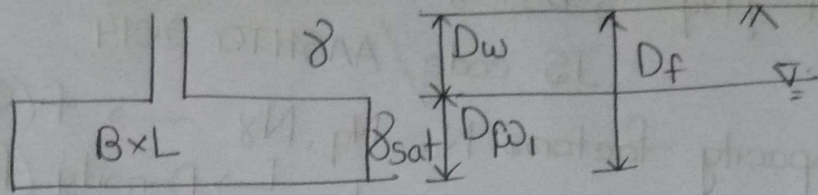


Shallow foundation:



Shallow foundation, $\frac{D_f}{B} \leq 2.0$

Types: 1. Line/Wall footing

2. Individual footing

3. Combined footing (Superimposed / High load density)

4. Raft footing (>50% superimposed)

3. Double layer reinforcement.

D_f = depth of footing

All formulas assume footing to be on the ground surface. Practically, not given, due to:

1. Neighbour/Drain cutting will cause the foundation to be supported.

2. Pests will make their nests

References:

1. Advanced Foundation Engineering:
- VNS Murthy

2. Foundation Engineering
- Varghese.

3. Peck Hanson, Thornburn

Bearing Capacity:

$$q_u = C N_c + q N_q + \frac{1}{2} B \gamma N_\gamma$$

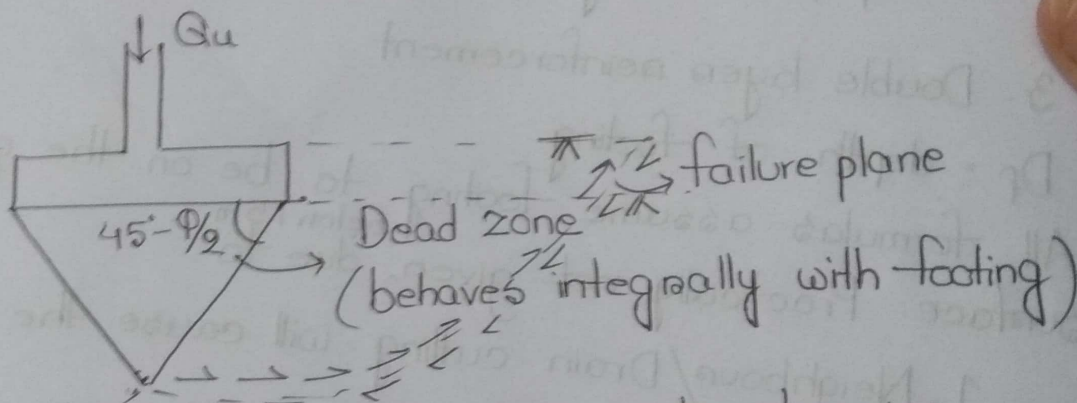
Terzaghi, IS code / AASHTO 2014

Bearing capacity factors: $N_c, N_q, N_\gamma \rightarrow f(\phi)$
 \rightarrow Density (for soil)
 \rightarrow Overburden pressure
 \rightarrow Cohesion

$$q = \gamma_{soil} D_f$$

For clay soil, First two terms.

Sandy soil, Last two terms.



Foundation বাজে হইলে ঘোবে। জনে soil upheaving.
 Generalized shear failure.

*We want generalized shear failure for greater arc length. Ground surface নিচে থাকলে arc length কমবে ঘাবে। D_f যত বেছি নিচ, তত বেশি friction develop করবে।

Q. How does D_f contribute to bearing capacity?

Table 5.1 and 5.2 (We use Meyerhof)

Sand ϕ

Loosest $\phi = 28^\circ$ (minimum) [Direct shear report]

Dense $> 40^\circ$

$$\phi = \sqrt{20N} + 15^\circ$$

$$= 0.3N + 27^\circ$$

N (SPT) should be measured from $p = 1 \text{ kg/cm}^2 = 100 \text{ kPa}$.

$P \uparrow N \uparrow$

Confining pressure বর্ধিত হলে N বর্ধিত হয়।

Correction factor $< 2 \rightarrow P$ বর্ধিত হলে।

$$q = \gamma D_f = \gamma D_w + \gamma_{sat} D_w$$

$$q'_0 = \gamma D_w + (\gamma_{sat} - \gamma_w) D_w$$

Pressure does not increase with depth infinitely. At critical depth, the pressure becomes fixed.

$Q_u = q_u \times A_f$ = Ultimate capacity of soil

Net bearing capacity = $q_u - \gamma D_f$

Net allowable bearing capacity $q_{allow} = \frac{q_u - \gamma D_f}{FS (=3)} - \gamma D_f$

Safe allowable bearing capacity = q_{allow} when settlement okay.
(Serviceability consideration)

Settlement = 1"

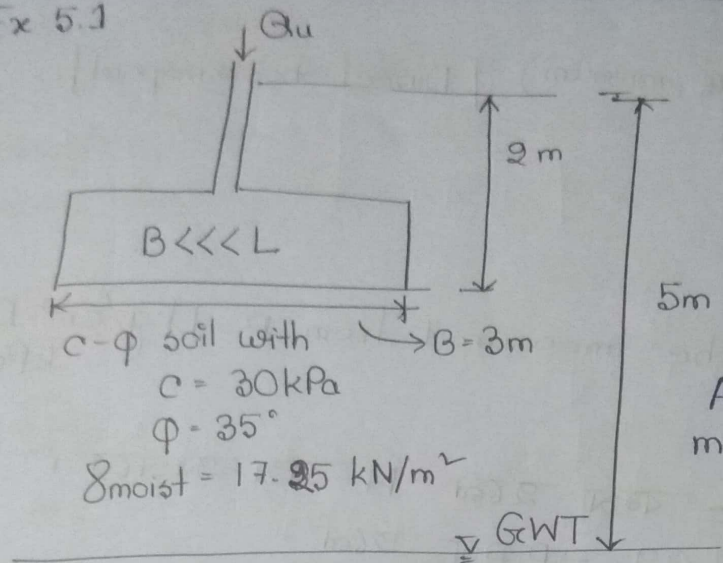
① Increase footing area

$$q_u = c N_c S_c D_c i_c + \gamma N_q S_q D_q i_q + \frac{1}{2} B \gamma N_\gamma S_\gamma D_\gamma i_\gamma$$

(Generalized bearing capacity)

Formulas are for line footing. For others, Shape factor and Depth factors, Inclination factors (Table 5.3. Meyerhof)

Ex 5.1



$B \ll L \rightarrow$ Strip Footing

Find q_u, q_{nu}, q_{na} .
Allowable load per m on footing

$$q_u = C N_c S_c d_c + q' N_q S_q d_q + \frac{1}{2} B \gamma N_\gamma S_\gamma d_\gamma$$

Shape factors (Table 5.3 ~ Meyerhof)

$$S_c = 1 + 0.2 N_\phi (B/L)$$

$$N_\phi = \tan^2 (45^\circ + \phi/2) = 3.69$$

$$S_q = 1 + 0.1 N_\phi (B/L) \text{ for } \phi > 10^\circ$$

$$S_\gamma = S_q \text{ ; for } \phi > 10^\circ$$

$$S_\gamma = S_q = 1 \text{ ; } \phi = 0^\circ$$

Depth factors:

$$d_c = 1 + 0.2 \sqrt{N_\phi} \cdot (D_f/B)$$

$$d_q = 1 + 0.1 \sqrt{N_\phi} \cdot (D_f/B)$$

$$d_\gamma = d_q \text{ for } \phi > 10^\circ$$

$$d_\gamma = d_q = 1 \text{ ; } \phi = 0^\circ$$

$$S_q = S_c = S_\gamma = 1$$

$$d_c = 1.257$$

$$d_q = d_\gamma = 1.128$$

[Terzaghi, Table 5.1 for $\phi = 35^\circ$, $N_c = 57.8$, $N_q = 51.4$, $N_\gamma = 42.4$]

Meyerhof [Table 5.1]

Linear interpolation, [Decimal should be included] Better practice to use γ'

$N_c = 46$, $N_q = 33$, $N_\gamma = 37$

$q' =$ overburden effective pressure - $\gamma D_f = 17.25 \times 2 = 34.5 \text{ kPa}$

$$q_u = 30 \times 46 \times 1.257 + 34.5 \times 33 \times 1.128 + \frac{1}{2} \times 3 \times 17.25 \times 37 \times 1.128$$

$$= 1735 + 1284 + 1080$$

$$= 4099 \text{ kPa}$$

Q. Why γD_f is subtracted from q_u to get q_{nu} ?

$$q_{nu} = q_u - \gamma D_f = 4099 - 17.25 \times 2 = 4064 \text{ kPa}$$

Allowable, $q_{ne} = \frac{q_u}{FS} - \gamma D_f$ [Q. Why FS is not applied to γD_f ?]

$$= \frac{4099}{3} - 34.5$$

$$= 1332 \text{ kPa}$$

Because q_u is uncertain, γD_f is not

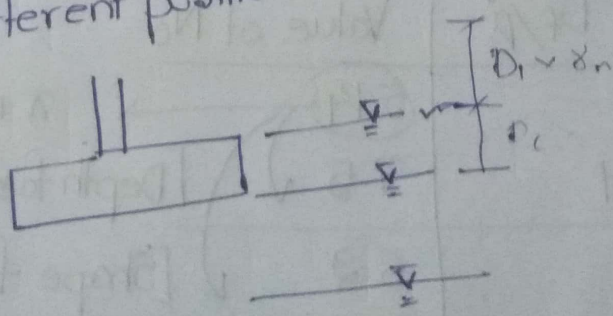
$$Q_{na} = q_{ne} \times B = 3996 \text{ kN/m}$$

Q. Draw se

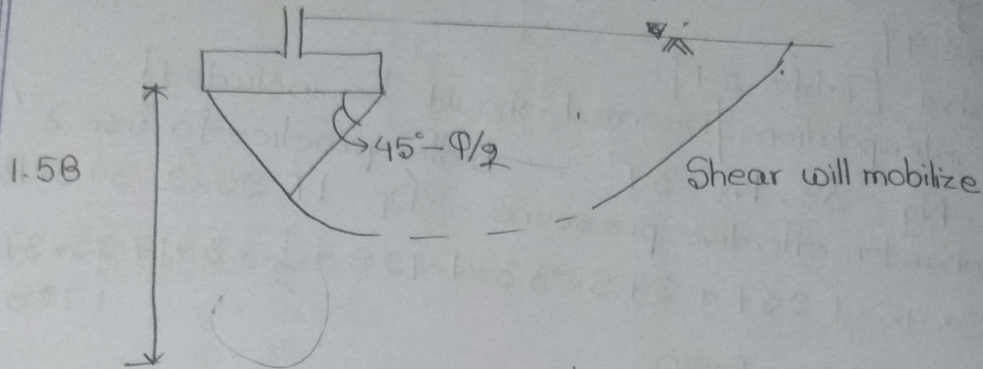
* যদি GW এর নিচে থাকে তাহলে q এর জন্য γ_{moist} আর $\gamma = \gamma_{sat} \gamma_w$ ব্যবহার করতে হবে।

γ_{sat} is maxm value.

* Try with different positions of GW

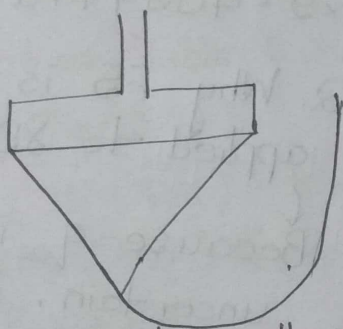


Q. Draw schematic diagram of general shear



1.5B পর্যন্ত compact করা must

ডানের অধিকা dense না করা হলে,



Sharp failure, Arc length কমবে.
Mobilization shear কমবে

Bearing capacity will change.

$$c = \bar{c}' = 0.67c$$

$$\tan \bar{\phi} = 0.67 \tan \phi$$

$$\downarrow N_c, N_\gamma, N_q$$

The lower and upper limiting value of N_c for strip and square footing.

| VIVA | Ratio D_f/B | Value of N_c |
|--------|---------------|----------------|
| Strip | 0 | 5.14 |
| | ≥ 4 | 7.5 |
| Square | 0 | 6.2 |
| | ≥ 4 | 9.0 |

$\pi + 2 \sim$ (Elongated Circle)
 [Depth factor গুণ]
 [Shape factor গুণ]

CW

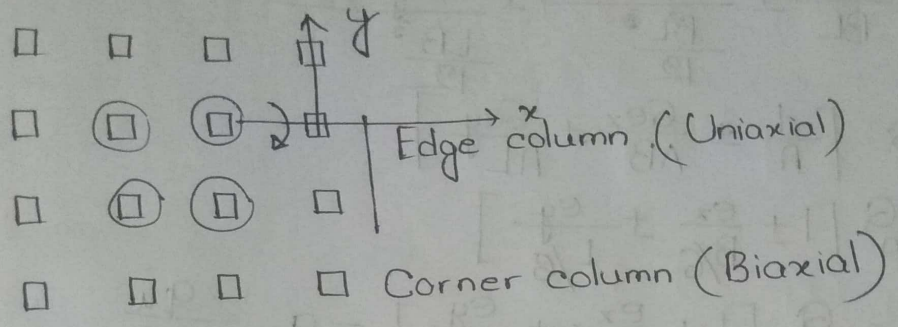
Self, Sum, Area, Area, Area, Area, Area

L-3

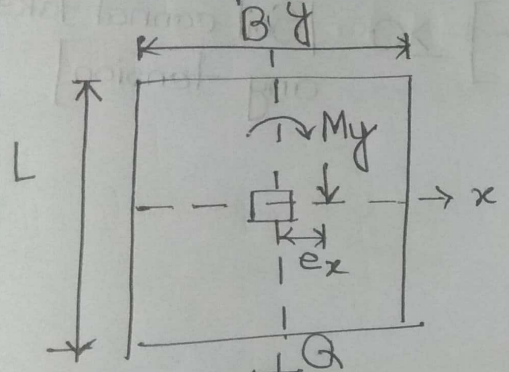
Date: 26/06/19

Bearing Capacity of foundation subjected to Eccentric Loading:

Interior column - Unbalanced Moment থাকবে না।

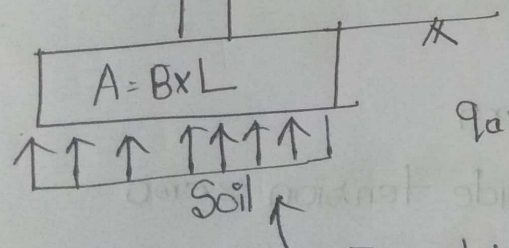


Column pattern.



$$q_u = C N_c S_c d_c + \phi = f(N)$$

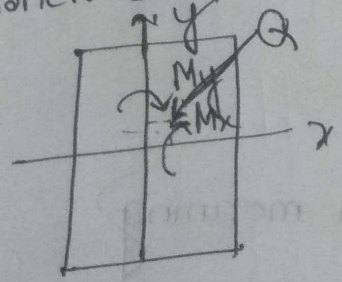
Meyerhof, Q
 N_c, N_q, N_γ
 $S_c, S_q, S_\gamma, d_c, d_q$



$$q_a = \frac{q_u}{FS}$$

Eccentric হলে uniform থাকবে না।

For corner column



$e_x = e_y =$ eccentricity of vertical loading.

$$q = \frac{Q}{A} \pm \frac{M_y x}{I_y} \pm \frac{M_x y}{I_x}$$

$$x = \frac{B}{2}, y = \frac{L}{2} \text{ (Extreme points)}$$

$$M_y = Q e_x, M_x = Q e_y$$

$$I_y = \frac{LB^3}{12} \quad I_x = \frac{BL^3}{12}$$

$$q = \frac{Q}{BL} \pm \frac{Qe_x \cdot B/2}{\frac{BL^3}{12}} \pm \frac{Qe_y \cdot L/2}{\frac{LB^3}{12}}$$

$$= \frac{Q}{A} \left[1 \pm \frac{6e_x}{AB} \pm \frac{6e_y}{AL} \right]$$

$$= \frac{Q}{A} \left[1 \pm \frac{e_x}{B/6} \pm \frac{e_y}{L/6} \right]$$

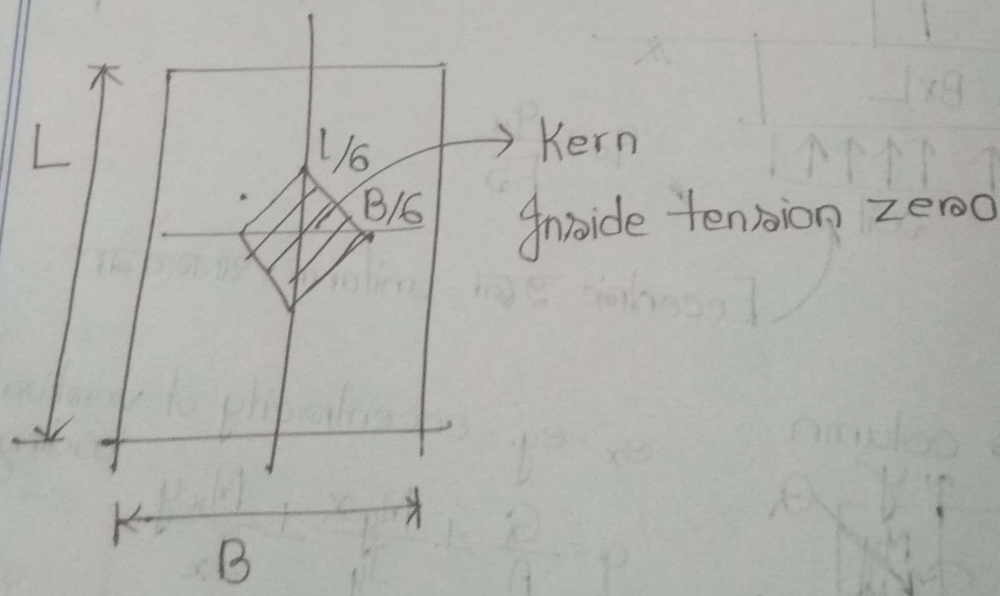
$$q_{max} = \frac{Q}{A} \left[1 + \frac{e_x}{B/6} + \frac{e_y}{L/6} \right] = q_a = \frac{q_u}{FS}$$

$$q_{min} = \frac{Q}{A} \left[1 - \frac{e_x}{B/6} - \frac{e_y}{L/6} \right] \geq 0 \quad [\text{Soil cannot take any tension}]$$

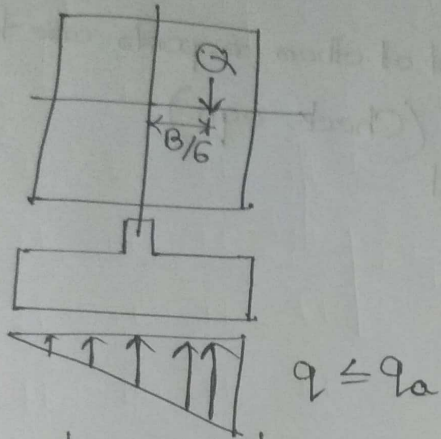
$$e_y = 0, \quad 0 = 1 - \frac{e_x}{B/6} - \frac{e_y}{L/6}$$

$$e_x = B/6$$

$$e_x = 0, \quad e_y = L/6$$

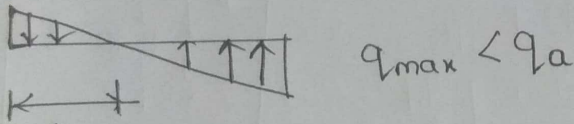


Q Develop Kern and explain meaning.



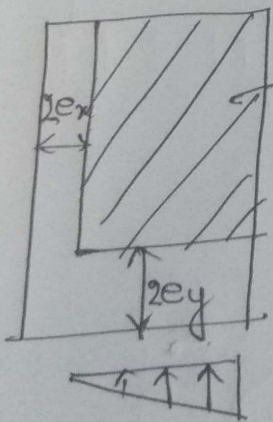
Triangular variation.

Footing resizing / Strap footing if tension, if other cond are not verified.



This distance becomes ineffective.

Effective length of footing, $B' = B - 2e_x$



Effective area of footing.
Capacity অধিক হয়ে যাবে (Triangular Variation)

$$Q_u = q_u \times A'$$

* Negative হয়ে যাচ্ছে পারে area. e_x, e_y (বাঁধি) হলে.

Related 5.16, 5.15

c-φ soil

Only SPT is believable, almost all other reports are fake.

* $\phi = \sqrt{N_{60}} \cdot \sqrt{9 \cot N + 15}$ (Check eqn)

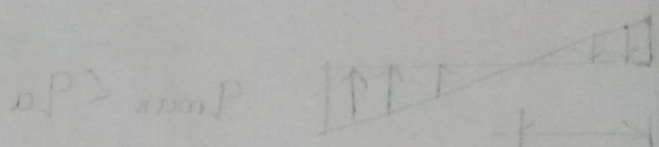
c from unconfined/triaxial

Pile integrity testing

5.40

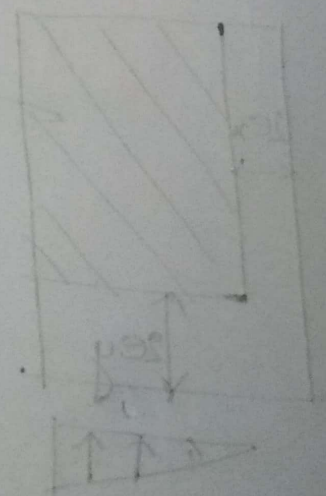
$q_c = q_u \text{ (kPa)} = \bar{K} \times N_{cor}$
 $\bar{K} = 12 - 25$

Read yourself: Layered Soil (Not for exam)



Effective length of footing = $B - 2\alpha$
 This distance becomes ineffective.

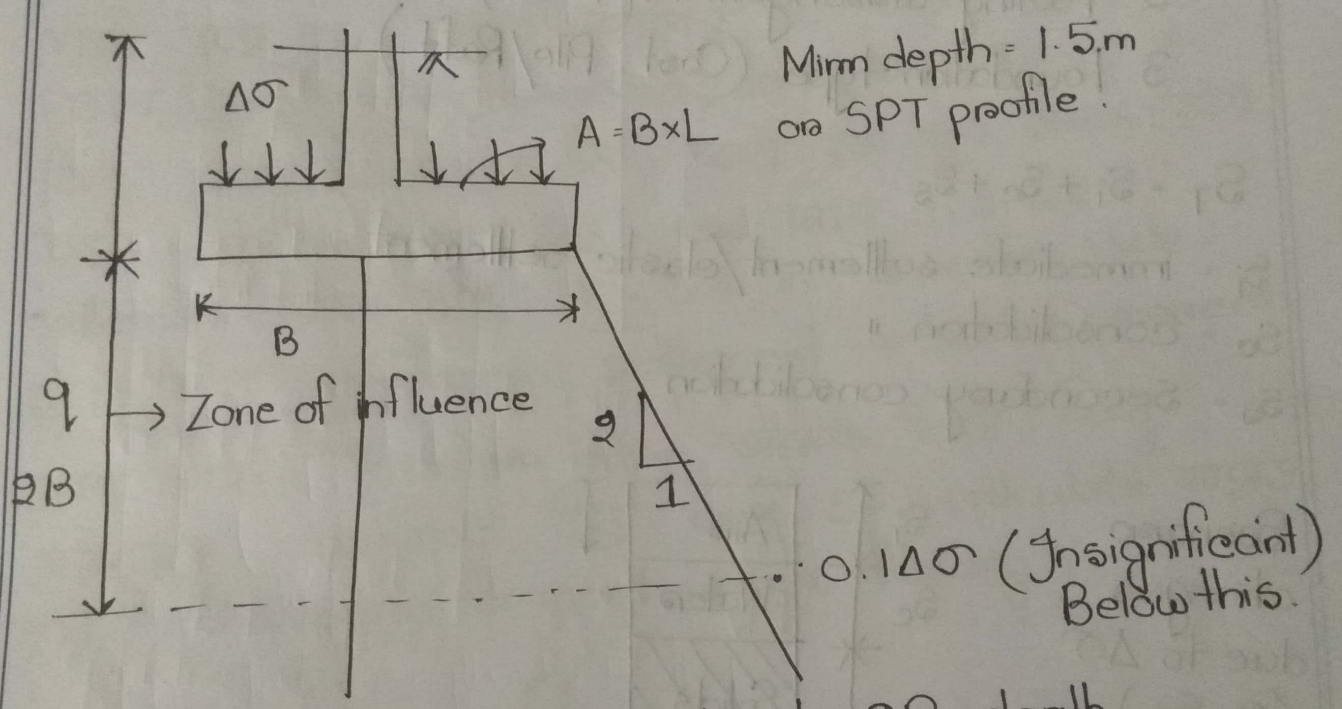
Capacity varies with depth (Variation) → Effective area of footing



Safe Bearing Pressure and Settlement Calculation
[Chapt-3, Murthy]

$$q_{ult} = c N_c S_{dc} + q N_q S_q d_q + \frac{1}{2} \gamma N_\gamma S_\gamma d_\gamma$$

$c \rightarrow \phi$ $N_c, N_q, N_\gamma \rightarrow f(\phi)$
 $N \rightarrow f(\phi)$



Normally, $\Delta\sigma$ becomes 10% at $2B$ depth.

$$q_{allow} = \frac{q_{ult}}{FS} \times \Delta\sigma$$

$\Delta\sigma$ must be unfactored as FS is applied later.

$$q'_i = \gamma D_f = (\gamma_{sat} - \gamma_w) D_f$$

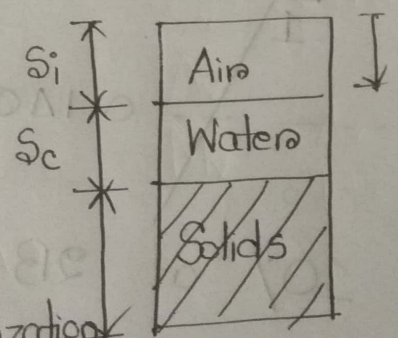
Settlement condition:
 $S_T < 25.0 \text{ mm}$ (Normal)
 $< 2 \times 25 \text{ mm}$ (Raft)

- If settlement is not satisfied, adjust:
1. Footing depth (নিচে নামতে হবে)
 2. Footing arrangement (Width)
 3. Foundation type (Cost, Pile/Raft)

$$S_T = S_i + S_c + S_s$$

S_i = immediate settlement/elastic settlement
 S_c = consolidation "
 S_s = Secondary consolidation

Scenario changes due to $\Delta\sigma$ (S_i, S_c)

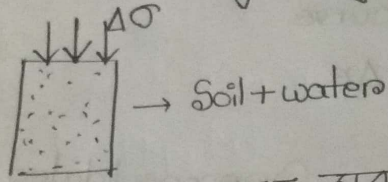


Fabric reorganization causes secondary settlement (insignificant)

For sand, $S_T \approx S_i \rightarrow f(E, \nu)$ E = Elastic modulus
 ν = Poisson ratio.
 clay $S_T \approx S_c$

[Math আসবে]

Calculation assuming clay saturated.



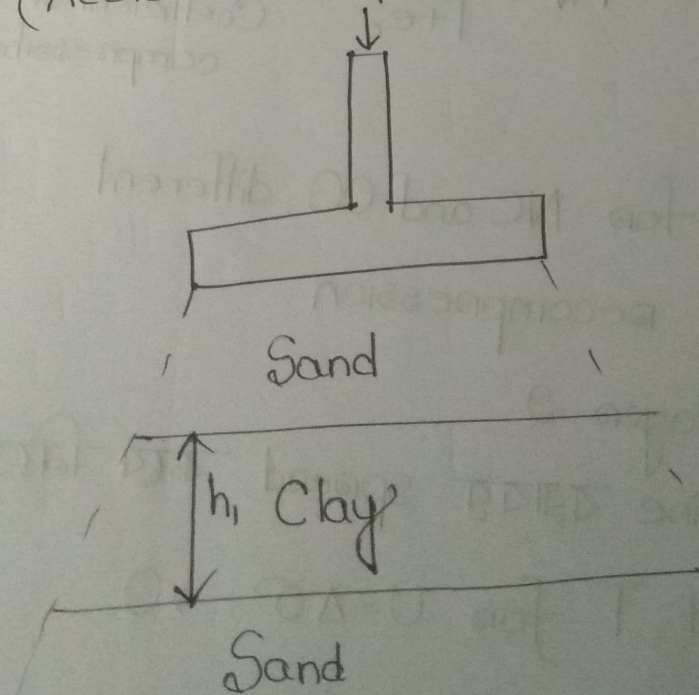
যদি strain কম হলে সব load নিবে। পানি incompressible অর্থাৎ water load নিবে।

পানি বের হয়ে যাবে। তারপর soil এর উপর pressure পড়বে যদি free drainage / sand থাকবে।

কিন্তু clay এর permeability কম হলে ধুব আসে বের হবে। Soil long time পরে load নিবে। So, final settlement যোগ্য অক্ষুব না। Soil in transition state.

হঠাৎ করে differential settlement → twisting moment.

ঢাকা জায়গায় Water Table অনেক নিচে। কিন্তু তারপরও saturated ধরে max S_T calculate করতে হয়। (Accidental trapped water, flooding)



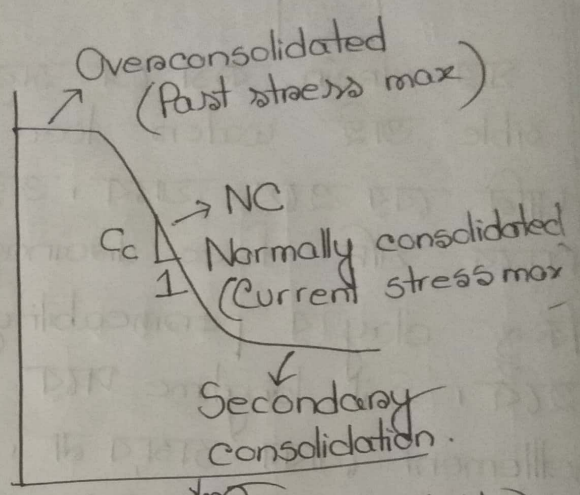
$$s_c = \frac{\Delta e}{1+e_0} H$$

$$q' = 50 \text{ kPa}$$

$$\Delta \sigma = 200 \text{ kPa}$$

e-log p curve
 $\Delta p \rightarrow \Delta e$

| σ' | Δe | e_0 |
|-----------|------------|-------|
| 10 | — | — |
| 20 | — | — |
| 40 | — | — |
| 80 | — | — |
| 200 | — | — |
| 400 | — | — |
| 800 | — | — |



C_c = coefficient of compressibility
 C_v = coefficient of consolidation
 A_v
 $M_v = \frac{A_v}{1+e_0}$ | Check Coefficient of volume compressibility.

$$\frac{C_c}{1+e_0} \log \frac{p + \Delta \sigma'}{\sigma_0}$$

* Settlement formula for NC and OC different

C_r = coefficient of recompression.

Recalculated for layer 2.

$\Delta \sigma$ byer centreline ব্যাবয় spread করে নিতে হবে,

Consolidation period T for $U = \Delta \sigma \rightarrow 0$

* Time reqd for 100% consolidation

$$\beta \left\{ \begin{array}{l} \text{NC} \quad 0.5-0.7 \\ \text{OC} \quad 1 \end{array} \right.$$

$$s = \beta_1 s_{\text{old}}$$

* Reasons for using factor β
 Settlement within design life
 যথেষ্ট আনুমান কারণ (১১১) Fig 6.14.

Example 6.12, P-223

[Exam এ ৩৩ layer থাকবে]

$$s_{\text{OC}} = \beta_1 \frac{C_R}{1+e_0} H \log \frac{\sigma'_c}{\sigma'} + \beta_2 \frac{C_c}{1+e_0} H \log \frac{\sigma'_c + \Delta\sigma}{\sigma'_c}$$

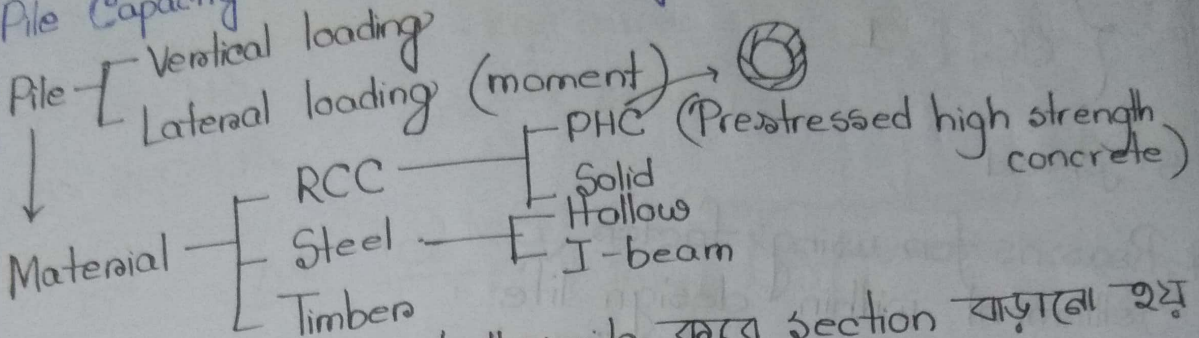
(Initial / Final)

$\beta_1 = 1.0$
 $\beta_2 = 0.5-0.7$

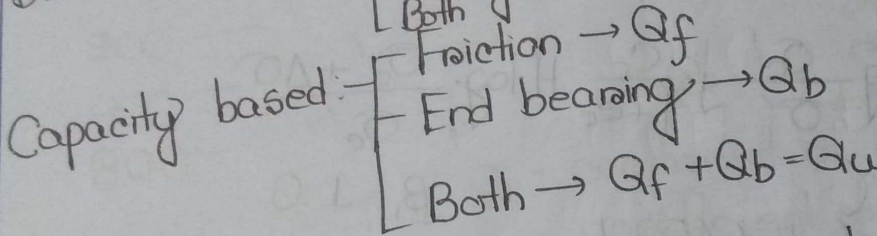
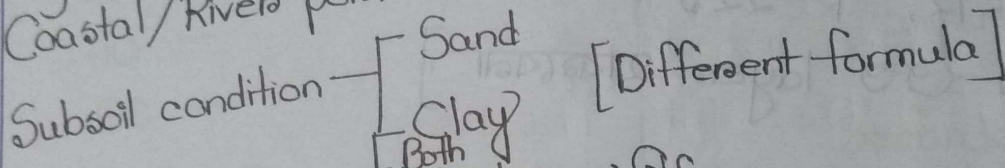
$$s_{\text{NC}} = \frac{C_c}{1+e_0} H \log \frac{\sigma'_c + \Delta\sigma}{\sigma'_c}$$

C.W.

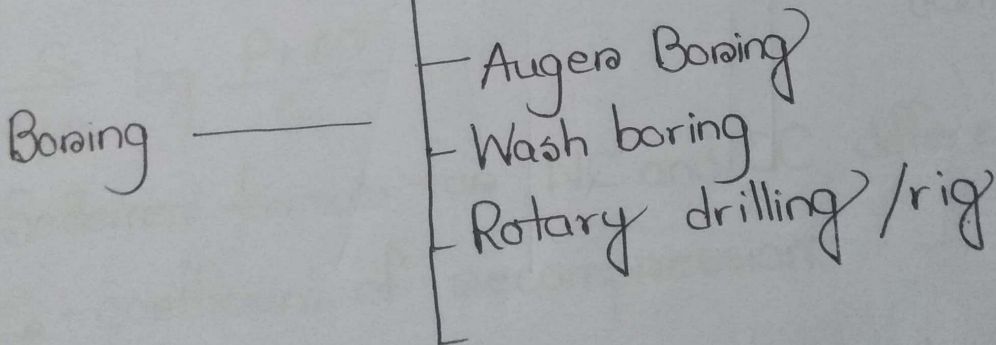
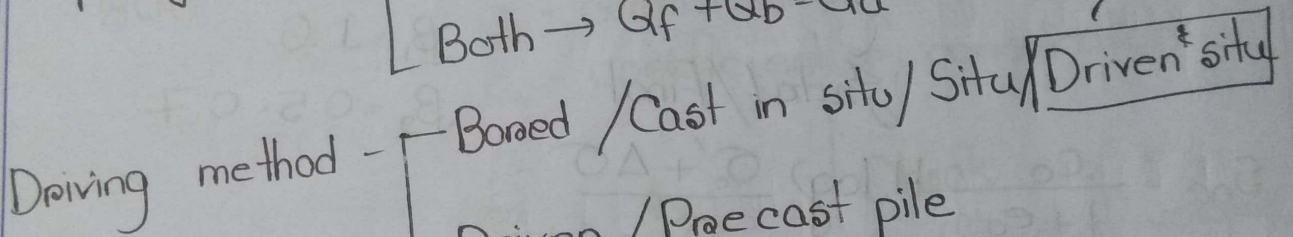
Pile Capacity for Vertical Loading



High moment আসলে hollow pile করে section বাড়ানো হয়।
 Coastal/River part.



Different type \nearrow



Q_u ও Q_b footing এর মতই বের করতে হবে।
 Usually friction and bearing দুইটাই থাকবে।

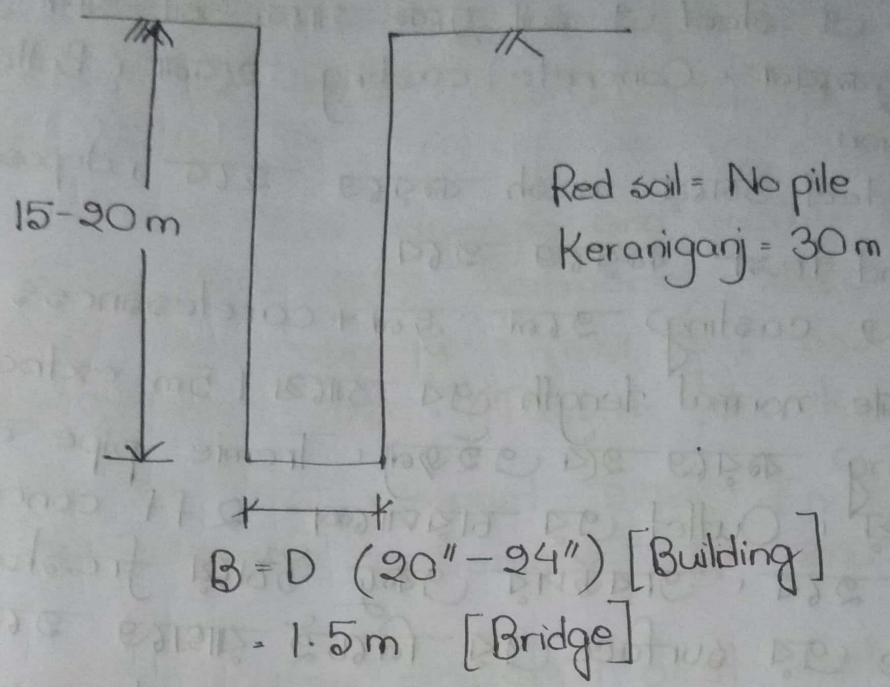


Fig: Bored Piling

Boring: ছোট dia drill দিয়ে মাটি loose করা যায়
High pressure water jet

অন্য পাশে water + material.

* For lateral hole stability, bentonite সিক্সায়ে
sp gr বাহানো হয়। (Liquid limit: 300-900%)
নাহলে soil ভেঙে ঢুকে যাবে পাশে।

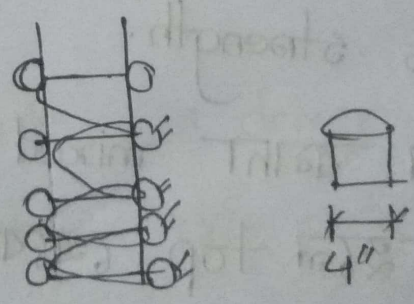
* Outward water check করতে হবে, পানি
clean হলে নিচে suspended material থাকবে,
তাবদয় piling.

* Reinforcement

4"-5" cement sand

এবং rollers support দেয়া

হয়। Erosion and corrosion.



Bottom ও steel ও soil দুকে ঘাবে. Soil আর steel আর দুকবেনা. Concrete casting হবেনা. Bottom ও corrosion.

তখন steel উঠায়ে wash করতে হবে, deposition.

Pile load test করতে হবে. ছাফাতে casting হলে ভুল + carelessness

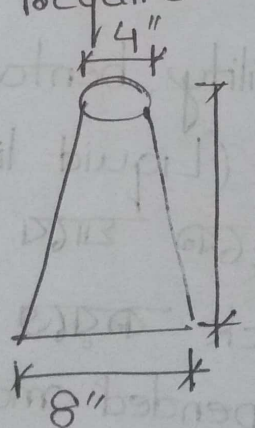
Bored pile normal length এর সাথে 1.5m extra concreting করতে হবে এইজন্য. Tremie pipe নাগিয়ে দেয়া হয়.

Outlet এর চারদাশে 2 ft concreting করতে হবে. তার উপর একটু উঠায়ে fresh concrete এর surface এর নিচেই রাখতে হবে.

Surface এর উপরে উঠেইলে mud soil mix ক হতে পারে. একজয়গায় রাখলে concrete hardening হয়ে ঘাবে.

Self compaction required. Flowability থাক লাগবে.

Slump test:



Add admixture to increase flowability. Adding water decreases strength.

Bottom এর কাটা mixed অংশ উপরে উঠতে থাকে Complete হলে top থেকে 2' বেটে ফেলা হয়.

VIP Construction Problems in boring pile:

নিচে loose soil থাকে, cast in situ তে friction develop করেন।

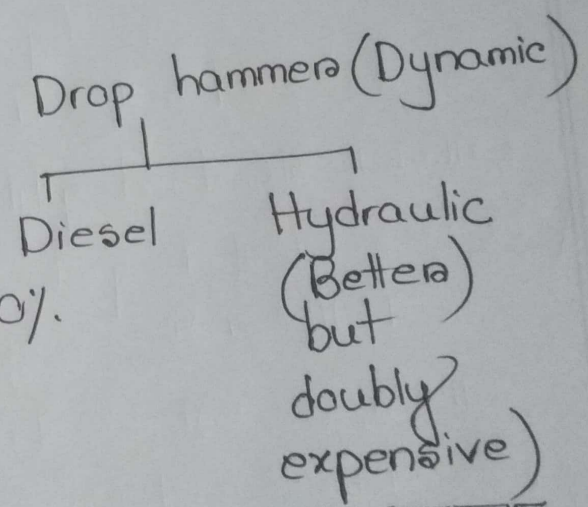
Cast precast হলে strength and quality ensured করা যায়, জোর করে hammering করে ঢুকানো extra load than capacity দেয়া হয় soil পাশের soil উচ্চর compact হবে (Passive fail, $K_p > 1$)

Cast-in-situ তে নিচে compact হয়না, End bearing কম থাকে, আগেই settlement হয়ে যায়।

Rotary drilling: water লাগবে, Best method but expensive machine. Also stabilizer লাগে।

Pile এর সাথে attachment:

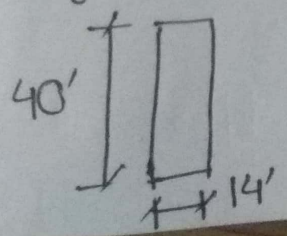
- Problems:
1. Noise
 2. Vibration
 3. CO₂ (Diesel only)



Hammer এর wt pile এর 50%.

কমর এলাকায় drop hammer use করা যায়না, কমরের outskirts এ।

এর পরিবর্তে static hydraulic pile driver (380/420 ton)



No vibration, pollution or sound but huge transportation cost

CW

Vertical Capacity of Pile (Clay)

- Single pile
- Group pile

For footings = $Q_u (N_c, N_q, N_{\gamma}, D_f, B \times L)$

Planning, $Q_a = \frac{Q_u}{FS}$, $Q_{a, net} = Q_a - W_{self wt}$

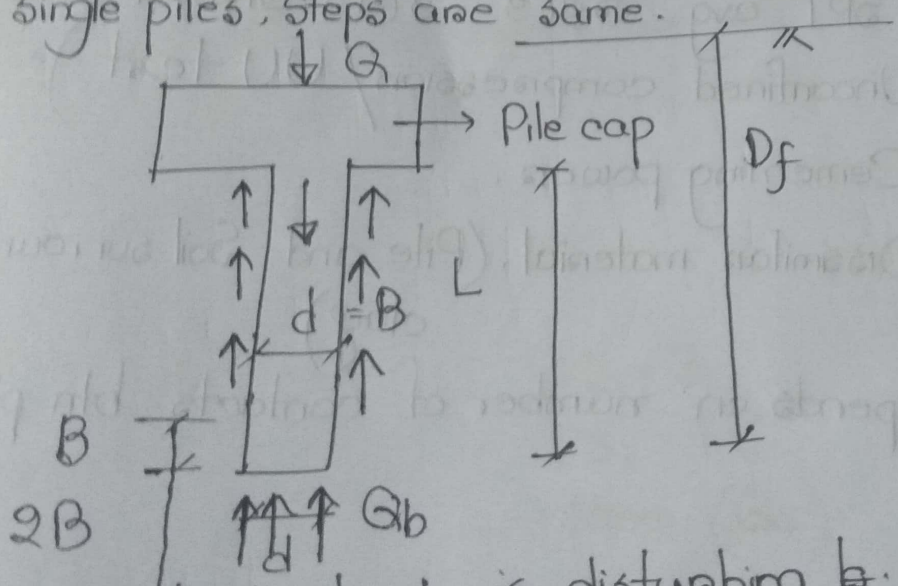
Soil Investigation Check whether, $Q_{a, net} > \text{Unfactored Superstructure load}$

Feasibility Study? If not, change footing area, depth or design

- Check $Q_{a, net}$ or Unfactored super structural load, with settlement (25mm - footing, 50mm - pile). $Q_{a, net} = Q_{safe}$.

Q. Write down the steps for footing design from planning

For single piles, steps are same.



Superstructural load is disturbing load.

Geotechnical capacity, $Q_u = Q_f + Q_b$

$$Q_b = cN_c S_c D_c + qN_q S_q D_q + \frac{1}{2} B \gamma N_{\gamma} S_{\gamma} D_{\gamma}$$

For clay, $Q_b = cN_c S_c D_c$

Df/B = Depth factor (Becomes fixed at a certain depth)

$S_c = 1 + 0.2 N_q \frac{B}{L}$
= 1.2 (Square or Linear)

$N_c = 5.16$ ~~5.18~~ (For linear, surface footing)
= 5.14

Pile, $N_c = 5.14 \times 1.2 \times \text{Depth factor} = 9.0$

For pile,

$Q_b = c N_c \frac{\pi}{4} d^2 = \frac{1}{8} q_u N_c \pi d^2$
(Unconfined compression, $c = \frac{q_u}{2}$)

Influence zone 2B পর্যন্ত যে c আছে তাই c আর 2B নিচে হবে। Foundation ^{bottom} উপরে 1B উপরে আর 2B এর c SPT avg করতে হবে। তারপর c correlate c from (Unconfined compression / UU test)

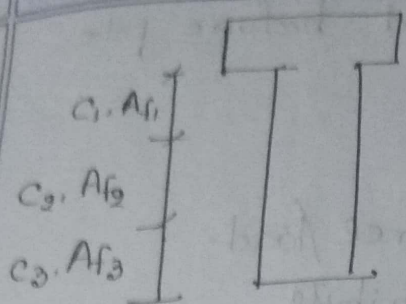
Cohesion = Cementing power.

Adhesion = Dissimilar material. (Pile and Soil surrounding clay)

Friction depends on number of contacts b/n pile and clay.

$A_f = \pi DL$

$Q_f = c \alpha_c A_f$ $\alpha_c = \text{adhesion factor}$
= 1.0 for clay soil to soil
< 1.0, otherwise



If $c_1 \approx c_2 \approx c_3$, avg c
 If not, calculate separately.

$\alpha_c =$ Very soft - 1.0
 Very stiff - 0.3 - 0.2

Vargese
 Table 9.2
 Figure 9.6

For soft soil, high frictional capacity.

$Q_b = 90\% Q_u \gg Q_f$ [End bearing pile, Usual]
 $Q_f = 90\% Q_u \gg Q_b$ [Friction pile, Unusual]

If soft layers is very deep.

Comilla has highly compressible soil, so deep friction pile reqd.

[Math from sheet]

$$Q_u = Q_b + Q_f$$

$$FS = Q_{a1} = \frac{Q_b}{FS_1} + \frac{Q_f}{FS_2}$$

$$\text{or. } Q_{a2} = \frac{Q_b + Q_f}{2.5}$$

$FS_1 = 3$
 $FS_2 = 1.5$
 $\rightarrow \text{Minm } (Q_a)$

Uncertainty in load and soil material.

Certainty, $Q_b < Q_f$

Pile settlement = Elastic + E_s + Consolidation + Secondary

before pile.

Part of Q_f already mobilized
 Q_b will be one carrying.

Certainty γ of Q_f

Structural Capacity

$$Q_s = 0.25 f_c A_c \gg \text{Design force load.}$$

Reinforcement does not contribute

Very soft soil
Very stiff soil
High lateral capacity
Low lateral capacity
[Friction pile (uncorr)]
[End bearing pile (uncorr)]

It soft layer is very deep

Soil has highly compressible soil so deep
variation pile depth.

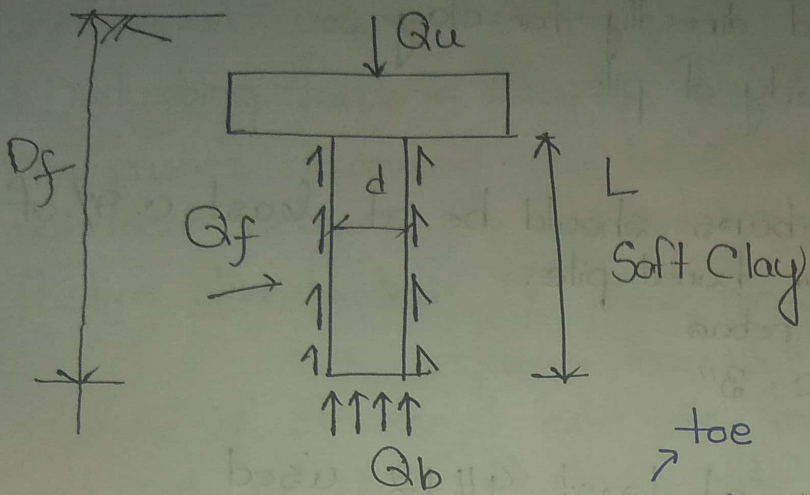
Math from sheet

$$\begin{aligned} F_{s1} &= 3 \\ F_{s2} &= 1.5 \\ \text{Min} & (Q_s) \end{aligned}$$

$$\begin{aligned} Q_s &= Q_p + Q_f \\ Q_s &= \frac{Q_p + Q_f}{F_{s1}} + \frac{Q_p + Q_f}{F_{s2}} \\ Q_s &= \frac{Q_p + Q_f}{1.5} + \frac{Q_p + Q_f}{3} \end{aligned}$$

Soil has low and soil material

uncertainty in
 $Q_p < Q_f$



Q Why do we choose pile tip to be rested on the granular deposition rather than stiff clay?

$$Q_b = \left[\frac{cN_c}{150} \right] * A_b \quad \left[\text{End bearing if pile tip rested on stiff clay} \right]$$

$$= [100 \times 9] A_b$$

$$Q_b = [qN_q] A_b \quad \left[\text{Rested on dense sand} \right]$$

Bearneshaw's $N_q = 75$

$$= 150 \times 75 \times A_b \quad \gamma = 20 - 9.8$$

$D_f = 15 \text{ m}$

$\frac{Q_{b,sand}}{Q_{b,clay}} > 8$ [Design for ten times greater strength on clay]

$$Q_u = Q_b + Q_f$$

↓
 Q_a
↓ Settlement
 Q_{safe}

- ① Must also check structural capacity.
- ② Q_b, Q_f has limiting values. (For sand) Q_b

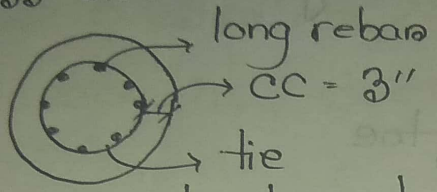
Ref. Varghese P 184-187
to be applied on ultimate capacity.

For clay: $Q_{f,limit} \leq 7 \text{ ton/m}^2$

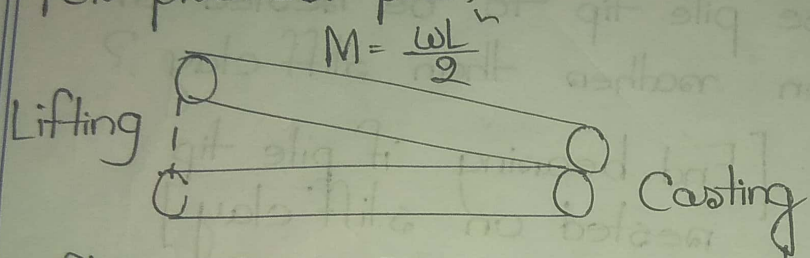
Q_b can be used directly for clay.
Structural capacity of pile:

Similar to pile.

Longitudinal rebars should be at least 0.8% of gross area, for bored pile.



For precast pile, at least 4#12 used



Lifting করার সময় moment থাকবে।

Contribution of longitudinal rebars must not be considered in evaluation of structural capacity of pile.

$$(Q_{str})_{allowable} \leq 0.25 f_c' * A_c \leq 5 \text{ N/mm}^2$$

(IS. 85 Code)

Cube strength.

Q_{str}, Q_a এর মধ্যে যেটা ছোট উইট govern করবে।

$$Q_u = Q_b + Q_f$$

Skin friction: $c \times c \rightarrow Q_f$

↓ Disturbing force = Reaction force. ↑

Pile pushed downward due to disturbing load, relative movement between pile and soil material.

Positive skin friction: If piles move/shorten faster than soil.

Because of structural load, pile moves primarily elastically and then elastoplastically. S_1

At the same time, surrounding soil will undergo deformation due to - consolidation acted on by overlying fill. S_2
- seasonal variation of water table (surcharge)

$S_1 - S_2 \Rightarrow$ Positive friction (↑)

$S_2 - S_1 \Rightarrow$ Negative skin friction (↓) - Soil will be dragged down

in that case, effective friction of the pile is downward and acting along the direction of working load.

$Q_u + Q_f = Q_b$

আমরা FS = 1.5 apply করবো, গ্রহণ করবো.

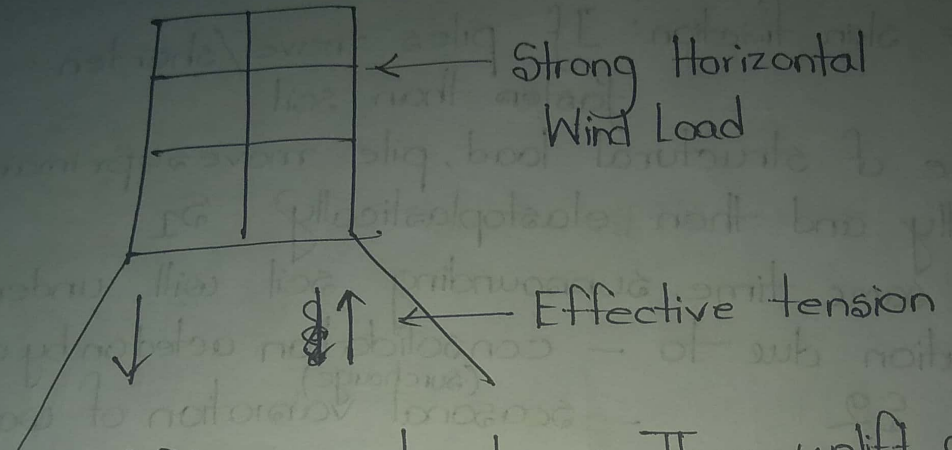
Ref: P-191 Varghese.

- reason/area negative skin friction appears

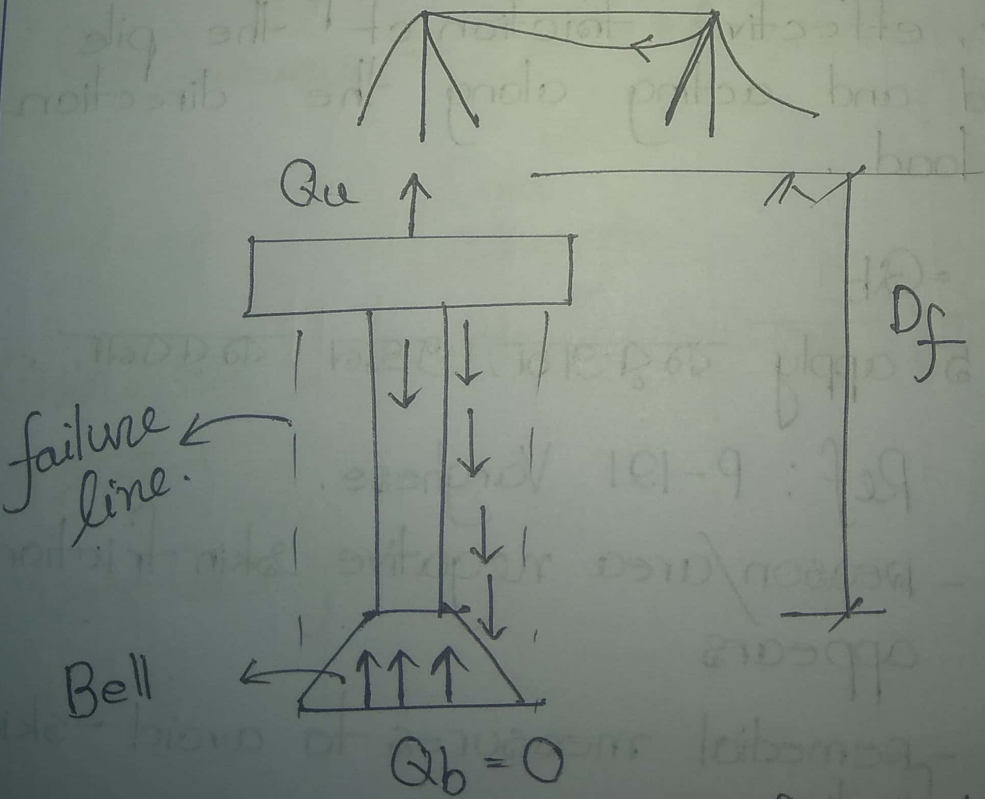
- remedial measures to avoid - skin friction.

(Driven pile ও bitumen layer দেয়া হয় so no friction)

2. First casing, then viscous material
 দ্বিতীয় casing জরায় নেয়া হয়
 Uplift Capacity of Pile



Coastal, Offshore structures. Then uplift capacity governs.
 Transmission towers.



$$Q_u = \frac{Q_f}{FS} + \text{Overburden wt of soil} + W_{\text{pile}}$$

Known.

$$Q_f = c \alpha_c A_f$$

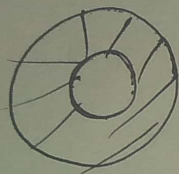
$$= (c \alpha_c) (\pi DL)$$

- increase σ_v overburden pressure (limited)
- increase dia (costly)
- provide bell

$$D = D_{Bell}$$

$\alpha_c =$

$\alpha_c = 1$ (Soil to soil action along failure line)



Pile tip A_{oe} .

$$Q_b \neq 0.$$

C.W

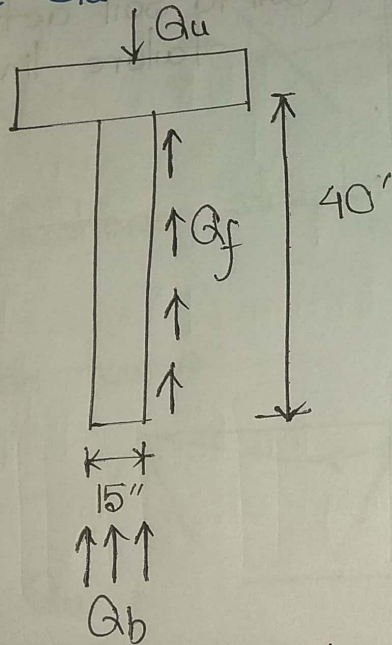
Ref: Varughese
Murthy

L-8

Date: 31/07/19

Problems:

A concrete pile of 15" dia, 40' long is driven into a homogenous stratum of clay with the WT at the GL. The clay is of medium stiff consistency with the undrained shear strength $c_u = 600 \text{ #/ft}^2$. Compute Q_b by Skempton's method and Q_f by α -method. Also determine the pullout capacity and the allowable pullout load with $FS = 3.0$. Determine Q_a for overall $FS = 2.5$.



Skempton method, $Q_b = c N_c A_b$

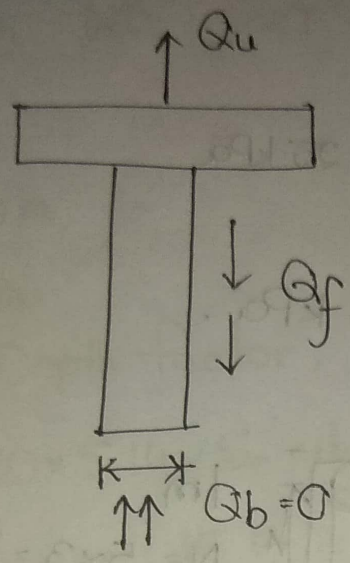
α -method, $Q_f = \alpha c c A_f$

$Q = Q_b + Q_f$ [Careful about upper limit of Q_f]

[FS maybe applied by parts or overall, whichever gives minm Q]

Q. Why the FS values are different?

Pullout



$$Q_u = Q_f + W_{pile}$$

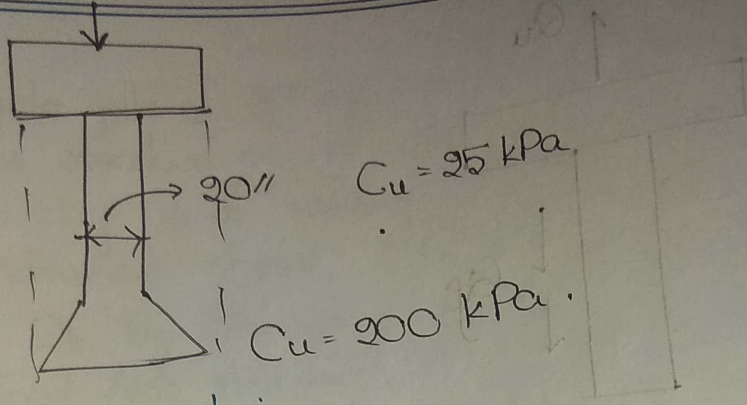
$$= \frac{Q_f}{FS} + W_{pile} \quad [As Q_b = 0, \text{ there is no secondary resistance besides } Q_f. \text{ So high uncertainty, } FS = 3]$$

Tips for uplift:

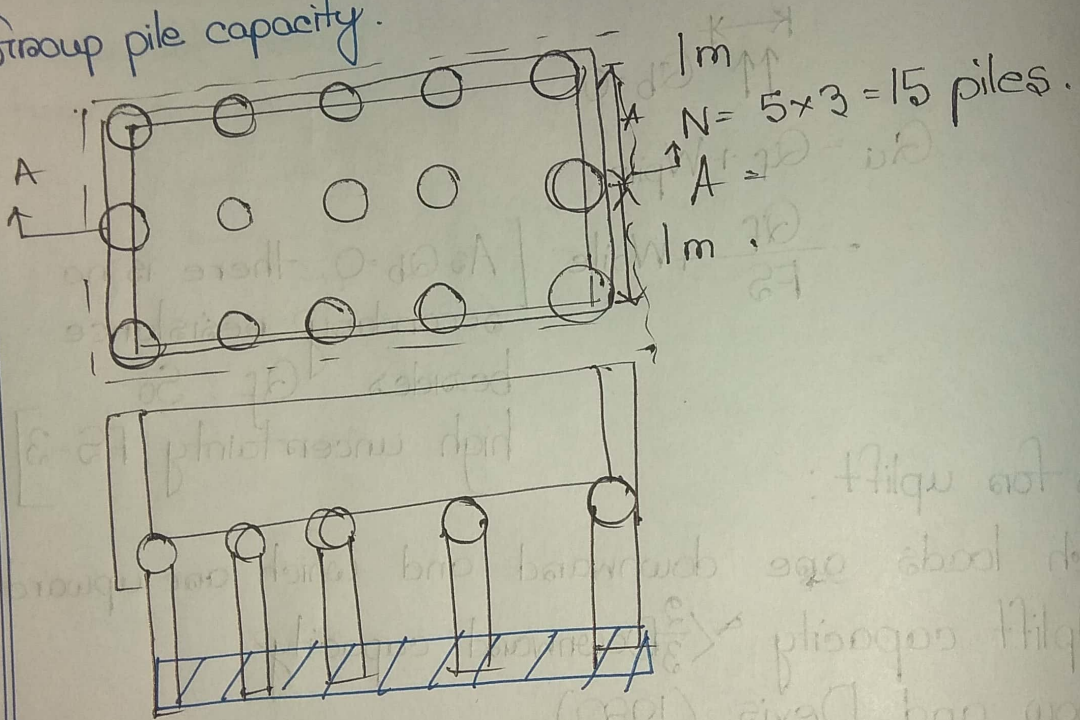
- Which loads are downward and which are upward.
- Uplift capacity $\rightarrow < \frac{2}{3}$ Downward capacity
- Broow and Devis (1980)
- Then apply $FS = 3.0$ to determine Q_{allow} and Q_{safe} .
- No settlement criteria.

Sat Sun Mon Tues Wed Thurs Fri

$Q_{safe} = 50k$



Group pile capacity:



S_c at 1-1

Single pile S_c दियेगा,

$S = (\text{Spacing}) = 2.5 - 3D$

Considering single pile option:

Apply single pile action. $(Q_s)_u = (Q_t) \# Q_u$
 $= (Q_b)_s + Q_f$
 $Q_u = 1.5 Q_u$

Offset বাদ দিয়ে এককো footing deep depth of

$(Q_b)_g =$

$D_f = 20\text{m}$

$B = 2.5\text{m}$

$D_f/B \rightarrow$ Depth factor, $= \left(1 + 0.2 \frac{A B}{L} \right)$: upper limit

$(Q_b)_g = 30 \times 5.14 \times S_c \times d_c \rightarrow \neq > 9.0$

(Figure 16.14)

Deep foundation ~~আর~~ normal same হবে।

~~$A_f = (4.5 + 2.5) \times 2 \times L$~~

$A_f = \underbrace{(4.5 + 2.5) \times 2 \times L}_{\text{Perimeter}}$

~~$A_f = \frac{\text{Perimeter}}{(4.5 + 2.5) \times 2 \times L}$~~

Around 90 perimeter, 99% is clay to clay cohesion. Reasonable to assume $\alpha_c = 1$.

$(Q_f)_g = \alpha_c A_f$

Group action 3 single pile এর মধ্যে minimum

Efficiency = $\frac{\text{Group action}}{\text{Single pile}} \times 100$

Group action হতে হবে due to small spacing of pile.

Exercises

5.21

$$G_{ult} = A' \left[q N_q S_q d_q + \frac{1}{2} B' N_\gamma S_\gamma d_\gamma \right]$$

$$A' = B' \times L$$

$$= (B - 2ex) \times L$$

$$= (10 - 2) \times 20$$

$$= 8 \times 20$$

$$= 160 \text{ ft}^2$$

$$q = \gamma D_f = 110 \times 8 = 880 \text{ lb/ft}^2$$

$$N_q = 33.55 \text{ (M)}$$

$$N_\gamma = 37.75 \text{ (M)}$$

$$S_q = 1 + 0.1 N_q \frac{B'}{L} = 1.1476$$

$$S_\gamma = S_q = 1.1476$$

$$d_q = 1 + 0.1 \sqrt{N_q} \frac{D_f}{B'} = 1.192$$

$$d_\gamma = d_q = 1.192$$

$$N_\phi = \tan^{-1} \left(45^\circ + \frac{35}{2} \right) = 3.69$$

$$G_{ult} = \underline{6497 \text{ kip}}$$

5.22

$$A' = B' \times L'$$

$$= (25 - 2 \times 4) (25 - 2 \times 3)$$

$$= 17 \times 19$$

$$= 323 \text{ ft}^2$$

$$q = 8D_f = 120 \times 8 = 960 \text{ lb/ft}^2$$

$$N_q = 64.1 \text{ (M)}$$

$$N_\gamma = 93.6 \text{ (M)}$$

$$s_q = 1 + 0.1 N_q \frac{B}{L}$$

$$s_\gamma = s_q$$

$$d_q = 1 + 0.1 \sqrt{N_q} \frac{D_f}{B}$$

$$s_q = 1 + \frac{B'}{L'} \tan \phi = 1.75 \text{ (H)}$$

$$s_\gamma = 1 - 0.4 \frac{B'}{L'} = 0.642 \text{ (H)}$$

$$d_q = 1 + 2 \tan \phi (1 - \sin \phi) \sqrt{\frac{D_f}{B'}} = 1.02 \text{ (H)}$$

$$d_\gamma = 1 \text{ (H)}$$

$$Q_{uH} = 55276 \text{ kip}$$

$$Q_{allow} = \frac{55276}{3} = 18425 \text{ kip}$$

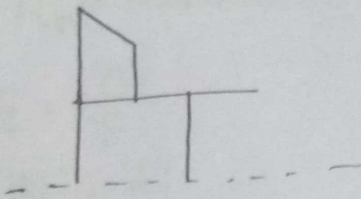
5.23

$$G = 800 \text{ ton} = 1760 \text{ kip}$$

$$q_{\max} = \frac{G}{A} \left(1 + \frac{6e_x}{L} + \frac{6e_y}{B} \right) = \frac{1760}{25^2} \left(1 + \frac{6 \times 3}{25} + \frac{6 \times 4}{25} \right) = 3.4304 \text{ tsf}$$

$$q_{\min} = \frac{G}{A} \left(1 - \frac{6e_x}{L} - \frac{6e_y}{B} \right) = \frac{800}{25^2} \left(1 - \frac{6 \times 3}{25} - \frac{6 \times 4}{25} \right) = -0.8704 \text{ ton/ft}^2$$

Example 9.2



β -method (For cohesionless soil)

$$Q_f = \int_0^L P_{q_0} K_s \tan \delta dz$$

For a given soil and pile material, β constant.

$$\beta = K_s \tan \delta$$

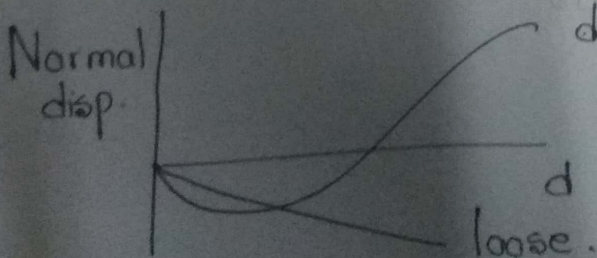
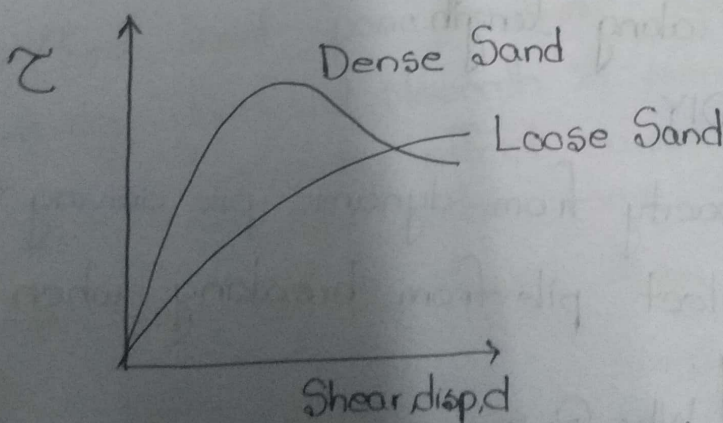
Poulos's curve will give greater friction than Meyerhof
So, Meyerhof should be used when conservative.

Boring friction < Driven pile.

When holes are made, soil becomes loose.

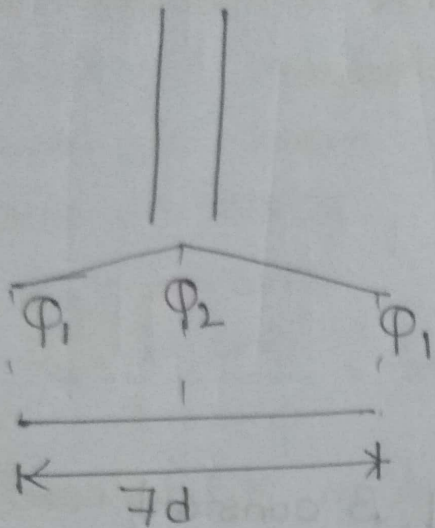
$$\phi = 0.75 \phi_1 + 10^\circ \text{ [driven]} \sim \text{becomes compact while driving}$$

$$\phi = \phi_1 - 3^\circ \text{ [bored]} \sim \text{becomes loose while boring}$$



dense (Dilatancy - Volm
বড়ে কারণ একটা
particle আবেগের
উপরে উঠে যায়)

যত ছুঁয়ে যাবে
 ϕ কমেবে।



$$\phi_2 = \frac{\phi_1 + 40}{2} \quad \phi_1 \text{ from test}$$

In situ $\phi = \sqrt{20N_{\text{cor}}} + 15^\circ$ (For sand)

* Example 9.1, 2 లో ϕ modify করা হয় নাহি।

Bearing capacity of piles in granular soils based on SPT-N

Unit sensitive.

N = SPT near end bearing zone

\bar{N} = avg SPT along length.

Example 9.3 DIY

Pile bearing capacity from dynamic pile driving formula.

Pile cap: to protect pile from breaking when driving.

Ideal condition, $Wh = Q_{us}$

Energy loss.

Hiley formula

n_h = hammer efficiency.

$$E = \frac{\sigma}{E}$$

$$\Delta L = \epsilon L$$

$$= \frac{\sigma}{E} L$$

$$= \frac{P}{AE} L$$

C_p = coefficient of restitution

= $\frac{\text{velocity after collision}}{\text{velocity before}}$

Engineering News Formula

$$Q_a = \frac{Wh}{6(s+c)} \quad \underline{F.S. = 6}$$

Applicability is important

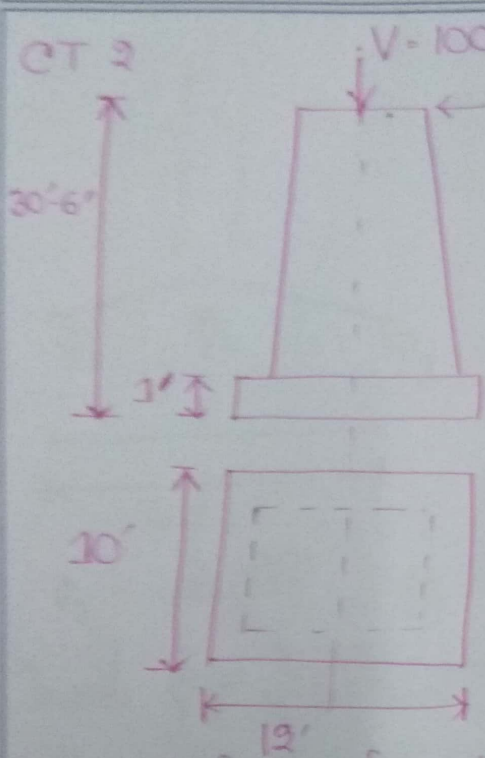
VIP Comments on dynamic formulae

Silty / Fine sand - pore pressure - liquefaction.

Sensitivity: Reduced strength in remoulded clay.

Thixotropy effect causes to regain strength within some time.

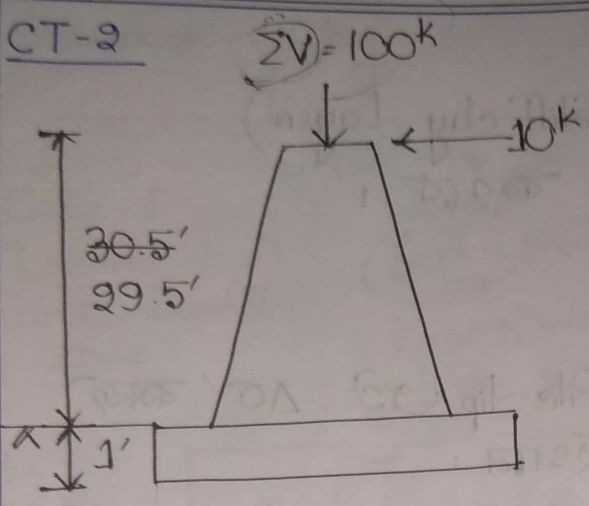
Dynamic load test is faster than static load test.



Soil profile
 σ'
 $q_u = 0.8 \text{ ksf}$
 $w = 25\%$
 $\gamma = 125 \text{ pcf}$

Comment if the foundation will be stable below the structure subjected to 100k vertical and 10k horizontal load. Also write the remedial measures.

CT-2



$$M = 10 \times 30.5 = 305 \text{ k-ft}$$

Soil profile of $q_u =$
unconfined compression strength $\frac{1}{2} \sigma_c$.

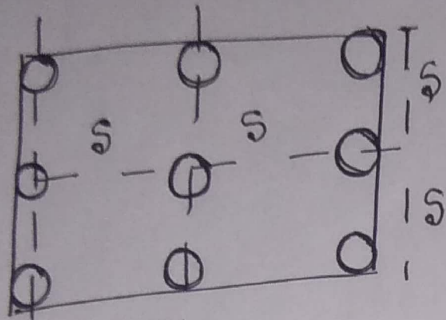
$$\sigma_x = \frac{P}{A} \pm \frac{Mc}{I}$$

$$= \frac{100}{10 \times 12} = \frac{305 \times 6'}{10 \times \frac{12^3}{12}}$$

Remedy,

- ① Increasing depth wont affect much
- ② Good practice - change to pile.

P482 / Uplift and Group pile
Murthy



9 pile, 30 cm dia

Prob 10.1

A group pile of 9 friction piles arranged in a square pattern is to be proportioned in a deposit of medium stiff clay. Assume the piles are 30 cm diameter and 10 cm long. Assume $\alpha = 0.8$ and $C_u = 50$ kpa. The bottom of the pile cap embedding all the piles rest at a depth of 1.5 m below the ground surface. Find the optimum spacing for the piles.

⇒ Optimum = 100% efficiency.

Individual pile action:

Friction pile, $Q_b = 0$ [Neglecting]

$$Q_u = Q_f = \alpha c A_f = 0.8 \times 50 \times (\pi \times \frac{30}{100} \times 10)$$

$$= 379 \text{ KN} = 377 \text{ kN}$$

$$Q_{ui} = Q_u \times n = 377 \times 9 = 3391 \text{ kN}$$

Group action, $Q_b \approx 0$; perimeter, $p' = 4 \times (s + s + 2 \times \frac{d}{2})$

$$Q_{ug} = (\alpha c) A_{fg} = [\text{Soil to soil, } \alpha = 1]$$

$$= 1 \times 50 \times 4 \times (2s + 0.3) \times 10$$

C.W

Collect A section
note.

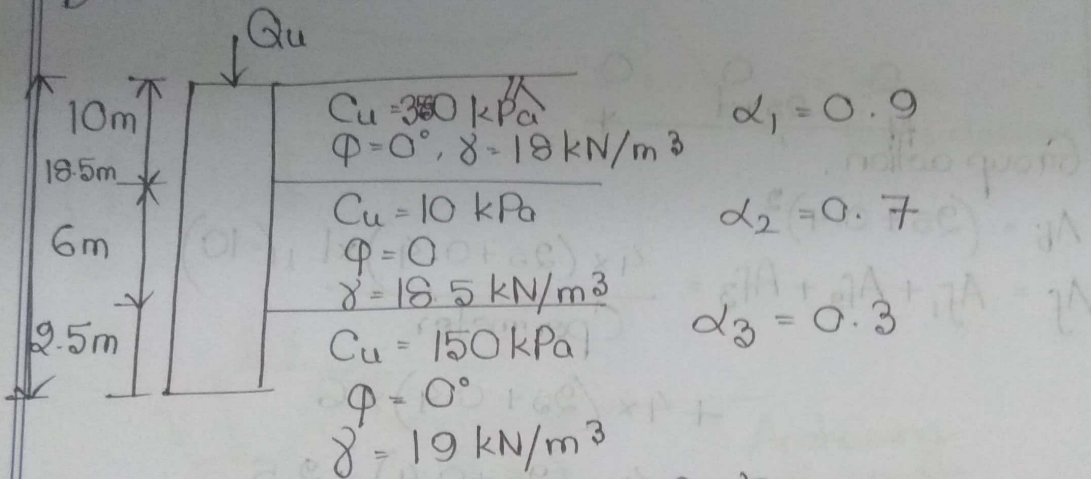
L-11

Date: 11/09/21

Prob 8.11 (P 317, Murthy)

A pile of 40cm dia and 18.5m long passes through two layers of clay and is embedded in a third layer (details given in the figure)

Compute Q_f by α -method and Q_b by skempton's
Determine Q_a for FS = 2.5



$$A_{f1} = \pi DL_1 = \pi \times 0.4 \times 10 = 12.6 \text{ m}^2$$

$$A_{f2} = \pi \times 0.4 \times 6 = 7.54 \text{ m}^2$$

$$A_{f3} = \pi \times 0.4 \times 2.5 = 3.14 \text{ m}^2$$

$$Q_b = \left[\frac{\pi}{4} (0.4)^2 \times \right] \times 150 \times 9 \quad \left[\begin{array}{l} C_u = 150 \\ N_c = 9 \end{array} \right]$$

$$= 170 \text{ kN}$$

$$Q_f = \sum (\alpha C_u) A_f$$

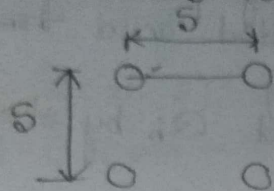
$$= 0.9 \times 30 \times 12.6 + 0.7 \times 10 \times 7.54 + 0.3 \times 150 \times 3.14$$

$$= 744 \text{ kN}$$

$$Q_u = 744 + 170 = 914 \text{ kN}$$

$$Q_a = \frac{914}{2.5} = 366 \text{ kN}$$

If there 9-pile group in a square grid in the same direction. Find s to get optimum capacity. [निकाशा (म) Q_u]



Group action.

$$A_b = (2s + 0.4)^2$$

$$A_f = A_{f1} + A_{f2} + A_{f3} = \frac{4 \times (2s + 0.4) \times L_1 (-10)}{\text{Perimeter}}$$

$$+ 4 \times (2s + 0.4) \times 6$$

$$+ 4 \times (2s + 0.4) \times 2.5$$

$$= (2s + 0.4) 4 \times 18.5$$

$$Q_{ug} = (\sum \alpha C_u) A_f$$

$$= 30 \times 1 \times 40 \times (2s + 0.4) + 10 \times 1 \times 24 \times (2s + 0.4)$$

$$+ 150 \times 1 \times 10 \times (2s + 0.4)$$

$$Q_b = A_b c N_c = 150 \times 9 \times (2s + 0.4)^2$$

$$\frac{D_f}{B} > 2.5$$

$$Q_{ug} = Q_f + Q_b$$

$$Q_{ui} \times 9 = Q_{ug}$$

$$914 \times 9 = 2940 (2s + 0.4) + 1350 \times (2s + 0.4)^2$$

$$s = 0.6 \text{ m}$$

$$= 1.5d$$

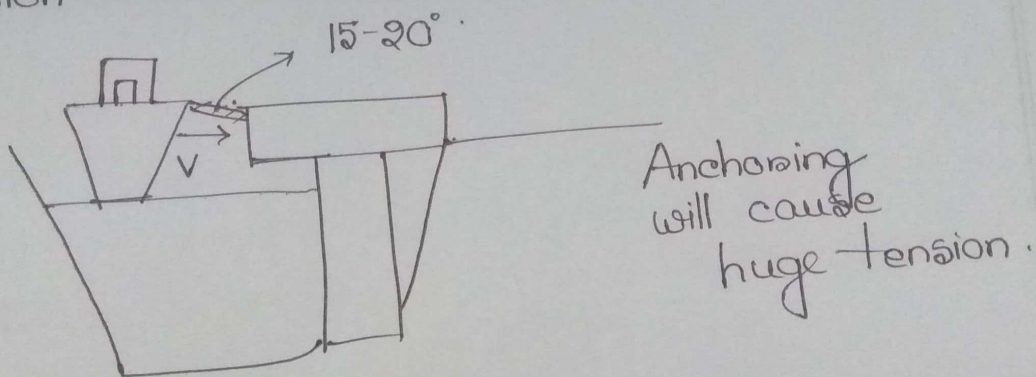
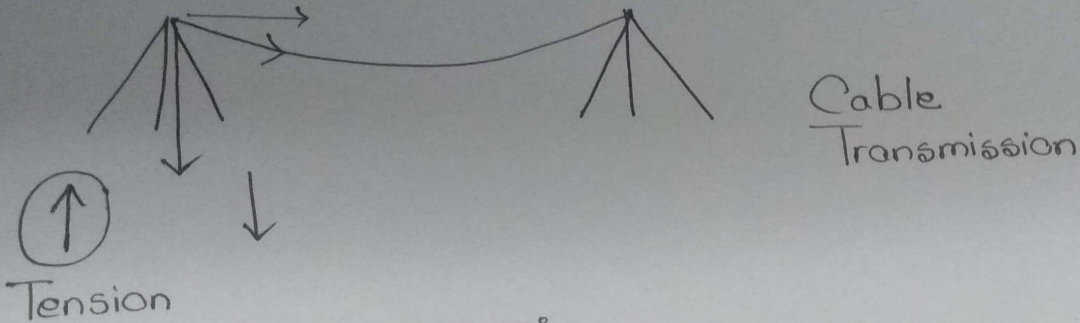
[But code specifies 2.5-30d
so minm = 1 m]

Vol. | Issue | Date | Page | No. of Pages | Vol.

Date: | | | | | | | | | |

If the loading was upward, $Q_{ug} = \frac{2/3 Q_f g + \text{Wt of pile}}{FS}$

$Q_{ui} = \frac{2/3 Q_f}{FS} + \text{Wt of soil pile.}$



Q: Find the optimum angle.