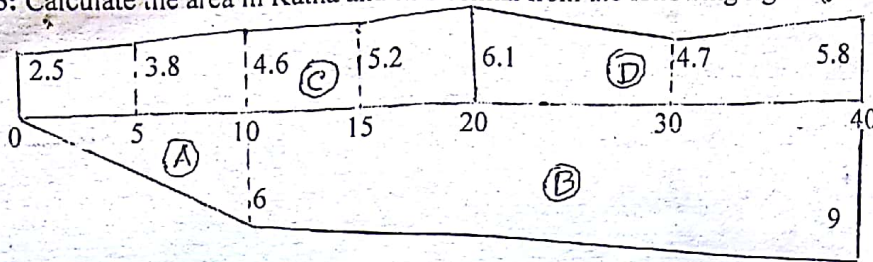


Prob. No. 5: Calculate the area in Katha and in Decimal from the following figure (dimensions are in m).

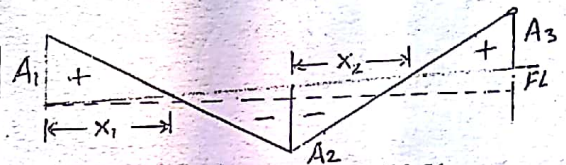


Solution: Area of part A = $1/2 \times 10 \times 6 = 30 \text{ m}^2$. Area of part B = $1/2 [6 + 9] 30 = 225 \text{ m}^2$.
 Area of part C = $5/3 [2.5 + 6.1 + 4(3.8 + 5.2) + 2(4.6)] = 89.66 \text{ m}^2$.
 Area of part D = $10/3 [6.1 + 5.8 + 4(4.7)] = 102.33 \text{ m}^2$.
 Therefore, total area = $A+B+C+D = 30 + 225 + 89.66 + 102.33 = 447 \text{ m}^2 = 447 \times 10.7638 = 4811.5 \text{ sqft}$.
 Area $4811.5 \text{ sqft} = 6.68 \text{ Katha} = 11.05 \text{ Decimal}$.
 720 sqft. = 1 Katha
 435 " " = 1 Decimal

Prob. No. 6: Calculate the volume of earth work of an embankment whose formation width is 8 m and side slope is 2 : 1. The ground level along the centre line is as follows. Formation level at zero chainage is 115. Chainage --- 0 50 100 and GL (m)--- 115.75 114.35 116.80 respectively, The embankment has a rising gradient of 1 in 100 and the ground is level across the centre line.

Solution: Rise per 50 m = $50/100 = 0.50 \text{ m}$

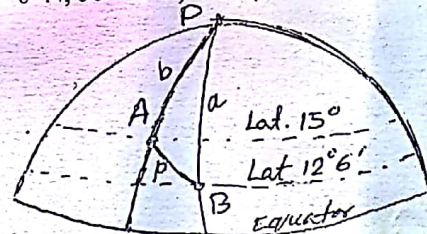
Chainage	GL	FL	Cutting (+)	Filling (-)	Section
0	115.75	115.00	0.75		A ₁
50	114.35	115.50		1.15	A ₂
100	116.80	116.00	0.80		A ₃



$1.15 x_1 = 37.5 - 0.75 x_1$, $x_1 = 19.74 \text{ m}$ & $50 - x_1 = 30.26 \text{ m}$. Similarly, $x_2 = 29.49 \text{ m}$ & $50 - x_2 = 20.51 \text{ m}$.
 $A_1 = (8 + 2 \times 0.75) 0.75 = 7.13 \text{ m}^2$, $A_2 = (8 + 2 \times 1.15) 1.15 = 11.85 \text{ m}^2$ & $A_3 = (8 + 2 \times 0.8) 0.8 = 7.68 \text{ m}^2$.
 (a) Vol. from chainage 0 to 50: (+) = $1/2(7.13 + 0) 19.74 = 70.37 \text{ m}^3$ & (-) = $1/2(0 + 11.85) 30.26 = 179.29 \text{ m}^3$.
 (b) Vol. from chainage 50-100: (-) = $1/2(11.85 + 0) 29.49 = 174.73 \text{ m}^3$ & (+) = $1/2(0 + 7.68) 20.51 = 78.76 \text{ m}^3$.
 Total cutting = $70.37 \text{ m}^3 + 78.76 \text{ m}^3 = 149.13 \text{ m}^3$ and total filling = $179.29 \text{ m}^3 + 174.73 \text{ m}^3 = 354.02 \text{ m}^3$.

Prob. No. 7: Find the shortest distance between two places A ($15^\circ 0' \text{ N}$, $50^\circ 12' \text{ E}$) & B ($12^\circ 6' \text{ N}$, $54^\circ 0' \text{ E}$)

Solution: In figure, the position of A and B have been shown. In the spherical triangle ABP, $b = AP = 90^\circ - 15^\circ 0' \text{ N} = 75^\circ$
 $a = BP = 90^\circ - 12^\circ 6' \text{ N} = 77^\circ 54'$ and $p = 54^\circ 0' - 50^\circ 12' = 3^\circ 48'$
 From triangle APB, $\cos p = (\cos p - \cos a \cos b) \div (\sin a \sin b)$
 or $\cos p = \cos P \sin a \sin b + \cos a \cos b = 0.99661$
 Therefore, $p = AB = 4^\circ 40' = 280' = 280 \text{ NM} = 518.6 \text{ km}$.



Prob. No. 8: Given the Greenwich civil time (G.C.T.) as 6h 40m 2s P.M. on July 2, 2015. Find the L.M.T. at the places having the longitudes (a) $72^\circ 30' \text{ E}$, (b) $72^\circ 30' \text{ W}$ and (c) $110^\circ 32' 30'' \text{ E}$.

Solution:

(a) Longitude of the place = $72^\circ 30' \text{ E}$. Now, $72^\circ 30' \text{ E} = 4\text{h } 50\text{m } 0\text{s}$. Since the place is to the east of Greenwich, the local mean time (L.M.T.) will be more than the standard time.
 Now, G.C.T. = 6h 40m 12s P.M. on July 2015.
 or G.M.T. = 6h 40m 12s + 12h = 18h 40m 12s Past mid-night

Add longitude = $4\text{h } 50\text{m } 0\text{s}$
 Therefore L.M.T. = $23\text{h } 30\text{m } 12\text{s} = 11\text{h } 30\text{m } 12\text{s P.M. on July 2}$.

(b) Longitude of the place = $72^\circ 30' \text{ W} = 4\text{h } 50\text{m } 0\text{s}$ of time. Since the place is to the west of Greenwich, the local mean time (L.M.T.) will be lesser than the standard time.
 Now G.M.T. = 6h 40m 12s P.M. = 18h 40m 12s Past mid-night
 Subtract longitude = $4\text{h } 50\text{m } 0\text{s}$

Therefore L.M.T. = $13\text{h } 40\text{m } 12\text{s} = 1\text{h } 40\text{m } 12\text{s P.M. on July 2}$.

(c) Longitude of the place = $110^\circ 32' 30'' \text{ E} = 7\text{h } 22\text{m } 10\text{s}$ of time. Since the place is to the east of Greenwich, the local mean time (L.M.T.) will be more than the standard time.
 Now G.M.T. = 6h 40m 12s P.M. = 18h 40m 12s Past mid-night
 Add longitude = $7\text{h } 22\text{m } 10\text{s}$

Therefore L.M.T. = $26\text{h } 02\text{m } 22\text{s} = 2\text{h } 02\text{m } 22\text{s on July 3}$.

Therefore L.M.T. = $2\text{h } 02\text{m } 22\text{s A.M. on July 3}$.