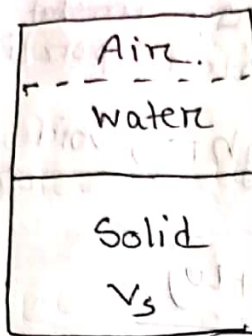


Soil Properties



Soil Volume

$$V_{Total} = V_s + V_v$$

$$= V_s + V_a + V_w$$

$$\text{Weight, } W_T = W_s + W_w$$

$$= W_s + W_w \quad [W_{air} = 0]$$

Forc dry soil

$$V_{dry} = V_{solid} + V_{air}$$

$$W_d = W_s \quad [W_{air} = 0]$$

Forc saturated soil

saturated = void filled with water



$$V_{sat} = V_s + V_w$$

$$W_{sat} = W_s + W_w$$

Density & Unit weight

$$\text{Density, } \rho = \frac{M}{V} \quad (\text{kg/m}^3)$$

$$\text{Unit weight, } \gamma = \frac{W}{V} \quad (\text{kN/m}^3)$$

$$\gamma = \rho g$$

Sp. gravity of solids, $G_s = \frac{\gamma_{solid}}{\gamma_{water}}$

unit weight of water, $\gamma_w = 9.81 \text{ kN/m}^3$
 $= 62.43 \text{ lb/ft}^3$

Soil characteristics Parameters:

moisture content, $w (\%) = \frac{W_w}{W_s} = \frac{M_w}{M_s}$

void ratio, $e = \frac{V_v}{V_s}$

porosity, $n = \frac{V_v}{V}$

degree of saturation, $S_r = \frac{V_w}{V_v} (\%)$

Air content, $A(\%) = 1 - \frac{V_a}{V} = n(1-s)$

[porosity of ~~unsat~~ unsaturated portion]

Relationship between unit weight, void ratio & sp. gravity

(moist) bulk unit weight, $\gamma_b = \frac{G_s \gamma_w (1+w)}{1+e}$

dry unit weight, $\gamma_d = \frac{G_s \gamma_w}{1+e}$

$\therefore \gamma_b = \gamma_d (1+w)$

saturated unit weight, $\gamma_{sat} = \frac{(G_s + e) \gamma_w}{1+e}$

*** water content & saturation percentage relationship

[$s=1$ for 100% saturation]

~~w~~ $se = wG_s$

submerged unit weight, $\gamma' = \gamma_{sat} - \gamma_w = \frac{(G_s - 1) \gamma_w}{1+e}$

In case of density

$P_b = \frac{G_s \rho_w (1+w)}{1+e}$

$P_d = \frac{G_s \rho_w}{1+e}$

$P_{sat} = \frac{(G_s + e) \rho_w}{1+e}$

* $\rho_w = 1000 \text{ kg/m}^3 = 1 \text{ gm/cc}$

Max^m dry unit weight:

We know, $\gamma_{dry} = \frac{G_s \gamma_w}{1+e}$
 we can see, γ_{dry} will be max^m if e is minimum.

again, $S_e = w G_s$
 when S is max i.e. $S=1$, then, e is minimum.

$\therefore e_{min} = \frac{w G_s}{S} = \frac{w G_s}{1}$
 $\therefore \gamma_{dry}(max) = \frac{G_s \gamma_w}{1 + w G_s}$

It is also called "zero air void" unit weight

$\therefore \gamma_{ZAV} = \frac{G_s \gamma_w}{1 + w G_s}$

Relative Density:

$D_r = \frac{e_{max} - e}{e_{max} - e_{min}} \times 100\%$
 $= \frac{1}{\gamma_d(min)} - \frac{1}{\gamma_d} \times 100\%$
 $= \frac{\gamma_d - \gamma_d(min)}{\gamma_d(min) - \gamma_d(max)} \times 100\%$

Volume of borrow pit & Volume of fill:

$\frac{V_b}{V_f} = \frac{1+e_b}{1+e_f}$

Numericals

(1) Saturated soil, $w = 30\%$, $G_s = 2.65$, Determine dry unit weight. [PGCB'17]

Solⁿ: $\gamma_{dry} = \frac{\gamma_w G_s}{1 + w G_s}$ $\left. \begin{array}{l} s_e = w G_s \\ \therefore 1 \cdot e = w G_s \\ \Rightarrow e = w G_s \end{array} \right\}$

$$= \frac{9.81 \times 2.65}{1 + 0.3 \times 2.65}$$

$$= 14.48 \text{ kN/m}^3$$

(2) Find the unit weight of saturated soil, γ_{sat} . Given, $\gamma_{dry} = 110 \text{ pcf}$ & $G_s = 2.7$ [PGCL'17]

Solⁿ: $\gamma_{dry} = \frac{G_s \gamma_w}{1 + e}$

$$\Rightarrow 110 = \frac{2.7 \times 62.43}{1 + e}$$

$$\Rightarrow e = 0.53$$

$$\therefore \gamma_{sat} = \frac{(G_s + e) \gamma_w}{1 + e} = \frac{(2.7 + 0.53) \times 62.43}{1 + 0.53} = 131.8 \text{ pcf}$$

(3) Water content of a standard soil sample is 25%, specific gravity, $G_s = 2.65$. Find moist unit weight, dry unit weight & void ratio [SGEL'17] [DNCC'16] [JGTDGL'21]

Solⁿ: $s_e = w G_s$

$$\therefore e = 0.25 \times 2.65 = 0.6625$$

$$\therefore \gamma_{moist} = \frac{G_s \gamma_w (1 + w)}{1 + e} = \frac{2.65 \times 9.81 \times (1 + 0.25)}{1 + 0.6625} = 19.55 \text{ kN/m}^3$$

$$\gamma_{dry} = \frac{\gamma_{moist}}{1 + w} = \frac{19.55}{1 + 0.25} = 15.637 \text{ kN/m}^3$$

(4) The difference between e_{max} & e_{min} void ratio of sand sample is 0.30. If the relative density of this sample is 66.67% & field void ratio is 0.4. Find out the saturated density at its loosest condition.
Take, $G_s = 2.7$
[CPGCBL'15] [RPGCL'17] [BPDB'15]

Solⁿs We know,

$$D_r = \frac{e_{max} - e}{e_{max} - e_{min}}$$

$$\Rightarrow 0.6667 = \frac{e_{max} - 0.4}{0.3}$$

$$\Rightarrow e_{max} = 0.6$$

saturated density at loosest condition,

$$\gamma_{sat}(min) = \frac{(G_s + e_{max}) \gamma_w}{1 + e_{max}}$$

$$= \frac{(2.7 + 0.6) \times 9.8}{1 + 0.6} = 20.23 \text{ kN/m}^3$$

(5) 100 cm^3 sample of moist soil has a mass of 212.25 gm . water content 16%. specific gravity of soil is 2.68. Calculate bulk unit weight of soil, dry unit weight of soil, void ratio & porosity.
[RPGCL'22] [DNCC'15]

$$\gamma_{moist} = \frac{212.25}{100} = 2.12 \text{ g/cm}^3$$

$$\gamma_{dry} = \frac{2.12}{1 + 0.16} = 1.83 \text{ g/cm}^3$$

$$\gamma_{dry} = \frac{G_s \gamma_w}{1 + e}$$

$$\Rightarrow e = \frac{G_s \gamma_w}{\gamma_{dry}} - 1 = \frac{2.68 \times 1}{1.83} - 1 = 0.465 = 46.5\%$$

$$\text{porosity, } n = \frac{e}{1 + e} = \frac{0.465}{1 + 0.465} = 0.317 \text{ Ans}$$

(6) In a natural state, a moist soil has a volume of 0.33 ft^3 & weight 39.9 lb . The oven dry weight of soil is 34.54 lb . If $G_s = 2.67$, calculate the dry unit weight, γ_d and void ratio.

Solⁿ: (i) Dry unit weight, $\gamma_d = \frac{W_s}{V}$
 $= \frac{34.54}{0.33} = 104.7 \text{ lb/ft}^3$

(ii) $v_s = \frac{W_s}{G_s \gamma_w}$
 $= \frac{34.54}{2.67 \times 62.43} = 0.207 \text{ ft}^3$

$$\gamma_s = \frac{W_s}{v_s} \Rightarrow G_s \gamma_w = \frac{W_s}{v_s}$$

$$\text{or, } \gamma_d = \frac{G_s \gamma_w}{1+e} \Rightarrow e = 0.59$$

$v_v = V - v_s = 0.33 - 0.207 = 0.123 \text{ ft}^3$

$e = \frac{v_v}{v_s} = \frac{0.123}{0.207} = 0.59 \text{ A}$

(7) The dry density of a soil is 1.5 g/cm^3 . If the saturation water content is 50% then what would be its saturated density & submerged density [BPDB '16]

$$\therefore G_s = 2.65$$

$$\therefore \gamma_{sat} = \frac{(G_s + e) \gamma_w}{1 + e}$$

Solⁿo

$$\rho_{sat} = \rho_d (1 + w)$$

$$= 1.5 (1 + 0.5)$$

$$= 2.25 \text{ g/cc}$$

[or] fully saturated unit weight (density)

$$\rho' = \rho_{sat} - \gamma_w$$

$$= 2.25 - 1$$

$$= 1.25 \text{ g/cc}$$

(8) A soil sample has a porosity of 50% and specific gravity of 2.69. Calculate the dry density, void ratio and bulk density of soil, if the soil sample is 50% saturated.

Solⁿo

$$n = 50\% = 0.5$$

$$e = \frac{n}{1-n} = \frac{0.5}{1-0.5} = 1$$

$$\rho_d = \frac{G_s \rho_w}{1+e} = \frac{2.69 \times 1}{1+1} = 1.345 \text{ gm/cc}$$

$$\rho_b = \rho_d (1 + w)$$

$$= 1.345 (1 + 0.186)$$

$$= 1.595 \text{ gm/cc}$$

$$e = w G_s$$

$$\Rightarrow 1 = w \times 2.69$$

$$\therefore w = 0.186$$

(9)

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(9) Percent of void is 50%. If specific gravity of soil is 2.7 then calculate submerged unit weight. [BPPB'15]

Soln: $\gamma' = \gamma_w \left(\frac{G_s - 1}{1 + e} \right)$
 $= 1 \times \frac{2.7 - 1}{1 + 0.5}$
 $= 1.133 \text{ gm/cc}$

$$\gamma' = \gamma_{sat} - \gamma_w$$

$$= \frac{\gamma_w (G_s + e)}{1 + e} - \gamma_w$$

$$= \frac{G_s \gamma_w + e \gamma_w - \gamma_w (1 + e)}{1 + e}$$

$$= \frac{(G_s - 1) \gamma_w}{1 + e}$$

(10) A moist soil sample of 100 cm³ has a mass of 178 gm. Water content 16% and specific gravity 2.68. Find (i) void ratio (ii) degree of saturation. [PGCB'16]

(iii) dry unit weight

Soln: $\gamma_{moist} = \frac{178}{100} = 1.78 \text{ g/cc}$
 $\gamma_{dry} = \frac{\gamma_{moist}}{1 + w} = \frac{1.78}{1 + 0.16} = 1.534 \text{ gm/cc}$

again, $\gamma_d = \frac{G_s \gamma_w}{1 + e}$
 $\Rightarrow 1.534 = \frac{2.68 \times 1}{1 + e}$
 $\Rightarrow e = 0.297$

$se = w G_s$

$\Rightarrow 5 \times 0.297 = 0.16 \times 2.68$

$\Rightarrow s = 0.534 \therefore s = 53.4\%$

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(11) A soil sample has a dry weight 40lb & moist weight 50lb. volume of soil is 0.2 ft³. Find the NMC (normal moisture content), bulk unit weight & dry unit weight. [GATE '16]

Solⁿ Normal moisture content, $NMC = \frac{50-40}{40} \times 100\% = 25\%$

Bulk unit weight, $\gamma = \frac{50}{0.2} = 250 \text{ lb/ft}^3$

Dry unit weight, $\gamma_d = \frac{40}{0.2} = 200 \text{ lb/ft}^3$

(12) Water content, sp. gravity, and void ratio of a soil sample are 20%, 2.68, 0.78 respectively. Now calculate (i) bulk unit weight (ii) Degree of saturation (iii) Porosity [BIWTA '19]

Solⁿ (i) $\gamma_b = \frac{\gamma_w G_s (1+w)}{1+e} = \frac{1 \times 2.68 \times (1+0.2)}{1+0.78} = 1.807 \text{ gm/cc}$

(ii) $S_e = \frac{w G_s}{e} = \frac{0.2 \times 2.68}{0.78} = 0.6872$

$\therefore S = 68.72\%$

(iii) $n = \frac{e}{1+e} = \frac{0.78}{1+0.78} = 0.438 = 43.8\%$

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(13) In a field hole, a cutoff volume is 1.1 ft^3 and the wet mass of the hole is 130 lb and dry mass is 119 lb . Determine the degree of saturation if specific gravity is 2.7 ? [BWD B'16]

Solⁿ: $w = \frac{(130-119)}{119} = 0.0924$

$\gamma_d = \frac{119}{1.1} = 108.2 \text{ lb/ft}^3$

$\gamma_d = \frac{G_s \gamma_w}{1+e}$

$\Rightarrow e = \frac{G_s \gamma_w}{\gamma_d} - 1 = \frac{2.7 \times 62.43}{108.2} - 1 = 0.558$

$\therefore S = \frac{w G_s}{e} = \frac{0.0924 \times 2.7}{0.558} \times 100 = 44.71\%$

(14) Prove that $\gamma_{sat} = \left(\frac{e}{w}\right) \left(\frac{1+w}{1+e}\right) \gamma_w$ [BWD B'19]

Solⁿ: $\gamma_{sat} = \frac{W}{V} = \frac{W_s + W_w}{V_s + V_w}$

~~$\frac{G_s \gamma_w + w G_s \gamma_w}{1+e}$~~

$\frac{W_s + W_w}{V_s \left(1 + \frac{V_w}{V_s}\right)}$

$\frac{\frac{W_s}{V_s} + \frac{w W_s}{V_s}}{1+e}$

$\frac{1+e}{G_s \gamma_w + w G_s \gamma_w}$

$\frac{1+e}{(1+w) G_s \gamma_w}$

$\frac{(1+w) G_s \gamma_w}{1+e}$

$\gamma_s = \frac{W_s}{V_s}$
 $\Rightarrow G_s \gamma_w = \frac{W_s}{V_s}$
 $\therefore G_s = \frac{\gamma_s}{\gamma_w}$

$$= \left(\frac{e}{w}\right) \left(\frac{1+w}{1+e}\right) \gamma_w$$

∴ fully saturated ∴ s = 1
 ∴ se = wGs
 ∴ e = wGs / Gs
 ⇒ Gs = e / w

(15) A sample of a sand measured volume 12 cm^3 & weight 32.3 gm . After oven dried the weight of ~~sample~~ same sample is to be measured 31.2 gm . If the solid sand volume is 8.48 cm^3 , calculate the void ratio of the sample [DPDC'20]

Solⁿ ∴ $w = \frac{32.3 - 31.2}{31.2} = 0.035$

~~porosity~~ void ratio, $e = \frac{\text{Solid weight}}{\text{Total volume}} = \frac{31.2}{12} = 2.6 \text{ g/cm}^3$
 $e = \frac{V_v}{V_s} = \frac{12 - 8.48}{8.48} = 0.415$

(16) Saturated unit weight & moisture content are 19.3 kN/m^3 & 28% respectively. Calculate void ratio e . [SGFCL'21] [JGITDSL'21]

Solⁿ ∴ $se = wGs$
 ⇒ $e = 0.28Gs$

again, $\gamma_{sat} = \frac{(Gs + e) \gamma_w}{1 + e}$
 ⇒ $19.3 = \frac{(Gs + 0.28Gs) \times 9.81}{1 + 0.28Gs}$

⇒ $19.3 + 5.404Gs = 12.5568Gs$

⇒ $Gs = 2.7$

∴ $e = 0.28 \times 2.7 = 0.756$ Ans.

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(17) The volume & weight of moist soil are 0.006 m^3 & 40 kg . If the moisture content in soil & specific gravity are 13% and 2.71 then calculate the porosity [Titas'21] [JGTDSL'21]

Solⁿ: $\gamma_{\text{moist}} = \frac{10}{0.006} = 1666.67 \text{ kg/m}^3$

~~$\gamma_{\text{moist}} = \frac{(G_s + e) \gamma_w}{1 + e}$~~
 ~~$\Rightarrow 1666.67 = \frac{(2.71 + e) \times 1000}{1 + e}$~~

~~$\gamma_{\text{moist}} = \frac{G_s \gamma_w (1 + w)}{1 + e}$~~
 $\Rightarrow 1666.67 = \frac{2.71 \times 1000 (1 + 0.13)}{1 + e}$

$\Rightarrow e = 0.837$

(18) Show that the saturated moisture content is $w_{\text{sat}} = \gamma_w \left[\frac{1}{\rho_s} - \frac{1}{\rho_s} \right]$

Solⁿ:
 we know,

$s_e = w G_s$
 $\therefore w_{\text{sat}} = \frac{e}{G_s}$

again, $\gamma_d = \frac{G_s \gamma_w}{1 + e}$

From eqn (i) $\frac{G_s \gamma_w}{\gamma_d} - 1 = \frac{\gamma_w}{\gamma_d} - \frac{1}{G_s} = \frac{\gamma_w}{\gamma_d} - \frac{\gamma_w}{s_r}$
 $w_{\text{sat}} = \frac{\frac{G_s \gamma_w}{\gamma_d} - 1}{G_s} \Rightarrow \therefore w_{\text{sat}} = \gamma_w \left[\frac{1}{\rho_s} - \frac{1}{\rho_s} \right]$

(19) If a soil sample has a dry unit weight of 19.5 kN/m^3 , moisture content of 8% & a specific gravity of solids particles is 2.67. Calculate

(i) the void ratio

*** (ii) moisture & saturated unit weight

(iii) The mass of water to be added to cubic meter of soil to reach 80% saturation.

(iv) Is it possible to reach 20% water content without changing the void ratio?

$$\text{Sol}^n \Rightarrow \frac{G_s \gamma_w}{\rho_d} + 1 = \frac{2.67 \times 9.81}{19.5} - 1 = 0.343$$

$$(i) \gamma_{dry} = \frac{G_s \gamma_w}{1+e} \therefore e = \frac{G_s \gamma_w}{\rho_d} + 1 = \frac{2.67 \times 9.81}{19.5} - 1 = 0.343$$

$$(ii) \gamma_{moist} = \gamma_{dry} (1+w) = 19.5 * (1+0.08) = 21.06 \text{ kN/m}^3$$

$$w_{sat} = \frac{se}{G_s} = \frac{1 \times 0.343}{2.67} = 0.1285$$

$$\therefore \gamma_{sat} = \gamma_{dry} (1+w_{sat}) = 19.5 * (1+0.1285) = 22 \text{ kN/m}^3$$

$$(iii) \gamma_{moist} = 21.06 \text{ kN/m}^3$$

$$w_{80\%} = \frac{se}{G_s} = \frac{0.8 \times 0.343}{2.67} = 0.10277$$

$$\therefore \gamma_{80\% \text{ sat}} = 19.5 * (1+0.10277) = 21.5 \text{ kN/m}^3$$

$$\text{Weight of water to be added} = 21.5 - 21.06 = 0.44 \text{ kN/m}^3$$

$$= \frac{0.44 \times 1000 \text{ N}}{9.81} = 44.85 \text{ kg/m}^3$$

$$(iv) S = \frac{w G_s}{e} \times 100\% = \frac{0.20 \times 2.67}{0.343} \times 100\% = 155\% > 100\%$$

So reaching 20% moisture content which is not possible ratio is not possible. P.T.O

(v) Is it possible to compact the soil sample to a dry unit weight of 25 kN/m^3

Solⁿ: max^m dry density

$$\gamma_{zAV} = \frac{G_s \gamma_w}{1 + e_{min}}$$

$$= \frac{2.67 \times 9.81}{1 + 0.2136}$$

$$= 21.58 \text{ kN/m}^3 > 25 \text{ kN/m}^3$$

(Not possible)

$$e_{mix} = \frac{G_s \cdot w}{s_{max}}$$

$$= \frac{2.67 \times 0.08}{1} = 0.2136$$

(20) A borrow material has a volume of 191000 m^3 and void ratio of 1.2. After compaction its new void ratio is 0.7, find the corresponding volume.

Solⁿ: $e_1 = \frac{V_{T1} - V_s}{V_s}$

$$\Rightarrow 1.2 = \frac{191000 - V_s}{V_s}$$

$$\Rightarrow V_s = 86818.18 \text{ m}^3$$

compact soil air, water total volume of solid total volume

$e_2 = \frac{V_{T2} - V_s}{V_s}$

$$\Rightarrow 0.7 = \frac{V_{T2} - 86818.18}{86818.18}$$

$$\therefore V_{T2} = 147590.906 \text{ m}^3$$

$$\frac{V_2}{V_1} = \frac{1 + e_2}{1 + e_1}$$

$$\therefore V_2 = \frac{1 + 0.7}{1 + 1.2} \times 191000$$

$$= 147590.91 \text{ m}^3$$

(21) Specific gravity of a soil is 2.65. Would it be possible to compact the above soil at a water content of 13.5% to a dry unit weight of 2 t/m^3 ?

Soln:

lowest possible void ratio for this soil

$$e_{min} = \frac{G_s \cdot w}{S_{max}} = \frac{2.65 \times 0.135}{1} = 0.3577$$

$$\gamma_{dry} = \frac{G_s \gamma_w}{1+e} \Rightarrow 2 \times 9.81 \text{ kN/m}^3 = \frac{2.65 \times 9.81}{1+e}$$

$$\therefore e = 0.325 < e_{min}$$

∴ e এর value least possible (not possible) value এর চেয়ে কম যেহেতু 2 t/m^3 dry unit weight attain এর possible নয়।

$\gamma_{2AV} = \frac{2.65 \times 1}{1 + 0.135 \times 2.65} = 1.95 \text{ t/m}^3 < 2 \text{ t/m}^3$
not possible
 $\gamma_w = 1 \text{ ton/m}^3$

(22) 270000 ft^3 আয়তনের একটি বর্গ-মাটি দ্বারা গঠিত একটি শ্রবণ ক্ষেত্র মাটি গোটের জন্য হলে মাটির চৌকায়িত্ব - $\gamma_{moist} = 105 \text{ lb/ft}^3$, $w = 16\%$, $G_s = 2.75$ আর প্রস্তুত মাটির চৌকায়িত্ব - $\gamma_{dry} = 103.5 \text{ lb/ft}^3$, $w = 18\%$, $G_s = 2.75$, তাহলে মাটি গোটের জন্য প্রয়োজনীয় borrow pit এর আয়তন কত হবে?

Soln:

$$\gamma_d = \frac{G_s \gamma_w}{1+e_{fill}} \Rightarrow e_{fill} = \frac{2.75 \times 62.43}{103.5} - 1 = 0.66$$

borrow pit এর জন্য,

$$\gamma_{moist} = \frac{G_s \gamma_w (1+w)}{1+e_{borrow}} \Rightarrow e_b = \frac{2.75 \times 62.43 (1+0.16)}{105} - 1 = 0.896$$

Now, $\frac{V_b}{V_f} = \frac{1+e_b}{1+e_f} \therefore V_b = \frac{1+0.896}{1+0.66} \times 270000 \text{ ft}^3 = 308385.54 \text{ ft}^3$ A

Date: / /

Sun Mon Tue Wed Thu Fri Sat

* An uncompact heap of soil has a volume of $10,000 \text{ m}^3$ and void ratio of 1. If the soil is compacted to a volume of 7500 m^3 . Then the corresponding void ratio of the compacted soil is _____ ?

Soln:

$$\frac{V_2}{V_1} = \frac{1+e_2}{1+e_1}$$

$$\Rightarrow \frac{7500}{10000} = \frac{1+e_2}{1+1}$$

$$\Rightarrow 1.5 = 1+e_2$$

$$\Rightarrow e_2 = 0.5 \text{ Ans.}$$

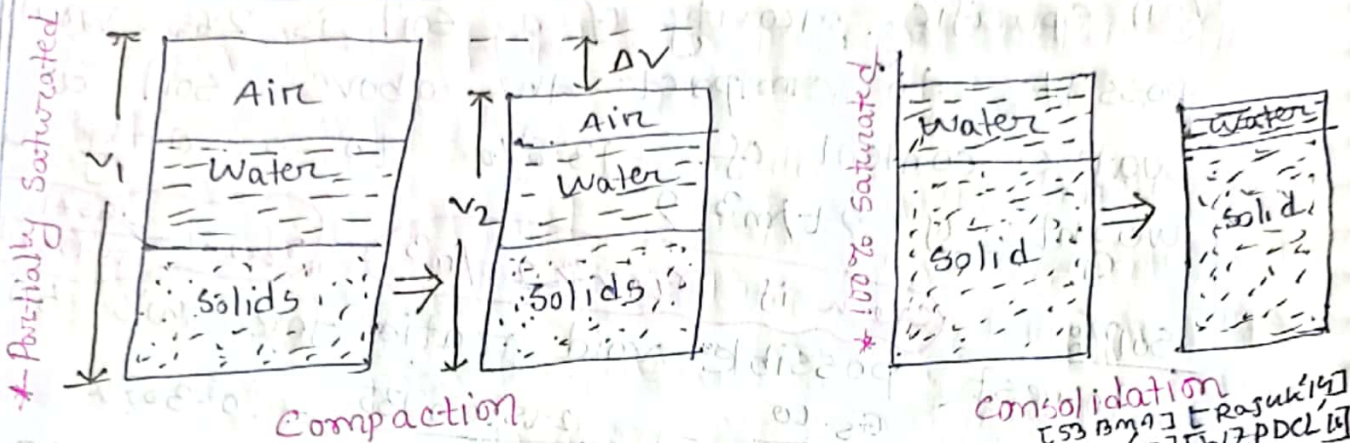
Soil Compaction

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Difference between compaction & consolidation

Compaction: Compaction is a mechanical process of densifying soil by reducing air voids.

* Compaction always occurs in partially saturated soil

* In the construction of different engineering structures, loose soil must be compacted to increase their stability & bearing capacity & to reduce settlements, permeability etc.

Consolidation: consolidation is an unwanted process of reduction in volume of sub-soil below the structure due to sustained static loading (self weight of structure).

* Consolidation always occurs in fully saturated soil.

* Compaction is an instantaneous process whereas ~~compaction~~ ^{consolidation} is a time dependent process (consolidation involves pore water expulsion \Rightarrow $\left(\begin{matrix} \text{consolidation} \\ \text{process} \end{matrix} \right)$ \Rightarrow $\left(\begin{matrix} \text{pore water} \\ \text{expulsion} \end{matrix} \right)$)

* consolidation causes unwanted settlement & failure of structure whereas compaction is done to increase density, stability & shear strength of soil.

* consolidation mainly occurs in cohesive soils i.e. clay whereas compaction can be done in any type of soil.

Decrease of Height due to compaction:

$$\frac{\Delta H}{H} = \frac{e_0 - e_f}{1 + e_0} = \frac{\Delta e}{1 + e_0}$$

e_0 = initial void ratio

e_f = final void ratio

Compaction Tests:

- (i) standard Proctor Test (SPT) method
- (ii) Modified Proctor Test (MPT) method

Test method	Mould volume (ft ³)	Weight of hammer lb	Height of Hammer (in)	No of layers	No of blows per layer
SPT	1/30	5.5	12	3	25
MPT	1/30	10 <small>(BNCC '16)</small>	18	5	25

Compaction Effort Comparison between SPT & MPT:

compaction effort ବଳତେ ହାମ୍ମର energy per unit volume ଭାବେ ମୌଳିକ mould volume ତର 100 pound ବା hammer ଆଉ 30 ଇଞ୍ଚ ଲମ୍ବର layer ଏ compact କରାଯାଇଥିବା compaction effort.

$$\frac{E_m}{E_s} = \frac{5 \text{ layers}}{3 \text{ layers}} * \frac{10 \text{ lb}}{5.5 \text{ lb}} * \frac{18''}{12''} * \frac{25 \text{ blows}}{25 \text{ blows}}$$

$$= 4.54$$

$\therefore E_m = 4.54 E_s$ [BPDB'16]

ଏହା modified compaction test ବା compaction effort standard compaction test ବା compaction effort ପ୍ରତି 4.54 ଗୁଣ ଅଧିକ।
 * Energy of standard proctor test ~~589 kJ/m³~~ [BINTA'19]
 556 kJ/m³ [CRCCBI'22]

Some Important Aspects:

- * moisture content ଅଧିକ ସାମଗ୍ରୀର dry density ବୃଦ୍ଧି ପାଇଁ ଉପଯୋଗୀ।
- * dry density maximum ରେ ଉପସ୍ଥିତ ଲାଭଦାୟକ ମୌଳିକ (OMC) content ଚାହୁଁବା ପାଇଁ ଉପଯୋଗୀ।
- * moisture content ଉପରେ ଉପରୋକ୍ତ ଧାରଣା ଉପରେ ପ୍ରଭାବ ପଡ଼େ।
- * dry unit weight or dry density ଉପରେ ପ୍ରଭାବ ପଡ଼େ।

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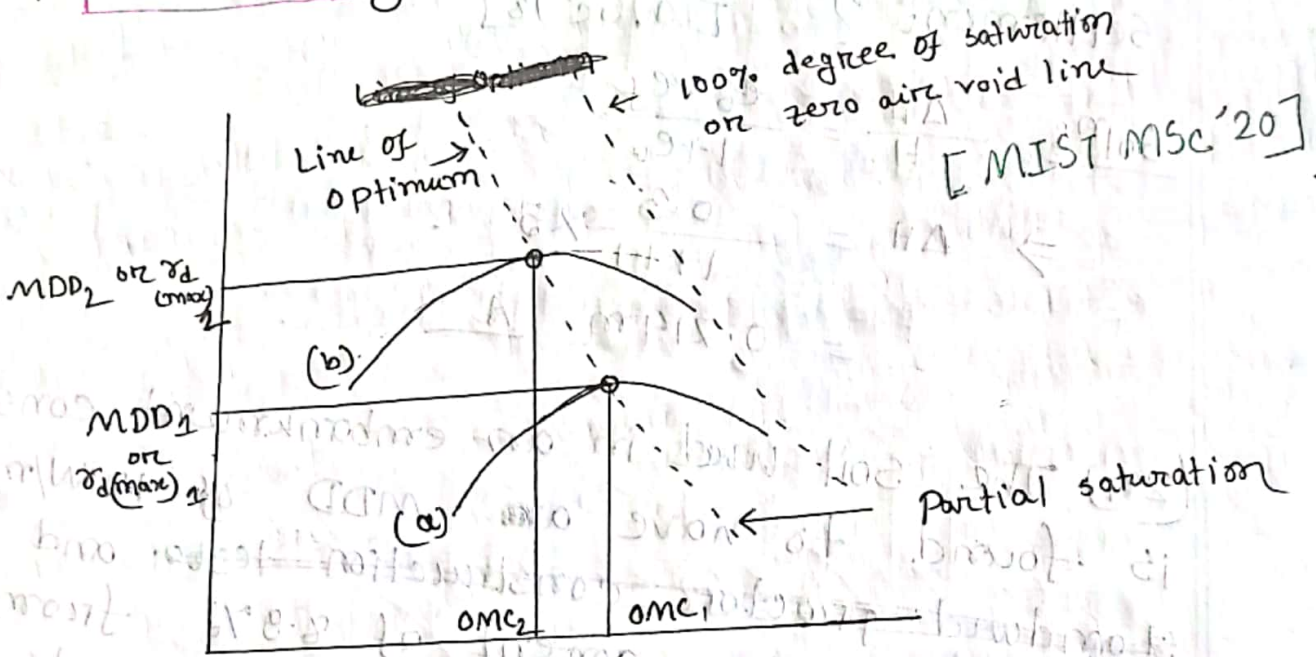
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* compaction effort to get 25% moisture content
dry unit weight, γ_d

* Max^m dry density = MDD = $\gamma_d(\max)$



- (a) Standard Proctor Test
- (b) Modified Proctor Test

* Relative Compaction:

$$R = \frac{\gamma_d(\text{field})}{\gamma_d(\max)} \times 100\%$$

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(23) The initial void ratio of a 5m thick clay layer is 1.1. If the difference of void ratio is 0.3, then find out the settlement? [Msc'18]

Soln^o $\frac{\Delta H}{H} = \frac{e_0 - e_f}{1 + e_0}$

$$\Rightarrow \Delta H = \frac{0.3}{1 + 1.1} \times 5$$

$$= 0.714 \text{ m } \underline{A}$$

(24) The soil used in an embankment construction is found to have an MDD of 19 kN/m^3 ~~from~~ ~~standard proctor construction test~~ and an optimum moisture content of 8.9% from standard proctor test. The construction projects requires the soil to be compacted to 95% relative density.

After finishing compaction, a block of soil is extracted from the compacted layer using a pipe section of 100 mm length & 75 mm internal dia. wet & dry weight of extracted soil is 871 gm & 810 gm respectively. Does the layer meet the required specifications? [DMTC'19]

Soln^o $\gamma_d = \frac{810 \times 10^{-3}}{\frac{\pi}{4} \times \left(\frac{75}{1000}\right)^2 \times \frac{100}{1000}} = 1833.465 \text{ kg/m}^3$

$$= \frac{1833.465 \times 9.81}{1000} \text{ kN/m}^3$$

$$= 17.98 \text{ kN/m}^3$$

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* A one-dimensional consolidation test is carried out on a standard 19mm thick clay sample. The oedometer's deflection gauge indicates a reading of 2.1mm, just before removal of the load, without allowing any swelling. The void ratio is 0.62 at this stage. Calculate the initial void ratio.

Soln:
$$\frac{\Delta H}{H} = \frac{\Delta e}{1+e_0} = \frac{e_0 - e_1}{1+e_0}$$

$$\Rightarrow \frac{2.1}{19} = \frac{0.62 - e_0}{1+e_0}$$

$$\Rightarrow 0.11 = \frac{e_0 - 0.62}{1+e_0}$$

$$\Rightarrow 0.11 + 0.11e_0 = e_0 - 0.62$$

$$\Rightarrow \frac{0.11 + 0.11e_0}{0.11} = \frac{e_0 - 0.62}{0.11}$$

$$\therefore e_0 = 0.82$$

$$\therefore e_0 = 0.82 \text{ A}$$

initial void ratio (0.62)

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$$R_d = \frac{17.986}{19} \times 100 \approx 95\% \text{ (ok)}$$

(25) A project requires fill to be compacted to 95% relative density with relation to the standard proctor. Laboratory results for the standard proctor indicated that the soil has a max^m dry ^(MDD) density of 19 kN/m^3 and an optimum moisture content of 8.9%. After compaction, the compacted fill soils have an insitu unit weight of 19.54 kN/m^3 & moisture content of 7.5%. Does the compacted soil meet project requirements? DMTCL '22

Solve dry density of compacted soil,

$$\gamma_d = \frac{\gamma_{\text{moist}}}{1+w}$$
$$= \frac{19.54}{1+0.075} = 18.177 \text{ kN/m}^3$$

$$R_d = \frac{18.177}{19} \times 100 = 95.6\% > 95\% \text{ (ok)}$$

* OMC \rightarrow total use OMC

*** In a standard proctor test, 1.8 kg of moist soil was filling the mould (volume = 944 cc) after compaction. A soil sample weighing 23g was taken from the mould and oven dried for 24 hrs at a temperature of 110°C. Weight of the dry sample was found to be 20g. Specific gravity of soil solids = 2.7. Calculate the theoretical maximum dry unit weight of the soil at that water content.

Solⁿ: $w = \frac{23 - 20}{20} = 0.15$

$S_e = wG_s \therefore e = \frac{wG_s}{S} = \frac{0.15 \times 2.7}{1} = 0.405$

$\therefore \gamma_d(\max) = \frac{G_s \gamma_w}{1 + e_{min}} = \frac{2.7 \times 9.81}{1 + 0.405} = 18.85 \text{ kN/m}^3$



Soil classification based on grain/particle size;

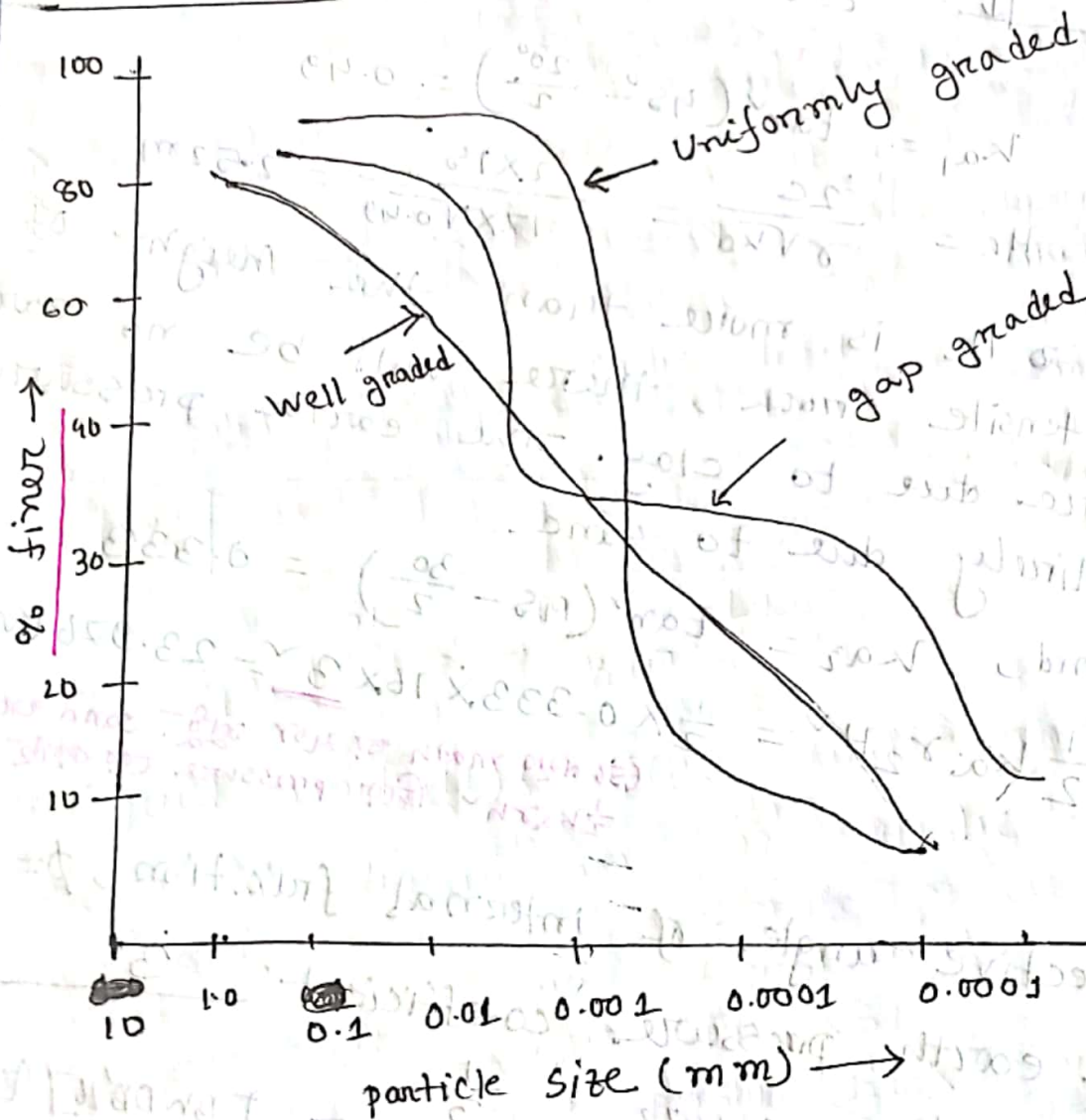
Gravel = $> 4.75 \text{ mm}$

Sand = $4.75 \text{ to } 0.075 \text{ mm}$

Silt & clay = $< 0.075 \text{ mm}$

based on
USCS = Unified Soil
 classification
 system

Particle Size Distribution Curve: [DNCC'2020] [Titas'19]



Grading Characteristics:

D_{60} = Dia corresponding to 60% finer

D_{75} = Dia corresponding to 75% finer

D_{10} = Dia corresponding to 10% finer

D_{30} = Dia corresponding to 30% finer

* D_{10} = Effective size

* Why D_{10} is called effective diameter? :

As per the numerous experiments done by Allen Hazen on soil properties, he found the D_{10} diameter can be related to most of the soil properties such as liquid limit, plasticity index, unconfined compressive strength, permeability etc hence it is called effective diameter.

* Uniformity coefficient, $C_u = \frac{D_{60}}{D_{10}}$

* Curvature coefficient/coefficient of gradation, $C_c = \frac{D_{30}^2}{D_{10} \times D_{60}}$

~~* Sorting coefficient, $S_o = \sqrt{\frac{D_{60}}{D_{10}}}$~~

For well graded soil, $C_c = 1 \sim 3$

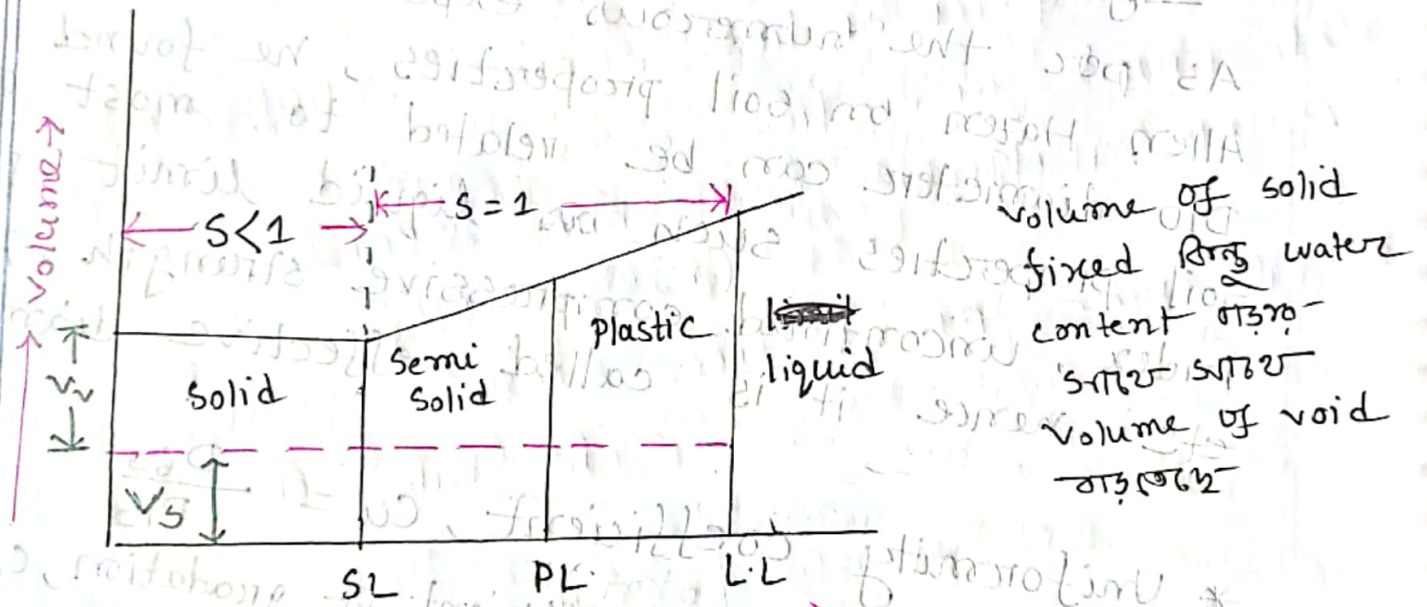
$C_u > 4$ for sand

$C_u > 6$ for gravel

Consistency limit / Atterberg limit:

The water contents at which the soil changes from one state to the other are known as consistency limits or Atterberg limits.

* Atterberg was a Swedish agriculture engineer who correlated this



* Liquid Limit (LL): water content of soil in liquid state

Plastic Limit (PL): water content of soil in plastic state

Shrinkage limit (SL): water content of soil in semi-solid state

Flow Index, I_F : The flow index is the rate at which a soil mass loses its shear strength with an increase in water content.

$$I_F = \frac{w_1 - w_2}{\log\left(\frac{N_2}{N_1}\right)}$$

| N = No of blows

Liquid Limit, LL :

Laboratory test formula

$$LL = w \times \left(\frac{N}{25}\right)^{0.121}$$

N = no of blows to obtain 12.7mm contact length of soil

Plasticity Index, I_P : It is the range in moisture content when the soil exhibits its plastic behavior.

$$I_P = LL - PL$$

Liquidity Index, I_L :
 Soil \rightarrow liquid state percent

Liquidity index \rightarrow Water content \rightarrow ~~add~~ ~~add~~ ~~add~~

$$I_L = \frac{w - PL}{PI} \times 100\%$$

w = in-situ moisture content in soil

IL \rightarrow 20%
 water \rightarrow 80%
 liquid state \rightarrow 20%
 add \rightarrow water \rightarrow liquid

* when the soil is at its liquid limit, its liquidity index is 100% and it behave as a liquid. when the

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soil is at plastic limit, its liquidity index is zero. 100% or more add water than liquid state is reached.

Consistency Index, I_c : I_c - Any soil & Plastic limit is percent water content

ଆବଶ୍ୟକ କିମ୍ବା ଅଧିକ

$$I_c = \frac{LL - W_p}{PI} \times 100\%$$

$I_c = 100\%$ means soil is in plastic state

$I_c = 0\%$ means soil is in liquid state

$I_c < 100\%$ means soil is in plastic state &

$I_c > 100\%$ means soil is in semi-solid or solid state

$$I_p + I_c = 100\% \text{ always}$$

* Gap filling:

(i) $PL = 30\%$, $LL = 60\%$, $w = 40\%$, $I_p = ?$ $I_L = ?$

[MSc'19] [NHA'19]
[JGTD SL'21]

Solⁿ: $I_p = LL - PL = 60 - 30 = 30\%$

$$I_L = \frac{w - PL}{I_p} \times 100\%$$

$$= \frac{40 - 30}{30} \times 100\% = 33.33\%$$

(ii) $I_p = 50\%$, $PL = 20\%$, $LL = ?$

[BWDB'18] [NHA'19]
[GTCL'16] [BIWTA'19]
[SGCL'20] [Petrobangla'22]

Solⁿ: $I_p = LL - PL$

$$\therefore LL = I_p + PL = 50 + 20 = 70\%$$

(iii) Liquidity Index of a sand having equal natural water content & plastic limit is zero

[SGFL'17] [BIWTA'19]

(iv) The effective size of a soil is $\frac{D_{10}}{D_{60}}$

[BPDB'2013]

(v) The soil transported by wind is called Aeolian soil

[BPSC]

(vi) $D_{10} = 0.1$, $D_{60} = 0.3$, uniformity coefficient, $C_u = \frac{D_{60}}{D_{10}} = 3$

[BIWTA'19] [DNCC'16] [GTCL'16] [NHA'19]

[Petrobangla'22]

(60) In a LL test, the moisture content at 10 blows was 70% and that at 25 blows was 20%. What is the Liquid Limit of the soil?

Solⁿ: For 10 blows

$$LL_1 = w_1 \left(\frac{N_1}{25} \right)^{0.121}$$

$$= 70 \times \left(\frac{10}{25} \right)^{0.121}$$

$$= 62.7\%$$

For 25 blows

$$LL_2 = w_2 \left(\frac{N_2}{25} \right)^{0.121}$$

$$= 20 \times \left(\frac{25}{25} \right)^{0.121}$$

$$= 23.7\%$$

∴ LL = (62.7 - 23.7)% = 39%

(61) Grain size distribution of a soil are given below:

Particle size (mm)

0.05

0.3

0.4

% finer

10%

30%

60%

Find C_u , C_c

Is the soil well graded? (PGCB'19)

Solⁿ:

$$C_u = \frac{D_{60}}{D_{10}} = \frac{0.4}{0.05} = 8$$

$$C_c = \frac{D_{30}}{D_{10} \times D_{60}} = \frac{0.3}{0.05 \times 0.4} = 1.5$$

It is not well graded soil. For well graded soil $C_u > 6$, $1 < C_c < 3$

Consolidation & Settlement

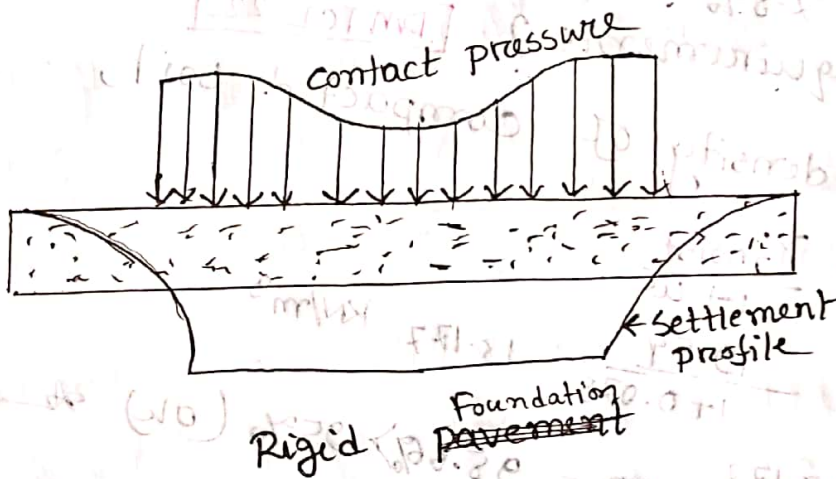
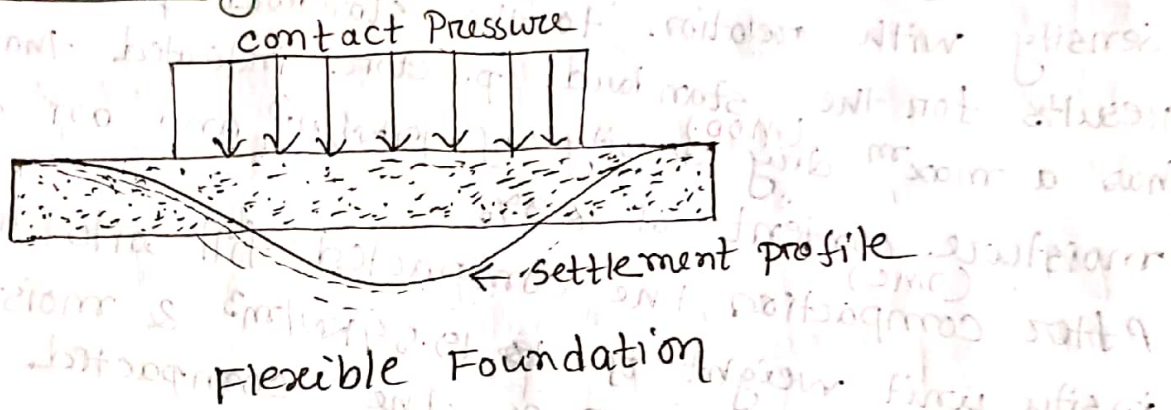
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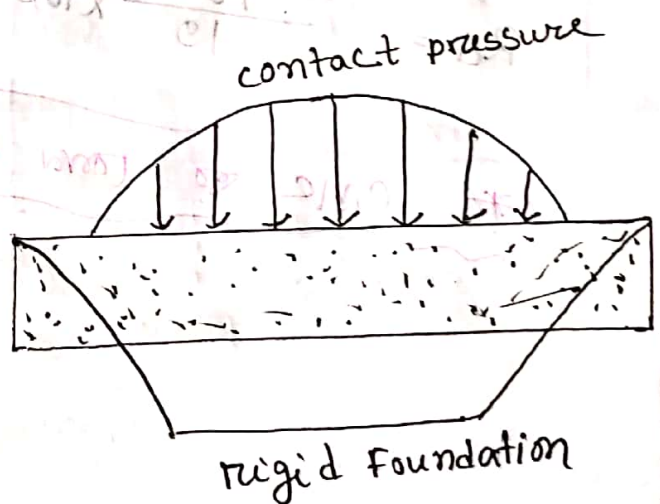
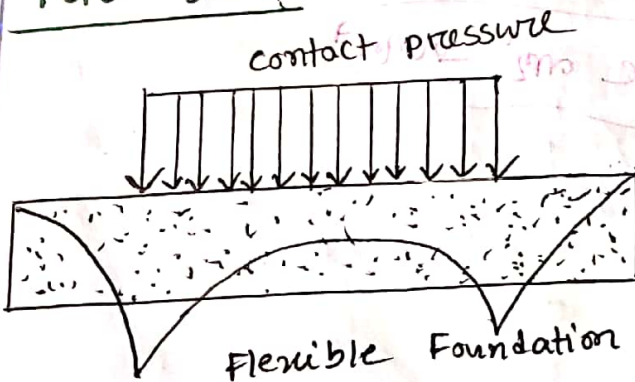
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Elastic Settlement Profile in Soil

For Clay Soil:

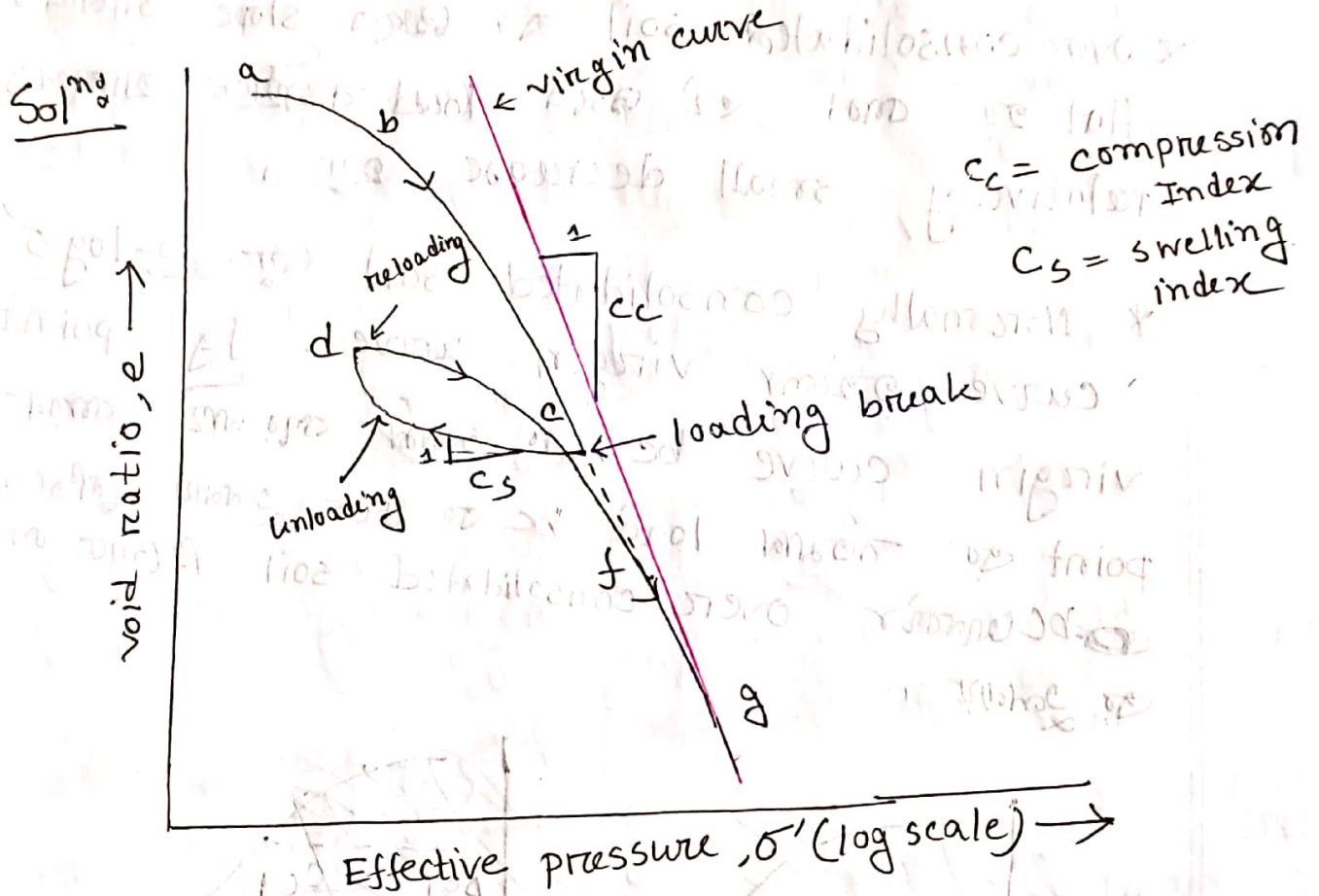


For Sand



(25) Draw $e-\log \sigma'$ curve for loading & unloading

[NESCO'21] [COXDA'19] [BEPZA'16] [BMA]



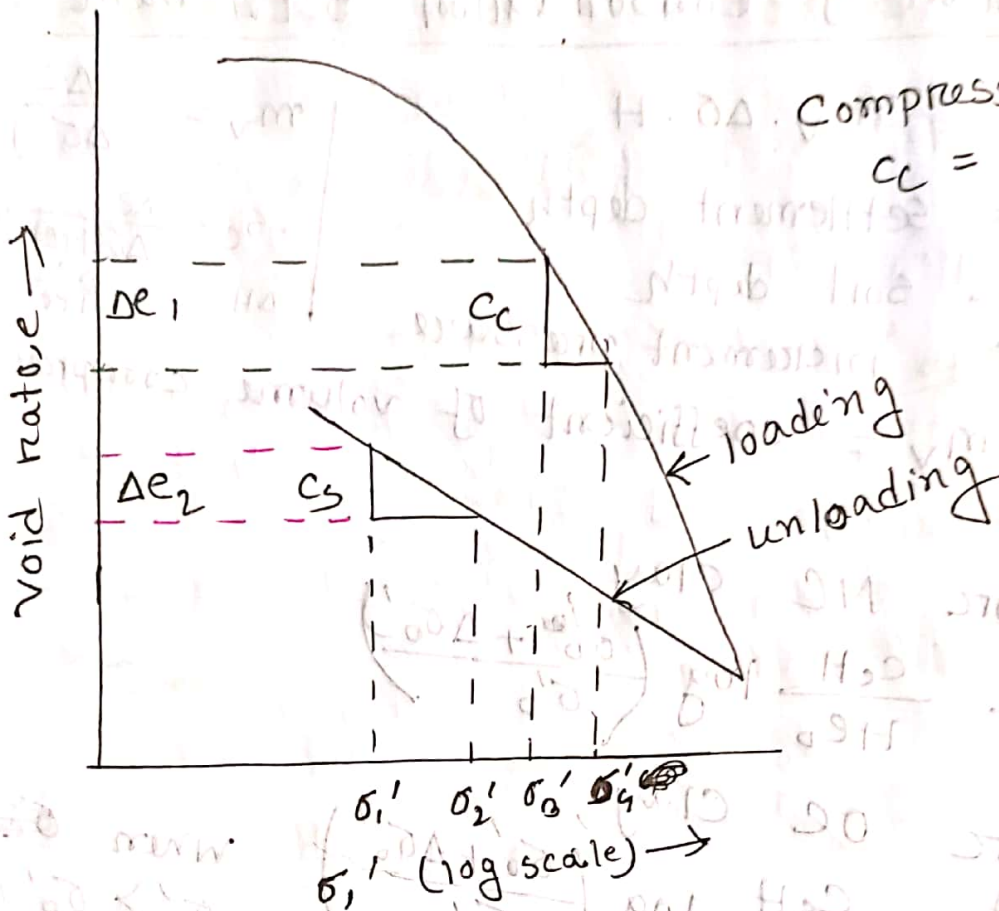
Normally consolidated clay:

A soil is NC if the present effective pressure to which it is subjected is the max^m pressure the soil has ever been subjected to.

The branches bc & fg are NC clay

Over consolidate clay:

A soil is OC if the present effective pressure to which it is subjected to is less than the max^m pressure to which the soil was subjected to in the



Compression Index,

$$C_c = \frac{\Delta e_1}{\log \frac{\sigma_4'}{\sigma_3'}}$$

Swelling Index

$$C_s = \frac{\Delta e_2}{\log \frac{\sigma_2'}{\sigma_1'}}$$

* The max^m effective past pressure is called the preconsolidation pressure.

* Over consolidation ratio (OCR) = $\frac{\text{preconsolidation stress}}{\text{current stress}}$

OCR = 1 \Rightarrow NC clay

OCR > 1 \Rightarrow OC clay

* Effective stress decreases with the increase in void ratio [BCIC '16]

Calculation of Consolidation Settlement:

$$(1) \Delta H = m_v \cdot \Delta \sigma \cdot H$$

* ΔH = settlement depth

H = soil depth

$\Delta \sigma$ = increment pressure

m_v = coefficient of volume compressibility

$$m_v = \frac{\Delta e}{\Delta \sigma (1 + e_0)}$$

$$\therefore s_c = \frac{\Delta e}{\Delta \sigma (1 + e_0)} \cdot \Delta \sigma \cdot H$$

$$\Delta H = \frac{\Delta e}{1 + e_0} \cdot H$$

(2) For NC clay

$$\Delta H = \frac{c_c H}{1 + e_0} \log \left(\frac{\sigma'_0 + \Delta \sigma'_0}{\sigma'_0} \right)$$

(3) For OC clay

$$(i) \Delta H = \frac{c_s H}{1 + e_0} \log \left(\frac{\sigma'_0 + \Delta \sigma'_0}{\sigma'_0} \right)$$

when $\sigma'_c \geq \sigma'_0 + \Delta \sigma'_0$

$$(ii) \Delta H = \frac{c_s H}{1 + e_0} \log \frac{\sigma'_c}{\sigma'_0} + \frac{c_c H}{1 + e_0} \log \left(\frac{\sigma'_0 + \Delta \sigma'_0}{\sigma'_c} \right)$$

when $\sigma'_c < \sigma'_0 + \Delta \sigma'_0$

* σ'_c = preconsolidation pressure

We know, settlement = ΔH

$$\therefore \frac{\Delta H}{H} = \frac{\Delta e}{1 + e_0} \Rightarrow \Delta H = \frac{\Delta e}{1 + e_0} H$$

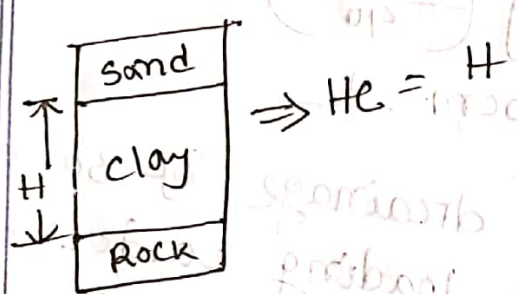
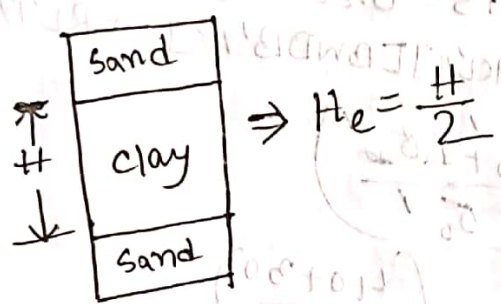
$$\therefore \Delta H = \frac{c_c H}{1 + e_0} \log \left(\frac{\sigma'_0 + \Delta \sigma'_0}{\sigma'_0} \right)$$

$$\Delta e = c_c \cdot \log \left(\frac{\sigma'_0 + \Delta \sigma'_0}{\sigma'_0} \right)$$

* Time required to reach specific degree of consolidation,

$$t = \frac{\frac{\pi}{4} * H_e^2 * D_c}{C_v}$$

D_c = Degree of consolidation
 C_v = consolidation rate coefficient
 ~~H = drainage path~~
 H_e = effective drainage path



* One method of reducing differential settlement of a building on sand is to decrease the size of the smallest footing.
 size but smaller area pressure differential settlement smaller area pressure differential

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(26) compute consolidation settlement of a 2.5m thick clay layer due to an increase of 30kN/m² pressure at the mid height of the layer. The vertical stress at the mid height of the layer is 40kN/m², initial void ratio is 0.7 & compression index is 0.28. [NHA'10] [SGFL'17] [PGCB'15] [DNCC'15] [GIC'16] [BWDB'18] [ERL'17] [WRACL'19]

Solⁿ:
$$S_c = \frac{c_c H}{1 + e_0} \log \left(\frac{\sigma_0' + \Delta \sigma_{max}}{\sigma_0'} \right)$$

$$= \frac{0.28 \times 2.5}{1 + 0.7} \log \left(\frac{40 + 30}{40} \right)$$

$$= 0.100 \text{ m} = 10 \text{ cm} \quad \underline{A}$$

(27) A 3m layer double drainage of saturated clay under surcharge loading underwent 90% consolidation in 75 days. Find the coefficient of consolidation? [PGCL'17]

Solⁿ:
$$t = \frac{\frac{\pi}{4} * H_e^2 * D_c}{C_v}$$
(double drainage)
He = $\frac{3}{2} \times 100 \text{ cm}$
= 150 cm

$$\Rightarrow C_v = \frac{150^2 * 0.9}{75 * 24 * 60}$$

$$= 0.1325 \text{ cm}^2/\text{min}$$

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DMTCL-2022

Non-25 ^{DMTCL-5}
No math
Depth - 5X13 = 65

* Given, initial void ratio and effective stresses are 0.8 & 200 kN/m³. If compressibility index, $C_c = 0.33$ & final stress is 400 kN/m³. Find final void ratio.

[DMTCL'22]

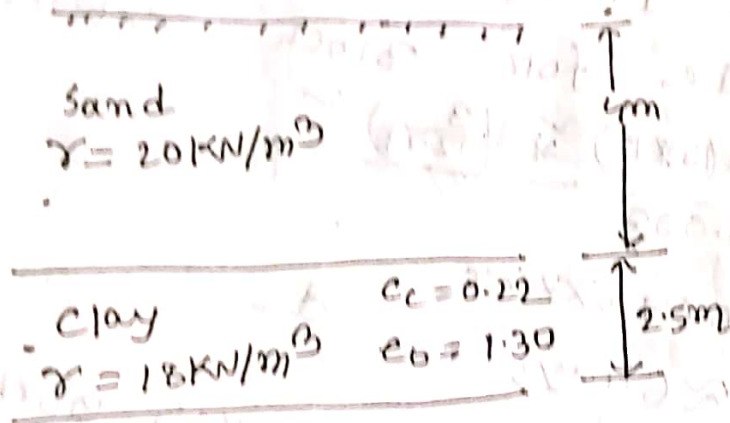
Solⁿ: $C_c = \frac{e_1 - e_2}{\log \frac{\sigma_2'}{\sigma_1'}}$

$$\Rightarrow 0.33 = \frac{0.8 - e_2}{\log \frac{400}{200}}$$

$$\Rightarrow 0.099 = 0.8 - e_2$$

$$\therefore e_2 = 0.8 - 0.099 = 0.7 \quad \underline{\underline{A}}$$

(35) calculate the final settlement of the clay layer shown in figure due to an increasing pressure of 30 kN/m^2 . Also calculate the settlement when the water table is at ground surface.



- * distance from mid clay soil to ground surface is 2m
- * settlement of clay soil & sand is 2.66m

Solⁿ $\sigma_0 = 4 \times 20 + \frac{2.5}{2} \times 18 = 102.5 \text{ kN/m}^2$

$$S_c = \frac{C_c H}{1 + e_0} \log \left(\frac{\sigma_0 + \Delta \sigma}{\sigma_0} \right)$$

$$= \frac{0.22 \times 2.5}{1 + 1.30} \log \frac{102.5 + 30}{102.5}$$

$$= 0.0266 \text{ m} = 2.66 \text{ cm}$$

* (settlement of clay soil & sand) height 3m clay soil & sand is 2.66m

When the water table rises to the ground surface,

$$\sigma_0 = 4 \times (\gamma_{\text{sat}} - \gamma_w) + \frac{2.5}{2} (\gamma_{\text{sat}} - \gamma_w)$$

Submerged unit weight

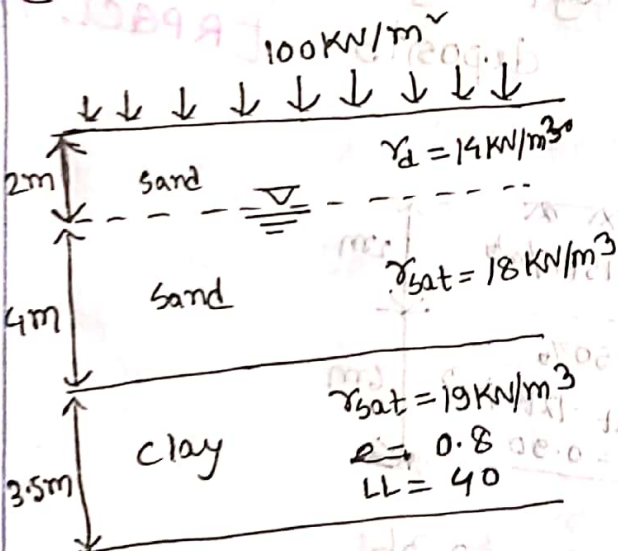
Taking $\gamma_w = 10 \text{ kN/m}^3$

$$= 4 \times (20 - 10) + \frac{2.5}{2} (18 - 10) = 50 \text{ kN/m}^2$$

$$\therefore S_c = \frac{0.22 \times 2.5}{1 + 1.30} \log \left(\frac{50 + 30}{50} \right) = 0.0488 \text{ m} = 4.88 \text{ cm}$$

(36) A soil profile is shown in below figure. If a uniformly distributed load $\Delta\sigma$, is applied at the ground surface what is the settlement of the clay layer caused by primary consolidation if

- (a) The clay is normally consolidated [PGCB'18]
- (b) The preconsolidation pressure $\sigma_c' = 200 \text{ kN/m}^2$
- (c) $\sigma_c' = 150 \text{ kN/m}^2$; Take $c_s = \frac{1}{8} c_c$ [BWB'19]



$$c_c = 0.009 (LL - 10) = 0.009 (40 - 10) = 0.27$$

Solⁿ: $\sigma_v' = 2 \times 14 + 4 \times (18 - 9.81) + \frac{3.5}{2} (19 - 9.81) = 76.84 \text{ kN/m}^2$

$$S_c = \frac{0.27 \times 3.5}{1 + 0.8} \log \left(\frac{76.84 + 100}{76.84} \right) = 0.19 \text{ m} = 19 \text{ cm}$$

(b) $\sigma_v' + \Delta\sigma' = 100 + 76.84 = 176.84 < \sigma_c'$

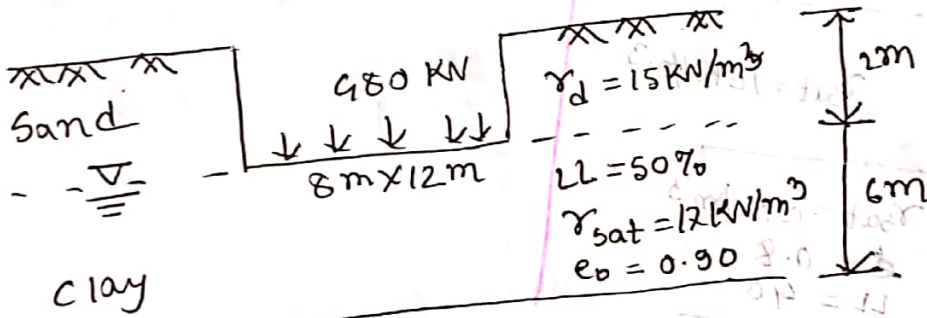
$$\therefore S_c = \frac{c_s H}{1 + e_0} \log \left(\frac{\sigma_v' + \Delta\sigma'}{\sigma_v'} \right) = \frac{\frac{1}{8} \times 0.27 \times 3.5}{1 + e_0} \log \left(\frac{176.84}{76.84} \right) = 3.8 \text{ cm}$$

P.T.O

(c) $\sigma'_0 + \Delta\sigma_0 = 176.84 > \sigma'_c = 150 \text{ kN/m}^2$

$$\begin{aligned} \therefore s_c &= \frac{c_s H}{1 + e_0} \log \frac{\sigma'_c}{\sigma'_0} + \frac{c_c H}{1 + e_0} \log \left(\frac{\sigma'_0 + \Delta\sigma'}{\sigma'_c} \right) \\ &= \frac{\frac{1}{5} * 0.27 * 3.5}{1 + 0.8} \log \frac{150}{76.84} + \frac{0.27 * 3.5}{1 + 0.8} \log \left(\frac{176.84}{150} \right) \\ &= 0.068 \text{ m} = 6.8 \text{ cm} \quad \mathbf{A} \end{aligned}$$

(37) Determine primary consolidation settlement at centre of the raft foundation. Assume normally consolidated deposits. [RPGCL'17]



Solⁿ: $c_c = 0.009(50 - 10) = 0.36$

$\sigma'_0 = 2 * 15 + \frac{6}{2} * (17 - 9.81) = 51.57 \text{ kN/m}^2$

$\Delta\sigma' = \frac{480}{8 * 12} = 5 \text{ kN/m}^2$

$\therefore s_c = \frac{0.36 * 6}{1 + 0.9} \log \left(\frac{51.57 + 5}{51.57} \right) = 0.0456 \text{ m} = 4.56 \text{ cm} \quad \mathbf{A}$

(28) Determine the coefficient of volume compressibility if the settlement is 5cm for 7.5m clay layer having increasing pressure of ~~8 kg/cm^v~~ 8 kg/cm^v [BPDB'16]

Solⁿ: $S_c = m_v \Delta \sigma' H$
 $\Rightarrow 5 = m_v \times 8 \times (7.5 \times 100)$
 $\Rightarrow m_v = 8.33 \times 10^{-4} \text{ cm}^v/\text{kg}$

(29) Calculate the total settlement of compressible soil stratum 2m depth and co-efficient volume compressibility $0.2 \text{ cm}^v/\text{kg}$ under a pressure increment of 2 kg/cm^v

Solⁿ: $S_c = 0.2 * 2 * (2 \times 100) = 80 \text{ cm}$ A

*** (30) A clay stratum 5m thick has the initial void ratio of 1.5 & the effective overburden pressure of 120 kN/m^v . What is the increased pressure when void ratio decreases to 1.44. value of co-efficient of volume compressibility is $2 \times 10^{-4} \text{ m}^v/\text{KN}$. Also calculate the final settlement of the stratum. [CPGCBL-18] [RPGCL]

Solⁿ: We know -
 $m_v = \frac{\Delta e}{\Delta \sigma' (1+e_0)} \Rightarrow \Delta \sigma' = \frac{\Delta e}{m_v (1+e_0)} = \frac{(1.5-1.44)}{2 \times 10^{-4} \times (1+1.5)} = 120 \text{ kN/m}^v$

now, $S_c = m_v \times \Delta \sigma' \times H$
 $= 2 \times 10^{-4} \times 120 \times 5$
 $= 0.12 \text{ m} = 12 \text{ cm}$ A

(32) For 80% consolidation of 2m thick soil, time taken is 5 years. Determine the time for 5m thickness soil for the same amount of consolidation? [COXDA '2019]

for same % of consolidation

Solⁿ $t \propto H^2$

$$\Rightarrow \frac{t_1}{t_2} = \frac{H_1^2}{H_2^2}$$

$$\Rightarrow t_1 \times \frac{H_2^2}{H_1^2} = t_2$$

$$\Rightarrow 5 \times \frac{25}{4} = t_2$$

$$\Rightarrow t_2 = 31.25 \text{ years}$$

Soil Permeability & Seepage

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* Hydraulic gradient: The loss of hydraulic head per unit length of flow may be expressed as hydraulic gradient, $i = \frac{\Delta h}{L}$

Discharge through soil: $Q = kiA$

k = hydraulic conductivity / permeability coefficient
unit = cm/sec

A = X-sectional area

Relation between k & e (void ratio)

$$k \propto \frac{e^3}{1+e}$$

$$\therefore \frac{k_1}{k_2} = \frac{\frac{e_1^3}{1+e_1}}{\frac{e_2^3}{1+e_2}}$$

Quicksand (Lorgrorlar)

in quicksand condition, $i = \frac{\gamma_{\text{submerged}}}{\gamma_w}$

$$\therefore i = \frac{\gamma_i}{\gamma_w} = \frac{G_s - 1}{1+e}$$

cohesionless soil i.e. sand or silt or clay
& bearing capacity not to be lost
quicksand condition or shear strength

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(38) A field sample of an unconfined aquifer is packed in a test cylinder. The length and diameter of the cylinder are 50cm and 6cm respectively. The field sample tested for a period of 3min under a constant head difference of 16.3 cm. As a result, 45.2 cm³ of water is collected at the outlet. Determine hydraulic conductivity of the aquifer sample [SGFL '21]

Solⁿ:

$$Q = KiA$$

$$\Rightarrow K = \frac{Q}{iA}$$

$$= \frac{\frac{45.2 \text{ cm}^3/\text{min}}{3}}{\frac{16.3}{50} \times \frac{\pi}{4} \times 6^2} = 1.6346 \text{ cm}/\text{min}$$

(39) Calculate the hydraulic head that would produce a quick condition in a sand stratum of thickness 1.47m. Given, $\gamma_s = 1.65 \text{ gm/cc}$, $\text{sp. gn} = 2.67$ [RPGCL '17] [BPDB '14]

Solⁿ:

We know, $\gamma_d = \frac{G_s \gamma_w}{1+e}$

$$\Rightarrow e = \frac{G_s \gamma_w}{\gamma_d} - 1$$

$$= \frac{2.67 \times 1}{1.65} - 1 = 0.62$$

$$i = \frac{G_s - 1}{1+e} = \frac{2.67 - 1}{1 + 0.62} = 1.03$$

again, $i = \frac{\Delta h}{L} \therefore \Delta h = i \times L = 1.03 \times 1.47 = 1.5141 \text{ m}$

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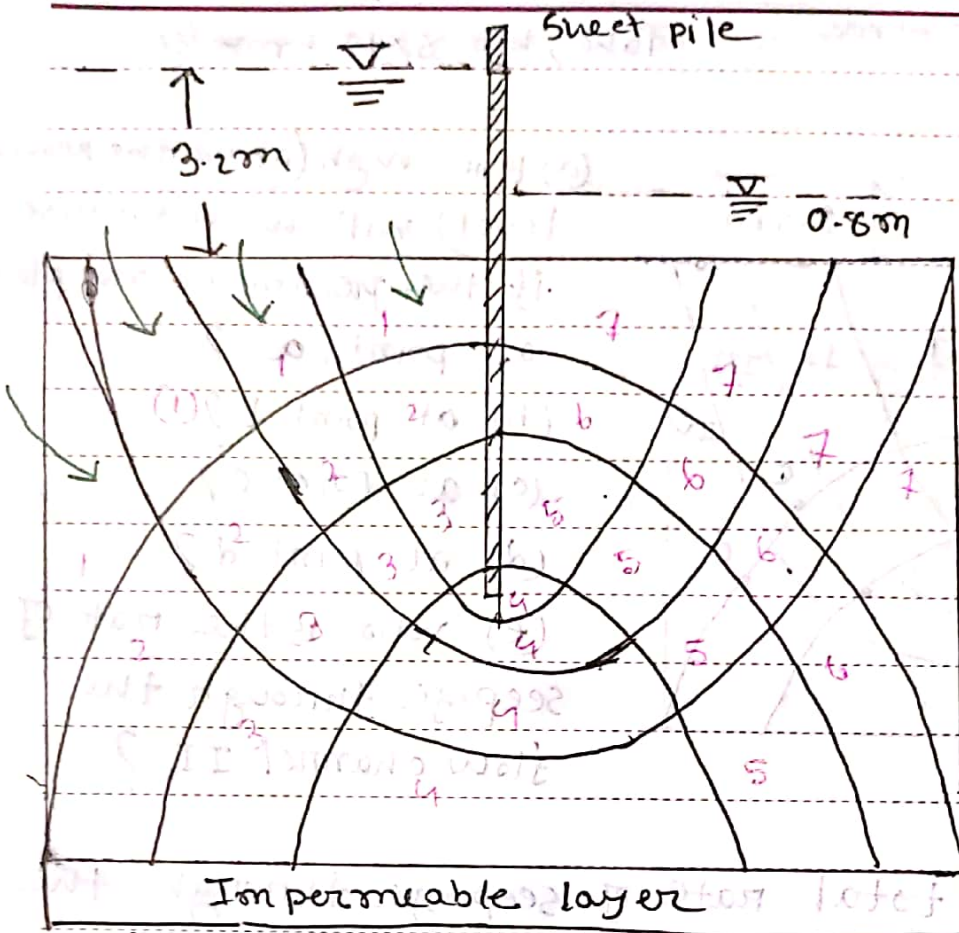
(40) A falling head permeability test was performed in a ~~permeameter~~ permeameter with an inside diameter of 6cm. The inside diameter of standpipe is 3mm. The sample had a length of 12cm. During a period of 8 minutes the head of sample decreased from 120cm to 60cm. Compute the coefficient of permeability of the sample [Titas'18]

Solⁿ:
$$k = \frac{aL}{At} \ln\left(\frac{h_1}{h_2}\right)$$

$$= \frac{0.0707 \times 12}{28.27 \times 8} \ln\left(\frac{120}{60}\right)$$

$$= 2.6 \times 10^{-3} \text{ cm/min}$$

pipe area, $a = \frac{\pi}{4} \times (0.3)^2$
 $= 0.0707 \text{ cm}^2$
 sample area, $A = \frac{\pi}{4} \times 6^2$
 $= 28.27 \text{ cm}^2$
 (inside ~~of~~ (or soil sample
 standpipe))
 Length of sample, $L = 12 \text{ cm}$



calculate the ~~seepage~~ seepage loss per meter length of the sheet pile.

Take, $k = 6.3 \times 10^{-4}$ cm/sec

Solⁿ: No of flow channel, $N_f = 4$

No of equipotential drop, $N_d = 7$

∴ Seepage loss, $Q = k \cdot \Delta H \cdot \frac{N_f}{N_d}$

$$= 6.3 \times 10^{-6} \frac{\text{m}}{\text{sec}} \times (3.2 - 0.8) \times \frac{4}{7}$$

$$= 8.64 \times 10^{-6} \text{ m}^3/\text{sec}/\text{m length}$$

Note:

No of Flow line = $4 + 1 = 5$

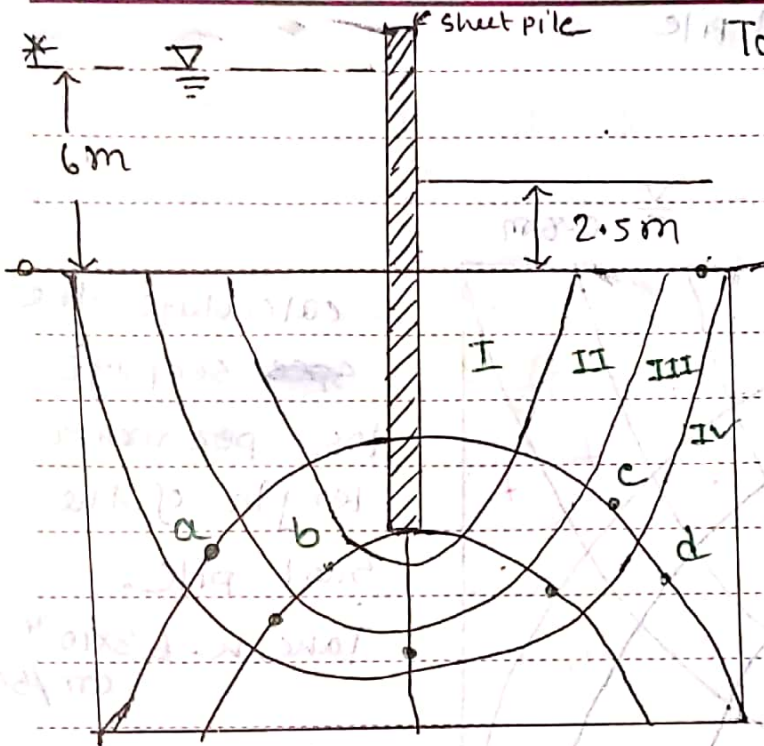
(3 for line + sheet pile + 2 for soil + impermeable layer + 2 for soil)

No of equipotential line = $7 + 1 = 8$



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Take, $k = 8 \times 10^{-5} \text{ m/sec}$

- (a) How high (above the ground level) will the water rise if the piezometer are placed at point a?
- (b) at point b?
- (c) at point c?
- (d) at point d?
- (e) what is the rate of seepage through the flow channel II?

(f) what is the total rate of seepage through the permeable layer, per unit width?

Solⁿ: No of flow channel, $N_F = 4$
 No of equipotential drop, $N_D = 6$

drop of any point
 or, 6m (or 6)
 drop, 2.5m
 2.5

~~Piezometric height at any point~~

Potential drop at any point = $\left[\frac{H_1 - H_2}{N_D} \right] \times n$

= $\left(\frac{6 - 2.5}{6} \right) n$

= $\frac{7}{12} n$



$$(a) \text{ Piezometric height at point a, } = 6 - \frac{7}{12}x$$

$$= 6 - \frac{7}{12} \times 1$$

$$= 5.4167 \text{ m}$$

$$(b) \text{ Piezometric height at point b, } = 6 - \frac{7}{12} \times 2$$

$$= 4.83 \text{ m}$$

$$(c) \text{ Piezometric height at point c } = 6 - \frac{7}{12} \times 5$$

$$= 3.083 \text{ m}$$

$$(d) \text{ Piezometric height at point d } = 6 - \frac{7}{12} \times 5$$

$$= 3.083 \text{ m}$$

(e) rate of seepage through the flow channel II

$$Q_2 = k * \Delta H * \frac{1}{N_d} \rightarrow N_d = 1 \text{ m}^2 \text{ d}^{-1}$$

$$= 8 \times 10^{-5} \times (6 - 2.5) \times \frac{1}{6}$$

$$= 0.000046 \text{ m}^3/\text{s}/\text{m}$$

(f) rate of seepage through the ~~channel~~ permeable layer

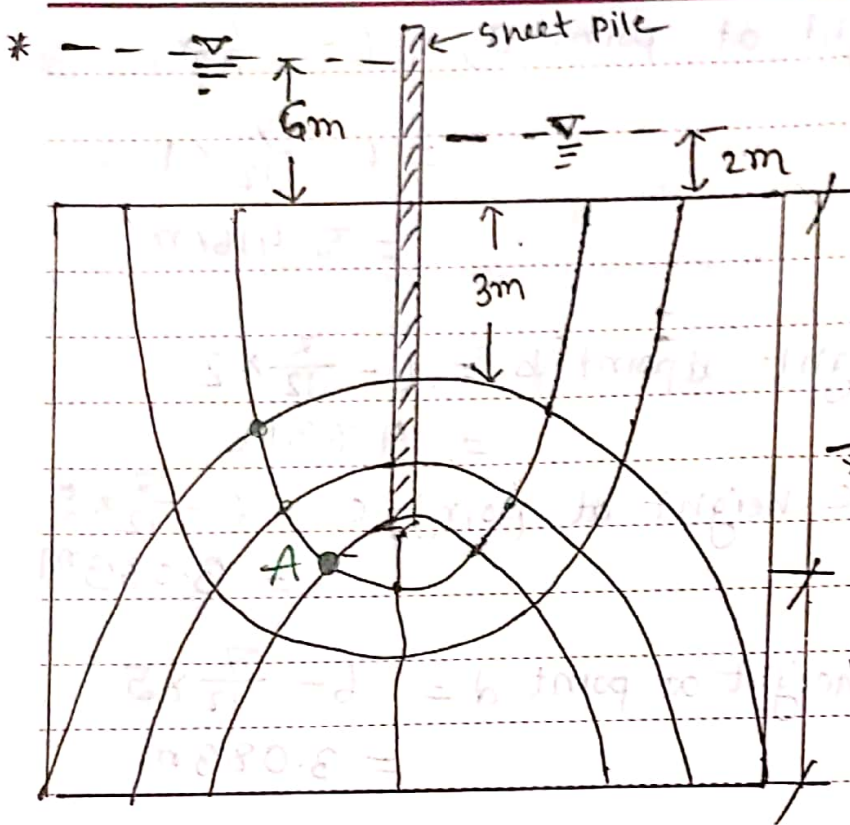
$$= k * \Delta H * \frac{N_f}{N_d}$$

$$= 8 \times 10^{-5} \times (6 - 2.5) \times \frac{4}{6}$$

$$= 0.0001867 \text{ m}^3/\text{s}/\text{m}$$

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Saturated unit weight of the soil is 24 kN/m^3 .

(a) calculate vertical effective stress at A.

Soln: No of potential drops, $N_d = 8$

pressure drop at point A, $h_A = \left(\frac{6-2}{8} \right) \times 3 \text{ m}$
 $= 1.5 \text{ m}$

Total head at point A, $H_A = \cancel{6+5} = 7.5 \text{ m}$
 $= (6 + 7.5 - 1.5) \text{ m}$
 $= \cancel{11.5 \text{ m}}$
 $= 12 \text{ m}$

Total vertical pressure, $\sigma^p = 6 \times 9.81 + 7.5 \times 24$ (soil)
 at point A $= 238.86 \text{ kN/m}^2$

Pore water pressure at point A, $u = 12 \times 9.81$
 $= 117.72 \text{ kN/m}^2$

\therefore Effective stress, $\sigma' = \sigma - u = (238.86 - 117.72) = 121.14 \text{ kN/m}^2$



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(C) From previous question -

if, specific gravity & void ratio of soil are 2.65 & 0.72 respectively, then calculate the Factor of safety against the occurrence of piping failure.

Soln: $i_{exit} = \frac{\Delta h}{\text{length of last flow element}}$

$$= \frac{(6-2)}{3} = 0.167$$

$$i_{critical} = \frac{G_s - 1}{1 + e} = \frac{2.65 - 1}{1 + 0.72} = 0.96$$

$$\therefore FS = \frac{i_{cr}}{i_{exit}} = \frac{0.96}{0.167} = 5.75 \quad \underline{A}$$

Soil mass total stress/pressure σ

(i) Pore water pressure, u
(Water table above or below)

(ii) Effective stress
(water effect on the soil or water)
* water table @ above effective stresses
to submerged unit weight or dry pressure

$$\gamma' = \gamma_{sat} - \gamma_w$$

$$\sigma' = (\gamma_{sat} - \gamma_w) h$$

Total pressure, $\sigma = \sigma' + u$

(Q1) Find the vertical ^{effective} stress and total stress in a depth of 8m where the unit weight of saturated soil is 18 kN/m^3 and unit weight of water 9.81 kN/m^3 ? [BWD B'13]

Soln: Pore water stress = $8 \times 9.81 = 78.48 \text{ kN/m}^2$

~~total effective stress~~

effective stress = $(18 \times 8) - 78.48 = 65.52 \text{ kN/m}^2$

Total stress = $78.48 + 65.52 = 144 \text{ kN/m}^2$ A

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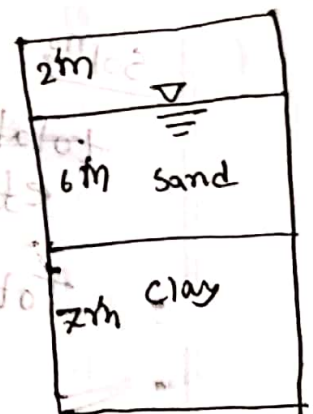
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(42) Determine the total stress and effective stress at a depth of 5m below the top of water level at swimming pool. [CPGCBL'18]

Solⁿ: Total stress = $9.81 \times 5 = 49.05 \text{ kN/m}^2$
 Effective stress = Total stress - pore water stress
 $= 49.05 - 49.05$
 $= 0$ A

(43) A sand layer has 8ft depth. water table is at 2ft depth below GL. The sand layer is overlying a clay layer of large depth. The moist (above WT) unit weight of sand is 16 kN/m^3 and saturated unit weight of sand is 20 kN/m^3 and saturated unit weight of clay is 18 kN/m^3 . Find the total & effective pressure at 15ft depth. [GTCL'16] [DNCC'16]

Solⁿ effective pressure,
 $\sigma' = 2 \times 16 + 6 \times (20 - 9.81) + 7 \times (18 - 9.81)$
 $= 150.47 \text{ kN/m}^2$
 Total pressure = $150.47 + 13 \times 9.81 = 278 \text{ kN/m}^2$ A



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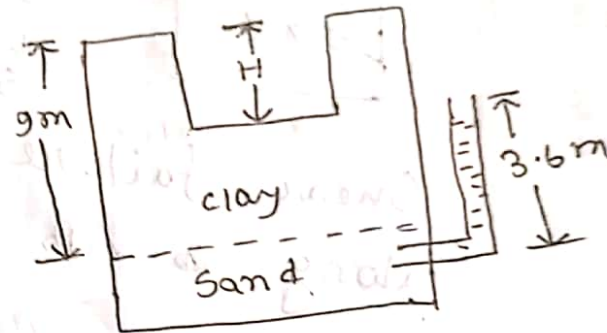
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(44) A 9m thick layer of stiff saturated clay is underlain by a layer of sand. The sand is under artesian pressure of 3.6m water head. Calculate the max^m depth of cut that can be made in the clay. [BD-china '16]
 unit weight of clay = 18 kN/m³

~~Solⁿ~~

$$\text{Solⁿ: } H = 9 - \frac{3.6 \times 9.81}{18}$$

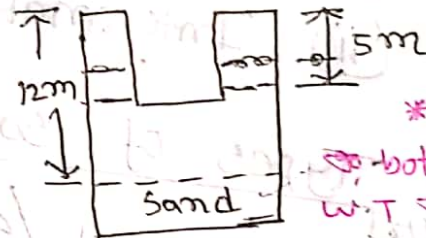
$$= 7.04 \text{ m}$$



(45) A saturated clay layer of 12m thick, underlain by a sand layer. water table is 5m below the ground surface. Determine the max^m depth of cut of clay layer. The saturated unit weight of clay is 18.9 kN/m³. [DWASA '21]

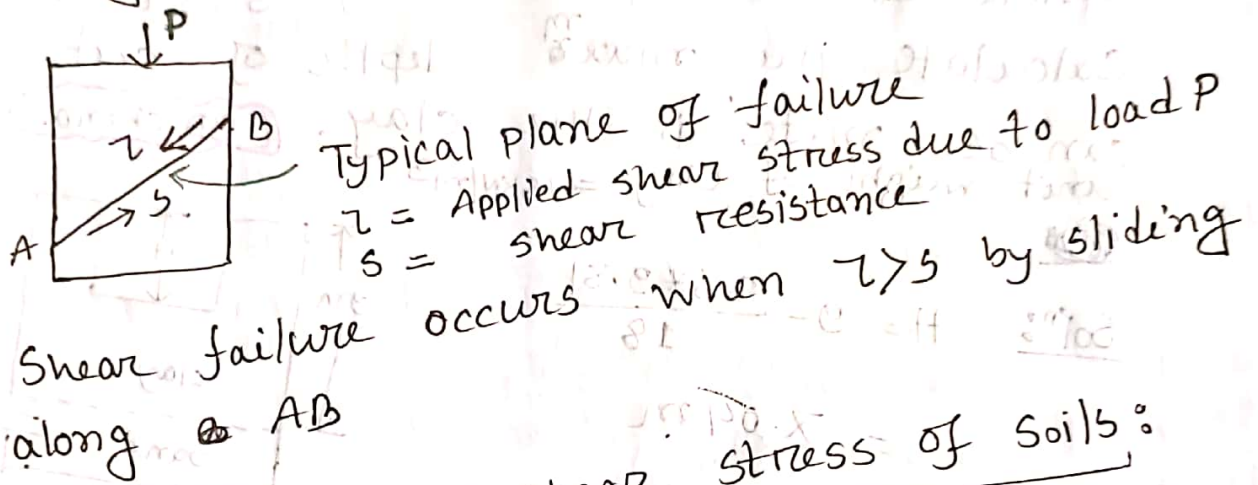
$$\text{Solⁿ: } \therefore H_{\text{max}} = 12 - \frac{7 \times 9.81}{18.9}$$

$$= 8.369 \text{ m } \underline{\underline{An}}$$



* Clay layer
 bottom water table height
 $12 - 5 = 7 \text{ m}$

Shear failure means sliding or slipping along a plane.



Factors Affecting shear stress of soils:

- (i) Frictional resistance (ϕ)
- (ii) Intermolecular attraction/cohesion (c)

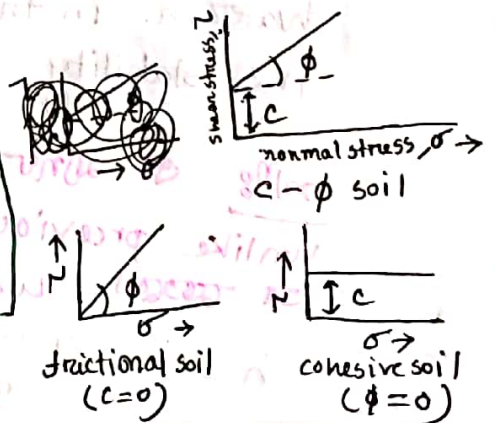
Types of soils based on shear properties:

- * Gravel/sand $\Rightarrow \phi$ (frictional soil)
- * Silty soil $\Rightarrow c - \phi$ ($c - \phi$ soil)
- * Clay $\Rightarrow c$ (pure cohesive soil / frictionless soil)

Shear strength of soil, $\tau = c + \sigma' \tan \phi$

* σ' = effective shear stress

For clay, $\phi = 0$ (cohesive soil)
 For sand, $c = 0$ (frictional soil)



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*** Undrained shear strength, c_u

$$= \frac{\text{unconfined compressive strength}}{2}$$

$$= \frac{q_u}{2}$$

(45) A sample of dry sand was tested in direct shear apparatus under a normal load of 36 kg. The sample failed under a shearing load of 58 lb. The sample is 2" x 2". Find out the internal friction. [BWDB'18] [NHA'19] [PGCB'15] [Petrobranga'22] [GTCL'16] [CPGCB'21] [NESCO'21]

Solⁿ Shear stress, $\tau = \frac{58}{2 \times 2} = 14.5 \text{ psi}$

Normal stress, $\sigma = \frac{36 \times 2.205}{2 \times 2} = 19.84 \text{ psi}$

We know, $\tau = c + \sigma \tan \phi$ [for sand] $c = 0$

$$\Rightarrow 14.5 = 0 + 19.84 \tan \phi$$

$$\therefore \phi = 36.16^\circ \quad \underline{A}$$

(46) The unconfined compressive strength 120 kN/m². Find undrained shear strength? [APSC'20] [EGCB'20] [DWASA'17]

Solⁿ $c_u = \frac{120}{2} = 60 \text{ kN/m}^2 \quad \underline{A}$

* $\sigma = 39 \text{ kPa}$, $\tau = 56 \text{ kPa}$, $c = 25 \text{ kPa}$, $\phi = ?$ [NESCO'21]

Solⁿ $\tau = c + \sigma \tan \phi$
 $\Rightarrow \phi = \tan^{-1} \left(\frac{\tau - c}{\sigma} \right) = \tan^{-1} \left(\frac{56 - 25}{39} \right) = 38.48^\circ \quad \underline{A}$

(46) In an unconfined compression test sample of clay 8cm long & 4cm dia fails at a load 12kg at 7% strain. Find undrained shear strength of clay taking in account that the effect of change in x-section of sample. [BPD B'15]

Soln:

$$\text{Area, } A_0 = \frac{\pi}{4} \times 4^2 = 12.57 \text{ in}^2$$

$$\text{Final area, } A = \frac{A_0}{1 - e} = \frac{12.57}{1 - 0.07} = 13.5 \text{ inch}^2$$

$$q_u = \frac{12 \times 2.205}{13.5} = 1.96 \text{ psi}$$

$$\therefore C_u = \frac{1.96}{2} = 0.98 \text{ psi}$$

same as length of strain over 250mm to formula. No change

(47) A sand layer having properties, $\gamma_d = 18 \text{ kN/m}^3$, $G_s = 2.65$, $\phi = 35^\circ$. Water table is 2.4m below the ground level. Determine shear strength at a depth of 5m from ground level. [BPD B'18]

$$\text{Soln: } \gamma_d = \frac{G_s \gamma_w}{1 + e}$$

$$\therefore e = \frac{G_s \gamma_w}{\gamma_d} - 1$$

$$= \frac{2.65 \times 9.81}{18} - 1 = 0.44$$

$$\sigma' = 2.4 \times 18 + 2.6 \times (21 - 9.81) = 72.3 \text{ kN/m}^2$$

$$\begin{aligned} \therefore \text{shear stress, } \tau &= c + \sigma' \tan \phi \\ &= 0 + 72.3 \tan 35^\circ \\ &= 50.62 \text{ kN/m}^2 \end{aligned}$$

[sand $\therefore c = 0$]

$$\begin{aligned} \gamma_{\text{sat}} &= \frac{(G_s + e) \gamma_w}{1 + e} \\ &= \frac{(2.65 + 0.44) \times 9.81}{1 + 0.44} \\ &= 21 \text{ kN/m}^3 \end{aligned}$$

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Soil sensitivity

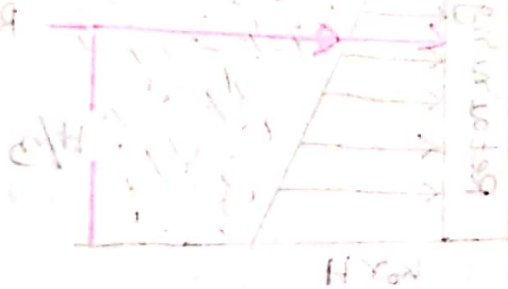
$$\text{Sensitivity, } S_t = \frac{q_u(\text{undisturbed})}{q_u(\text{remoulded})}$$

* $q_u = 50 \text{ kPa}$ (undisturbed)
 $= 25 \text{ kPa}$ (remoulded)

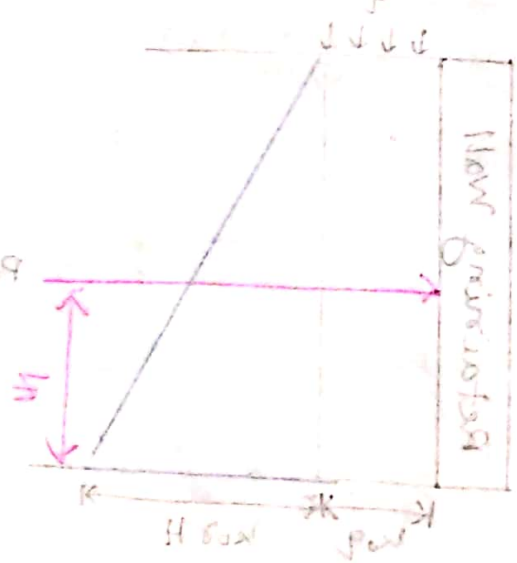
calculate sensitivity? [BWDB'18] [NHA'19]
[BITWA'19]

Solⁿ: $S_t = \frac{50}{25} = 2$ [CPGCBL'22]

* sensitivity of a soil indicates its weakening due to remoulding. If sensitivity is 1, the soil is insensitive.



(5) With stress ratio σ



$$\frac{H \cdot \sigma}{B} + H \cdot \sigma = \sigma H + \sigma H = 2\sigma H$$
$$\frac{H \cdot \sigma}{B} + \frac{H \cdot \sigma}{B} = \frac{2\sigma H}{B}$$

Liquefaction: [Msc'13] [48 BMA]

When saturated sandy soil is subjected to earth quakes loads, the pore water pressure suddenly increases and thus decreases the shear strength of soil and it may become zero also. The soil momentarily liquefies and behaves as a dense fluid. This phenomena when sand loses its shear strength due to oscillatory motion is called Liquefaction of sand.

Soils most susceptible to liquefaction are saturated ~~fine~~ sand.

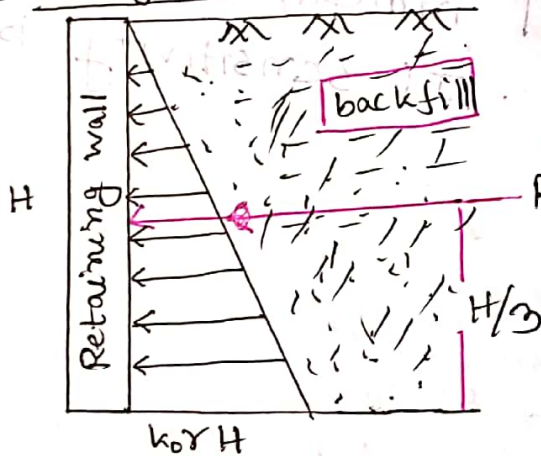
(Shear strength $\tau = 0$ after Liquefaction)

Types of Lateral earth pressure:

- (i) Earth pressure at rest
- (ii) Active earth pressure
- (iii) Passive earth pressure

Estimation of earth pressure at rest:

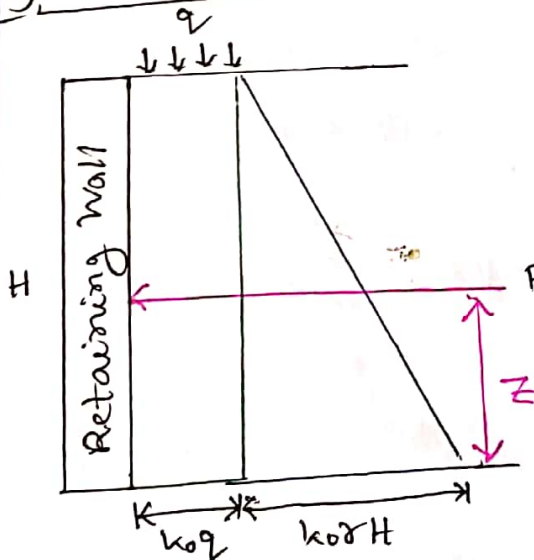
(1) only backfill



$k_0 = 1 - \sin \phi$
 earth pressure coefficient
 at rest, $= k_0$

Resultant force, $P_0 = \frac{1}{2} k_0 \gamma H^2$
 (area of triangle)

(2) with surcharge, q



$P_0 = P_1 + P_2 = k_0 q H + \frac{1}{2} k_0 \gamma H^2$

$z = \frac{\frac{P_1 H}{2} + \frac{P_2 H}{3}}{P_0}$

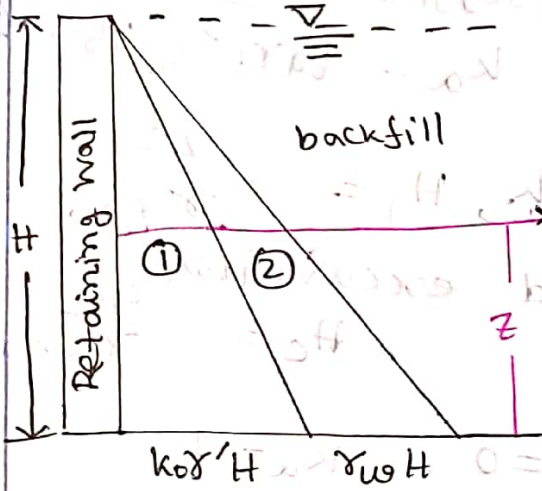
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(3) Water table on Top



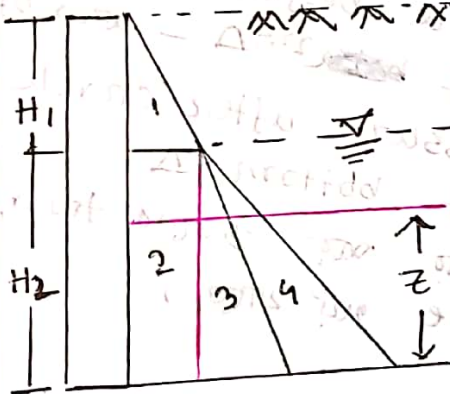
$$P = \frac{1}{2} k_0 \gamma' H^2 + \frac{1}{2} \gamma_w H^2$$

due to submerged soil due to water table

$$z = \frac{P_1 * \frac{H}{3} + P_2 * \frac{H}{3}}{P}$$

water pressure too $\gamma_w H$ k_0 $\gamma' H$

(4) water table at some distance below Ground level:



$$P = \frac{1}{2} k_0 \gamma' H_1^2 + k_0 \gamma' H_1 H_2 + \frac{1}{2} k_0 \gamma' H_2^2 + \frac{1}{2} \gamma_w H_2^2$$

surcharge $\gamma_w H_1$ with load = $k_0 \gamma' H_1$

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Estimation of Active Earth Pressure:

Active earth pressure coefficient ~~is~~

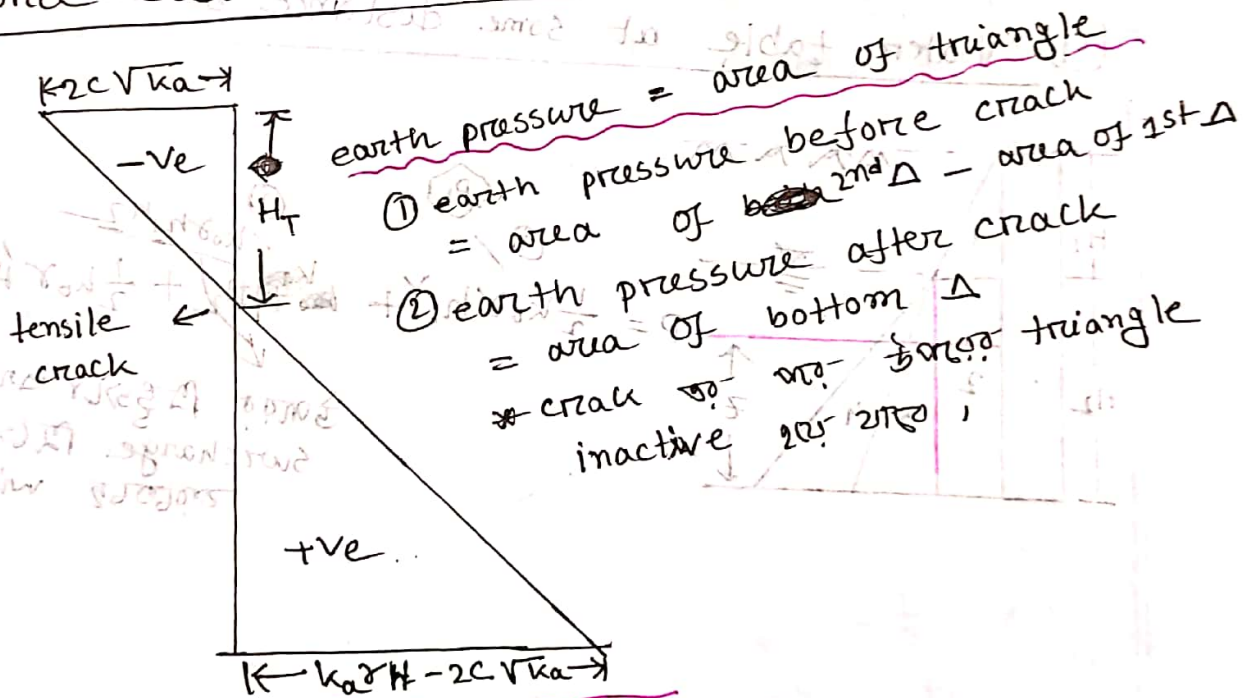
$$k_a = \tan^2 \left(45 - \frac{\phi}{2} \right)$$

***depth of tensile crack, $H_T = \frac{2c}{\gamma \sqrt{k_a}}$

***Max^m depth of unsupported excavation $H_c = \frac{4c}{\gamma \sqrt{k_a}}$

*Clay soil \rightarrow $\phi = 0 \therefore k_a = 1$

Force distribution of active earth pressure:



- ① earth pressure before crack = area of triangle = area of 2nd Δ - area of 1st Δ
 - ② earth pressure after crack = area of bottom Δ
- * crack is inactive \therefore no force triangle

~~Force at any point,~~

* In case of passive earth pressure

$$k_p = \tan^2 \left(45 + \frac{\phi}{2} \right)$$

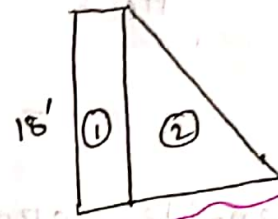
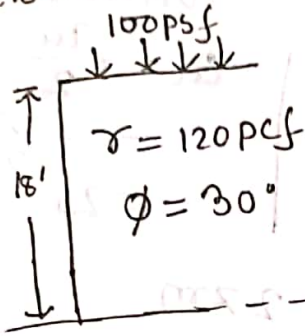
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(51) Determine the magnitude of the resultant force per unit length at rest condition and also calculate location of that magnitude.



active pressure $\frac{1}{2} \gamma H^2 K_a$
 $K_a = \tan^2(45^\circ - \frac{30^\circ}{2})$
 $= 0.333$

Solⁿ: $K_0 = 1 - \sin 30^\circ = 0.5$

$P = P_1 + P_2$

$= K_0 \gamma H + \frac{1}{2} K_0 \gamma H^2$

$= 0.5 \times 100 \times 18 + \frac{1}{2} \times \frac{1}{2} \times 120 \times 18^2$

$= 10620 \text{ lb/ft}$

location of resultant force = $\frac{900 \times \frac{18}{2} + 9720 \times \frac{18}{3}}{10620} = 6.25 \text{ ft from bottom}$

(52) A pipe is to be laid in a purely cohesive soil having undrained cohesion $c_u = 30 \text{ kPa}$. Maximum depth of excavation without lateral support? Take, $\gamma = 18.5 \text{ kPa}$

Solⁿ: $H_c = \frac{4c_u}{\gamma} = \frac{4 \times 30}{18.5} = 6.5 \text{ m}$

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(53) The unconfined compression of the soil is 50 kPa. Determine the depth of excavation without any lateral support [BWDB'19]
[BWDB'15]

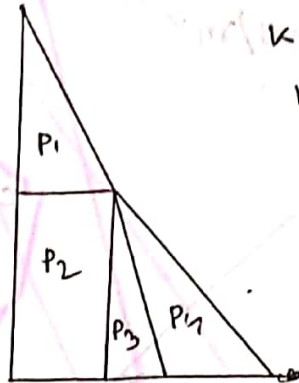
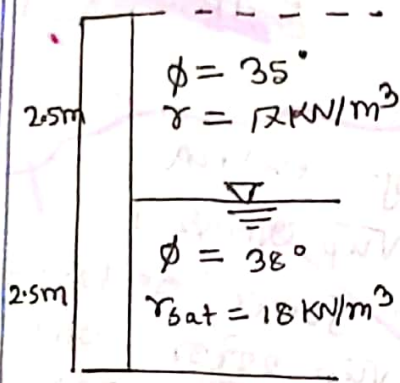
Solⁿ:

$$H_c = \frac{4 \times 25}{18.5} = 5.4 \text{ m}$$

$$c_u = \frac{q_u}{2} = \frac{50}{2} = 25$$

Tensile crack, $H_T = \frac{2 \times 25}{18.5} = 2.7 \text{ m}$

(54) Determine the active pressure on the retaining wall shown in figure. Take, $\gamma_w = 10 \text{ kN/m}^3$ [DESCO'19] [PAEL'21] [PRI'21]



$$k_{a1} = \tan^2\left(45 - \frac{35}{2}\right) = 0.271$$

$$k_{a2} = \tan^2\left(45 - \frac{38}{2}\right) = 0.238$$

3 m² crack
3 m²

Solⁿ $P_1 = \frac{1}{2} \times 0.271 \times 17 \times 2.5^2 = 14.4 \text{ kN}$

~~$P_2 = k_{a2} \times P_1 \times H_2 =$~~

$P_2 = k_2 \gamma h_1 h_2 = 0.238 \times 17 \times 2.5 \times 2.5 = 25.3 \text{ kN}$

$P_3 = \frac{1}{2} \times 0.238 \times (18 - 10) \times 2.5^2 = 6 \text{ kN}$

$P_4 = \frac{1}{2} \times \gamma_w \times h_2^2 = 0.5 \times 10 \times 2.5^2 = 31.3 \text{ kN}$

$\therefore P = P_1 + P_2 + P_3 + P_4 = 72 \text{ kN}$
 $14.4 \times \frac{2.5 + \frac{2.5}{3}}{2} + 25.3 \times \frac{2.5}{2} + 6 \times \frac{2.5}{3} + 31.3 \times \frac{2.5}{3}$

resultant, $z = 7.7$

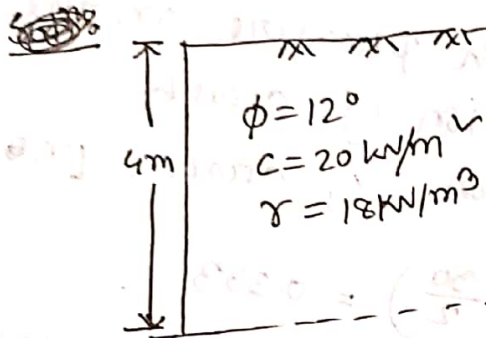
$= 1.44 \text{ m}$

(56) Find the active earth pressure of the sandy soil at a depth 4.5 where $\phi = 32^\circ$, $\gamma = 16.5 \text{ kN/m}^3$ [DESCO'15] [PGCB'19] [EGCB'15] [DPDC'16]

Solⁿ $K_a = \tan^2\left(45 - \frac{32}{2}\right) = 0.248$

$$P_a = \frac{1}{2} K_a \gamma H^2 = \frac{1}{2} \times 0.248 \times 16.5 \times (4.5)^2 = 41.43 \text{ kN/m}$$

(57) Determine the stresses at the top and the bottom of the cut shown in figure.

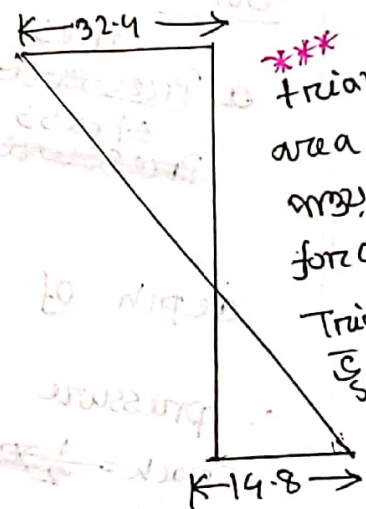


Also determine the max^m depth of crack and max^m depth of unsupported excavation

Solⁿ $K_a = \tan^2\left(45^\circ - \frac{12^\circ}{2}\right) = 0.656$

at top, $P_t = -2c\sqrt{K_a}$
 $= -2 \times 20 \sqrt{0.656}$
 $= -32.4 \text{ kN/m}$

at bottom, $P_b = K_a \gamma H - 2c\sqrt{K_a}$
 $= 0.656 \times 18 \times 4 - 32.4$
 $= 14.8 \text{ kN/m}$



*** Triangle area \times unit force = Triangle stress

depth of crack, $H_c = \frac{2c}{\gamma \sqrt{K_a}} = \frac{2 \times 20}{18 \times \sqrt{0.656}} = 2.74 \text{ m}$

\therefore depth of max^m unsupported excavation,

$H_c = 2 \times H_t$
 $= 5.49 \text{ m}$

* Pressure unit force/unit length
 * Unit stress or stress kN/m^2

(58)



5m
 $\phi = 30^\circ$
 $c = 5 \text{ kN/m}^2$
 $\gamma = 17.5 \text{ kN/m}^3$

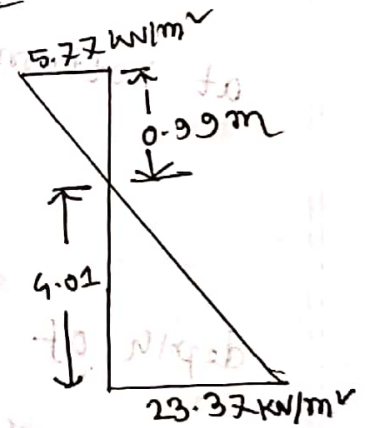
Determine active earth pressure on the wall
 (a) before the formation of crack
 (b) after the formation of crack [BOWB'20]

Solⁿ: $k_a = \tan^2 \left(45 - \frac{30}{2} \right) = 0.333$

~~stress~~ at top = $-2 \times 5 \sqrt{0.333} = -5.77 \text{ kN/m}^2$
~~stress~~ at bottom = $0.333 \times 17.5 \times 5 - 5.77$
 $= 23.37 \text{ kN/m}^2$

depth of tensile crack, $h_t = \frac{2 \times 5}{17.5 \sqrt{0.333}}$
 $= 0.99 \text{ m}$

\therefore pressure before tensile crack
 ~~$= \frac{1}{2} \times 23.37 \times 5 + \frac{1}{2} \times 23.37 \times 4.01$~~
 $= \frac{1}{2} \times 23.37 \times 4.01 - \frac{1}{2} \times 0.99 \times 5.77$
 $= 44 \text{ kN/m}$



~~pressure after tensile crack~~
 $= \text{---}$

Resultant force distance from bottom
 $= \frac{46.857 \times \frac{4.01}{3} - 2.856 \times \left(4.01 + \frac{0.99 \times \frac{2}{3}}{3} \right)}{44}$
 $= 1.12 \text{ m}$

P.T.D

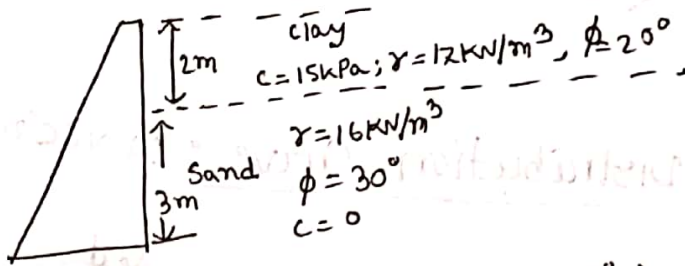
Pressure after formation of crack,

$$P_a = \frac{1}{2} \times 23.37 \times 4.01 = 46.857 \text{ kN/m}$$

Line of action from bottom = $\frac{4.01}{3} = 1.336 \text{ m}$

Find the active earth pressure after the occurrence of tensile crack

(59)



Sol^{no} $k_{a1} = \tan^2 \left(45^\circ - \frac{20^\circ}{2} \right) = 0.49$

$$H_c = \frac{2c}{\gamma \sqrt{k_a}} = \frac{2 \times 15}{17 \times \sqrt{0.49}} = 2.52 \text{ m}$$

Since H_c is more than the height of clay (2m) after tensile crack, there will be no earth pressure due to clay. The earth pressure will be entirely due to sand.

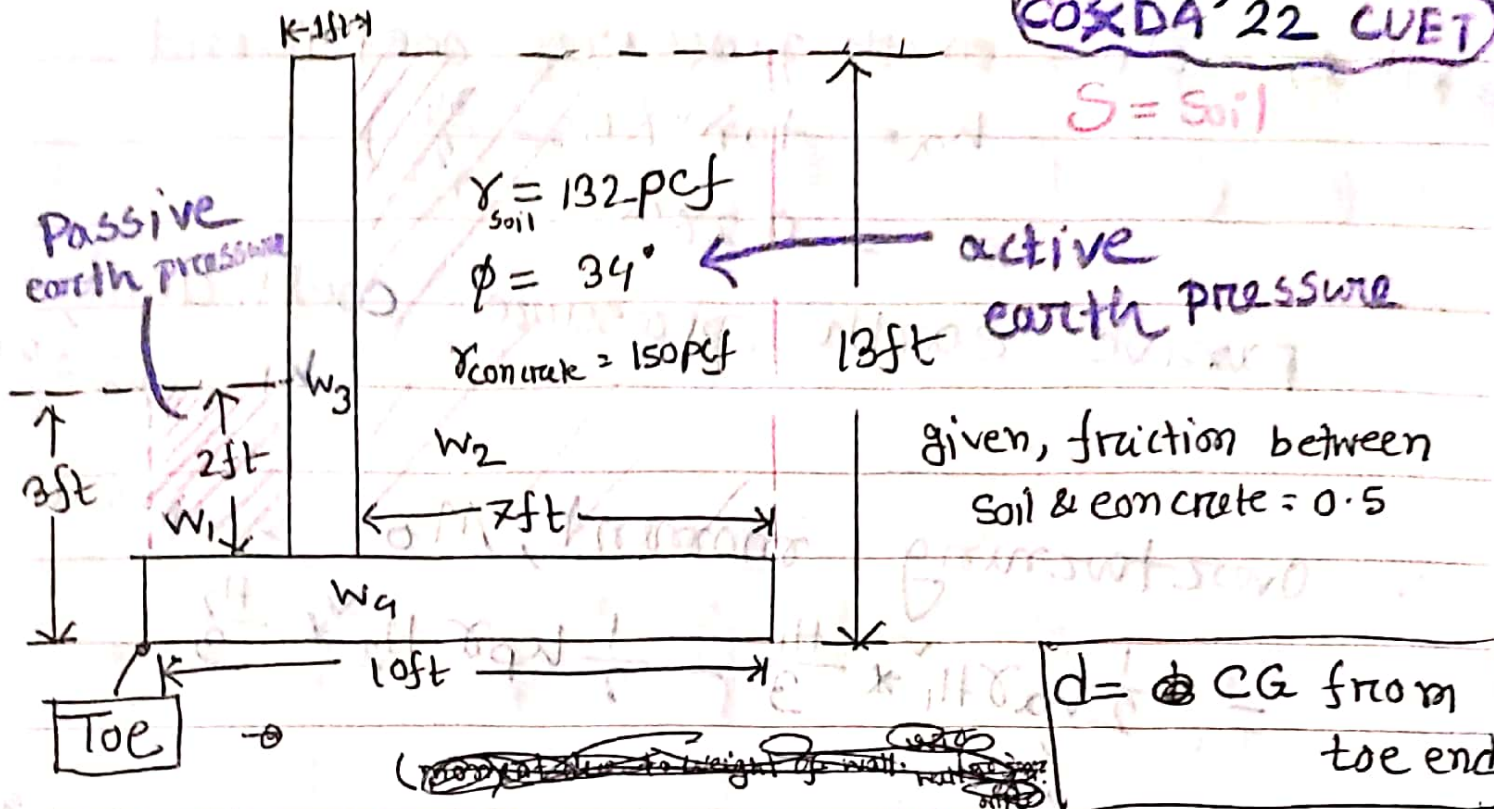
For sand, $k_{a2} = \tan^2 \left(45^\circ - \frac{30^\circ}{2} \right) = 0.333$

$\therefore \frac{1}{2} k_{a2} \gamma_2 H^2 = \frac{1}{2} \times 0.333 \times 16 \times 3^2 = 23.976 \text{ kN/m}$

(56 naja math se hor ab sand ki pressure ko dhya krna)
 $\frac{1}{2} k_{a2} \gamma_2 H^2$ ki pressure ko dhya krna)

* Effective angle of internal friction, $\phi = 30^\circ$
 passive earth pressure coefficient $\frac{3}{1}$ [N.H.A'D]
 active earth pressure $\frac{1}{3}$ [D.W.D.B'16] [G.T.C.L'16]

$$k_a = \tan^2 \left(45^\circ - \frac{30^\circ}{2} \right) = \frac{1}{3}, \quad k_p = \tan^2 \left(45^\circ + \frac{30^\circ}{2} \right) = 3$$



Resisting moment calculation:

Taking 1ft width

$$\begin{aligned}
 M_R &= w_1 * d_1 + w_2 * d_2 + w_3 * d_3 + w_4 * d_4 \\
 &= (132 * 2 * 2) * 1 + (132 * 7 * 12) * (3 + \frac{7}{2}) \\
 &\quad + (150 * 12 * 1) * (2 + \frac{1}{2}) + (150 * 10 * 1) * 5 \\
 &= 84600 \text{ lb-ft}
 \end{aligned}$$

~~Passive earth pressure is also force resisting.~~

~~∴ (132 * 7 * 12) * (3 + 7/2)~~

Resisting moment due to wall and soil weight is greater than overturning moment due to earth pressure.

∴ - overturning moment due to earth pressure is less than resisting moment.



Here, active earth pressure coefficient

$$k_a = \tan^2\left(45 - \frac{34}{2}\right)$$

$$= 0.283$$

∴ passive earth pressure coefficient, $k_p = \frac{1}{k_a} = 3.54$

∴ Overturning moment, M_o ——— positive

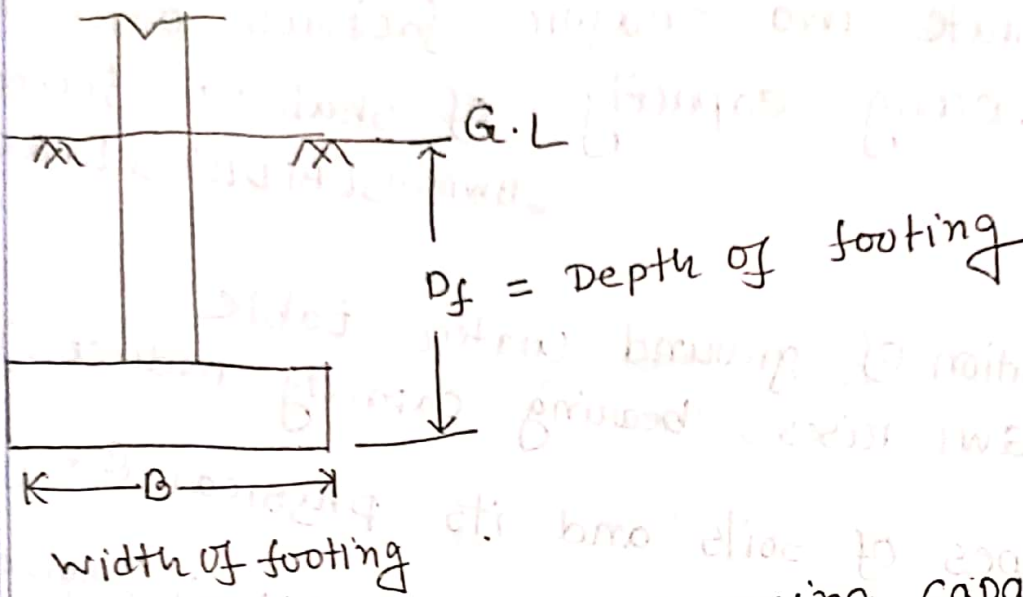
$$= \frac{1}{2} k_a \gamma H_1^2 * \frac{H_1}{3} - \frac{1}{2} k_p \gamma \cdot H_2^2 * \frac{H_2}{3}$$

active

$$= \frac{1}{2} \times 0.283 \times 132 \times 13^2 \times \frac{13}{3} - \frac{1}{2} \times 3.54 \times 132 \times \frac{3^2 \times 3}{3}$$

$$= 11575.762 \text{ lb-ft}$$

$$\therefore FS = \frac{0.5 \times 84600}{11575.762} = 3.65 \text{ A}$$



Terzaghi's ultimate bearing capacity eqⁿs:

(1) For strip/continuous footing

$$q_u = cN_c + qN_q + \frac{1}{2}\gamma B N_\gamma$$

(2) For square footing, \square

$$q_u = 1.3cN_c + qN_q + 0.4\gamma B N_\gamma$$

(3) For circular footing, \circ

$$q_u = 1.3cN_c + qN_q + 0.3\gamma B N_\gamma$$

where, N_c, N_q, N_γ are bearing capacity factors

B = width of footing

* For pure cohesive soil, $N_\gamma = 0, N_q = 1, N_c = 5.7$

* $\gamma q = \gamma D_f$

* Allowable bearing capacity, $q_{all} = \frac{q_u}{FS}$

* Net ultimate bearing capacity, $q_{nu} = q_u - \gamma D_f$

* Net allowable bearing capacity, $q_{na} = \frac{q_{nu}}{FS}$

(6c) Write two major factors affecting the bearing capacity of shallow foundation
 [BWDDB'16] [BPDB'15] [PGCL'17]

Solⁿ:

- (1) Position of ground water table
 (GWT rises, bearing capacity reduces)
- (2) Types of soils and its physical & engineering properties
- (3) Types of ~~form~~ foundations (strip, square, circular, raft etc)
- (4) Size of foundation
- (5) Nature of ground surface (Inclined or horizontal)
- (6) Nature of loading (concentric or eccentric)

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(65) Determine the ultimate bearing capacity of a continuous footing having width 1.2m, $\gamma = 17.2 \text{ kN/m}^3$. Depth of the foundation is 0.3m. Cohesion = 20 kN/m^2 , $N_c = 17.69$, $N_q = 7.44$, $N_\gamma = 3.64$. Water table is ~~not~~ ^{5m below (not near)} the foundation. [DWASA'17] [PGCB'19] [EGCB'20] [APSC'20]

Solⁿ: $q_u = CN_c + 2N_q + \frac{1}{2}\gamma BN_\gamma$

$$= 20 \times 17.69 + 5.16 \times 7.44 + 0.5 \times 17.2 \times 1.2 \times 3.64$$

$$= 429.75 \text{ kN/m}^2$$

$$q = 17.2 \times 0.3 = 5.16 \text{ kN/m}^2$$

(66) A square footing is $1.5 \text{ m} \times 1.5 \text{ m}$ in plan. Determine the allowable gross load on the footing with $\text{FOS} = 4$. Depth of footing is 1m. Given, $c = 15.2 \text{ kN/m}^2$; $\gamma = 17.8 \text{ kN/m}^3$, $N_c = 17.69$, $N_q = 7.44$, $N_\gamma = 3.64$ [BCIC'17] [BCPCL'16] [APSC'15] [DESCO'15]

Solⁿ: $q = 17.8 \times 1 = 17.8 \text{ kN/m}^2$

$$q_u = 1.3CN_c + 2N_q + 0.4\gamma BN_\gamma$$

$$= 1.3 \times 15.2 \times 17.69 + 17.8 \times 7.44 + 0.4 \times 17.8 \times 1.5 \times 3.64$$

$$= 521 \text{ kN/m}^2$$

$$q_{\text{all}} = \frac{521}{4} = 130 \text{ kN/m}^2$$

Allowable gross load = $130 \times 1.5 \times 1.5 = 292.5 \text{ kN}$

(2) A rectangular footing of 12'x8' is situated under a saturated clay soil at a depth of 5ft, using Terzaghi's bearing capacity equation. Find the ultimate bearing capacity of the footing considering only shape factor. The unconfined compressive strength of the soil is 2000psf. [SGFL] 23

Soln: ~~Terzaghi~~ Terzaghi's bearing capacity equation for rectangular footing -

$$q_u = (1 + 0.3 \frac{B}{L}) c N_c + q N_q$$

For footing q_u
 $S_q = 1$

$$q_u = S_c c N_c + S_q q N_q + \frac{1}{2} S_\gamma \gamma B N_\gamma$$



For rectangular footing,

$$S_c = 1 + 0.3 \frac{B}{L}; S_q = 1; S_\gamma = 1 - 0.2 \frac{B}{L}$$

Saturated = γ'

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$$q = \gamma' D_f = (130 - 62.43) \times 5$$

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Considering only shape factor,

$$q_{ult} = c S_c + q S_q + \frac{1}{2} \gamma' B S_\gamma$$

$$= \frac{2000}{2} \times (1 + 0.3 \times \frac{8}{12}) + (130 - 62.43) \times 5 \times 1$$

$$+ \frac{1}{2} \times (130 - 62.43) \times 8 \times (1 - 0.2 \times \frac{8}{12})$$

$$q_{ult} = 1773.25 \text{ psf (Ans.)}$$

S = shape factor

N = bearing capacity factor

only shape factor consider only

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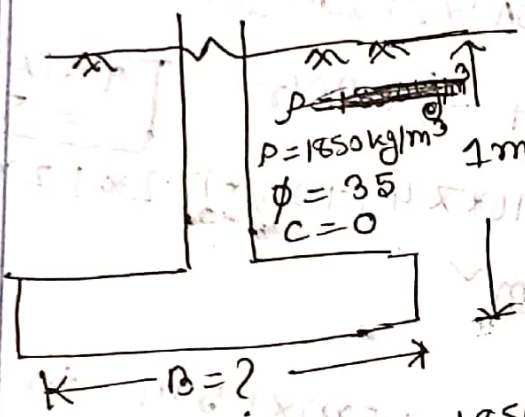
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(67) A square footing is shown in figure below. The footing will carry a gross mass of 30,000kg using factor of safety equals to 3. Determine the size of footing.

$N_c = 57.75, N_q = 41.44, N_r = 45.41$

[BNWB'19]



Soln: $\gamma = \frac{1850 \times 9.81}{1000} = 18.15 \text{ kN/m}^3$

total gross load = $\frac{30,000 \times 9.81}{1000} = 294.3 \text{ kN}$

we know, $q_{all} = \frac{1}{3} (1.3 c N_c + q N_q + 0.4 \gamma B N_r)$

$\Rightarrow \frac{294.3}{B^2} = \frac{1}{3} [0 + 18.15 \times 1 \times 41.44 + 0.4 \times 18.15 \times B \times 45.41]$

$\Rightarrow \frac{294.3}{B^2} = 250.7 + 109.9 B$

$\therefore B \approx 0.95 \text{ m}$

[Gap] * If FS = 3, then margin of safety = FS - 1 = 3 - 1 = 2 [BUET]

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(68) A strip footing carrying a load of 340 kN/m which is located at EGL (existing ground level). water table is located at EGL. $\gamma_{\text{sat}} = 21 \text{ kN/m}^3$, width of footing = 2 m and depth of ~~footing~~ ^{footing} = 1 m . $FS = 3$, ultimate pressure is 530 kN/m^2 . Prove that the size of footing is safe. [Titus'18]

Solⁿ: Net ultimate bearing capacity, q_{nu}

$$q_{nu} = q_u - \gamma' D_f$$

$$= 530 - (21 - 9.81) \times 1$$

$$= 518.81 \text{ kN/m}^2$$

Net allowable bearing capacity, $q_{na} = \frac{518.81}{3} = 172.93 \text{ kN/m}^2$

$$\text{Applied pressure} = \frac{\text{Force}}{\text{footing area}}$$

$$= \frac{340}{2 \times 1} \rightarrow \text{unit length for strip footing}$$

$$= 170 \text{ kN/m}^2$$

$$\therefore q_{na} = 172.93 > 170 \text{ kN/m}^2 \text{ (ok)}$$

\therefore Size of footing is safe!

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(21) A square footing (2.5m x 2.5m) is to be placed on a homogeneous clay layer at 3m depth. The ~~low~~ mean unconfined compression strength was obtained as 50 kN/m². Estimate the ultimate bearing capacity utilising Terzaghi's concept. [BWD B'14]

Solⁿ: $q_u = 1.3 C N_c + q N_q + 0.4 \gamma B N_{\gamma}$
 $= 1.3 \times \frac{50}{2} \times 5.7 + q \times 1$

∴ Net ultimate bearing capacity,

$q_{nu} = q_u - q$
 $= 185.25 \text{ kN/m}^2$

$C_u = \frac{q_u}{2}$ for clay, $N_c = 5.7, N_q = 1,$ $N_{\gamma} = 0$

* 2220 unit weight (kN/m³) 202 ultimate bearing capacity 40 50 net ultimate bearing capacity 100

Gap: most suitable method for densification of 20m deep loose sand deposit is dynamic compaction. [PGCL '14]

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* A square foundation is $2\text{m} \times 2\text{m}$ in plan. The soil supporting the foundation has a friction angle of 25° and $c' = 20\text{ kN/m}^2$. The unit weight of soil, γ is 16.5 kN/m^3 . Depth of foundation is 1.5 m . Assume general shear failure occurs in the soil. Take $FS = 3$, $N_c = 25.13$, $N_q = 12.72$, $N_\gamma = 8.34$. Determine allowable gross load.

Solⁿ: For square footing,

$$q_u = 1.3 C N_c + q N_q + 0.4 \gamma B N_\gamma$$
$$= 1.3 \times 20 \times 25.13 + (16.5 \times 1.5) \times 12.72 + 0.4 \times 16.5 \times 2 \times 8.34$$

$q = \gamma D_f$

$$= 1078.29\text{ kN/m}^2$$

∴ Allowable gross load, q_{all} = $\frac{q_u}{FS}$
per unit area

$$= \frac{1078.29}{3}$$

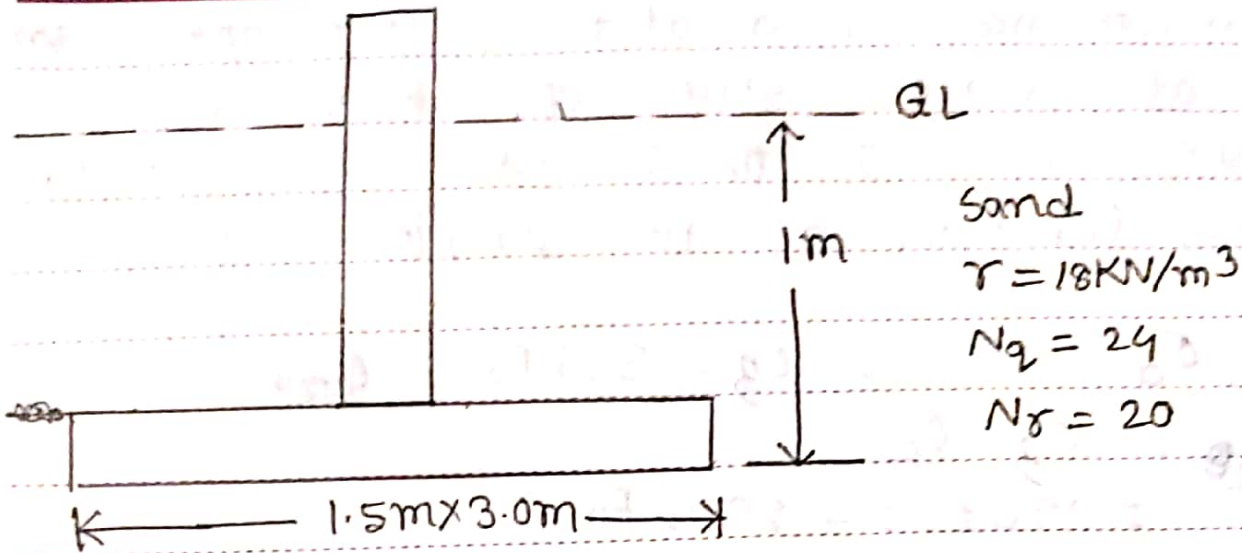
$$= 359.5\text{ kN/m}^2$$

∴ Total allowable gross load = $359.5 \times (2 \times 2)$

$$= 1438\text{ kN}$$

* 2m Net allowable load per (or) unit area,

$$q_{nu} = \frac{q_u - \gamma D_f}{FS}$$



The water table is at a depth of 10m below the base of the footing. ^{calculate} The net ultimate bearing capacity of the footing based on Terzaghi's bearing capacity equation.

Soln:

$$q_u = \left(1 + 0.3 \frac{B}{L}\right) c N_c + \gamma D_f + \frac{1}{2} \gamma B \left(1 - 0.2 \frac{B}{L}\right) N_\gamma$$

For sand, $c = 0$

$$\begin{aligned} \therefore q_u &= 18 \times 1 \times 24 + \frac{1}{2} \times 18 \times 1.5 \left(1 - 0.2 \times \frac{1.5}{3}\right) \times 20 \\ &= 675 \text{ kN/m}^2 \end{aligned}$$

\therefore Net ultimate capacity, $q_{nu} = q_u - \gamma D_f$

$$= 675 - 18 \times 1$$

$$= 657 \text{ kN/m}^2 \quad \underline{A}$$

Square $\therefore c = 0$ $B = L$

$$\therefore 1.3 c N_c = 0$$

$$\frac{1}{2} \times 0.8 = 0.4$$

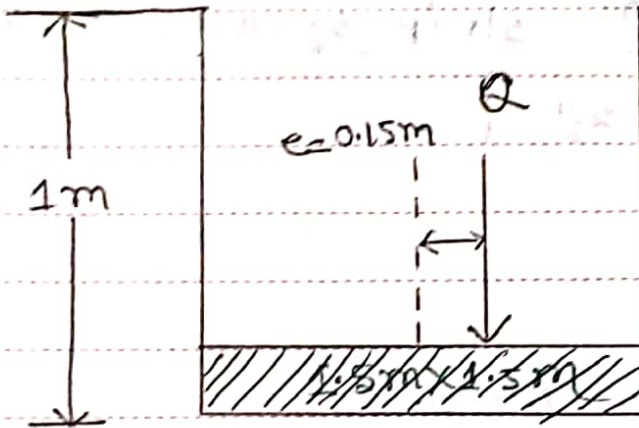
$$0.4 \gamma B N_\gamma$$



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* An eccentrically loaded foundation shown in figure. Use FS of 4 and determine the maximum allowable load that the foundation can carry. Use Meyerhof's eqn.



$$\gamma = 17 \text{ kN/m}^3$$

$$c' = 0$$

$$N_c = 50.59, N_q = 37.75, N_\gamma = 56.31$$

$$S_c = 1.597, S_q = 1.581, S_\gamma = 0.68$$

$$d_c = 1.267, d_q = 1.1646, d_\gamma = 1$$

$$i_c = i_q = i_\gamma = 1$$

Solⁿ: $B' = B - 2e = 1.5 - 2 \times 0.15 = 1.2 \text{ m}$

$$L' = L = 1.5 \text{ m}$$

$$\begin{aligned} \therefore q_u &= c' N_c / c d_c i_c + (\gamma D_f) N_q S_q d_q i_q + \frac{1}{2} \gamma B' N_\gamma d_\gamma i_\gamma S_\gamma \\ &= 0 + 17 \times 1 \times 37.75 \times 1.1646 \times 1 \times 1.581 + \frac{1}{2} \times 17 \times 1.2 \times 56.31 \times 0.68 \times 1 \\ &= 1572.17 \text{ kN/m}^2 \end{aligned}$$

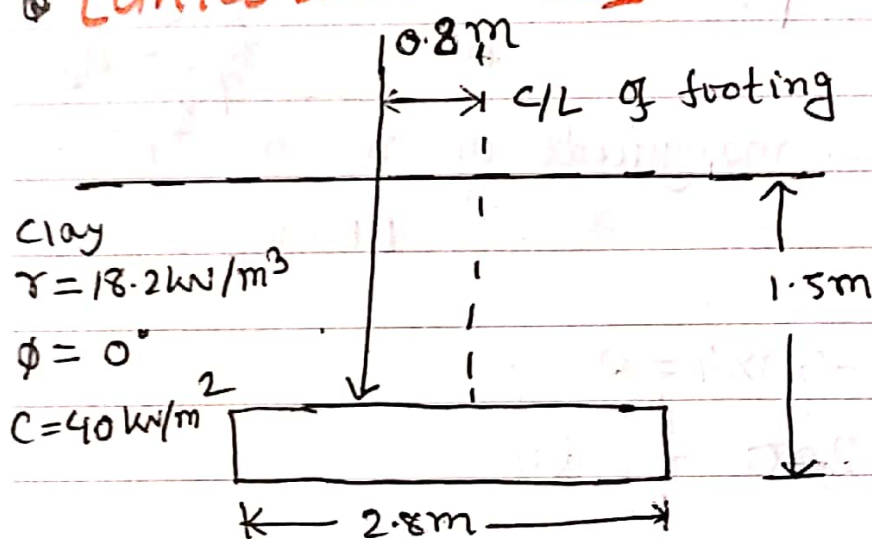
\therefore Maximum allowable load per unit area

$$q = \frac{q_u}{FS} = \frac{1572.17}{4} = 393.0425 \text{ kN/m}^2$$

Net allowable load for $1.2 \times 1.5 \text{ m}$

$$\begin{aligned} \therefore \text{Maximum allowable load} &= 393.0425 \times 1.2 \times 1.5 \\ &= 707.47 \text{ kN} \end{aligned}$$

(5) A rectangular footing of size $2.8\text{m} \times 3.5\text{m}$ is embedded in a clay layer and a vertical load is placed with an eccentricity of 0.8m as shown in the figure. Take bearing capacity factors $N_c = 5.14$, $N_q = 1.0$ and $N_\gamma = 0.0$; shape factors: $S_c = 1.16$, $S_q = 1.0$ and $S_\gamma = 1.0$; Depth factors: $d_c = 1.1$, $d_q = 1.0$ & $d_\gamma = 1.0$. Inclination factors $i_c = 1.0$, $i_q = 1.0$, $i_\gamma = 1.0$.
 [DMTCLE Line 55 2022]



Using Meyerhoff's method, the load that can be applied on the footing with a factor of safety of 2.5 is _____?

Soln:

Ultimate bearing capacity, $\frac{1}{2} \gamma B N_\gamma S_\gamma d_\gamma$

$$q_u = c N_c S_c d_c i_c + \gamma N_q S_q d_q i_q + \frac{1}{2} \gamma B' N_\gamma S_\gamma d_\gamma$$

$$= 40 \times 5.14 \times 1.16 \times 1.1 \times 1 + 27.3 \times 1 \times 1 \times 1 \times 1 + 0$$

$$= 289.65 \text{ kN/m}^2$$

$$q_{nu} = q_u - \gamma D_f$$

$$= 289.65 - 27.3 = 262.345 \text{ kN/m}^2$$

$$q_{ns} = \frac{262.345}{2.5} = 104.94 \text{ kN/m}^2$$

$$\therefore \text{Net safe load} = 104.94 \times 1.2 \times 3.5$$

$$= 440.74 \text{ kN}$$

A

$$q = \gamma D_f$$

$$= 18.2 \times 1.5$$

$$= 27.3 \text{ kN/m}^2$$

$$e = 0.8 \text{ m}$$

$$\therefore B' = B - 2e$$

$$= 2.8 - 2 \times 0.8$$

$$= 1.2 \text{ m}$$

$$L = 3.5 \text{ m}$$

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DNCC 2022
MCQs

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Minimum depth of footing / foundation ~~for~~
~~cohesive soil~~ according to Rankine's
formula -

$$D_f = \frac{q_u}{\gamma} \left(\frac{1 - \sin \phi}{1 + \sin \phi} \right)^2$$

D_f = depth of footing ; q_u = Ultimate bearing capacity of soil ;
 γ = unit weight of soil ;
 ϕ = frictional angle

Example:

Given that, Ultimate bearing capacity of soil is 180 kN/m^2 , unit weight of soil is 20 kN/m^3 & frictional angle $\phi = 30^\circ$. Determine minimum depth.

Solⁿ: $D_{\min} = \frac{180}{20} \times \left(\frac{1 - \sin 30^\circ}{1 + \sin 30^\circ} \right)^2 = 1 \text{ m } \underline{A}$

* Minimum depth of footing for cohesive soil is 1.5m for cohesive soil & 0.2m for cohesionless soil [DNCC'21]

(20) When combined footing is used? [SGCL'17]

Solⁿ A combined footing is provided under the following circumstances —

- (i) when the columns are very near to each other so that their footings overlap
- (ii) when the bearing capacity of the soil is less, requiring more area under ~~individual~~ individual footing.
- (iii) when the end column is near a property line so that its footing cannot spread in that direction.

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(Q2) Write four methods to improve the bearing capacity of soils [47 BMA]

Solⁿ: Methods -

- (i) by increasing the depth of foundation
- (ii) by draining off water from sub-soil
- (iii) by compacting the soil (void decreases, bearing capacity increases)
- (iv) by increasing width of foundation
- (v) by pumping in cement-grout into the ground
- (vi) by solidifying the ground by using $CaCl_2$

(Q3) How can we improve ground surface? [WZPDC16]

Solⁿ: Ground improvement techniques -

- Preloading or surcharging with sand, either with or without vertical drains
- Various compaction techniques including vibratory methods
- Soil removal and replacement, stone columns & geotextile encased sand columns
- In-situ admixtures like lime, cement and fly ash

Standard Penetration Test (SPT): [BEPZA'16] [PGCL'17]

→ The test is used for determining the relative density and the angle of shearing resistance (ϕ) of cohesionless soils.

→ This test is conducted in a bore hole using standard split spoon sampler

→ SPT value (N) means, the number of blows required for 30cm (12 inch) penetration

→ Hammer weight 63.5kg (140 lb) [ERLB'22]
height of fall 75cm (30 inch)

→ To avoid setting errors, the blows for the first 15cm (6 inch) penetration are not taken into account. Thus, N values for 15cm to 45cm (total 30cm) constitute the SPT value.

SPT-N value definition: [PGCL'17] [BEPZA'16] [BMA] The SPT-N value provides information regarding the soil strength. SPT(N) value in sandy soil indicates the friction angle in sandy soils and in clay soils it indicate the stiffness of the clay stratum.

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Ques:

(i) Weight of hammer is SPT test 63.5 kg (140 lb)

[Petroleum] [MGMCL'22]

[JGDS'21]

[BIWTA'19]

[NAHA'19]

[ES&FL'17]

[ES&CL'20]

[74] In SPT test for each 15cm penetration needs 8, 10, 12 SPT value. Calculate N value

Ans: $N = 2^{nd} + 3^{rd} = 10 + 12 = 22$ [correction count for 20mm error]
corrected N value = $15 + \frac{1}{2}(22 - 15)$
 $= 18.5$ A

(75) Short note on black cotton soil [Padma Bridge's]

Soil: Black cotton soil is one of the major soil deposits in Indian subcontinent. They exhibit a very high rate of swelling & shrinkage when moisture content is increased and decreased respectively. That's why this type of soil gets very sticky in rainy season and gets cracked in dry season. Hence this soil is most troublesome from engineering consideration. Chemically black cotton soil consists of lime, iron, magnesium, alumina and potash. It possesses great water holding capacity.

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(76) When SPT value is rejected? [WRGCL'14]

Solⁿ: SPT value is rejected if →

- (i) 50 blows are required for any ^{150mm (6 inch)} ~~SPT~~ ~~penetration~~ increment
- (ii) 100 blows are obtained for 300mm ^(12 inch) penetration
- (iii) 10 successive blows produce no advancement

(77) What are the advantages of CPT test over SPT test. Also describe disadvantages of CPT test [MSc'14]

Ans: Advantages of CPT test -

- It is faster and more accurate
- It offers digital in situ ~~soil data~~ detailed data of soil
- It produces real time data
- Suitable for soft soils

Disadvantages

- No sample recovered for other geotechnical tests
- Penetration depth limited to 150-200 ft
- Normally cannot push ~~the~~ through gravels
- Requires special equipment and skilled operators

(78) Purposes of pile foundation [APSC/16] [MSc/16]

Ans: Pile foundations are principally used to transfer the loads from superstructures, through weak, compressible strata or water, into stronger, more compact, less compressible and stiffer soil at depth. They are typically used for large structures.

The following conditions makes the construction company use the piles —

- (i) when the soil at the construction site is extremely loose or soft, ~~the usage of si~~
- (ii) when the plan area is not sufficient because of the loads being too high that the required size of the foundation can't be accommodated.
- (iii) when the foundation has large lateral (\leftarrow) loads acting on it.
- (iv) ^{when} The underground structures causes immense uplift loads. ~~are constructed using the pile foundation.~~
- (v) when the foundation has to support inclined loads, eccentric loads and moments, the pile foundation is used.

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(79) Advantage & disadvantages of cast in situ piles and precast piles [HBRI'19]

Solⁿ: Advantages of cast in situ piles

(i) Piles possessing any size or length may be used for the construction at the site.

(ii) Damaged caused because of driving or handling in case of precast piles is eliminated

(iii) In case of water logged area, cast in situ piling with permanent casing is more suitable.

(iv) cast in situ pile can fully utilize the skin friction resistance with the ground during design stages which cannot be achieved in pre cast piles.

(v) Cast in situ piles are connected above ground with a pile cap using a monolithic approach.

Due to this monolithic approach, cast in situ pile has an advantage of having more resistance to the earthquake and wind forces.

Disadvantage of cast in situ piles:

(i) A strict quality control and a thorough supervision need to be done for installing the situ. piles. This is required to be done for all kinds of materials used for the construction.

(2) Since sufficient storage space is required for all types of materials required for the construction therefore the method involved could be quite complicated.

(3) The places having a lot of current of the ground water flow or a lot of artesian pressure, the construction in such places can't be done using ~~site~~ in situ piles.

(4) More labor is required

(5) In cast in situ piles more concrete is consumed as at the site there is enough loss of concrete sometimes due to poor workmanship.

Advantages of precast piles:

- (i) The main advantage of the precast concrete piles is that these piles compact soil. Thus it increases the bearing capacity of the soil.
- (ii) They are readily available in ~~any~~ construction site which saves ~~the~~ a lot of time.
- (iii) The position of the reinforced in the pre cast concrete ~~at~~ piles is not disturbed or changed.
- (iv) Pre cast concrete piles are cost effective. These are cheap and suitable to use.
- (v) ~~They~~ They can be driven underwater.

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- (vi) Precast concrete piles are not affected by the chemical action of the subsoil.
- (vii) They can be taking load immediately after their casting.

Disadvantages of precast concrete piles:

- (i) Being very heavy, transporting, handling and driving them is very hard.
- (ii) Extra steel must be provided near the top and bottom of the piles, in order to avoid the stresses developed during handling and driving.
- (iii) The precast concrete piles can not be cast in a correct length unless trail bores are made. Therefore it becomes more complicated.
- (iv) It may break without proper handling and driving.
- (v) The pile length is also restricted depending on the mode of transportation available.

Ultimate load bearing capacity of pile in clay:

$$Q_u = Q_b + Q_s$$

Q_s = skin friction capacity

$$= \alpha C_u A_s$$

Q_b = end bearing capacity

$$= 9 C_u A_b$$

$$Q_u = 9 C_u A_b + \alpha C_u A_s$$

Here,

$$N_c = 9$$

Side area, $A_s = \pi d L$

Pile tip area =

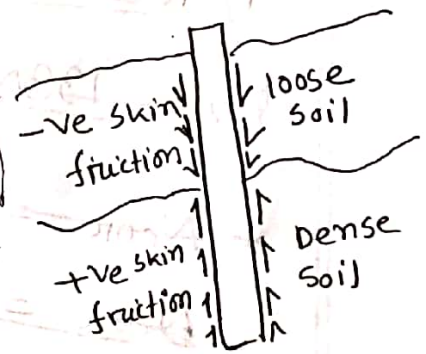
~~Area of bearing~~

$$= \frac{\pi}{4} d^2$$

Gap: For deep foundation, $N_c = 9$ [BWDB'18] [SGCL'20]
 [SGFL'17] [NHA'15]
 [Petrobranga'22] [JGITDSL'21]

Negative skin friction / Downward drag: [EDMTCL'19] [S3BMA]

When the soil surrounding a portion of pile shaft settles more than the pile, a downward drag occurs on the pile. The downward drag is called "Negative skin friction".



- The net load carrying capacity of the pile decreased due to negative skin friction.
- occurs in compressible soils, soft and loose soil, recently filled up soils, also due to lowering of water table.
- can be eliminated by providing a protective sleeve for that portion of the pile.

Pull out capacity of pile:

The pullout capacity of a pile is the combination of dead weight and skin friction that can be used to resist uplift loads.

End bearing is neglected here since the pile is assumed to move upwards.

∴ ~~For~~ Pull out capacity / uplift capacity,

$$P_u = W_p + \frac{2}{3} A_s f_s$$

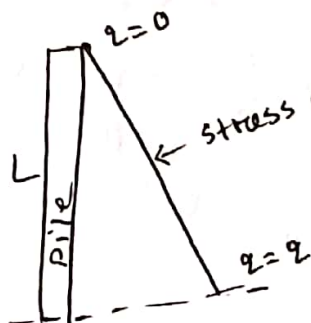
∴ For clay, $P_u = W_p + \frac{2}{3} A_s \alpha C_u$

For sand, $P_u = W_p + \frac{2}{3} A_s k \tan \delta \cdot q_{avg}$ | $q_{avg} = \frac{\gamma L}{2}$

~~take, $\delta = 0.75\phi$~~

For driven/precast pile, $\delta = 0.75\phi$, $k = 1 - \sin\phi$

For bored cast in situ pile, $\delta = \phi$, $k = \sin\phi$



∴ $q_{avg} = \frac{q}{2} = \frac{\gamma L}{2}$

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(80) A nine pile group constituting of 18 inch dia concrete pile was cast insitu in a soil whose unconfined compressive strength is 1000 lb/ft². Each pile is 60ft long and the pile spacing is 2.5 times the pile diameter. Calculate allowable skin friction capacity of single pile.

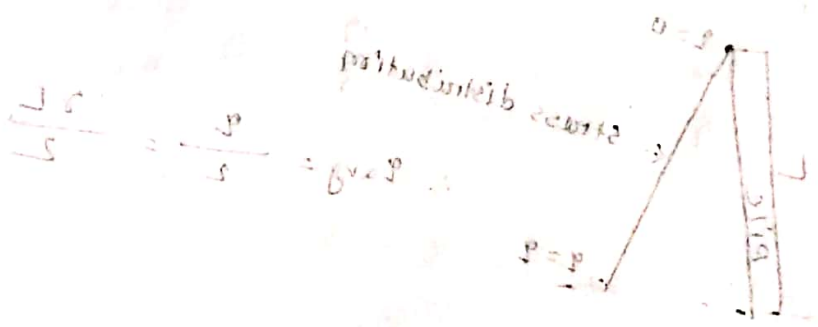
Take, $\alpha = 0.5$ and FOS = 3 [BNDB'16] [BINTA'19] [SGFL'17] [DNCC'16] [ETCL'16] [NHA'19] [PGCB'15] [ERL'17] [PetroBangla'22]

Solⁿ:

Here, $C_u = \frac{q_u}{2} = \frac{1000}{2} = 500$ ~~lb/ft²~~

$Q_s = \alpha C_u A_s = \alpha C_u \pi d L$
 $= 0.5 \times 500 \times \pi \times \frac{18}{12} \times 60$
 $= 70686 \text{ lb}$

Allowable skin friction capacity = $\frac{70686 \text{ lb}}{3}$
 $= 23562 \text{ lb}$
 $= 23.56 \text{ KIP}$



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(8) A pile is embedded in clayey soil having length and depth are 100ft and 24inch respectively. Unconfined compressive strength of clay is 2000 psf. Determine the ultimate ~~load~~ capacity of pile.

where, $\alpha = 0.5$ [B W D B '16] [B E P Z A '19] [P G C L '17] [P G C B '14]

Solⁿ:

$$Q_u = Q_s + Q_b$$

$$= \alpha C_u \pi d L + 9 C_u * \frac{\pi}{4} * d^2$$

$$= 0.5 * 1 * \pi * \frac{24}{12} * 100 + 9 * 1 * \frac{\pi}{4} * \left(\frac{24}{12}\right)^2$$

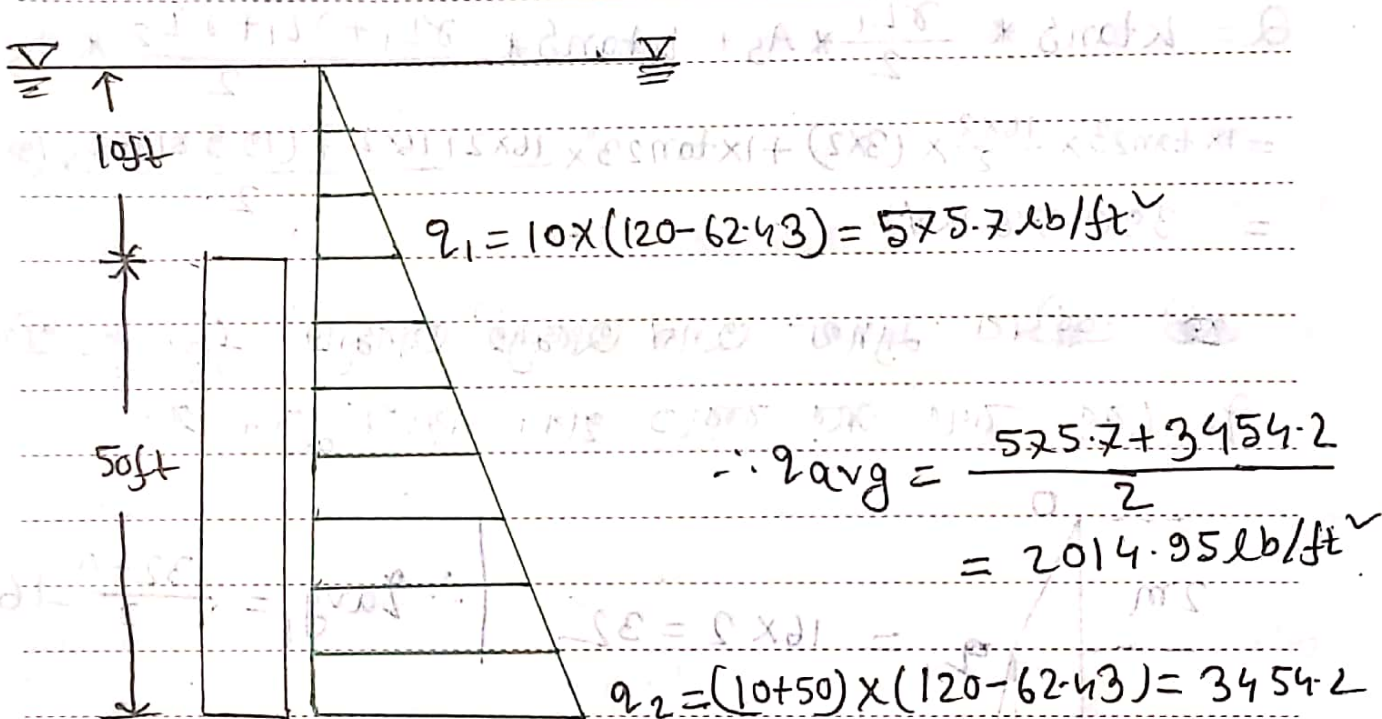
$$= 342.43 \text{ KIP}$$

$$C_u = \frac{2000}{2 \times 1000} = 1 \text{ ksf}$$

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* Determine the skin friction capacity of a cast in situ bored RCC pile of dia 20 inch and length 50 ft in a homogeneous sand layer. The top of the pile is at 10 ft below the ground surface. Assume water table is at ground surface. Take, $\gamma_{sat} = 120 \text{ pcf}$, $\phi = 30^\circ$ [BWDB'14]



$k = 1 - \sin \phi = 1 - \sin 30^\circ = 0.5$; ~~$\delta = 2 \times 0.5 =$~~
 $\delta = \frac{2}{3} \phi = \frac{2}{3} \times 30^\circ = 22.5^\circ$

\therefore @ skin friction capacity,
 $Q = k \tan \delta \cdot q_{avg} \cdot A_s$

$= 0.5 \times \tan 22.5^\circ \times 2014.95 \times \pi \times \frac{20}{12} \times 50$
 $= 109251.45 \text{ lb}$
 $= 109.25 \text{ kip}$



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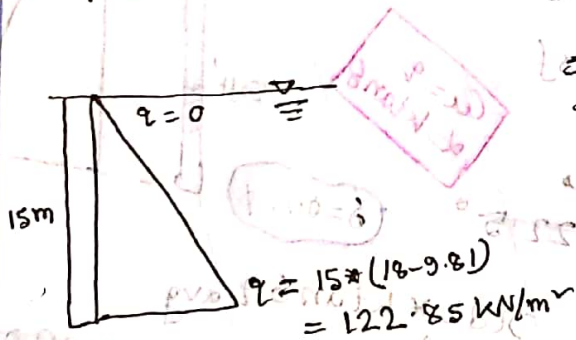
(83) A pile of 40cm diameter, passes through a recently filled up material of 4.5m length. If the unconfined compressive strength of clay is 60 kN/m^2 , calculate the negative skin friction of the pile.

Solⁿ: $d = 40 \text{ cm} = 0.4 \text{ m}$, $c = \frac{60}{2} = 30 \text{ kN/m}^2$

$$Q_{nf} = \frac{\pi D L c}{C_u A_s} = \pi \times 0.4 \times 4.5 \times 30 = 169.65 \text{ kN}$$

(84) Estimate the pull out capacity of a cast in situ bored concrete pile of dia 500mm and length 15m. Pile installed in a homogeneous sand deposit. If $\gamma_{\text{sat}} = 18 \text{ kN/m}^3$, $\phi = 30^\circ$, water table is at ground surface [DMTCL '19]

Solⁿ: Pull out capacity, $P = W_p + \frac{2}{3} A_s \cdot k \tan \delta \cdot q_{\text{avg}}$



$$= 73.63 + \frac{2}{3} (\pi \cdot 0.5 \cdot 15) \cdot \tan 30^\circ \cdot 61.425$$

for bored pile
 $\phi = \frac{30}{40} = 0.75 \delta$

$$q_{\text{avg}} = \frac{122.85 + 0}{2} = 61.425 \text{ kN/m}^2$$

weight of pile = unit weight * pile volume
 $= 25 \text{ kN/m}^3 \cdot \pi \cdot \left(\frac{0.5}{2}\right)^2 \cdot 15 = 73.63 \text{ kN}$

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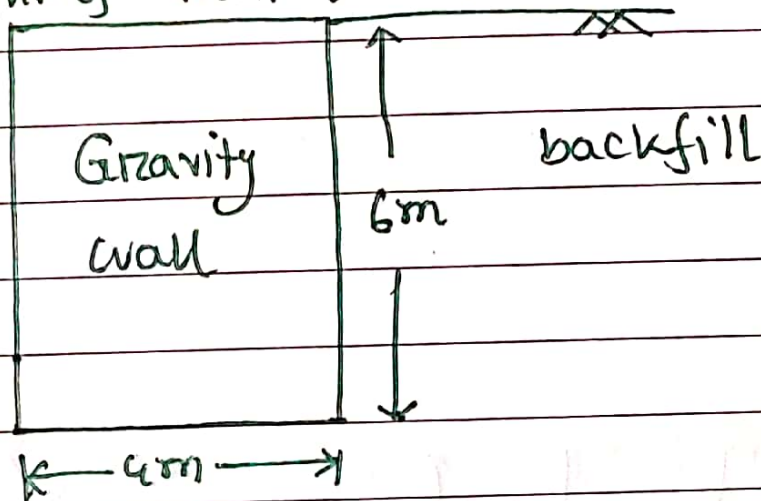
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Techniques of Soil Improvement: [DSEC '19]

- (1) Surface compaction
- (2) Groundwater drainage
- (3) Vibration method: Vibrations and shock waves in loose deposits of sandy soils cause liquefaction followed by densification ~~as~~ due to the dissipation of excess pore water.
- (4) Grouting
- (5) Chemical stabilization like lime, fly ash, cement to reduce ~~pore~~ permeability of cement.
- (6) Soil reinforcement
- (7) Geotextiles and geomembranes
- (8) Other methods like thermal methods, moisture barriers, prewetting etc.
- (9) Sand ~~compaction~~ ^{compaction pile} method

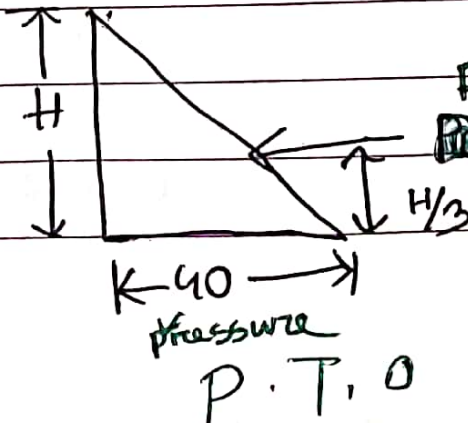
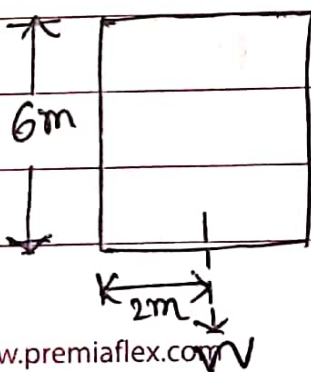
* A homogeneous gravity retaining wall supporting a cohesionless backfill is shown in the figure. The lateral active earth pressure at the bottom of the wall is ~~120~~⁴⁰ kPa. Find the minimum weight of wall to withstand the moment.



Solⁿ: For stability,

$$P_a \times \frac{H}{3} = W \times \frac{B}{2}$$

$$\Rightarrow W = \frac{2 P_a H}{3 B} = \frac{2 \times 120 \times 6}{3 \times 4} = 120 \text{ kN/m length}$$



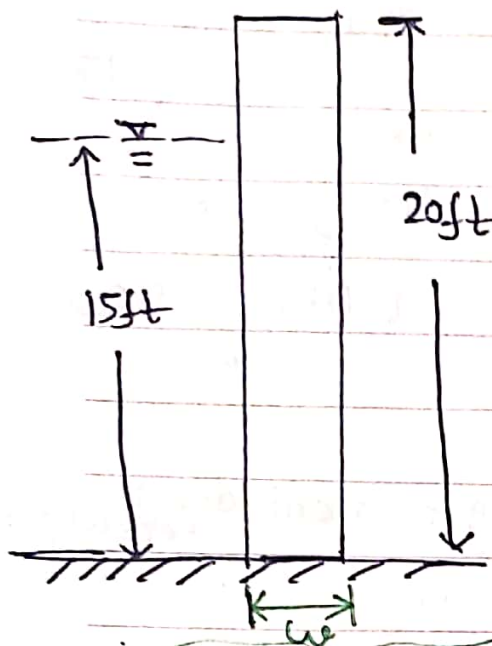
Force = pressure area
 $P_a = 120 \text{ kPa}$
 $\frac{1}{2} \times 6 \times 40 = 120 \text{ kN}$

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Calculate the width of concrete dam that is necessary to prevent the dam from sliding. Friction coefficient between the base of the dam and the foundation is 0.42. Use 1.5 as the factor of safety against sliding. Will it also be safe against overturning?

Taking 1 ft of length of wall

Solⁿ:
$$F.S. (\text{sliding}) = \frac{\text{Sliding resistance}}{\text{Sliding force}} \quad \text{unit weight of concrete}$$

$$\Rightarrow 1.5 = \frac{0.42 \times (20 \times w \times 1) \times 150}{\frac{1}{2} \times 62.43 \times 15^2}$$

$$\boxed{\gamma_c = 150 \text{ lb/ft}^3}$$

$$\Rightarrow w = 8.36 \text{ ft}$$

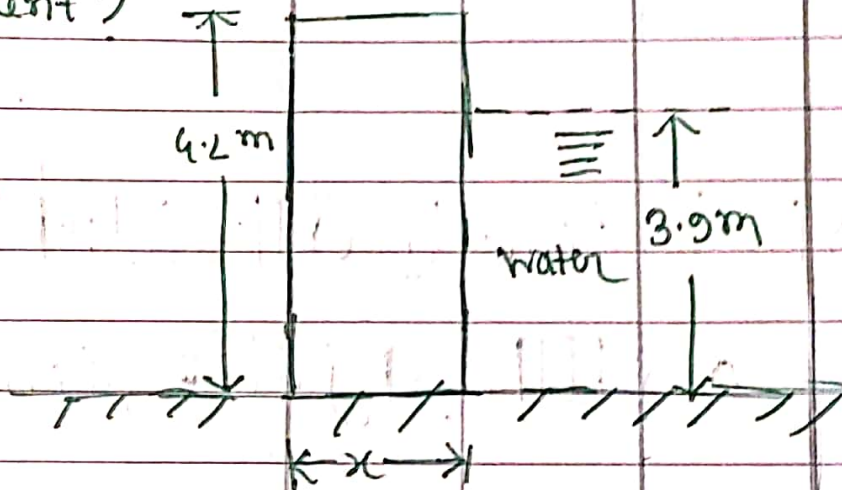
$$F.S. (\text{overturning}) = \frac{0.42 \times (20 \times 8.36 \times 1) \times 150 \times \frac{8.36}{2}}{\frac{1}{2} \times 62.43 \times 15^2 \times \frac{15}{3}} = 3 \quad (\text{OK})$$

Therefore it should be safe against overturning.

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Water is retained by a concrete wall. The weight of the wall resists the overturning moment of water. What width "x" of the wall would ensure the resisting moment is twice the water pressure's overturning moment?



Solⁿ: unit weight of concrete = 25 kN/m^3
 unit weight of water = 9.81 kN/m^3

Resisting moment = $(25 \times 4.2 \times x) \times \frac{x}{2}$
 $= 52.5x^2 \text{ kN-m}$ (Consider 1m strip)

~~Overturning moment~~

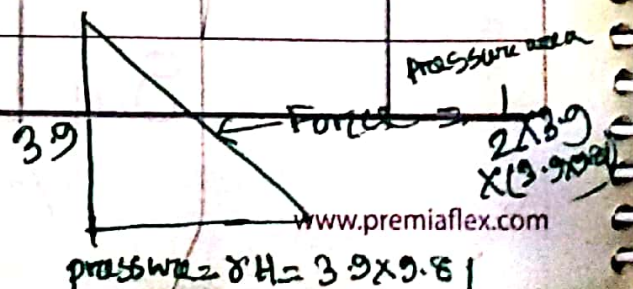
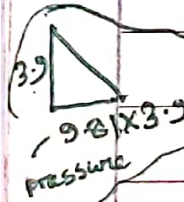
Force due to water, $F = \gamma h A = 9.81 \times \left(\frac{3.9+0}{2}\right) \times (3.9 \times 1)$
 $= \frac{1}{2} \gamma h^2$
 $= 74.61 \text{ kN}$

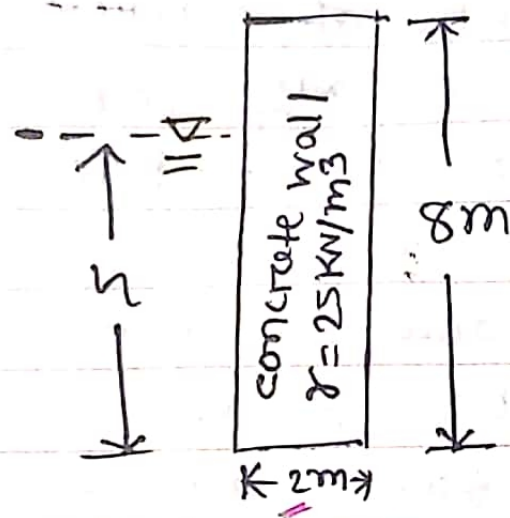
Overturning moment = $74.61 \times \frac{3.9}{3} = 96.986 \text{ kN-m}$

A.T.Q,

$52.5x^2 = 2 \times 96.986$

$\therefore x = 2 \text{ m}$





If factor against overturning is 3. Then what is the depth of water, $h = ?$

[DESCO 22]

[MIST]

Solⁿ

F.S. = $\frac{\text{Resisting moment due to self weight}}{\text{Overturning moment due to water force}}$

Taking 1m ~~width~~ ^{length} of wall

$$\Rightarrow 3 = \frac{(2 \times 8 \times 1) \times 25 \times \frac{2}{2}}{\frac{1}{2} \gamma h^2 \times \frac{h}{3}}$$

Moment = Force \times distance

$$OTM = \frac{1}{2} \gamma h^2 \times \frac{h}{3}$$

$$RM = \frac{\text{self weight} \times \text{width}}{2}$$

$$\Rightarrow h = \left(\frac{2 \times 16 \times 25 \times 1}{\frac{1}{2} \times 9.81 \times \frac{1}{3} \times 3} \right)^{1/3}$$

$$\therefore h = 4.336 \text{ m}$$

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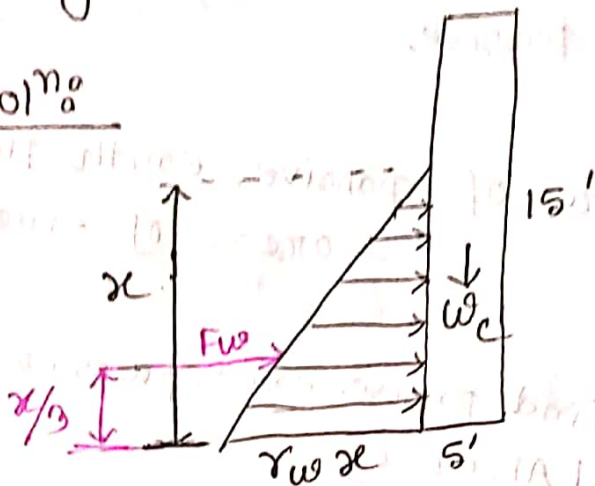
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(85)

Compute the height of retaining wall if overturning moment of water and soil is equal. Length of ~~retaining~~ ^{boundary} wall is 15ft and width is 5ft. Take standard unit weight of concrete & water. [DMTEL'19]

Solⁿ



$$F_w = \frac{1}{2} \times (\gamma_w x) \times x \times 1$$

$$= \frac{\gamma_w x^2}{2}$$

Let, 1m length of wall

$$W_c = 150 \times 5 \times 15 \times 1$$

$$= 11250 \text{ lb}$$

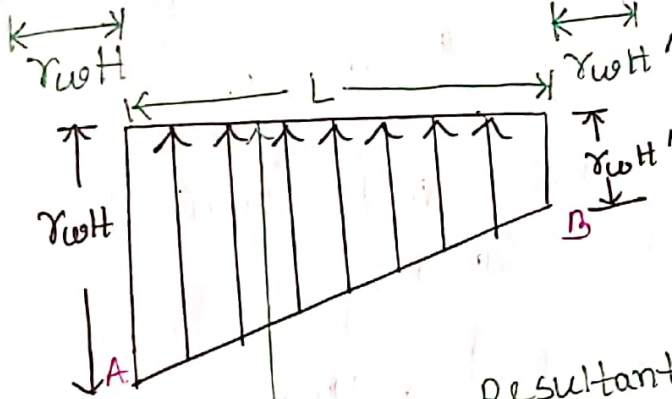
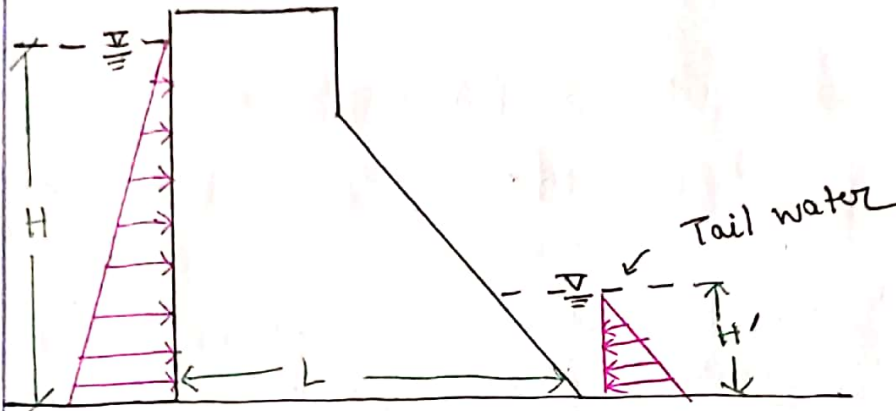
$$\therefore F_w \times \frac{x}{3} = 11250 \times 2.5$$

$$\Rightarrow \frac{\gamma_w x^2}{2} \times \frac{x}{3} = 28125$$

$$\Rightarrow x = \sqrt[3]{\frac{28125 \times 6}{62.4}}$$

$$= 13.93 \text{ ft} \quad \underline{\text{Ans}}$$

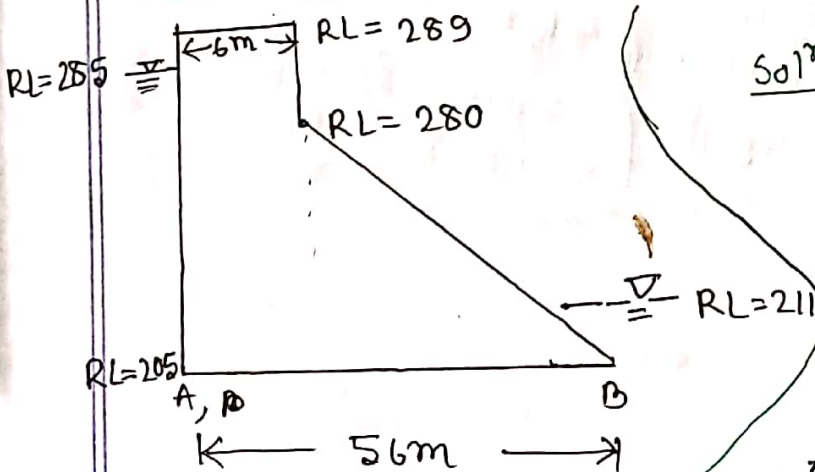
Uplift pressure of Gravity Dam:



Resultant
Uplift pressure force

$$\frac{L}{3} P_u = \frac{1}{2} (A+B) \times L$$

* Figure shows the section of a gravity dam built of concrete. Calculate the uplift pressure. [WARPO 2017]



Soln: Uplift pressure at A

$$= (285 - 205) \times 9.81 = 784.8 \text{ kN/m}^2$$

Uplift pressure at B

$$= (211 - 205) \times 9.81 = 58.86 \text{ kN/m}^2$$

Uplift pressure force

$$= \frac{1}{2} \times (784.8 + 58.86) \times 56 = 23622.48 \text{ kN/m}$$

Acting at $\frac{56}{3} = 18.67 \text{ m}$ distance from point A