

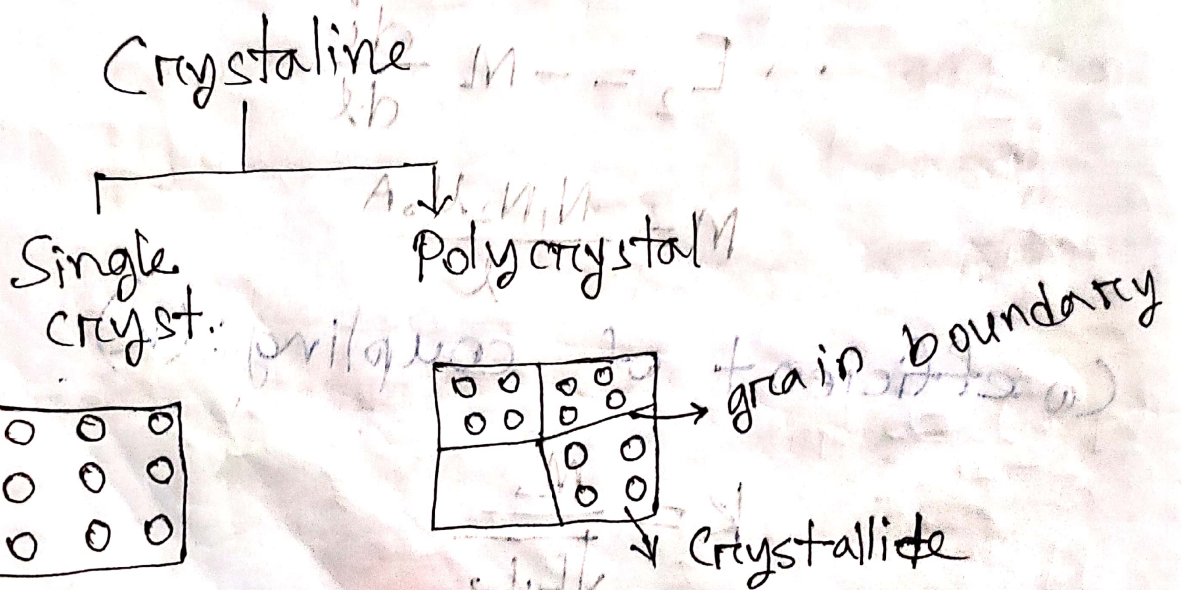
$$k\Phi_1 = M i_1$$

$$M = \frac{k\Phi_1}{i_1}$$

26-11-19

## Structure of matter

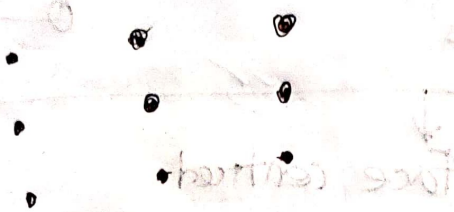
1. States of matter
2. Classification of solid material —
  - Crystalline
  - Non Cryst
  - Amorphous



Same periodicity and regularity in all

# Atomic arrangement:

1. ~~Unit~~ unit cell



periodic

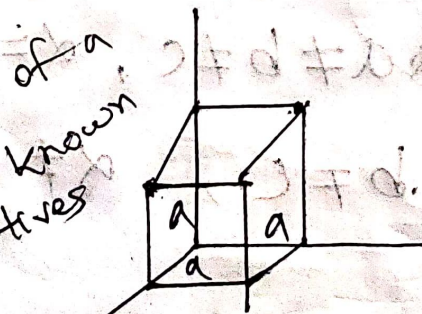
\* Lattice  $\rightarrow$  regular and periodic arrangement of points in three dimension.

\* Basis  $\rightarrow$  atoms or group of atom at every lattice point

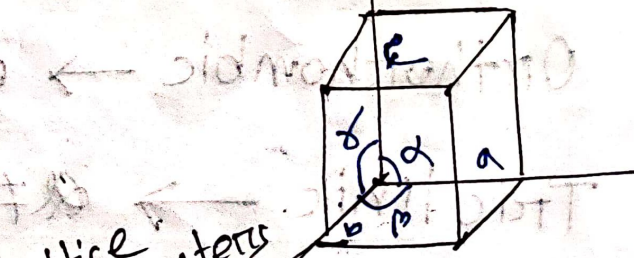
Lattice + basis = crystal structure

\* unit cell  $\rightarrow$  smallest volume whose repetition construct entire structure is called - unit cell.

The dimension of unit cell is known as primitive



same edge

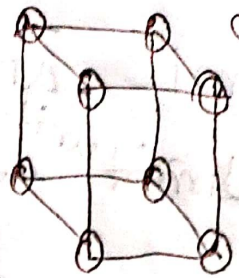


lattice parameters

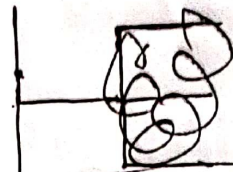
$a, b, c \rightarrow$  Primitive  
 $\alpha, \beta, \gamma \rightarrow$  Interfacial angles

1. Primitive unit cell

2. Non-primitive unit cell



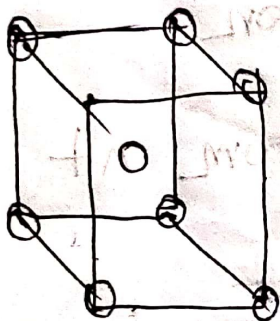
Contains one point  
points each of these



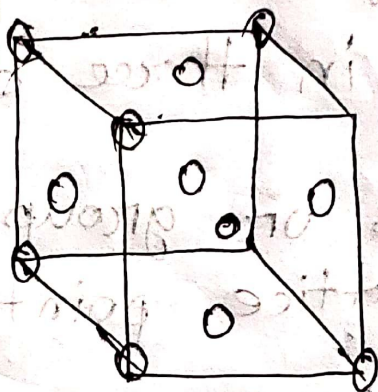
Body centres

Face centred

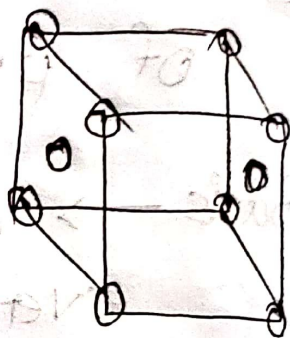
End/body centres



(I)



(F)



(A)

contain additional unit cell lattice point either on a face of the unit cell or within the unit cell.  
Seven crystal str. based on  $a, b, c$  &  $\alpha, \beta, \gamma$ :

P, I, F I) Cubic  $\rightarrow a = b = c ; \alpha = \beta = \gamma = 90^\circ$

P, I, F, A II) Orthorhombic  $\rightarrow a \neq b \neq c, \alpha = \beta = \gamma = 90^\circ$

P III) Triclinic  $\rightarrow a \neq b \neq c, \alpha \neq \beta \neq \gamma$

P, A IV) Monoclinic

P, I V) Tetragonal

P VI) Hexagonal

P (VN) Trigonal

↓ 14 Bravais lattice

☐ Different types of bond:

\* Metallic

\* Hydrogen

\* Van der Waals

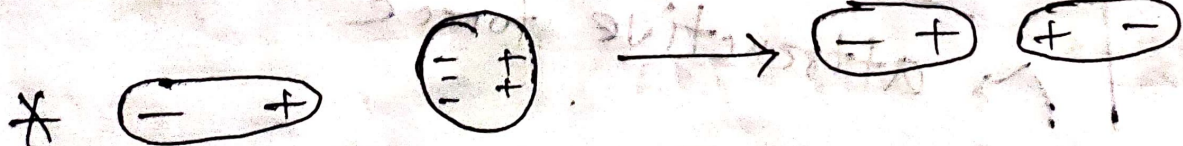
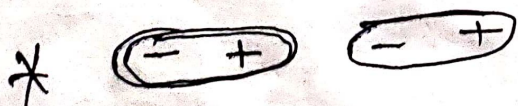
\* Covalent

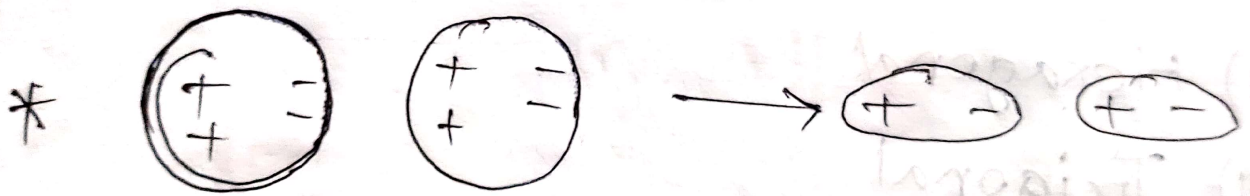
\* Ionic

is caused betn two nearby atoms by polariz ion

\* Van der Waals:

1. Permanent dipole — permanent dipole
2. Permanent dipole — induced dipole
3. induce



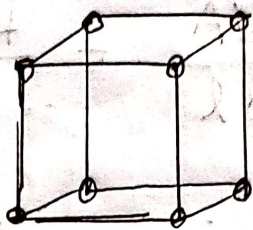


□ Packing fraction  $\psi$

28-10-19

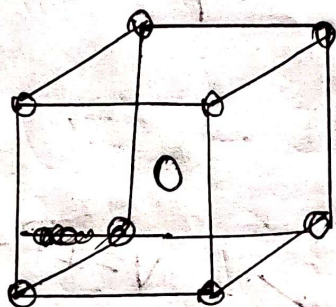
Packing fraction:

(1) Simple cubic (SC):



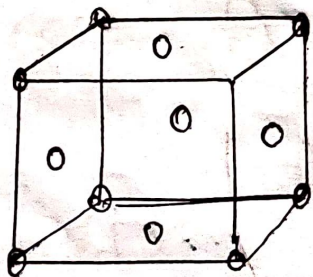
Atom are arranged in corner position

$$\text{Number of atom} = \frac{1}{8} \times 8 = 1$$



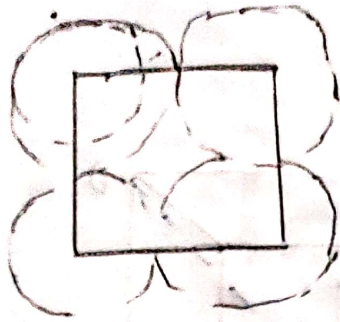
body centered cubic

$$\text{no of atom} = \frac{1}{8} \times 8 + 1 = 2$$



face centered cubic

$$\text{no. of atom} = \frac{1}{8} \times 8 + 6 \times \frac{1}{2} = 4$$



$$a = 2r$$

$$r = \frac{a}{2}$$

$a$  = cubic edge

$r$  = radius of atom.

Packing fraction =  $\frac{\text{Vol. occupied by all atoms in a structure}}{\text{Vol. of the structure}}$

$$P = \frac{V}{V}$$

\* Simple cubic:

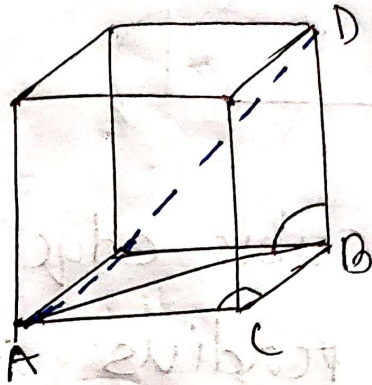
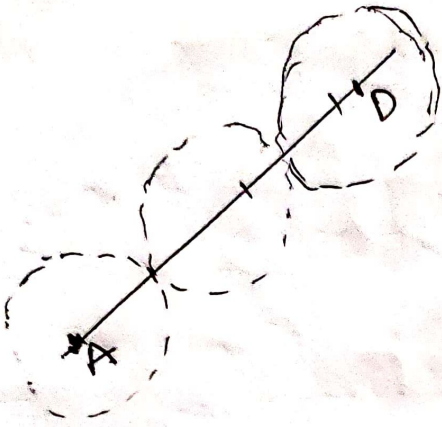
$$\text{Vol. of one atom} = \frac{4}{3} \pi r^3$$

$$\text{Vol. of the structure} = a^3$$

$$\therefore P = \frac{\frac{4}{3} \pi r^3}{a^3} = \frac{\frac{4}{3} \pi \left(\frac{a}{2}\right)^3}{a^3} = \frac{\pi}{6} = 0.52$$

ফাঁকা অংশ = 48%

\* Body centered cubic:



$$AD = 4r$$

$$AD^2 = AB^2 + BD^2 = AC^2 + BC^2 + BD^2$$

$$\Rightarrow (4r)^2 = 3a^2$$

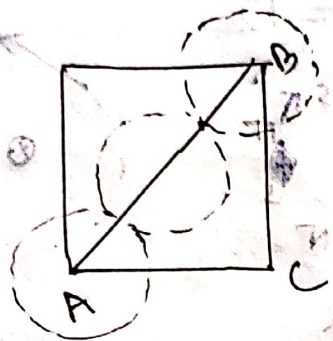
$$r = \frac{\sqrt{3} a}{4}$$

$$P = \frac{2 \times \frac{4}{3} \pi r^3}{a^3} = \frac{8/3 \times \pi \times \left(\frac{\sqrt{3} a}{4}\right)^3}{a^3} = \frac{\sqrt{3} \pi}{8}$$

$$\left(\frac{\sqrt{3}}{4}\right)^3 \pi = 0.68 = 68\%$$

ফাঁকা অংশ = 32%

FCC:



$$AB = 4r$$

$$AB^2 = AC^2 + BC^2 = 2a^2$$

$$(4r)^2 = 2a^2$$

$$\Rightarrow r = \frac{a}{2\sqrt{2}}$$

$$P = \frac{4 \times \frac{4}{3} \pi \left(\frac{a}{2\sqrt{2}}\right)^3}{a^3} = \frac{16}{3} \times \pi \frac{1}{16\sqrt{2}} = \frac{4\pi}{3\sqrt{2}}$$

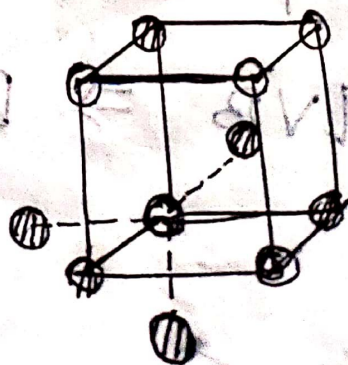
$$= 0.74 = 74\%$$

$$\text{ফাঁকা অংশ} = 26\%$$

Co-ordination number: No. of nearest neighbours of (r an) atom in a

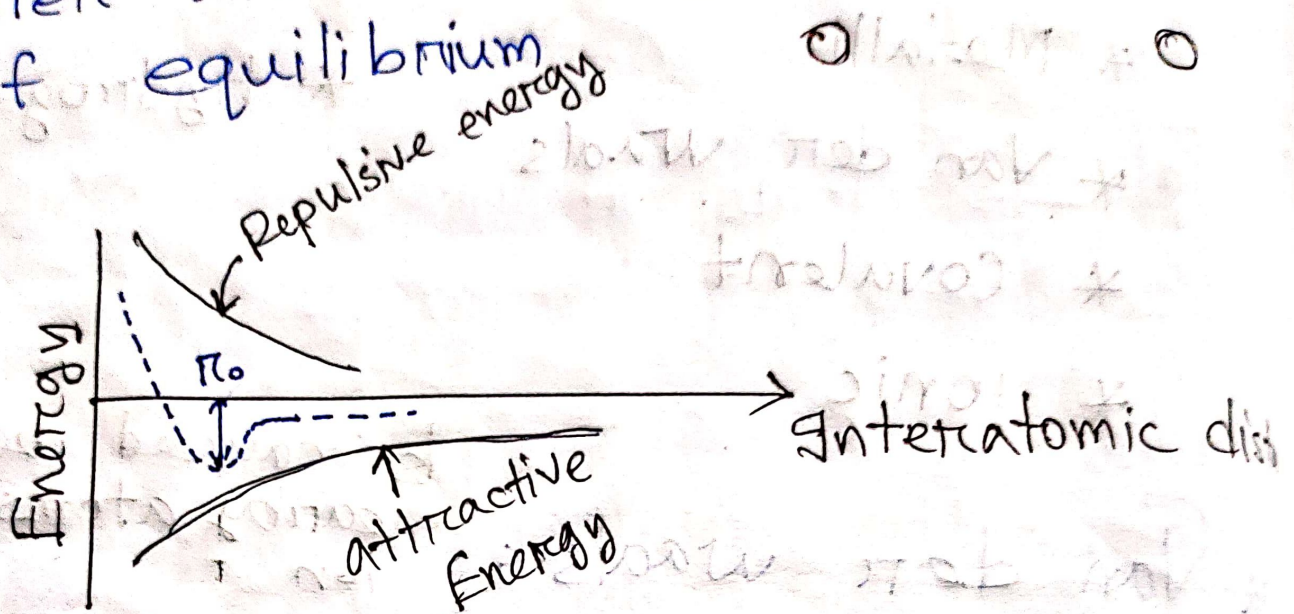
structure =  $\frac{z}{VP} = 8$

FCC SC, C.N = 6

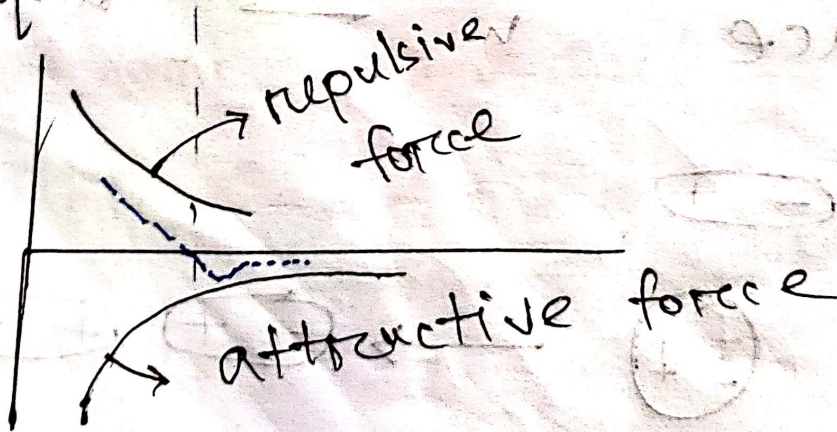


# □ Packing traction

□ Inter atomic distance and force of equilibrium



at  $r = r_0$  energy is minimum.  
Equilibrium distance.



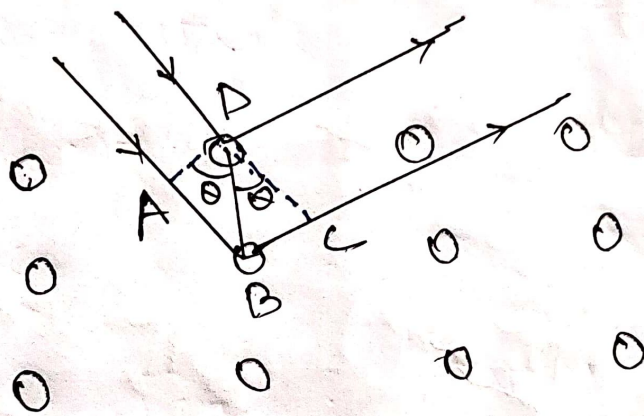
at  $r = r_0$ ,  $F = 0$

X-ray diffraction And Bragg's law

$$\lambda = 1-10 \text{ \AA}$$

40 million रेखा / cm मा, Normal grating a not possible.

but atomic regular structure a X-ray diffraction possible.



$$BD = d$$

$$AB = d \sin \theta$$

$$BC = d \sin \theta$$

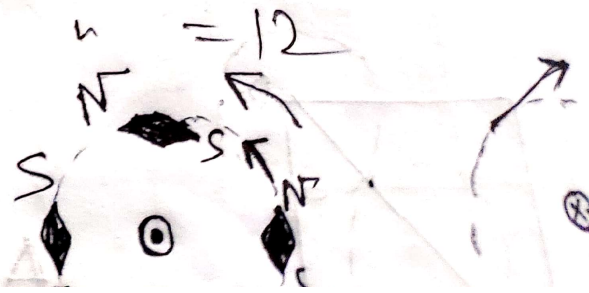
$$\text{path diff.} = AB + BC = 2d \sin \theta$$

for structural interference,

$$2d \sin \theta = n\lambda \quad (\text{Bragg's law})$$

For bcc, no. of cn = 8

for fcc, n = 12



11-2019

Magnetism: