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Fluid Mechanics

↳ behaviour of fluid or movement of fluid.

Fluid:

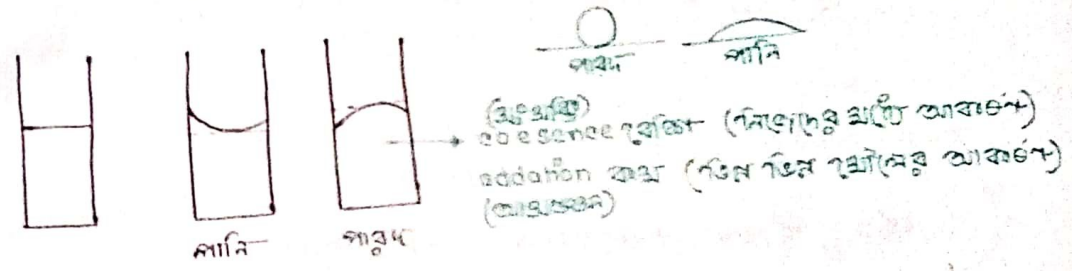
Fluid is a substance which is capable of flowing.

Ideal Fluid: flow হওয়ায় অধ্যক্ষ (বান বাহি-বাহি নান) }
Viscosity = 0
Surface tension = 0

Real Fluid:

Viscosity বলি বলে fluid এর flow বাধা হবে।

↳ fluid cohesion (এক গুণ আবেগ গুণ বে বাধি কৃষি বলে)



↳ Surface tension অকালে flow বাধা করে।

Substitution:

① Hydro statics (স্থির অবস্থায় থাকে)

② Dynamics Kinematics (move করবে) অন্য property consider

③ Dynamics (move করবে) → force, velocity, acceleration consider (করা হবে)

* gas → compressive
 liquid → incompressive (slightly compressive negligible)

Hydrolics → water

→ measurable quality for well-acceptable viscosity
দিয়ে প্রকাশ করা (m.l., kg, ...)

Dimension and unit:

→ measurable quality of a substance.

• Dimension is the measurable quality of a substance.

unit weight: একক আয়তনের ওজন

পানির unit weight = 1000 kgm³ → Unit weight of water
= 1000 kgm³
= 62.4 lb ft³
= 1 gm/cc

Specific gravity: যে পদার্থ ৪°C পানির তুলনায় কতটুকু ভারী

compressibility:

পানি খুবই কম compressive → negligible.

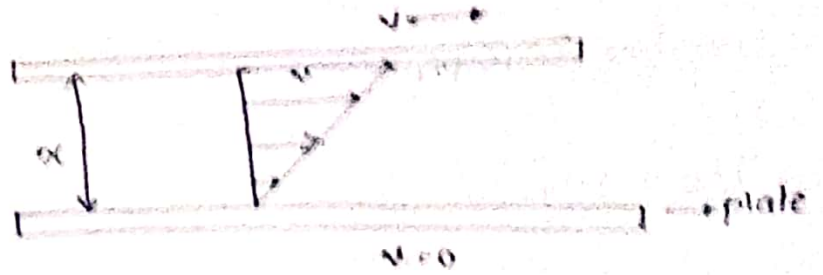
কোন পদার্থের চাপ বৃদ্ধি হলে কতটা compress হবে জানা গেছে P

Co-efficient of compressibility: → $\frac{\text{কতটুকু compress হলো}}{\text{original volume}}$

$$\text{Bulk} = \frac{1}{\text{compressibility}}$$

modulus of elasticity

Viscosity



Newton's law of viscosity

Absolute viscosity

$$\mu = \frac{\tau_{xy}}{\frac{dv_x}{dy}}$$

$$\tau = \mu \frac{dv}{dx}$$

shearing stress (τ/A)

Force, $P = \tau A$

co-efficient of viscosity (dynamic)

$$\nu = \frac{\mu}{\rho}$$

↳ static viscosity

Practical

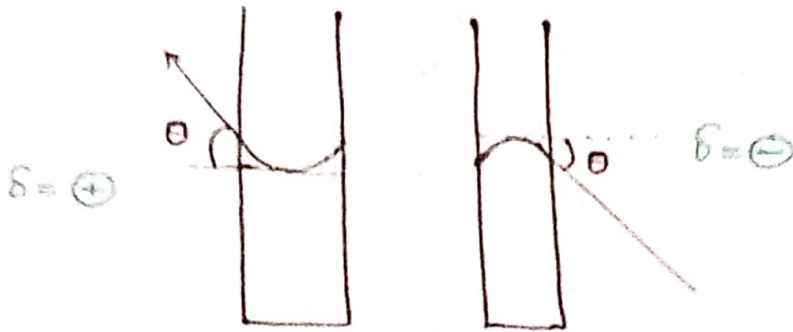
Effect of temperature on viscosity and pressure on viscosity:

temp \rightarrow liquid \rightarrow viscosity \downarrow (decreases)
 gas \rightarrow " \uparrow (increases) (momentum transfer)

pressure \rightarrow negligible effect (almost)

Surface tension

Capillarity



$$h = \frac{4\sigma \cos\theta}{\rho g d}$$

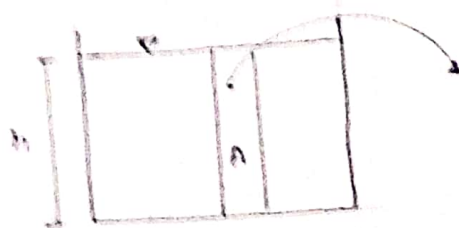
σ = surface tension per unit length

(proof attached)

6mm का बरत usable है

fluid statics

fluid pressure
pressure head

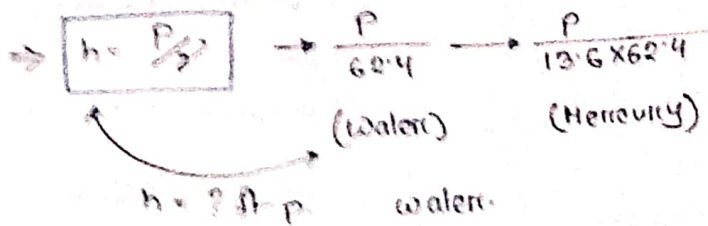


সমুদায়িক pressure head
(water) যদি স্থির থাকে তাহলে
 $V = Ah$

weight $w = \rho Ah$
 $= \rho Ah$

Total force, $F = \rho Ah$
 $P = \frac{\rho Ah}{A}$
 $= \rho h$

Drama
Drama



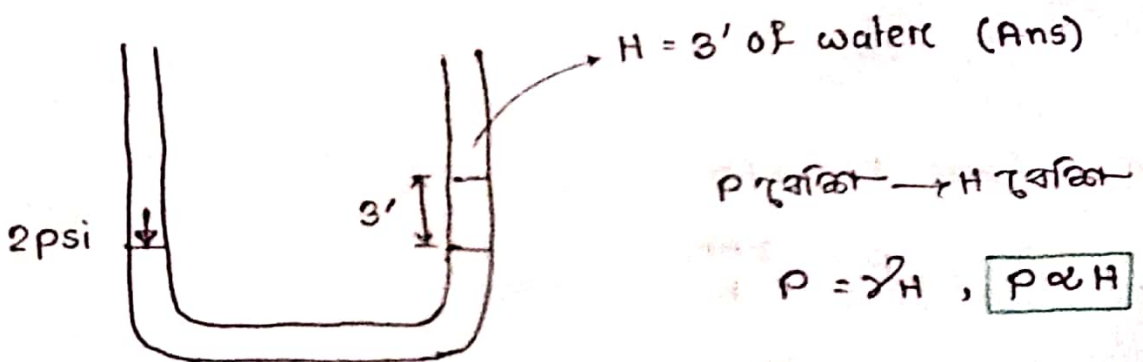
$\left\{ \begin{array}{l} \text{N/m}^2 \\ \text{kg/m}^2 \end{array} \right.$

Pascal's Law:

Atmospheric pressure:

15/02/2020

Pressure head:

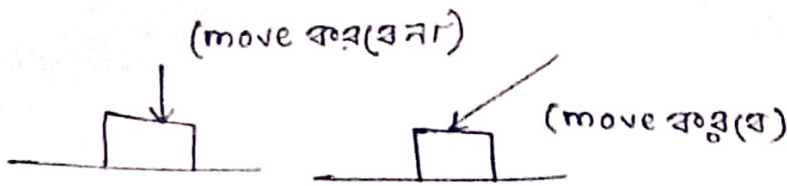


পানির specific gravity
বোঝা, পানির ঘনত্ব একই
pressure একই হলে height উঠবে,

sp. gra. = 13.6

$$\gamma \propto \frac{1}{H}$$

Pascal's law: Static অবস্থায় pressure অবস্থায় প্রয়োগ করা হলে সমস্ত দিকে সমানভাবে বিস্তারিত হয়।



পাস্কাল-এ প্রয়োগ করা হলে সমস্ত দিকে সমানভাবে বিস্তারিত হয়।

17/02/2020

Atmospheric Pressure:

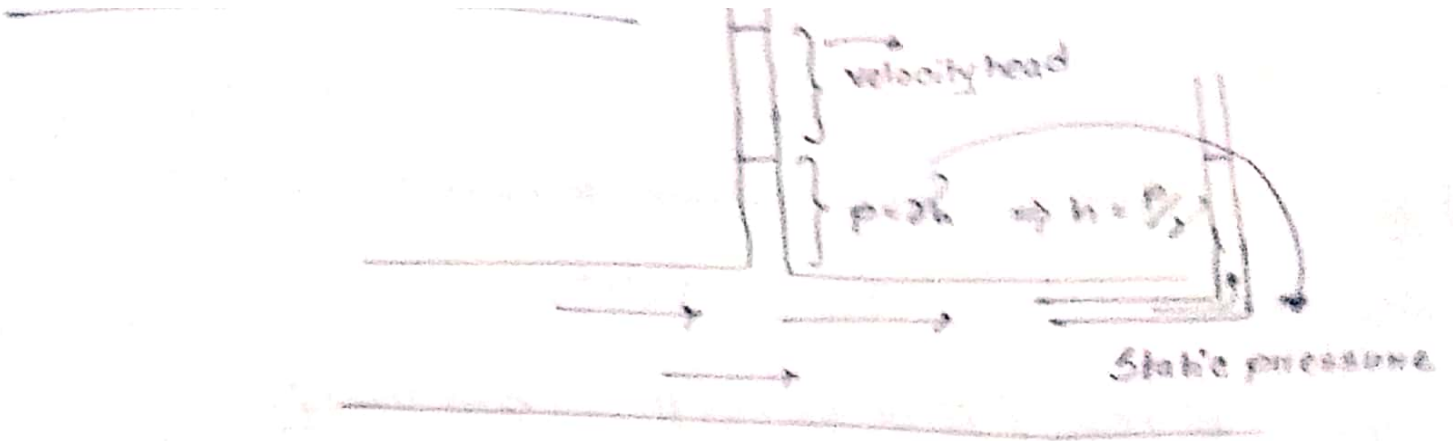
1 sq in. এর একটি column বায়ুমণ্ডলের স্রোতের পক্ষান্তরে পৌঁছালে এই বায়ুর আয়তন 1/29 এর জন্য চাপ প্রয়োগ করবে।

At. pressure = 14.7 psi / 76 cm hg / 30 ft (theoretically)

error = 8 ft [নিকট energy loss হ'ল]

practically → 26'

- ↳ friction
- pipe dia change
- dust in pipe

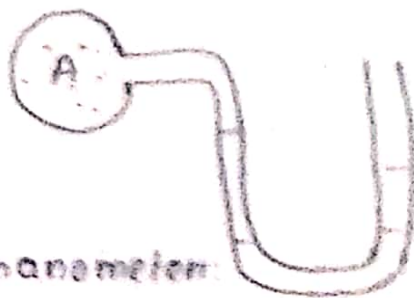


Pressure measurement / Gage:

✓ Bourdon pressure gage: (ত্রিবিহীন স্ক্রু) (অবিহীন স্ক্রু)

* Manometer: height of liquid measure এর জন্য

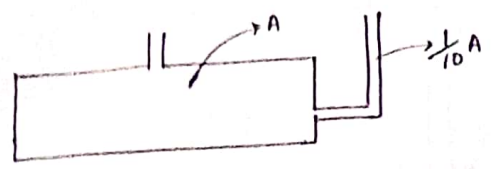
* Piezometer:



* Differential manometer:



* Single column:



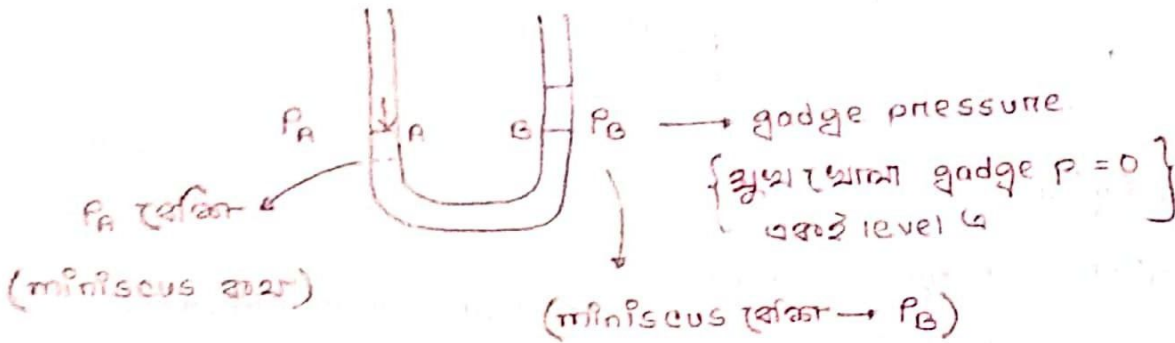
Manometer liquid:

P বাক্স \rightarrow hg use করা
 P বাক্স \rightarrow water " "

} measure করার সুবিধা (সহজ)

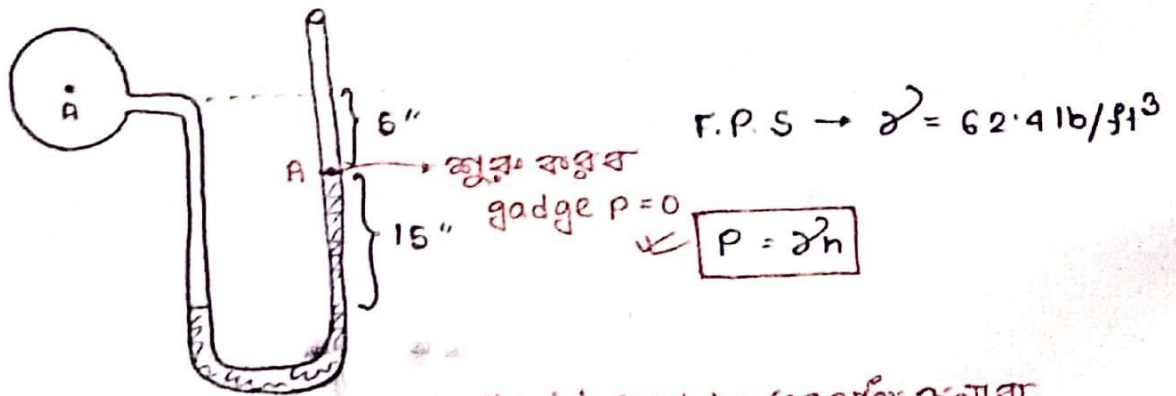
* gage pressure \rightarrow gauge pressure

* absolute pressure \rightarrow atmospheric pressure ($14.7 \pm$ gauge pressure)



* Prob: 2.46

tube এর একপাশের কোনো \rightarrow যে কোন জায়গা থেকে (specially কোনো স্থান) জুড়া বসবে.
 বসে \rightarrow যে কোন জায়গা থেকে



- (i) liquid এর tube এর সাথে সমতা
- (ii) liquid change level এ সমতা
- (iii) tube এর উপরে / নিচে নাথাকি যেখানে
 Pressure বসে \rightarrow (+) (নীচে)

$$\text{pressure, } p = 0 + \frac{(13.6 \times 9.81 \times 4) \times \frac{16}{12} - (13.6 \times 16)}{12} = 957$$

$\downarrow \downarrow$ \downarrow
 275.232 179.2
 (A point is) (13.6)

(A point is) (13.6)
 (edge $p = 0$)

$$\therefore P_A = 957 \text{ lb/ft}^2 \quad (\text{Ans})$$

$$\text{psi} \longrightarrow \frac{957 \text{ lb}}{12^2 \text{ in}^2}$$

Ans: 2.50

11 Prob: 2.25

সুসংগত

Temp 70°F on vertical shaft air is pressure & countable (unit weight considerable)

$\gamma = \omega = 0.075 \text{ lb/ft}^3$

Temp 0°C where, $\gamma' = 0$

সুসংগত

আবিষ্কার করে pressure তৈরি থাকবে air এর weight-considerable

Water $\left\{ \begin{array}{l} 0.79 \text{ (m)} \\ 62.4 \text{ (FP)} \end{array} \right.$

$$\rightarrow 0 + (0.79 \times 13.6) y - 0.79 \times (1+2) - (0.82 \times 0.79) \times (5-2) = 30$$

$\Rightarrow y = ?$

14 Prob: 2.23

aneroid barometer \rightarrow atmospheric pressure মাপে
 \rightarrow বায়ু এর ভার

$P_A = 12 \text{ psi}$
 $P_B = 20 \text{ psi}$

We know,

$p = \gamma h$

$\Rightarrow h = P/\gamma$

here,

$$\gamma = \gamma_{Hg} \quad [\text{আবর্তিত pressure বের করতে}]$$

$$\gamma_{Hg} = 13.6$$

$$(13.6 \times 62.4)$$

$$\therefore P_A = \gamma_{Hg} h_A$$

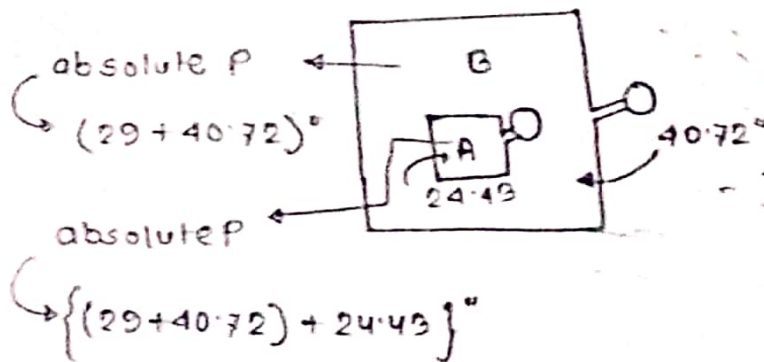
$$\Rightarrow P_A = 24.43 \text{ inch of mercury}$$

$$P_B = 40.72 \text{ inch of Hg}$$

$$\left. \begin{array}{l} h_A = 24.43 \text{ inch} \\ h_B = 40.72 \text{ inch} \end{array} \right\}$$

এইবে

29" Hg



$$\text{Absolute Pressure at A} = 29 + 40.72 + 24.43 \text{ psi}$$

Prob: 2.28

specific weight আবার γ হিসেবে ডায়াল হিসেবে ব্যবহার।
specific weight = unit weight.

$$15 \times 12 + 0.075 \times 2 + \gamma_{oil} \times 1 = P_B$$

$$P_B + 1 \times \gamma_{oil} + 62.4 \times 2 = P_C$$

here,

$$P_C = P_B - 1.25$$

Prob: 2.30

$$0 + (0.83 \times 9.79) \times H - (0.83 \times 9.79) \times (2-0) = 35$$

$$\Rightarrow H = ?$$

Q. H₂ gas specific gravity 13.6 and its unit weight is 2.79? find its weight?

$$\rightarrow 62.4 \times 13.6 = \text{unit weight (FPS)}$$

$$857.76 \times 13.6 \rightarrow (\text{MKS})$$

Prob: 2-36

$$\textcircled{1} \rightarrow P_A + 0 + 9.79 \times \frac{60}{1000} = P_B$$

$$\Rightarrow P_A = ?$$

$$P_A = 12.22$$

$$P_B = 13.20$$

$$\textcircled{2} \rightarrow P_A + 0 + 9.79 \times \frac{(60-h)}{1000} + 0.8 \times 9.79 \times \frac{h}{1000} = P_B$$

$$\Rightarrow h = ?$$

Force on Submerged Surface.

$$p = \gamma h$$

$$\text{load} = p \times A$$

Horizontal:

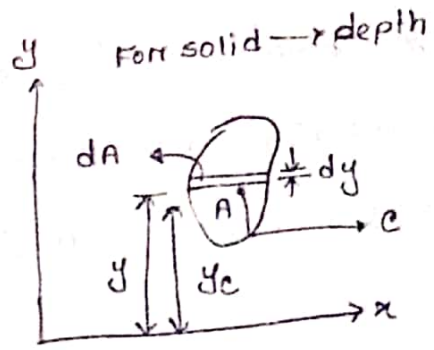
$$y = y_c \quad [h = h_c]$$

$$F = pA$$

$$= \gamma h A$$

$$F = \gamma h_c A$$

[γ is ρg]
 ω
 $y \rightarrow h$ or h_c



depth \rightarrow water \rightarrow উল্লম্ব (যে কোন দিকে)

Vertical:

$$F = \omega \int y dA$$

$$\Rightarrow F = \gamma \int h dA$$

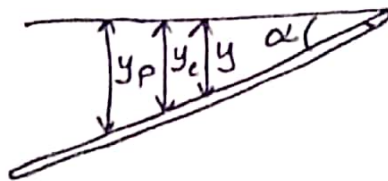
$$F = \gamma h_c A$$

$$\bar{y} = y_c = \frac{\int y dA}{A}$$

$$\Rightarrow \int y dA = A \bar{y}$$

$$= y_c A$$

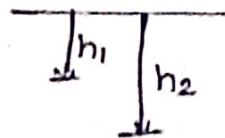
Inclined:



$$F = \rho g A$$

$y_p \rightarrow$ center of pressure.

$$F = \gamma h_c A \Rightarrow F = \rho g A$$

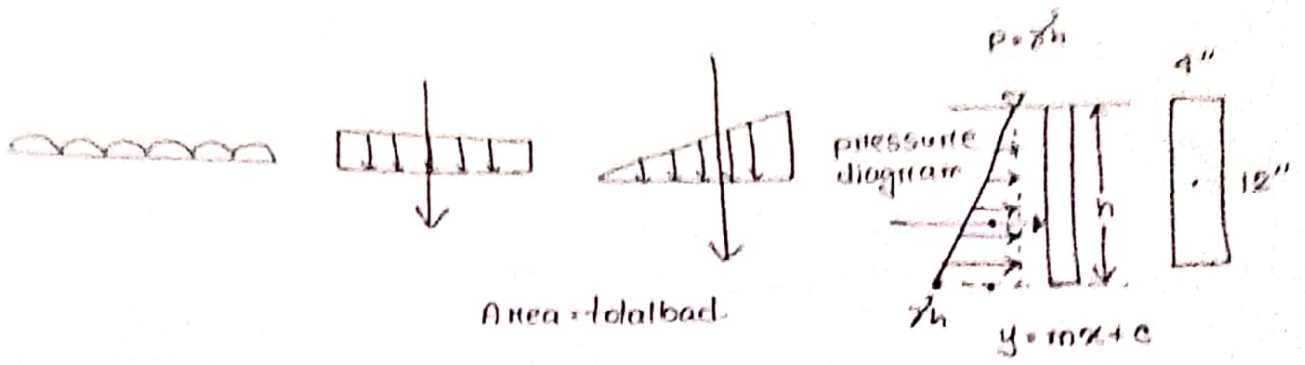


$$p = \gamma h_1$$

$$p = \gamma h_2$$

$$p = \gamma h_c$$

\rightarrow Force always same $\rho g A$



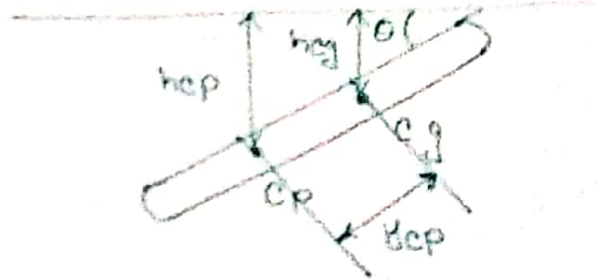
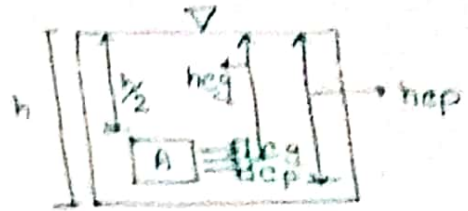
centeral pressure formula:

$$h_{cp} = h_{cg} + \frac{I_{cg}}{I_{cg} A}$$

y_p, y_g से संबंध
नहीं

$$y_{cp} = - \frac{I_{xx} \sin \theta}{h_{cg} A}$$

$$F = \rho h_{cg} A$$



$\theta = 90^\circ \rightarrow$ vertical
($y_{cg} - y_{cp}$)

Ex 11.11

$$f = \left(2 + \frac{1}{2}\right) \times (2 + 1) \times 2 \times 2$$

$$\text{Ans} = \left(2 + \frac{1}{2}\right) \times \frac{2 \times 1 \times 2}{(2 + 1/2) \times (2 + 1)}$$

2.1