e- $\log P$  field এর e- $\log P$  curve.

D  $\rightarrow$  E পর্যন্ত soil will behave like OC beyond E point  $\rightarrow$  NC clay.

$$S = H \cdot \frac{e_c}{1+e_0} \log \frac{P_0 + \Delta P}{P_0} \quad \rightarrow \text{NC হলে নিম্নগত এক প্রকার}$$

এ সম্মান হলে,

$$S = H \cdot \frac{e_s}{1+e_0} \log \frac{P_0 + \Delta P}{P_0}$$

$$P_0 + \Delta P \leq P_c$$

10 টা,  $P_c$  attain

এর আগ পর্যন্ত

OC region

NC region

এ দুটি পড়ল ওয়া

$$P_0 + \Delta P > P_c$$

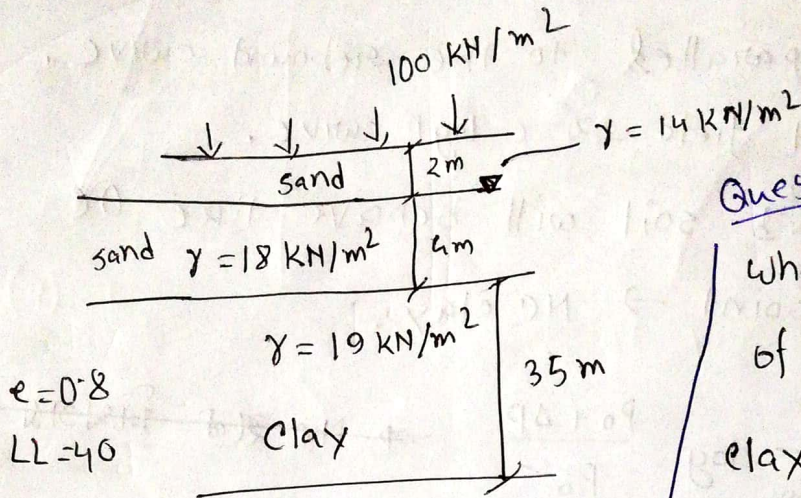
$$S = \frac{H e_s}{1+e_0} \log \frac{P_c}{P_0} \quad \left. \vphantom{S} \right\} \text{E point এর settlement}$$

$$S = \frac{H e_s}{1+e_0} \log \frac{P_c}{P_0} + H \frac{e_c}{1+e_0} \log \frac{P_0 + \Delta P}{P_c} \quad \left. \vphantom{S} \right\} \text{OC+NC Region এর total settlement}$$

$$10-20\% \text{ of } e_c = e_s$$

$$\therefore e_s = \left( \frac{1}{10} \text{ to } \frac{1}{5} \right) e_c$$

[Exam এ  $e_s$  এর value না থাকলে normally 15% assume করা নিব]



Ques:

What is settlement of the clay layer, if clay is NC (a) if the pre-consolidation  $p$  is 200 (b) if  $P_c = 150 \text{ kN/m}^2$  (c) if  $P_c = 150 \text{ kN/m}^2$

(a)  $p_0 = 14 \times 2 + (18 - 9.81) \times 4 + 19.9 \times (19 - 9.81) \times 1.75$

$= 77 \text{ kN/m}^2$

$\Delta p = 100 \text{ kN/m}^2$

আনক সিটি  
area (footing এর  
মত ছোট না) তার  
100 kN/m² তৈরী আকার

$$s = H \frac{c_c}{1+e_0} \log \frac{p_0 + \Delta p}{p_0}$$

$$= 3500 \times \frac{.27}{1.8} \log \frac{77+100}{77}$$

$$= 191 \text{ mm}$$

(b)

20%

$$e_s = 0.2 \times 0.27 = 0.054$$

$p_c = 200 \text{ kN/m}^2$  [which is less than  $\left[ \frac{\Delta p}{100 + p_0} \right]$  ଥାଉ ଓ ଯେ ଓ ଯେ clay ହିସାବରେ behave

କରାଯାଏ  $p_c$  cross କରାଯାଏ ଥାଉ ; [177]

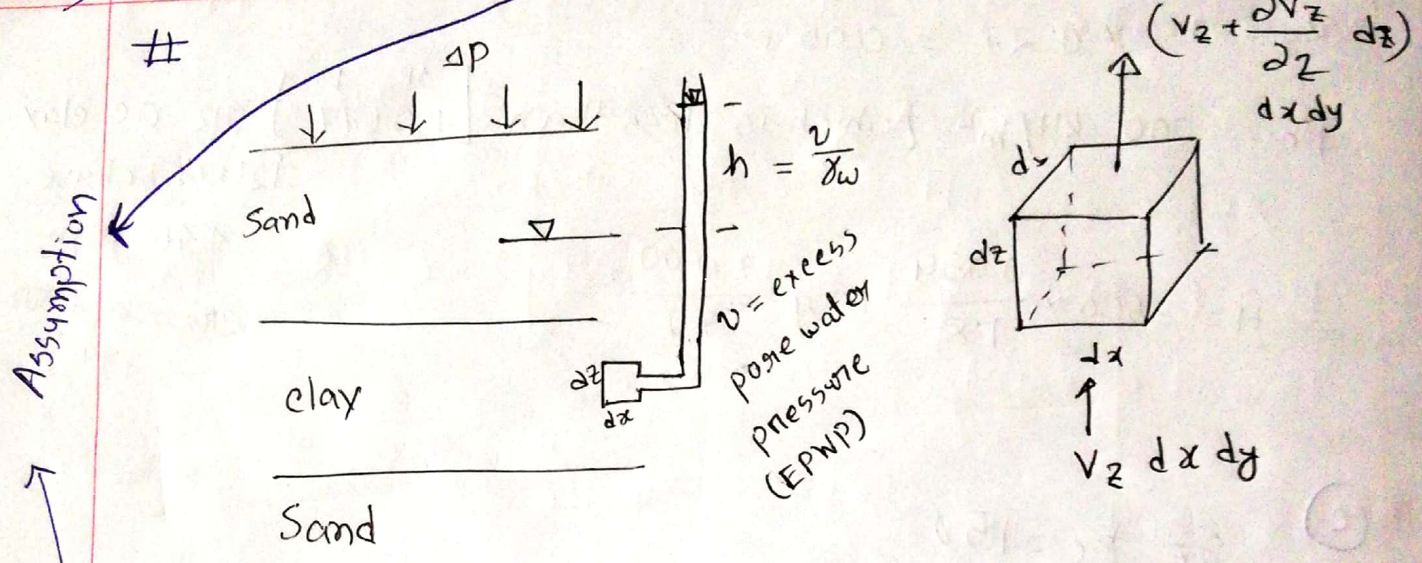
$$H = 3500 \times \frac{0.054}{1.8} \log \frac{77+100}{77}$$

(c)

ସଠା  $p_c = 150$

$$S = \frac{0.054 \times 3500}{1.8} \log \frac{150}{77} + \frac{3500 \times 0.27}{1.8} \log \frac{76+100}{150}$$

Rate analysis  
 Terzaghi's 1D consolidation theory  
 (i) soil homogeneous,  
 (ii) fully saturated,  
 (iii) Darcy's principle apply  
 (iv) water particle & soil skeleton incompressible



(6) There is a unique relationship that exists between change in void ratio associated with the effective stress / excess pore water pressure.

কিন্তু ল্যাপ্লাস ইকুয়েশন এ নেট ফ্লো রেট ০ কিনা, ২D ও ৩D analysis কিনা, এখানে 1D.

# Pore water pressure 1D ও flow করতে এখানে,

# Net flow rate = Volume Rate of volume change করা এখানে

Assumption or justification or  
limitation  $\Rightarrow$  xm 2

$$\frac{\partial v_z}{\partial z} dx dy dz = \frac{\partial v}{\partial z}$$

$$v_z = k_z i_z \quad (\text{Darcy's principle})$$

$$= k \cdot \frac{\partial h}{\partial z} = -\frac{k}{\gamma_w} \cdot \frac{\partial v}{\partial z}$$

$$\therefore -\frac{k}{\gamma_w} \frac{\partial^2 v}{\partial z^2} dx dy dz = \frac{\partial v}{\partial t}$$

~~area of cross section~~

$$v = v_s + v_v = v_s + e v_s$$

$$\frac{\partial v}{\partial z} = v_s \cdot \frac{\partial e}{\partial z}$$

$$= \frac{v}{1+e} \frac{\partial e}{\partial z}$$

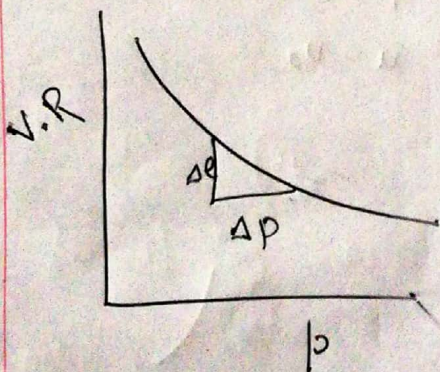
$$= \frac{dx dy dz}{1+e} \frac{\partial e}{\partial t}$$

$$\frac{v_s}{v} = \frac{1}{1+e}$$

$$\therefore -\frac{k}{\gamma_w} \frac{\partial^2 v}{\partial z^2} dx dy dz = \frac{\partial v}{\partial t} = \frac{dx dy dz}{1+e} \frac{\partial e}{\partial t}$$

$$= \frac{a_v}{1+e} \frac{\partial v}{\partial t}$$

$m_v$



$$\Delta e = \Delta p a_v$$

$$\partial e = \partial (\Delta p) a_v$$

$$\partial e = -\partial v a_v$$

Decrease in excess pore water pressure  $\rightarrow$  increase in effective pressure

$$\frac{k}{\gamma_w} \frac{\partial^2 u}{\partial z^2} = m_v \frac{\partial u}{\partial t}$$

$$\frac{\partial u}{\partial t} = \frac{k}{\gamma_w m_v} \frac{\partial^2 u}{\partial z^2}$$

$m_v$  constant  
 $\gamma_w$  constant

increment of load এর জন্য  $\frac{k}{m_v}$  constant (for particular increment)

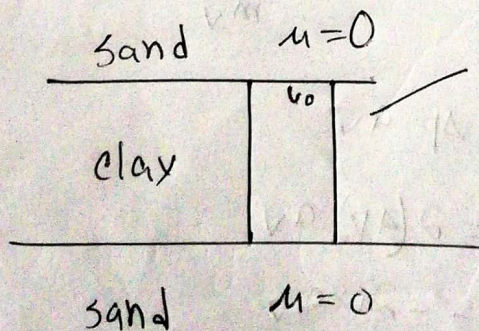
$$\frac{k}{\gamma_w m_v} = c_v$$

$\downarrow$   
 Co-efficient of consolidation

$c_v \rightarrow$  constant for particular increment of load

Boundary cond<sup>n</sup> নির্ভর  $\rightarrow$  associated with geometry

Initial  $u$  associated with time



pore water P সঞ্চিত clay এর ক্ষেত্রে

$t=0$   
 $u=u_0$

$$v = \sum_{m=0}^{\infty} \left[ \frac{2u_0}{M} \sin \frac{Mz}{Hd_{dr}} \right] e^{-M^2 T_v} \quad T_v = \text{time factor}$$

$$M = \frac{\pi}{2} (2m+1)$$

$u_0 =$  initial excess P.W.P.

$H_{d_{dr}} =$  Length of the drainage path  
Both way drainage of it will be  $\frac{1}{2}$  of the clay layer thickness

4th condn

wide area  $\rightarrow$   $\Delta p$  load  $\Delta p$

rectangular  $\rightarrow$   $\Delta p$  change [L, w  $\Delta p$  calc to]

wall footing  $\rightarrow$  width  $L$ ;  $\Delta p$  change

square  $\rightarrow$   $\Delta p$  change [L/w (same dimension)]

Lec-17  
23/7/19

$$\frac{\partial v}{\partial t} = c_v \frac{\partial^2 v}{\partial z^2} \quad c_v = \frac{k}{m_v \gamma_w} = \text{constant}$$

There's no direct method to measure permeability coefficient for clay (cohesive soil)

Determination of  $k$  ?

2 methods for determining  $c_v \rightarrow$

1. Casagrande / Log of time method

2. Taylor's method / square root of time method

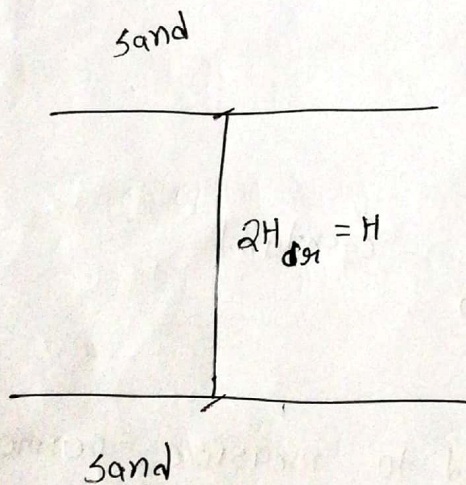
10, 20, 40, 80, 160, 320, 640  $\rightarrow$  increment of loads

It is a time dependant eq<sup>n</sup>  $\rightarrow$  2 ধরনের boundary cond<sup>n</sup> আছে

① Geometry Geometry related

② Initial cond<sup>n</sup> (time dependant)

Fahum/Casagrande:



$$z = 2H_{dg} \quad u = 0$$

$$z = 0 \quad u = 0$$

$$t_c = t = 0, \quad v = v_0$$

2 way drainage (bottom আর top এ drainage)। একটি particle max path travel করতে পারে  $\frac{H_{dg}}{2}$  (L of the drainage path)  $\left(\frac{2H_{dg}}{2}\right)$

Consolidation rate analysis  
 wrt time

For both way drainage,  $L$  of the drainage path will be half of the  $H$  of the clay layer. For 1 way drainage

(যদিও আর Rock hit করে)  $L$  of the drainage will be the thickness of the clay layer. Both layers  $\rightarrow$  settlement গণনা

হবে.

$U = 0$  এর point এর excess pore water pressure.

Degrees of Consolidation:

$\Delta p = 50 \text{ psi}$  (Overburden  $P$ )

এর excess pore water  $p = 50 \text{ psi}$

10 মিনিটে আর যদি piezometer দিয়ে reading করে 30 psi,  $C_c$   $\rightarrow$  এটি point এ applicable Degree of consolidation

$U_z = \frac{v_0 - U_z}{v_0} = 1 - \frac{U_z}{v_0}$

time এর কারণে, degree of consolidation will reach to 100.

$U_z$  এর যদি across the thickness integrate এর total thickness দিয়ে divide করে, avg মান

$U = 1 - \frac{1}{2H_{dr}} \int_0^{2H_{dr}} U_z dz$  [avg degree of consolidation] across the thickness applicable

$$u = 1 - \sum_m \frac{2}{m^2} e^{-m^2 T_v}$$

$$T_v = \text{Time factor} = \frac{c_v \times t}{H_{dr}^2}$$

Excess pore water pressure  $p$  কমান হতে গিয়ে আর settlement হবে না।  
 যে time এ settlement চাচ্ছে ওটা

$$u = 1 - \frac{\int_0^{H_{dr}} u_z dz}{u_0} = \frac{S_c}{S_f}$$

$$u = \frac{u_0 - u}{u_0}$$

→ dissipated excess pore water pressure  
 → initial pressure

in terms of  $c_e, c_v, A_v, h_v$   
 এর ক্ষেত্রে, eq<sup>n</sup> ছিল; এটা ultimate settlement attained at infinite time

$$= \frac{S_c}{S_f}$$

→ culodent settlement  
 → final settlement

$c_v$  lab থেকে জানা,  $T_v$  এর ক্যাল + জানতে পারব।

$u = 0.4$  আর  $0.9$  নিয়ে বের করা হবে

$$m = 0 \quad M = \frac{\pi}{2}$$

$$u = 1 - \frac{2}{(\pi/2)^2} e^{-\left(\frac{\pi}{2}\right)^2 \times T_v}$$

$$\Rightarrow 0.9 = 1 - \frac{2}{(\pi/2)^2} e^{-\left(\frac{\pi}{2}\right)^2 \times T_v}$$

$$U = 0.5 \Rightarrow 0.196$$

$$U = 0.9 \Rightarrow 0.848$$

The eq<sup>n</sup> is extremely convergent (সত্য ১ টি term এঁই accurate result)

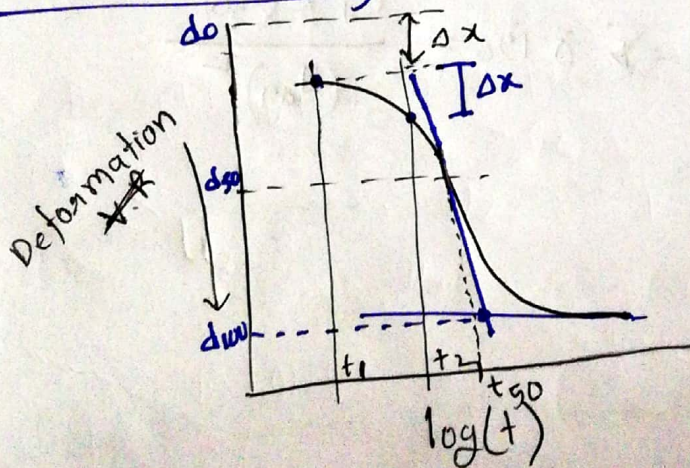
$$T_v = \frac{\pi}{4} \left( \frac{U}{100} \right)^2 \quad U \leq 60$$

$$U > 60 \quad T_v = 1.781 - 0.933 \log_{10} (100 - U)$$

(U expressed in %  
for these formula)

এঁই দুটা expression নিয়ে approximate  $T_v$  এর value measure করা যায়।

### Determination of $C_v$ :



Step 1: Draw a line AD which is tangent to the straight portion. " another tangent to the final portion.

Intersected point corresponds to the 100% primary consolidation. (end of primary consolidation).

Natural scale এর plot করলে parabolic curve হবে।

step 2:

take  $t_1$  &  $t_2$  such that  $t_2 = 4t_1$

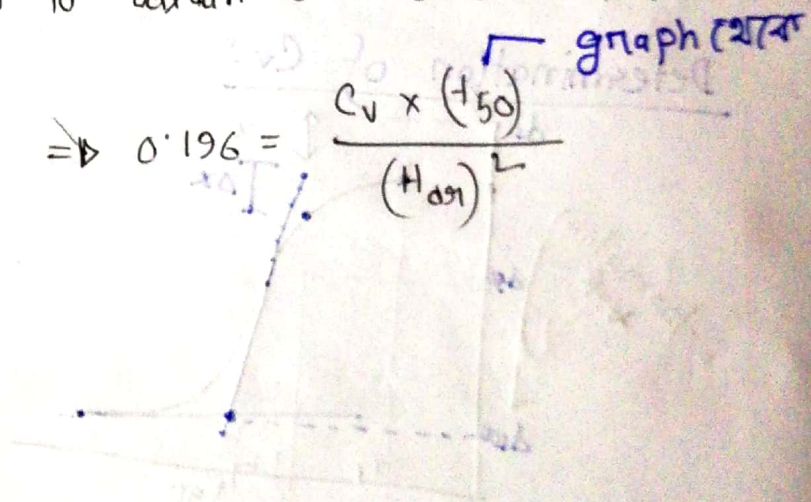
$d_0$  = dial gage reading at 0 consolidation

$$d_{50} = \frac{d_0 + d_{100}}{2}$$

$t_{50}$  = time required to attain 50% consolidation

$$T_{v50} = \frac{C_v \times t_{50}}{H_{dr}^2}$$

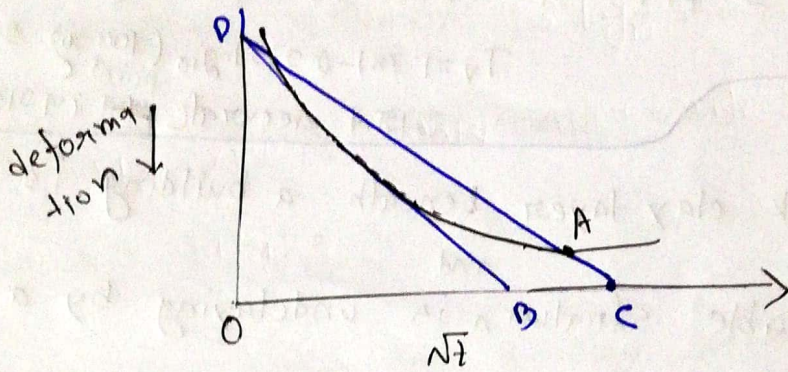
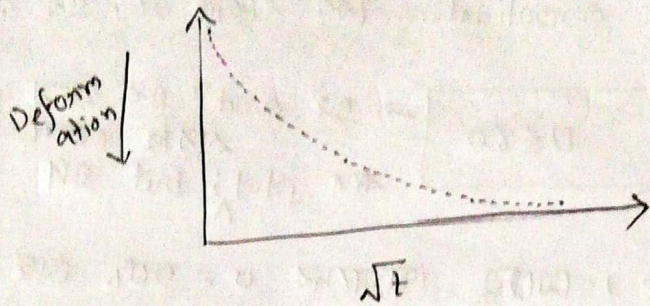
$$\Rightarrow 0.196 = \frac{C_v \times (t_{50})}{(H_{dr})^2}$$



$H_{dr}$  → average thickness

Initially 20 thick +  
~~50% consolidation~~  
 load apply 90 90 thick } 90 avg.

Square root of time method:



Step 1: straight portion into straight line draw (BD)

Step 2: Select a point C such that  $OC = 115\%$  of  $OB$

Step 3: Connect DC. Intersects the curve at A. Time corresponding to A is equal to time required for 90% consolidation.

consolidation.

$$T_v = \frac{C_v \times t}{H_{dr}^2} \Rightarrow 0.848 = \frac{C_v \times t}{H_{dr}^2} \text{ graph}$$

15% বৈলি নিম্নতম কাল  $\rightarrow$  curve এ আঁকি initial এর সাথে  
compare করছি ; but consolidation এর করেছি 90% এর জন্য।

$$T_v = \frac{\pi}{4} \left( \frac{U}{100} \right)^2 \quad U \leq 60$$

$\rightarrow$  এই cond<sup>n</sup> এর সাথে compare করছি curve করে plot; but এটা  $U < 60$

এর জন্য applicable, যেহেতু আমাদের  $U = 90\%$  তাই এখানে  
হবে ওই eq<sup>n</sup> এ plot করলে, তাই 15% বৈলি (যদি

$$T_v = 1.781 - 0.933 \log_{10} \left( \frac{100-U}{\text{point e}} \right) \text{ এ plot করলে}$$

তারপর accurate ~~plot~~ পেলো

### Problem:

A 3 m thick clay layer beneath a building is overlaid  
by a permeable stratum and is underlain by a impervious  
rock. The coefficient of consolidation is given as  $0.25 \text{ cm}^2/\text{min}$

The final settlement is expected to be 8cm.

- (a) How much time will it take for 80% of the settlement  
to take place. (3.89 yr)
- (b) Determine the time required to reach a settlement of  
2.5 cm (195 days)

© Compute the settlement that will occur in 1 year. (3.4 cm)

Final settlement নিয়ে বা সিন্স হা ৫টা eq<sup>n</sup> সিন্স ফি final settlement এর ব্যতীত ওটা use হবে (time, drainage cond<sup>n</sup> independent)

# A homogeneous clay layer 9 m thick is expected to have ultimate settlement of 308 mm. after a span of 2 years the average settlement was 108 mm. How much time will it take to attain 220 mm settlement? (8.73 yrs)

# In a consolidation test, a clay specimen initially 25 mm thick attains 90% consolidation in 10 mins. In the field, the clay stratum from which the specimen was obtained has a thickness of 6 m. And this layer is sandwiched between 2 sand layers. A structure is constructed here experiences an ultimate settlement in 200 mm. Estimate the settlement at the end of 100 days after the construction of the structure (109 mm).

Stress dist<sup>n</sup> in soil due to

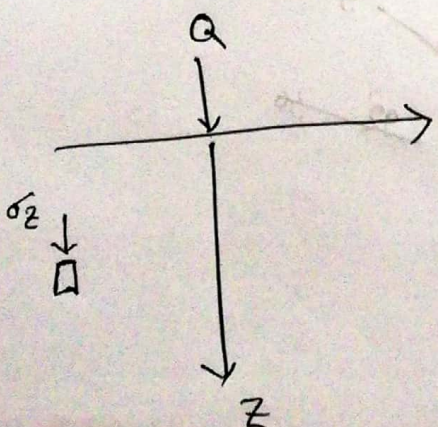
1. Point load
2. Infinitely long line load
3. Strip area carrying uniform load
4. Strip area carrying triangular load
5. " " " " embankment " "
6. Circular load
7. Rectangular shape of loading.
8. Any arbitrary shape of loading.

এখানে কত expression দেবে করা লা]

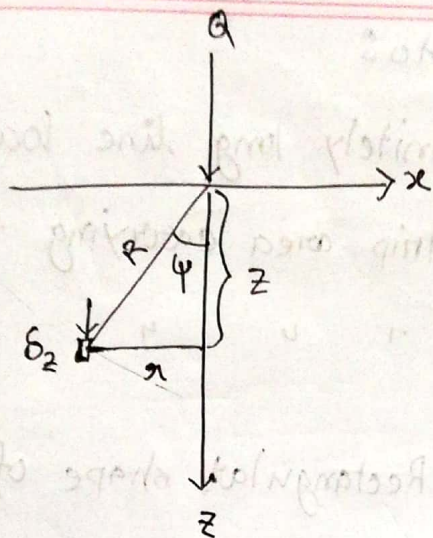
Assumption:

1. surface plane (not inclined) [এই surface এ load আসবে]
2. Soil weightless ( $\gamma = 0$ )
3. Material maintains hook's law
4. " isotropic, homogeneous
5. Domain under consideration is elastic half space

Point loading Bressinsz's sol<sup>n</sup> (1885)



surface load Q এর জন্য  
vertical stress increase করে  
element এর (domain এ)  $\rightarrow \sigma_z$



$$\sigma_z = \frac{3Q}{2\pi z^2} \left[ \frac{1}{1 + \left(\frac{x}{z}\right)^2} \right]^{5/2}$$

$$= \frac{3Q}{2\pi} \frac{z^3}{(x^2 + z^2)^{5/2}}$$

$$R = z^2 + x^2 \quad (x^2 = x^2 + y^2)$$

$$\therefore R = x^2 + y^2 + z^2$$

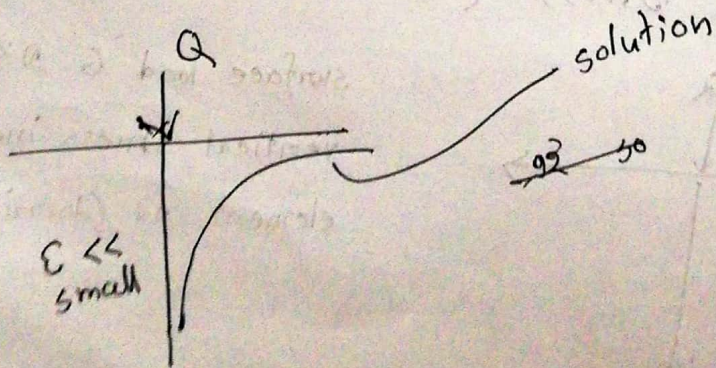
Point load पर 3 दि cond<sup>n</sup> consider:

1. Stress dist<sup>n</sup> along z axis
2. " " " a horizontal plane
3. " " " a vertical "

1.  $x = 0$

$$\sigma_z = \frac{0.478Q}{z^2}$$

→ max stress शर when  $z = 0 \rightarrow$  near infinity



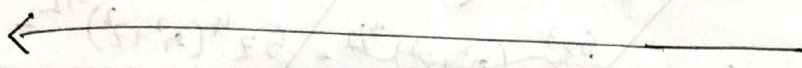
→ Saint Venant's principle

→ E << small

$\sigma_z$  sol<sup>n</sup> is entire domain of valid except in the vicinity of the application of the point load (কিন্তু  $z=0$  হয়ে infinite হবে)

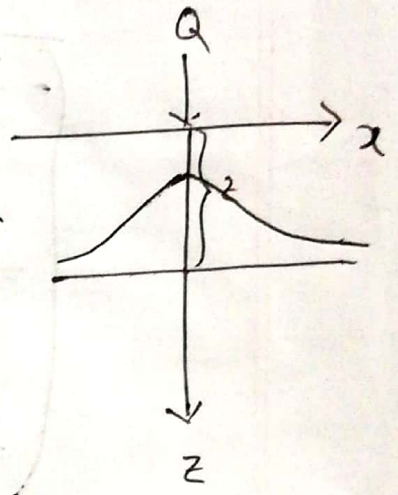
along the horizontal axis:

$z$  constant থাকবে. এখানে।



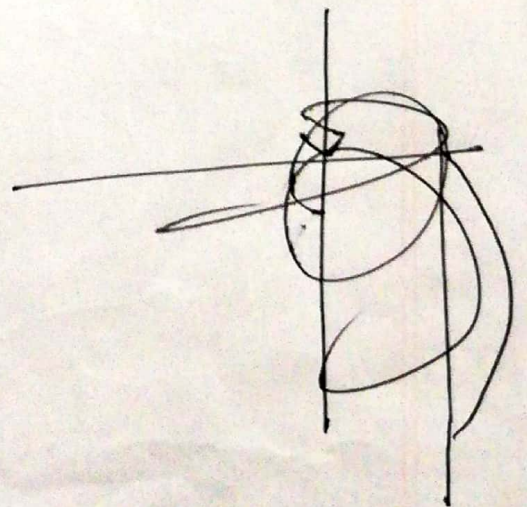
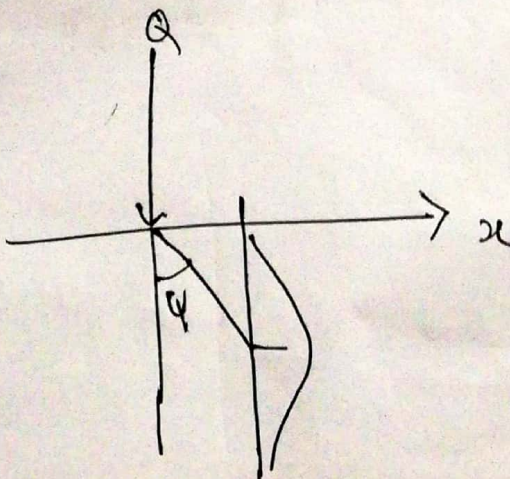
$z$  axis থেকে যত দূর যাবে, the value of stress decays rapidly. Point of loading যতদূর  $max^m$  magnitude পাবে।

$z$  এর value যত কম,  $max$  magnitude বাড়বে।



vertical plane:

$x$  constant



$\sigma_2$  max<sup>m</sup> શરૂ કરવા ? differentiate w.r.t.  $z$ .

④ યાજ કર ?

$$\frac{\sigma_2}{dz} = \frac{3Q}{2\pi} \cdot \frac{z^3}{(r^2+z^2)^{5/2}}$$

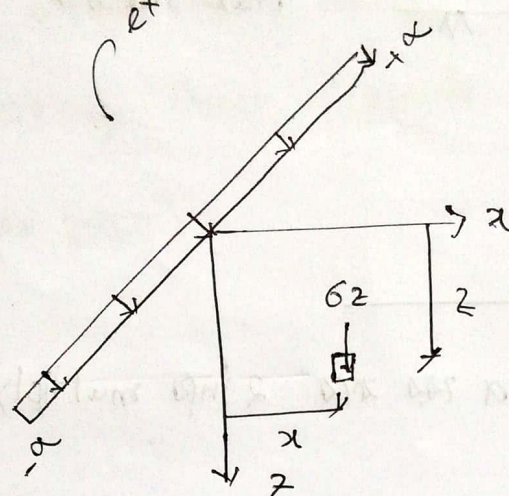
$$= \frac{3Q}{2\pi} \cdot \frac{z^3 \cdot \frac{5}{2} \cdot (r^2+z^2)^{3/2} \cdot 2z - (r^2+z^2)^{5/2} \cdot 3z}{(r^2+z^2)^{10}}$$

$$= \frac{3Q}{2\pi} \cdot \frac{5z^4 - 3z(r^2+z^2)}{(r^2+z^2)^{5/2}}$$

$$3r^2 = 2z^2$$

$$\phi = 39.23^\circ \text{ (rad 9 નીચે)}$$

example of loading on a strip?

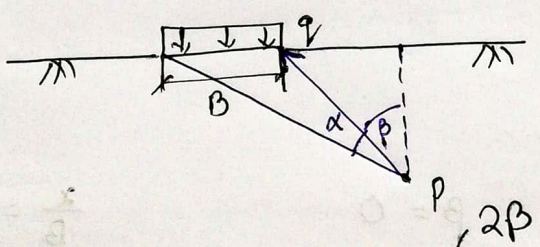


$$\sigma_z = \frac{2q}{\pi} \frac{z^3}{(x^2+z^2)^2}$$

y axis direction load, load, load y value  
 नई। यदि x axis direction load दिताई, तब  $x^2$  का जायकाय  $y^2$  हो।

### 3. Strip area carrying uniform pressures

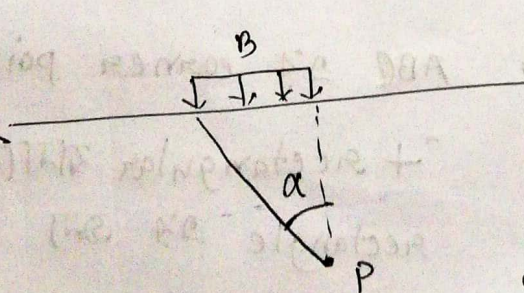
Point P beyond the width of the strip footing.



$$\sigma_z = \frac{q}{\pi} \left[ \sin \alpha + \sin \alpha \cos(\alpha + \beta) \right]$$

$\alpha =$  angle subtended by the width to the point under consideration

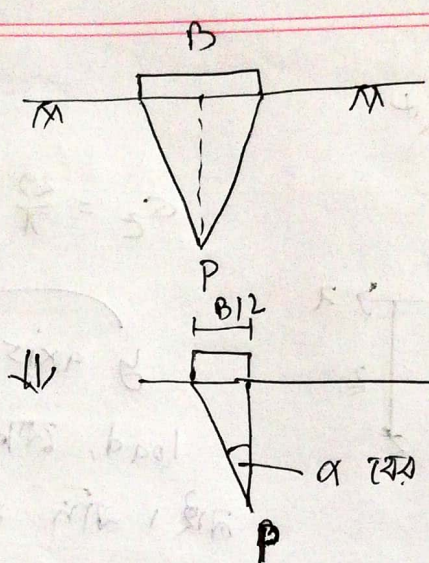
है  
 expression  
 of a different  
 $\alpha$  radian



अतः  $\beta = 0$   
 $\alpha =$  width द्वारा  $\pi$  angle

$$\sigma_z = \frac{q}{\pi} \left[ \sin \alpha (1 + \cos \alpha) \right]$$

Avg settlement 102

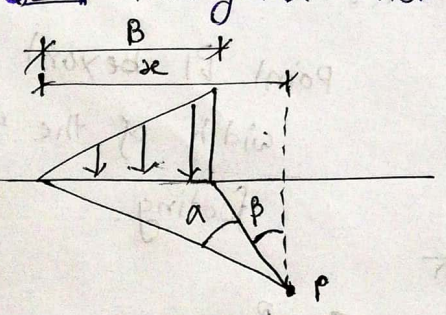


Max stress ?

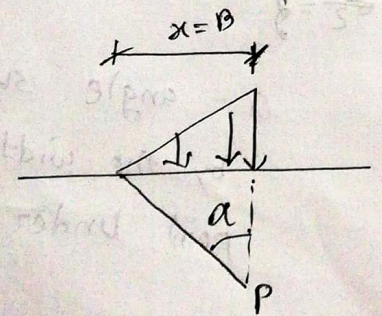
alpha को कर 2 निर multiply

एकत्र विभिन्न case practice करार।

Q.4. Triangular dist<sup>n</sup>: For Embankment एर side ए लेखि।

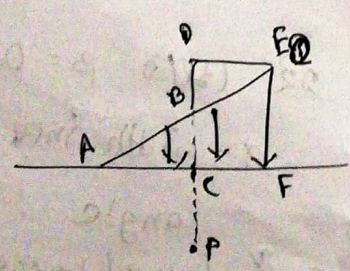


$$\sigma_z = \frac{q}{\pi} \left[ \frac{z}{B} \alpha - \frac{1}{2} \sin 2\beta \right]$$



$\beta = 0$                        $\frac{z}{B} = 1$  शर

$$\sigma_z = \frac{q}{\pi} [\alpha]$$



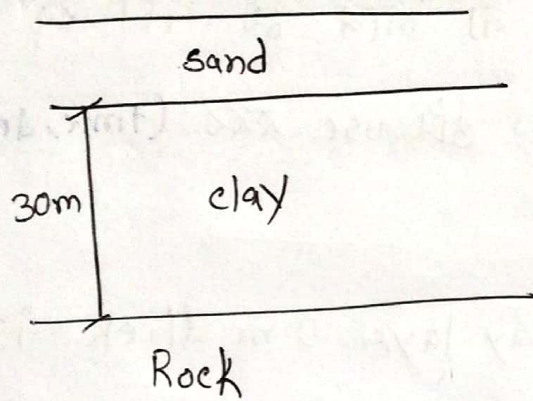
ABD एर corner point C तः  $\frac{q}{\pi} \alpha$   
 + rectangular बाना (CDEF);  
 rectangle एर उर P point ए

এস করে উপরের BDE triangle subtract করুন (ছোট  
triangle এর  $q$  linear interpolate করে এস করাও হবে  
এই triangle থেকে)

3/9/19

Lec-18

#



1 way drainage

$$c_v = 0.025 \frac{\text{cm}^2}{\text{min}}$$

Final settlement = 8 cm

How much time it will take for attaining 80% of total settlement

- ② ~~100%~~ settlement occur এর time
- ③ 1 year পর settlement ?

Ans:

① settlement associated with primary consolidation এখানেই final settlement (বের করা শিখর) (অন্য data দিবে)

$$T_v = \frac{C_v \times (\text{+})}{H_{dr}^2}$$

$$T_v = \frac{\pi}{4} \left( \frac{U}{100} \right)^2 \leq 60$$

$$H_{dr} = \frac{300}{1000} \text{ cm}$$

$$T_v = 1.781 - 0.933 \log(100 - U)$$

(2 way drainage দেখে)

$$T_v = 0.567$$

U = 80% থেকে

$$T_v = \frac{C_v \times t}{H_{dr}^2} \Rightarrow t = 3.88 \text{ year}$$

$\swarrow$  0.025  
 $\searrow$  1500 300

②

$$U = \frac{208 \times 2.5}{8} = 31.25\% \text{ consolidation}$$

$$T_v = \frac{\pi}{4} \left( \frac{31.25}{100} \right)^2 = 0.077$$

$$0.077 = \frac{0.025 \times t}{300^2} \Rightarrow t \approx 193 \text{ days}$$

③

$$T_v = \frac{0.025 \times 1 \times 365 \times 60 \times 24}{300^2}$$

$$= 0.146 \quad [\text{শ্রাৱন 60\% ঙ্খার কঙ্ক consolidation}]$$

$$0.146 = \frac{\pi}{4} \times \left( \frac{U}{100} \right)^2 \Rightarrow U = 43\%$$

$$\text{consolidation} = 8 \times 0.43 = 3.44 \text{ cm}$$

# 308 mm  $\rightarrow$  ultimate settlement in a homogenous clay layer.

After a span of 2 years, Avg settlement 108 mm

How time it would take to attain  $\leq 220$  mm settlement?

$$S_f = 308 \text{ mm}$$

$x$  mm  $\downarrow$  এর ক্ষেত্রে  
দিতে পারে। ✗

$\Rightarrow$

$$\frac{220}{308} = 72\% \text{ consolidation}$$

$$T_v = 1.781 - 0.933 \log(100 - 72) = 0.42$$

$$T_v = \frac{c_v \times t}{H_{dr}^2} \quad [\text{যদি both/single way drainage না বলা থাকে মোকাবেলা assume করে নিব}]$$

$$0.42 = \frac{c_v \times 2}{H_{dr}^2}$$

When 108 mm settlement, % consolidation  $\frac{108}{308} \times 100 = 35\%$

$$T_v = 1.781 - 0.933 \log(100 - 35) = 0.96$$

$c_v$  constant always. for the same soil

$$c_v = \frac{T_{v1} H_{d1}^2}{t_1} = \frac{T_{v2} H_{d2}^2}{t_2}$$

$$\Rightarrow T_{v1}/t_1 = T_{v2}/t_2$$

$$\Rightarrow T_{v2} = t_2 \cdot \frac{T_{v1}}{t_1}$$

# In a consolidation test,

initial clay thickness  $\rightarrow 25 \text{ mm}$

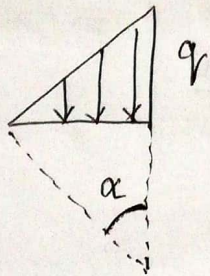
in the field, from which the sample was collected

was 6000 mm. sandwiched by 2 sand layers. structure

final settlement = 200 mm. settlement after 100 days?

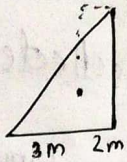
$\rightarrow$  result 104 mm

embankment / ব্যস্ততার settlement

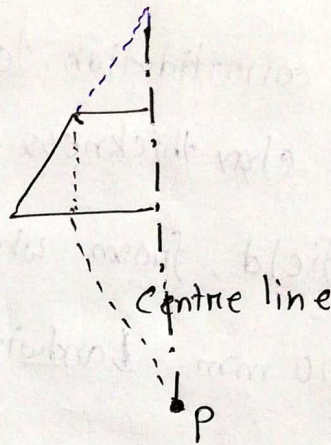


$$\sigma_z = \frac{q}{\pi} \alpha$$

বের করব



stress = ?



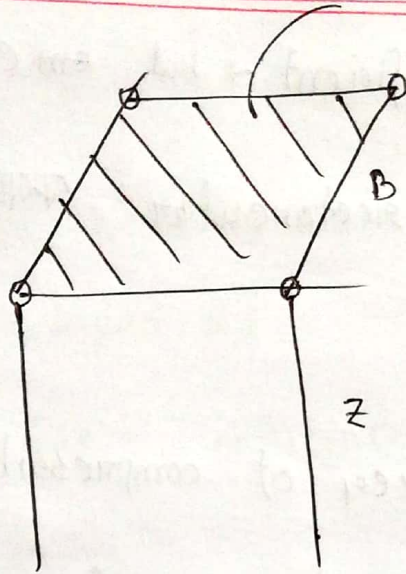
Practice করব বিভিন্ন loading condition.  $x$  m এ আছে।

triangle + rectangular loading এর জন্য মোকোল type এর condition তৈরি করতে পারব।

For rectangular shape of footing stress is  
calculated only at a point in at corner point.  
at a depth of  $z$

এটা use করে মোকোল জায়গার stress বের করব।

rectangular footing



$$\frac{L}{z} = m \frac{B}{z} = n$$

2 conditions

- (1)  $m^2 + n^2 + 1 > m^2 n^2$
- (2)  $m^2 + n^2 + 1 < m^2 n^2$

m and n mutually interchangeable.

for condition 1,

$$\sigma_z = \frac{q}{4\pi} \left[ \frac{2mn \sqrt{m^2 + n^2 + 1}}{m^2 + n^2 + 1 + m^2 n^2} \times \frac{m^2 + n^2 + 2}{m^2 + n^2 + 1} + \sin^{-1} \frac{2mn \sqrt{m^2 + n^2 + 1}}{m^2 + n^2 + 1 + m^2 n^2} \right]$$

[এর রadian গ  
হবে]  $\frac{2mn \sqrt{m^2 + n^2 + 1}}{m^2 + n^2 + 1 + m^2 n^2}$

for condition 2,

$$\sigma_z = \frac{q}{4\pi} \left[ \frac{2mn \sqrt{m^2 + n^2 + 1}}{m^2 + n^2 + 1 + m^2 n^2} \times \frac{m^2 + n^2 + 2}{n^2 + m^2 + 1} + \pi - \sin^{-1} \left[ \frac{2mn \sqrt{m^2 + n^2 + 1}}{m^2 + n^2 + 1 + m^2 n^2} \right] \right]$$

square footing গ  $m = n$  হবে।

এর angle

\* ~~stress~~ stress distribution এর এর math  $\wedge$  radian গ express

Circular footing most efficient  $\rightarrow$  but cumbersome

then square, then rectangular  $\rightarrow$  inefficient

then wall footing.

# A 2m thick layer of compressible soil with an average void ratio of 1.02 is subjected to a overburde pressure of  $100 \text{ kN/m}^2$ . Laboratory

consolidation test shows that the eq<sup>n</sup> of  $e - \log p$

curve is 
$$e = e_0 - 0.125 \log_{10} \frac{p}{p_0} \quad (p = p_0 + \Delta p)$$

① Find the change in volume per unit volume of

the compressible layer. (জানি  $m_v$  বের করা)

$$(m_v = 1.49 \times 10^{-4} \text{ m}^2/\text{kN})$$

② If the soil is laterally confined, so that all the

volume change results in change in height (জানি

1D consolidation); calculate the settlement that

would result due to the increased load. 
$$s = m_v \frac{H \Delta p}{2}$$

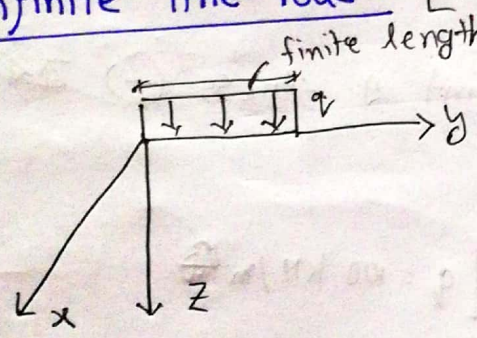
xm এ data দেখা না থাকলে ক্ষুদ্রতম মানে দিয়া দিয়া বড় করে  
কত assume করাছি

→ + a large structure at the ground surface  
increase the pressure  $70 \text{ kN/m}^2$  (assume করে নিব  
এই mid layer এ)

[Ans. এ মাত্র settlement acceptable নাকি না]

11/9/19

Infinite line load : [derive বিস্ময় না]



at the end point এ এ  
increase in vertical stress  
হবে করার জন্য applicable.  
(at any depth)

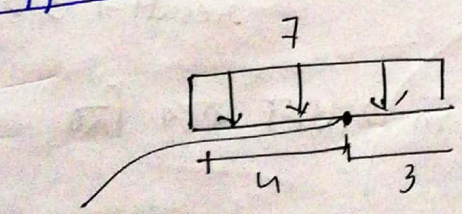
$$m = \frac{x}{z} \quad n = \frac{l}{z}$$

(they are not mutually interchangeable)

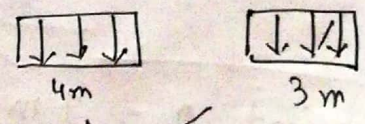
$$\sigma_z = \frac{q/z}{2\pi(m^2+1)^2} \left[ \frac{3n}{\sqrt{m^2+n^2+1}} - \left( \frac{n}{\sqrt{m^2+n^2+1}} \right)^3 \right]$$

করতে হবে diagram  
middle এ করতে গেলে ২ জায়গা (middle এ highest  
stress

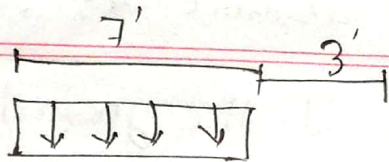
Application :



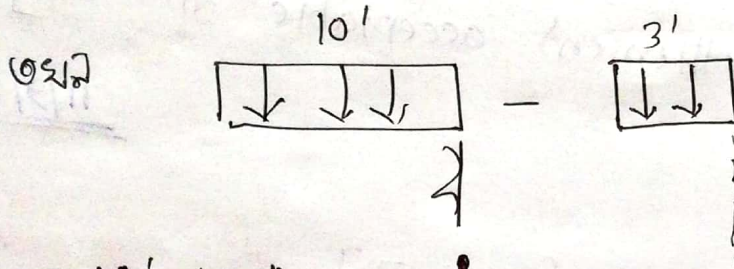
স্ট্রেস  
ত্রুটি



দুটোর corner এ হবে সব

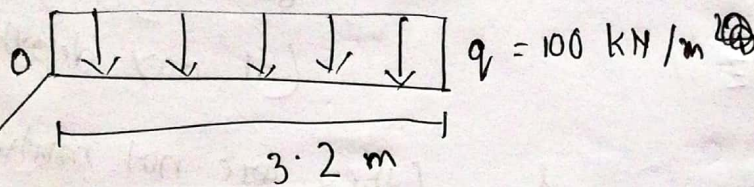


• — କଣ stress ?

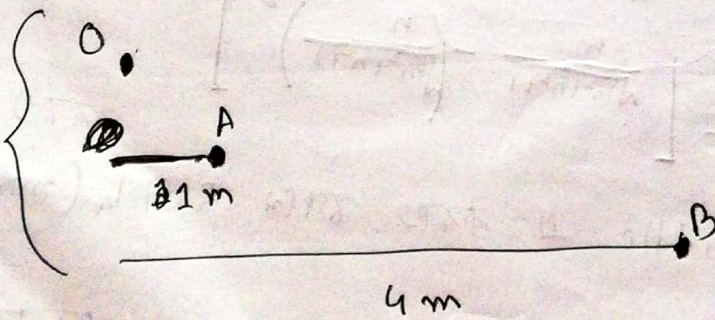


10' loading ଏବଂ ଓଡ଼ି corner ଶ stress କର କାର 3'  
loading ଏବଂ ଓ corner point ଶ stress (-) କର

Problem:



3 ଶାସ୍ତ୍ରୀ stress ?



• 0 point ଶ

$$z = 4$$

$$x = 2$$

$$m = \frac{2}{4} \quad n = \frac{3.2}{4}$$

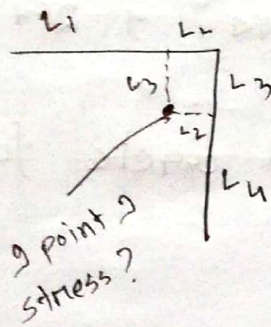
result  $\rightarrow 3.94$  (0 point ଶ)

A point ଶ  $\rightarrow 1$  m ଓ 2.2 m ଶ ଡାମ କାର ନି

result  $\rightarrow 4.778 \text{ kN/m}^2$

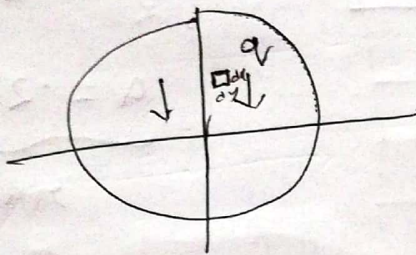
B point  $\rightarrow$  4 m  $\rightarrow$  loading - 0.8 m  $\rightarrow$  loading  
 result  $\rightarrow$  3.01 KN/m<sup>2</sup>

##



$\rightarrow$  suppose  $\rightarrow$  wall joint

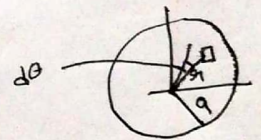
##



circular shape subjected to q intensity of load. axis  $\rightarrow$   $\rightarrow$  point  $\rightarrow$  increase in stress?

$$\frac{3Q}{2\pi} \frac{z^3}{(z^2 + a^2)^{5/2}}$$

$$\square \int q dx dy = \int \int q dx dy$$



point load soln  $\rightarrow$  concept  $\rightarrow$

$$\int_0^{2\pi} \int_0^a \frac{3.14 da d\theta q}{2\pi} \frac{z^3}{(z^2 + a^2)^{5/2}}$$

Final expression  $\rightarrow$  
$$\sigma_z = q \left[ 1 - \frac{1}{\left\{ 1 + \left( \frac{a}{z} \right)^2 \right\}^{3/2}} \right]$$

শুধু এটা জানে রাখবে

$$\frac{a}{r} = \left\{ \left( 1 - \frac{\sigma_2}{q} \right)^{-2/3} - 1 \right\}^{1/2}$$

$\sigma_2 = 9$  পর্যন্ত value এর ক্রম পাওয়া যায়, 1 হলে  $\propto$  হবে।

→ This eq<sup>n</sup> represents series of concentrated circle for various ratio of  $\frac{\sigma_2}{q}$

| $\frac{\sigma_2}{q}$ | $\frac{a}{r}$ |
|----------------------|---------------|
| 0.1                  | 1.27          |
| 0.2                  | 1.4           |
| 0.3                  | 1.52          |
| 0.4                  | 1.64          |
| 0.5                  | 1.77          |
| 0.6                  | 1.9           |
| 0.7                  | 1.11          |
| 0.8                  | 1.39          |
| 0.9                  | 1.91          |
| 1.0                  | $\infty$      |

$$\frac{a}{r} = 1.27$$

$$a = 1.27 \times r$$

radius

$$\frac{a}{r} = 1.92$$

$$\Rightarrow a = 1.92 \times r$$

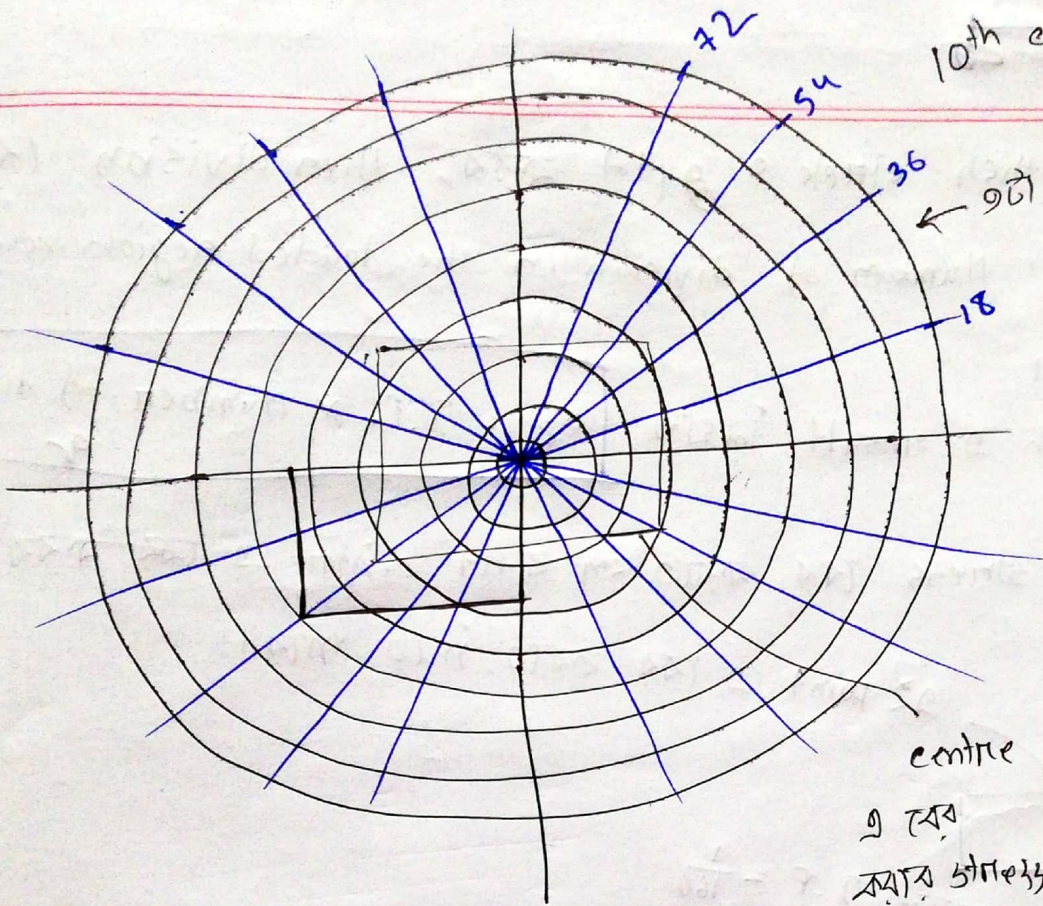
radius

এখানে ২৫ circle টা আগে plot করা। (scale বুঝার জন্য)  $r$  scale fix করা আগে

~~corresponding to~~

Approximate sol<sup>n</sup> পাওয়া এখন

then যাকি এর circle এর radius বের করে draw করবে (এ এর আপেক্ষিক)



10th circle goes to infinity

← 9th circle

centre এ বের করার সময়  
 $z$  (suppose 2" এর define করুন)

প্রতি quadrant এ 5 এর ব্যবধ  
 18, 36, 54, 72

প্রতি segment এ তাহলে 9 টি ভাগ

প্রতি quadrant এ number of division  $\rightarrow$  50 টি

total number  $\rightarrow 50 \times 4 = 200$

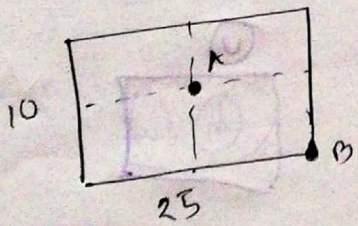
$$\frac{\text{D.P.}}{\text{I.F.}} = \frac{1}{200}$$

10' depth এ A আৰু B point এ

10' depth  $\rightarrow$  2"

25'  $\rightarrow$   $\bigcirc$  scale এ বের করব

same scale এ convert



$2'' = z$   
 (10' depth = 2" represent করবে)

~~.....~~

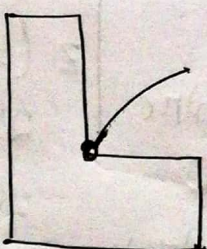
করা then circle এ plot করা, then division করা  
 করা। Number of division in the loaded region count  
 করা।

Graph এ result লিখবে

$$\sigma_z = I.f. \times \text{Number of divisions}$$

max stress বের করতে প কনসে centre এ বের করা

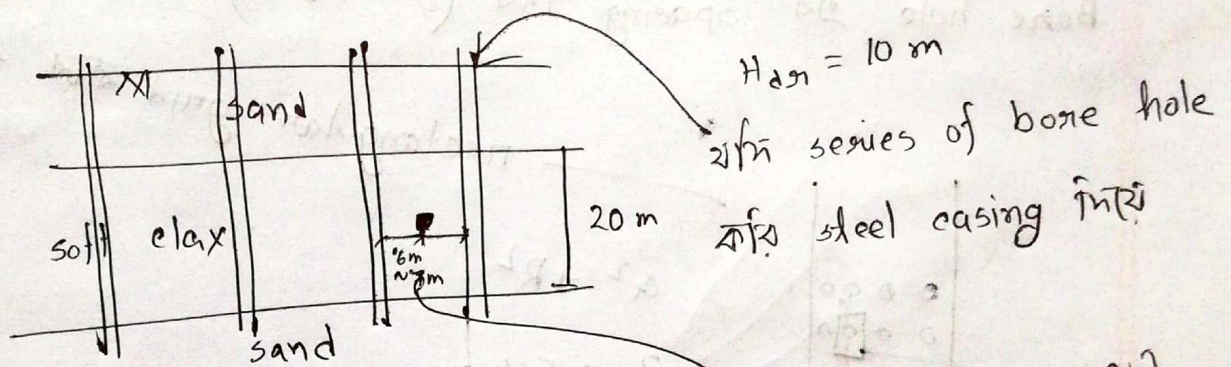
এই point এ বের করতে দিতে পারে।



৭ ভাগ করা I.f = 1/160

Application

embankment এর settlement 2, 3, 4 cm allow  
 settlement suppose achieve করতে 30 yrs. লাগবে, But  
 আন্ডার বাল দিল 3 yrs এ attain করতে হবে।



$$C_v = \frac{T_v \times (H_{d1})^2}{t_1} = \frac{T_v (H_{d2})^2}{t_2}$$

(0.6 ~ 0.8) m হলে ওই  
 Length of the drainage path

$$\left( \frac{H_{d1}}{H_{d2}} \right)^2 = \frac{t_1}{t_2}$$

$$\Rightarrow \left( \frac{10}{0.8} \right)^2 = \frac{t_1}{t_2}$$

$$156 = \frac{t_1}{t_2}$$

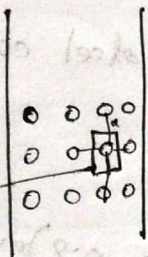
Conventionally মনে যদি 90% settlement attain করতে 156  
 year লাগে, এটার drainage path change করে (Horizontally  
 3 flow করতে পারি) settlement time কমাতে পারবে।

এখানে Horizontally পানির flow করা হবে; আরে পুষ্টি vertically flow হচ্ছিল।

$$\frac{\partial v}{\partial t} = c_v \frac{\partial^2 v}{\partial z^2} + c_n \left[ \frac{\partial^2 v}{\partial x^2} + \frac{1}{r} \frac{\partial v}{\partial r} \right]$$

Bore hole এর spacing নিচ (3-4.5 m)

rectangular grid করে বসানো

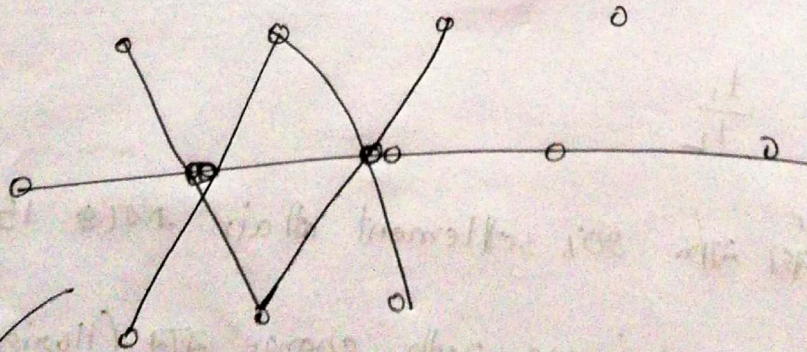


$$a^2 = \pi R^2$$

$$R = 0.564 a$$

এখানে area এর pore water P dissipate করে

বা triangular grid ব্যবহার করতে পারি (Installation একটু tough)



Hexagonal area এর ক্ষেত্রে  $R = 0.525 a$

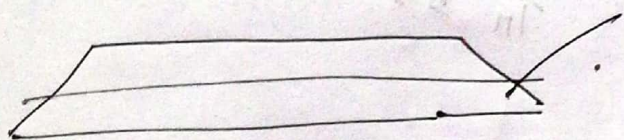
Depth of the sand grain: subsoil cond<sup>n</sup> ଓ ଶରୀର ଉପରେ ନିର୍ଭର କରେ ।

full thickness of the clay layer penetrate ହେବା ଉପରେ ଶରୀର ।

end ଓ ଏକ permeable layer ଏ ଲାଗି ହେବା ଉପରେ ଶରୀର ।

Reported value  $\rightarrow$  max

Drainage Blanket — ଏହା use ହେବା ଉପରେ ଶରୀର ।  
 Gravel / coarse sand filter  
 Blanket 3m ~ 1m thickness



types of soil to be used:

where the settlement is significantly contributed by the primary consolidation and not suitable for the soil which have substantial secondary effect.

$$T_{cr}(\text{radial direction}) = \frac{c_h \times t}{4R^2}$$

$$n \cdot b = \frac{R}{a}$$

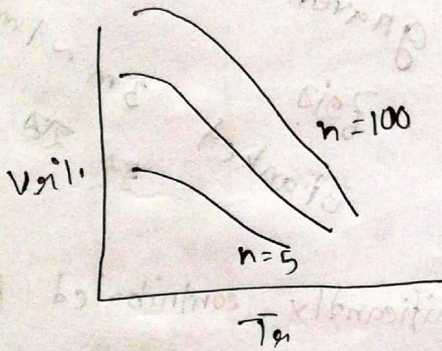
ARRangement (square grid / triangular grid)

(300 mm ~ 600 mm) dia vary ହେବା

steps: (in designing)

1. Determine  $u_2$  against  $T_2$  from the normal consolidation curve

2. Determine  $u_n$  (D.O.C. eff associated with horizontal flow / radial flow from Barron's chart)



$T_n$  এর value  $T_2$  এর  $u_n$



Resultant degrees of consolidation  $U = U(u_2, u_n)$

$$= 100 - \frac{1}{100} (100 - u_2)(100 - u_n)$$

$T_2, u_2$  fixed  $\therefore$  যদি  $n$   $\downarrow$  change করতে পারবে

দেওয়া হবে (spacing কমায়, bore hole এর dia বাড়ায়..)

pg 11-18 [peck এর] math + relationship

compaction বাইরে আর

seepage  $\rightarrow$  coeff. of permeability এর effect কত ?

k determination (field + empirical) [cohesionless soil]

consolidation আর cohesive এর parameter

pg (39-43); table 2.1 page 43  $\rightarrow$  পড়

article 2-3 x

article 2-4 - principal of effective stress, neutral stress,

seepage pressure, quick sand cond<sup>n</sup>. [line by line পড়]

article 2-2  $\rightarrow$  জানা করে পড়

Laplace eq<sup>n</sup> of continuity - BM Das এর রই

Assumption, derive, eq<sup>n</sup> এর mathematical আর graphical

interpretation (flow net diagram  $\rightarrow$  থাকবে xm এ)

$\downarrow$   
confined layer এর লে পড়ছি এতে পড়.

flow net dia জানা থাকলে effective stress কিভাবে হবে

করবে হয়? seepage loss?

uplift pressure in a hydraulic str.

hydraulic structure and sheet pile এর stability check?

Hazaid's criteria downstream side এর structure এর

এর applicable.

Factors affecting the seepage force

↳ increase L of drainage path

↳ emankment depth ↑ → sheet pile

↳ filter material use

↳ downstream clay layer দিয়া না

Darcy's velocity and seepage velocity এর relation

ques এ কিছু না সমলে velocity বনাম discharge velocity

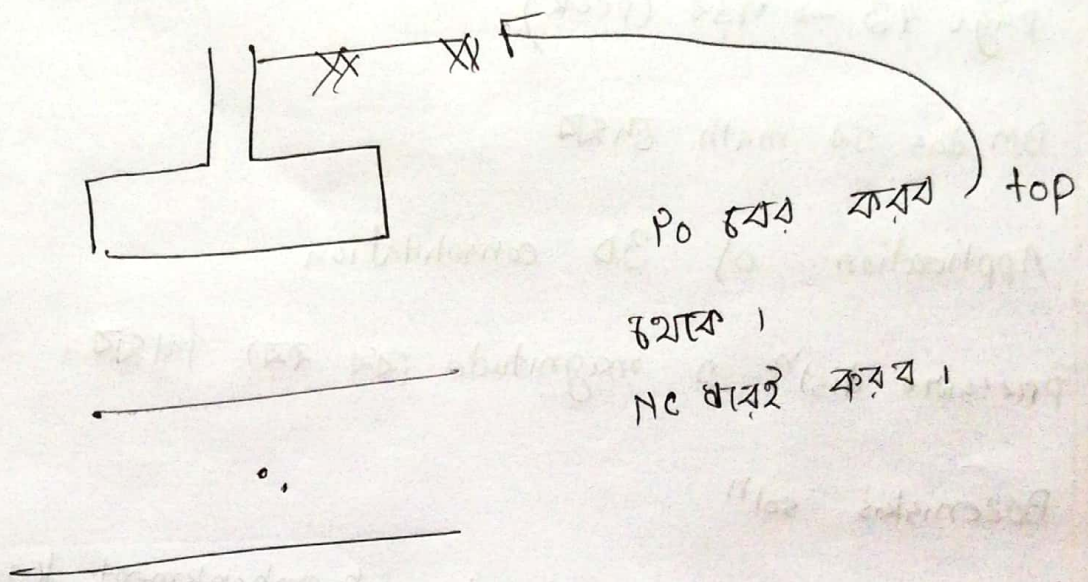
সুখায়া।

Consolidation [আলেক imp.]

e vs P

earthquake, fluctuation of water table . . . . → কল soil 'OC' এর।

এই course এ একটি layer ই থাকবে (clay এর)



settle stage 1, 2, 3 (consolidation এর)

rate analysis, Terzaghi's 1D consolidation theory.

derivation যদি থাকে তাহলে কোন stage এ কোন assumption করাছি বলব।

Limitation → soil homogeneous, uniform না, real এ 1D তে

flow হয় না

settlement calculate করতে total length of the drainage path. rate analysis এ 'drainage path এর দিওতে

half হবে বা হবে না।

80% — 283 (Tv)  
consolidation

exact বের করতে eq<sup>n</sup> use করতে হবে solve করতে

Factors affecting secondary consolidation

page 73 → পড়া (peck)

BM das এর math লেখা

Application of 3D consolidation

pressure dist<sup>n</sup> এর magnitude বরা বরা লিখা।

Bozeniskis sol<sup>n</sup>

finite line load, circular, & embankment loading . . .

new mark chart

{ drawing + info বরা আছে লিখা + বি কি বরা করা  
হা লিখা ? লিখ

mark আছে।

expression লিখা always direct লিখা না।